



Netlist:

V_b	1	0	30	sources
I_s	2	0	2	
R_1	1	2	5	components
R_2	2	0	3	
R_3	2	0	10	
type	name	node1	node2	value

$$\mathbf{Ax} = \mathbf{z}$$

or

$$\begin{bmatrix} \frac{1}{R_1} & -\frac{1}{R_1} \\ -\frac{1}{R_1} & \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} \\ 1 & 0 \end{bmatrix} \begin{bmatrix} v_1 \\ v_2 \\ I_{Vb} \end{bmatrix} = \begin{bmatrix} 0 \\ I_s \\ V_b \end{bmatrix}$$

Resistors, capacitors, inductors

1.) Construct G matrix by analysing components

let $n = \text{highest_node_number (Netlist)}$

let $G = \text{Matrix}(n, n) \Rightarrow \text{Some way to construct efficient row x column matrix (all elements zero by default)}$

for com in components:

$$G[\text{com.node1} - 1][\text{com.node1} - 1] += \frac{1}{\text{com.value}}$$

if $\text{com.node2} == 0$: (node1 can't be 0)

continue

else:

$$G[\text{com.node2} - 1][\text{com.node2} - 1] += \frac{1}{\text{com.value}}$$

$$G[\text{com.node1} - 1][\text{com.node2} - 1] = -\frac{1}{\text{com.value}}$$

$$G[\text{com.node2} - 1][\text{com.node1} - 1] = -\frac{1}{\text{com.value}}$$

return G

2.) Construct **B** matrix by analysing voltage sources:

let $n = \text{highest_node_number (Netlist)}$

let $m = \text{number_of_voltage_sources (Netlist)}$

let $B = \text{Matrix}(n, m)$

for i in range $(0, m)$:

$VS = \text{voltage_sources}[i]$ \rightarrow ordering of sources shouldn't matter as long as it doesn't change

$B[VS.\text{node1} - 1][i] = 1$

if $VS.\text{node2} \neq 0$:

$B[VS.\text{node2} - 1][i] = -1$

return B

3. Construct **C** matrix by computing B^T :
(More complex when dealing with dependent sources)

let $C = \text{transpose}(B)$ \Rightarrow from matrix library

4.) Construct **D** matrix:

(More complex when dealing with dependent sources)

let $m = \text{number_of_voltage_sources (Netlist)}$

let $D = \text{Matrix}(m, m)$ \Rightarrow All zero by default

return D

5.) Construct \underline{x} : (Only need this to understand meaning of solution)

```
let n = highest_node_number (Netlist)
```

```
let x = vector()
```

```
for i in range(0, n):
```

```
    x.push_back("v-{"i}")
```

```
for vs in voltage_sources:
```

```
    x.push_back("I-{"vs.name}")
```

```
return  $x^T$  (Need column vector)
```

6.) Construct \underline{z} :

```
let n = highest_node_number (Netlist)
```

```
let m = number_of_voltage_sources (Netlist)
```

```
let z = Array(n+m)  $\rightarrow$  size
```

```
for cs in current_sources:
```

```
    z[cs.node1-1] = cs.value
```

```
    if cs.node2 != 0:
```

```
        z[cs.node2-1] = -cs.value
```

```
for i in range(n, n+m):
```

```
    z[i] = voltage_sources[i]
```

```
return  $z^T$  (Need column vector)
```

7.) Combine C, B, C, D into matrix A :

Probably not very efficient \Rightarrow Create matrix A in beginning
and construct in place

(Identical algorithm but avoids construction of extra matrixes)

8.) Compute inverse of A :

Use library