

# Interim analysis tool

*Susanne Blotwijk & Wilfried Cools*



INTERFACULTY CENTER  
DATA PROCESSING  
& STATISTICS

# INTERIM ANALYSIS

## DATA COLLECTION

- All data at once

18 data points (e.g 18 mice)

- Not all data at once

Example 1



Example 2



Purpose:  
Stop data collection early,  
in case of sufficient evidence

Interim  
analysis 1

Interim  
analysis 2

Final  
analysis

# INTERIM ANALYSIS

## APPROACH

What groups on this campus often do:

Allowed chance for a false positive =  $\alpha$

Interim analysis 1:  $p < \alpha?$

Interim analysis 2:  $p < \alpha?$

Final analysis:  $p < \alpha?$

Problem 1: Total probability of a false positive  $> \alpha$   
Problem 2: Influence on the power?

# INTERIM ANALYSIS

## APPROACH

Step 1: perform the power analysis in Gpower as you would without interim analysis

determine a first approximation of the sample size

Step 2: use our tool

determine interim specific alpha's and total sample size

Ex.: control group, experimental condition 1 & 2

Group means: 1, 2, 3

SD: 1.25

We can process 6 mice at a time

Stages: 6; 12; 18; 24; 27

Mice per group: 2; 4; 6; 8; 9



2 mice per group in a one way ANOVA is not reasonable  
→ no interim analysis here

**F tests** - ANOVA: Fixed effects, omnibus, one-way

**Analysis:** A priori: Compute required sample size

**Input:** Effect size  $f$  = 0.6531973

$\alpha$  err prob = 0.05

Power ( $1-\beta$ ) = 0.8

Number of groups = 3

**Output:** Noncentrality = 11.5200012

Critical F = 3.4028261

Numerator df = 2

Denominator df = 24

Total sample size = 27

Actual power = 0.8210086

# INTERIM ANALYSIS

## TOOL: INPUT

### Simulating Alpha Spending

Test:

st.dev.

group means (semicolon delimited, eg., 1;2;1)

type I error

data points per stage (semicolon delimited, eg., 3;9;17)

type:

# sim (eg., 10000)

Susanne Blotwijk: simulation algorithm  
<https://www.icds.be> (Wilfried Cools: shiny suit)

T-test of one-way ANOVA

alpha

Alpha spending function, leave it as is

Same group parameters as the ones you used for the Gpower calculation

Number of mice per group at each interim analysis

Number of simulations  
Higher number: takes more time  
Lower number: lower accuracy and precision

# INTERIM ANALYSIS

## TOO LITTLE POWER

	test 1	test 2	test 3	test 4
cumulative power	0.0691	0.378	0.6891	0.7879
alphas	0.0034	0.014	0.0285	0.032
cumulative alpha	0.0033	0.0164	0.0376	0.05
target cumulative alpha	0.0033	0.0164	0.0376	0.05
expected number	22.2503			
expected stop	2.8638			

→ Total power: decreases by adding interim analyses.

→ Type I errors for each test (all < .05)

In case of insufficient power (< 0.8), there are two options:

- 1) Add an extra mouse to the final stage
- 2) Remove one of the interim analyses

# INTERIM ANALYSIS

## TOOL: OUTPUT

### Simulating Alpha Spending

Test:  st.dev.  group means (semicolon delimited, eg., 1;2;1)

type I error  data points per stage (semicolon delimited, eg., 3;9;17)

type:  # sim (eg., 10000)

Susanne Blotwijk: simulation algorithm  
<https://www.icds.be> (Wilfried Cools: shiny suit)

SIMULATE the alpha spending function sample sizes

	test 1	test 2	test 3	test 4
cumulative power	0.0431	0.3273	0.6512	0.8414
alphas	0.0019	0.0102	0.0228	0.0352
cumulative alpha	0.002	0.0114	0.0284	0.05
target cumulative alpha	0.0019	0.0114	0.0284	0.05
expected number				23.8699
expected stop				2.9783

Total Power

Alpha values you should apply at each analysis

Total chance of a type I error at each analysis

Expected number of used mice

We add one mouse to our original number, so  $9+1 = 10$ . We have 3 groups, so in total  $3*10 = 30$ .

# INTERIM ANALYSIS

## TOO FEW SIMULATIONS

	test 1	test 2	test 3	test 4
cumulative power	0.07	0.39	0.71	0.82
alphas	0	0.02	0.03	0.04
cumulative alpha	0	0.02	0.04	0.05
target cumulative alpha	0	0.02	0.04	0.05
expected number	22.11			
expected stop	2.83			

These two rows differ too much  
→ accuracy is too low → more simulations needed

At least one number here is 0  
→ precision is too low → more simulations needed

1) Two numbers in this part of the column differ too much  
→ accuracy is too low → more simulations needed

2) Less than two significant digits  
→ precision is too low → more simulations needed