

# PH502: Scientific Programming Concepts

Irish Centre for High End Computing (ICHEC)

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- When designing algorithms there are some more general classifications.
- These classes are not strictly about time complexity but of course there will be a relation.

## ■ Iterative vs Recursive

- ▶ Iterative: algorithms which use of loops
- ▶ Recursive: algorithms which invoke itself repeatedly until a condition matches

## ■ Serial vs Parallel vs Distributed

- ▶ Serial: steps are executed in sequence, one at a time
- ▶ Parallel: several steps are executed at the same time by the same processor
- ▶ Distributed: steps are executed by different processors

- Deterministic vs Nondeterministic
  - ▶ Deterministic: every step in the algorithm is predictable
  - ▶ Nondeterministic: the steps vary from execution to execution
- Exact vs Approximate
  - ▶ Exact: algorithm reaches the solution
  - ▶ Approximate: algorithm is not guaranteed to reach the solution, but seeks an approximation to the solution

Problem: Find  $n!$  for  $n \geq 1$ .

- The factorial of an integer  $n$  is the product of all integers in range  $[1, n]$ .

$$n! = 1 \times 2 \times 3 \times 4 \times \cdots \times (n-1) \times n$$

- For each integer in range  $[1, n]$ , aggregate the product and output the final result.

$$n! = \prod_{i=1}^n i$$

IterativeFactorial( $n$ )

result=1

**for**  $i = 2$  to  $n$  **do**

    result = result  $\times$   $i$

**end for**

return result

►  $\Theta(n)$

- Factorial of  $n$  is  $n$  times the factorial of  $(n - 1)$ , unless  $n$  is 0, for which the result is 1.

$$n! = \begin{cases} 1 & \text{if } n = 0 \\ (n - 1)! \times n & \text{if } n > 0. \end{cases}$$

RecursiveFactorial( $n$ )

**if**  $n = 0$  **then**

    return 1

**else**

    return  $n \times \text{RecursiveFactorial}(n - 1)$

**end if**

►  $\Theta(n)$

- C has no distinction between recursive and non-recursive functions.
- In Fortran you must explicitly state that the function is recursive.

```
program rf
  implicit none
  interface
    recursive function f(n) result(answer)
      integer (kind=4) :: n,answer
    end function
  end interface

  write(6,*) f(10)
end program

recursive function f(n) result(answer)
  integer (kind=4) :: n,answer
  answer = 1
  if (n .gt. 0) answer = n * f(n-1)
  return
end function
```



- This week we discussed:
  1. Algorithms
  2. and their properties,
  3. time complexity,
  4. classifications.