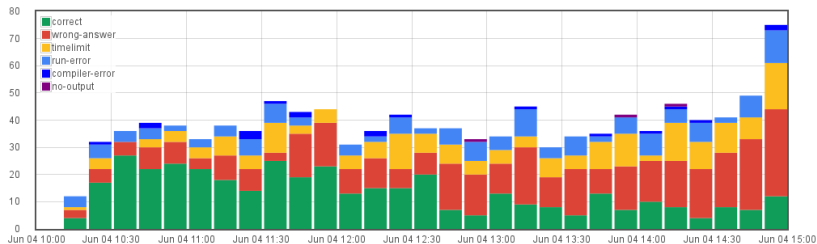


# The German Collegiate Programming Contest 2016

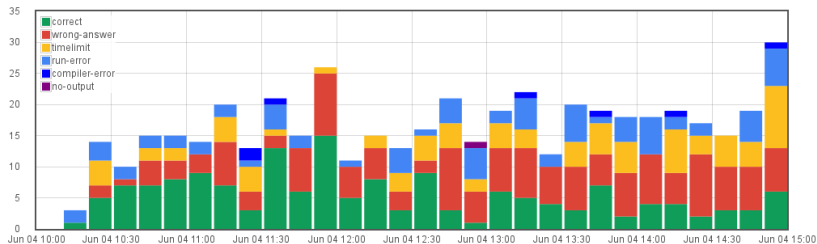
The GCPC 2016 Jury

04.06.2016

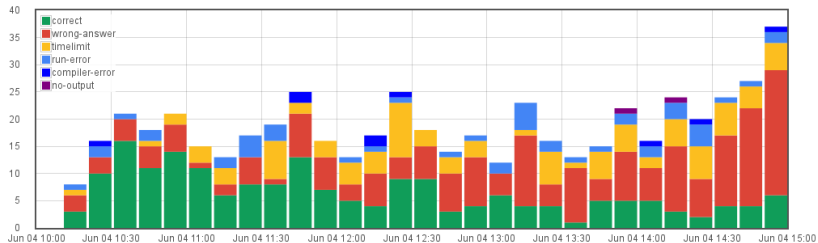
## Statistics



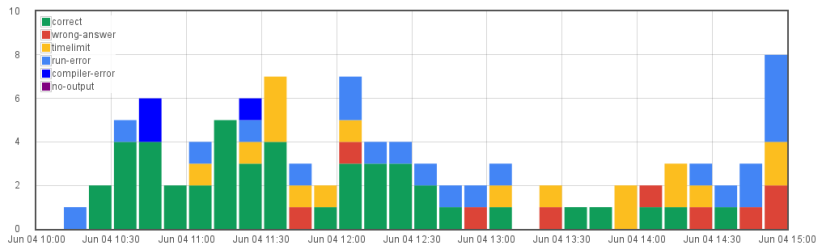
## Statistics - Java



## Statistics - C++



## Statistics - Python



## Statistics

- ▶ Over 600 commits, large chunks by Stefan (121) and Egor (117).
- ▶ Over 5000 builds triggered, 60% of which succeeded.
- ▶ 288 submissions written by Jury, 188 correct and 100 not.
- ▶ Over 300 Emails written by Stefan.

## Judges' Solutions

Problem	Min LOC	Max LOC
Dwarves	36	113
Correcting Cheeseburgers	43	145
Knapsack in a Globalized World	19	111
Matrix Cypher	22	340
Model Railroad	47	127
One-Way Roads	51	557
Formula	17	67
Celestial Map	27	148
Common Knowledge	1	49
Selling CPUs	13	64
Routing	40	120
Maze	34	91
<b>total</b>	<b>350</b>	<b>1932</b>

## G: Formula - Sample Solution

Easiest problem in the set.

### Problem

Given a triangle  $\Delta abc$  and a number  $r$ .

How much differs the incircle radius of  $\Delta abc$  from  $r_m$ ?

### Solution

- ▶ You are given formulas to compute
  - ▶ the incircle radius, given the area
  - ▶ the area, given the side lengths
- ▶ Rearranging the formulas leads to

$$r_{\Delta abc} = \frac{\sqrt{4a^2b^2 - (a^2 + b^2 - c^2)^2}}{2(a + b + c)}$$

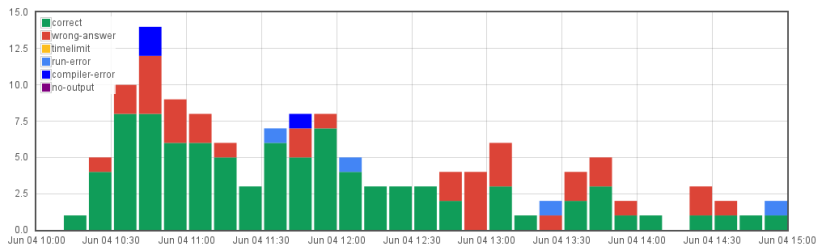
- ▶ The answer is  $\frac{r_{\Delta abc} - r_m}{r_m}$



## G: Formula - Statistics

- ▶ Tried by 92 teams (95%), solved by 89 teams (92%)
- ▶ C++: Tried by 44 teams (45%), solved by 43 teams (44%), 55 submissions (78% correct)
- ▶ Java: Tried by 41 teams (42%), solved by 37 teams (38%), 64 submissions (58% correct)
- ▶ Python: Tried by 9 teams (9%), solved by 9 teams (9%), 11 submissions (82% correct)
- ▶ Fastest: 16 minutes, written by #define true false
- ▶ Best runtime: 0% of the given time, written by 42 teams
- ▶ Shortest: 292 characters, written by Wird man noch ändern können

## G: Formula - Statistics



- ▶ Author: Gregor Behnke
- ▶ Keywords: easy - Ad-hoc

## I: Common Knowledge - Sample Solution

### Problem

For two segment displays of length  $n$  where on one both players see the top half and on the other one player sees the top and one the bottom half, how many numbers do they both know?

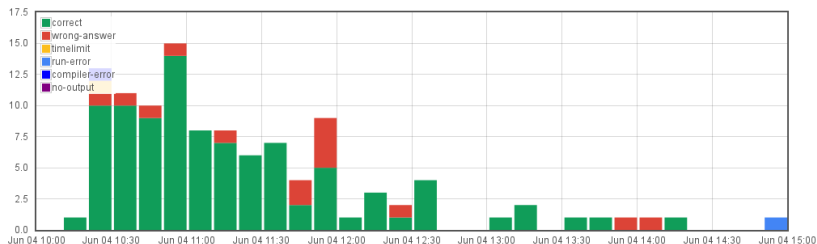
### Solution

- ▶ Digits recognizable by seeing the top half: 0,1,4,7.
- ▶ Digits recognizable by seeing the bottom half: 0,2,4.
- ▶ If both see the top half, there are four possible digits, thus  $4^n$  numbers
- ▶ Otherwise there are only two possible digits (0 and 4), thus  $2^n$  numbers.
- ▶ In total, there are  $4^n \cdot 2^n = 8^n$  numbers which is the solution.

## I: Common Knowledge - Statistics

- ▶ Tried by 94 teams (97%), solved by 93 teams (96%)
- ▶ C++: Tried by 35 teams (36%), solved by 35 teams (36%), 37 submissions (95% correct)
- ▶ Java: Tried by 45 teams (46%), solved by 43 teams (44%), 58 submissions (74% correct)
- ▶ Python: Tried by 15 teams (15%), solved by 15 teams (15%), 16 submissions (94% correct)
- ▶ Fastest: 15 minutes, written by `_underscore`
- ▶ Best runtime: 0% of the given time, written by 34 teams
- ▶ Shortest: 32 characters, written by Algorithm & Bluescreen

# I: Common Knowledge - Statistics



- ▶ Author: Markus Blumenstock
- ▶ Keywords: easy - No-Brainer

## A: Dwarves - Sample Solution

### Problem

Given various statements about the relative heights of the dwarves, decide whether there is a contradiction in their statements.

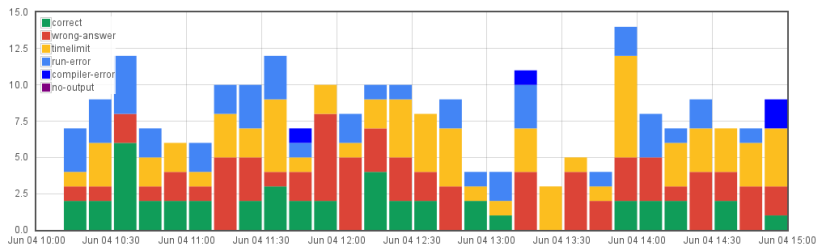
### Solution

- ▶ Read input as directed graph with an edge from the smaller to the larger dwarf.
- ▶ Check if the graph is acyclic (e.g. with DFS).

## A: Dwarves - Statistics

- ▶ Tried by 79 teams (81%), solved by 44 teams (45%)
- ▶ C++: Tried by 39 teams (40%), solved by 25 teams (26%), 101 submissions (25% correct)
- ▶ Java: Tried by 38 teams (39%), solved by 17 teams (18%), 121 submissions (14% correct)
- ▶ Python: Tried by 5 teams (5%), solved by 2 teams (2%), 13 submissions (15% correct)
- ▶ Fastest: 13 minutes, written by Platz 56 oder disqualifiziert
- ▶ Best runtime: 1% of the given time, written by undeFAUed behaviour, That's what C said
- ▶ Shortest: 819 characters, written by ↓ below us are bots ↓

## A: Dwarves - Statistics



- ▶ Author: Max Bannach and Martin Schuster
- ▶ Keywords: easy - DFS



## D: Matrix Cypher - Sample Solution

### Problem

Decode a message (represented as bitstring) that has been encoded by repeatedly multiplying different matrixes onto the identity matrix depending on zeroes and ones.

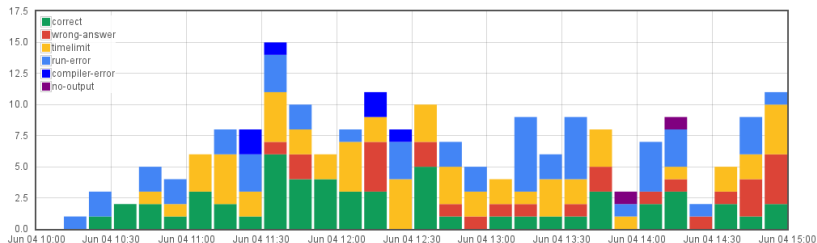
### Solution

- ▶ Note that the matrix for the bit 0 corresponds to adding first row to the second. If the bit is 1, we add the second row to the first.
- ▶ For decoding simply check which row is greater and undo the action by subtraction. This gives you the last bit of the message. Repeat this, until we have the identity matrix.

## D: Matrix Cypher - Statistics

- ▶ Tried by 73 teams (75%), solved by 55 teams (57%)
- ▶ C++: Tried by 21 teams (22%), solved by 2 teams (2%),  
76 submissions (3% correct)
- ▶ Java: Tried by 47 teams (48%), solved by 37 teams (38%),  
104 submissions (36% correct)
- ▶ Python: Tried by 16 teams (16%), solved by 16 teams (16%),  
19 submissions (84% correct)
- ▶ Fastest: 28 minutes, written by Sudoers
- ▶ Best runtime: 0% of the given time, written by FS,  
NoZuo\_NoDie
- ▶ Shortest: 226 characters, written by The good, the bad & the  
beauty

## D: Matrix Cypher - Statistics



- ▶ Author: Max Bannach and Martin Schuster
- ▶ Keywords: easy - Ad-hoc

## J: Selling CPUs - Sample Solution

### Problem

You have  $c$  identical objects and there are  $m$  ordered merchants. Each merchant  $i$  each has his own price  $p_j^i$  for each amount  $j$  of objects you can sell him.

How much money can you make by selling your objects to the merchants?

### Insights

- ▶ If  $m < c$  it might not be optimal to sell all objects
- ▶ To determine how much to sell to merchant  $j$  it is only relevant how much you sold to the merchants  $i < j$  **in total**, not how much you sold to the individual merchant

## J: Selling CPUs - Sample Solution

### Solution

- ▶ Use Dynamic Programming over (#merchants, #CPUs sold)

$$\max\_price(m, c) = \begin{cases} 0 & , \text{ if } m = 0 \\ \min(\max\_price(m-1, c), \min_{k=1}^c \max\_price(m-1, c-k) + p_k^i) & , \text{ else} \end{cases}$$

- ▶ Setting all  $\max\_price(0, c) = 0$ , means that we don't have to sell all objects
- ▶ Runtime  $\mathcal{O}(mc^2)$

## J: Selling CPUs - Sample Solution

### Solution

- ▶ Use Dynamic Programming over (#merchants, #CPUs sold)

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## J: Selling CPUs - Sample Solution

### Solution

- ▶ Use Dynamic Programming over (#merchants, #CPUs sold)

$$\max\_price(m, c) = \begin{cases} 0 & , \text{ if } m = 0 \\ \min(\max\_price(m-1, c), \min_{k=1}^c \max\_price(m-1, c-k) + p_k^i) & , \text{ else} \end{cases}$$

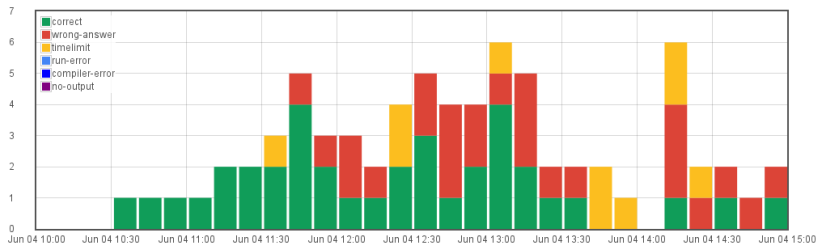
- ▶ Setting all  $\max\_price(0, c) = 0$ , means that we don't have to sell all objects
- ▶ Runtime  $\mathcal{O}(mc^2)$

## J: Selling CPUs - Statistics

- ▶ Tried by 44 teams (45%), solved by 37 teams (38%)
- ▶ C++: Tried by 29 teams (30%), solved by 25 teams (26%), 48 submissions (52% correct)
- ▶ Java: Tried by 14 teams (14%), solved by 11 teams (11%), 21 submissions (52% correct)
- ▶ Python: Tried by 1 teams (1%), solved by 1 teams (1%), 3 submissions (33% correct)
- ▶ Fastest: 36 minutes, written by undeFAUned behaviour
- ▶ Best runtime: 0% of the given time, written by 23 teams
- ▶ Shortest: 578 characters, written by <(OvO)>



## J: Selling CPUs - Statistics



- ▶ Author: Gregor Behnke
- ▶ Keywords: medium - Dynamic Programming

## E: Model Railroad - Sample Solution

### Problem

Given a railroad network with already existing connections and possible connections, is it possible to destroy some connections and build others of at most the same total length such that the new network is connected?

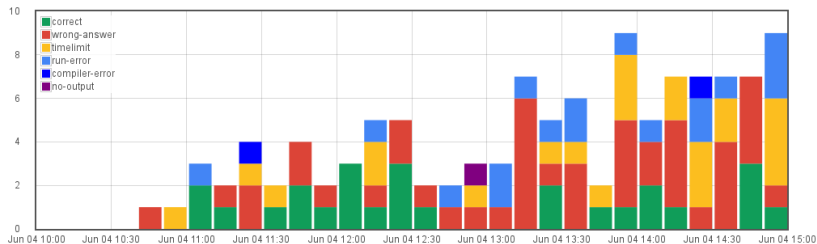
### Solution

- ▶ Sum up the length of all existing edges.
- ▶ Run the MST algorithm of your choice.
- ▶ Output “possible” if the weight of the MST is at most the sum of the existing edges.

## E: Model Railroad - Statistics

- ▶ Tried by 47 teams (48%), solved by 26 teams (27%)
- ▶ C++: Tried by 30 teams (31%), solved by 21 teams (22%), 71 submissions (30% correct)
- ▶ Java: Tried by 14 teams (14%), solved by 5 teams (5%), 31 submissions (16% correct)
- ▶ Python: Tried by 5 teams (5%), solved by 0 teams (0%), 11 submissions (0% correct)
- ▶ Fastest: 65 minutes, written by undeFAUned behaviour
- ▶ Best runtime: 1% of the given time, written by El Tersana, Thinke, Ginke, Danke!
- ▶ Shortest: 890 characters, written by `#define true false`

## E: Model Railroad - Statistics



- ▶ Author: Philipp Hoffmann
- ▶ Keywords: medium - Minimum Spanning Tree

## L: Maze - Sample Solution

### Problem

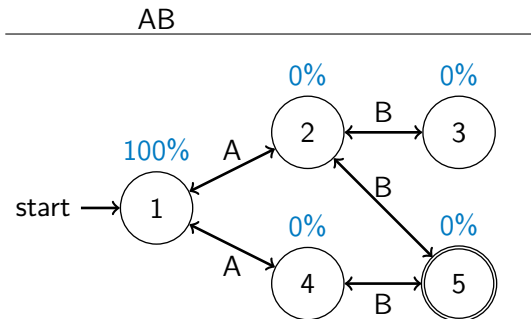
Given a word  $w$  and a nondeterministic finite automaton  $A$ , compute the chance that any prefix of  $w$  is accepted by  $A$ .

### Solution

- ▶ Simulation/Dynamic Programming
- ▶ Store an array  $P[n]$  with probabilities for each node, starting with 100% at the start node
- ▶ For every letter  $l$  in  $w$ :
  - ▶  $P'[n]$  is the sum over the probability of all incoming edges.
  - ▶ Probability to take edge  $n_0 \xrightarrow{l} n$  is  $P[n_0] * \frac{1}{|out(n_0, l)|}$

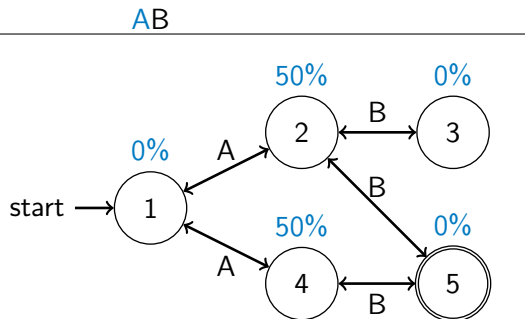
## L: Maze - Sample Solution

### Example



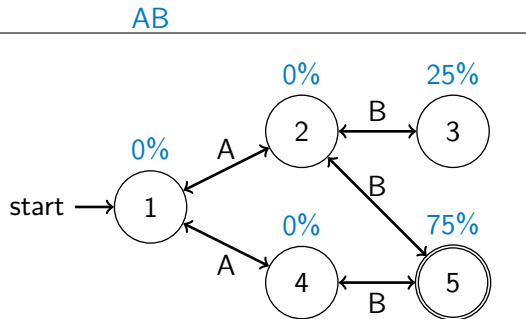
## L: Maze - Sample Solution

### Example



## L: Maze - Sample Solution

### Example

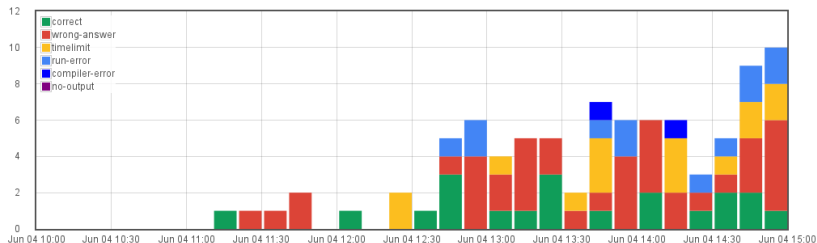




## L: Maze - Statistics

- ▶ Tried by 32 teams (33%), solved by 20 teams (21%)
- ▶ C++: Tried by 20 teams (21%), solved by 15 teams (15%), 45 submissions (33% correct)
- ▶ Java: Tried by 13 teams (13%), solved by 5 teams (5%), 35 submissions (14% correct)
- ▶ Python: Tried by 2 teams (2%), solved by 0 teams (0%), 9 submissions (0% correct)
- ▶ Fastest: 70 minutes, written by #define true false
- ▶ Best runtime: 0% of the given time, written by The SegFAUlt in Our Stars, undeFAUned behaviour, Wird man noch ändern können, #define true false, oachkatzlschwoaf, Sudoers, breaKIT, Teamy McTeamface, ChaosKITs, Platz 56 oder disqualifiziert, Pave the Way
- ▶ Shortest: 767 characters, written by #define true false

## L: Maze - Statistics



- ▶ Author: Christian Müller
- ▶ Keywords: medium - ad-hoc

## H: Celestial Map - Sample Solution

### Problem

You are given multiple stars' location and trajectory, furthermore a plane and a distance  $d$ . For every star, decide whether it was in the plane and had distance  $d$  to you when it sent the message which you recieved just now.

### Insight

- Compute normal of  $p_1$  and  $p_2$  to represent the plane (cross product).

## H: Celestial Map - Sample Solution

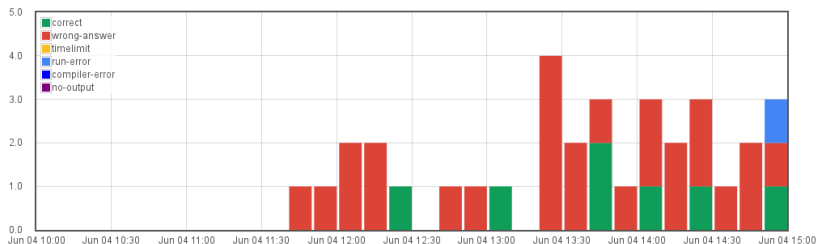
### Solution

- ▶ To test whether a star is viable:
  - ▶ Compute intersection of plane and star's trajectory.
  - ▶ Distance  $t$  from Bob to intersection = time it took for the message to reach Bob.
  - ▶ intersection +  $t \cdot$  trajectory = star's current position iff star is viable.
- ▶ or (without computing intersections)
  - ▶ If the star had distance  $d$  to Bob, it took  $d$  lightyears for the message to arrive.
  - ▶ Take star's current position  $(s_x \ s_y \ s_z)$  and remove  $d \cdot (t_x \ t_y \ t_z)$ .
  - ▶ Check if the point we got is in plane (using the normal vector) and has the correct distance to Bob. If this is the case the star is viable.

## H: Celestial Map - Statistics

- ▶ Tried by 13 teams (13%), solved by 7 teams (7%)
- ▶ C++: Tried by 7 teams (7%), solved by 4 teams (4%),  
15 submissions (27% correct)
- ▶ Java: Tried by 4 teams (4%), solved by 2 teams (2%),  
16 submissions (13% correct)
- ▶ Python: Tried by 2 teams (2%), solved by 1 teams (1%),  
4 submissions (25% correct)
- ▶ Fastest: 149 minutes, written by breakKIT
- ▶ Best runtime: 1% of the given time, written by breakKIT, The  
SegFAUlt in Our Stars, Wird man noch ändern können,  
undeFAUned behaviour
- ▶ Shortest: 896 characters, written by breakKIT

## H: Celestial Map - Statistics

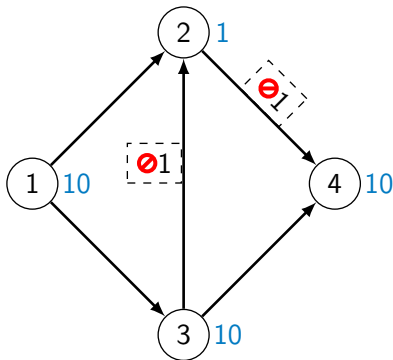


- ▶ Author: Moritz Fuchs
- ▶ Keywords: medium - Geometry

## K: Routing - Sample Solution

### Problem

Find a shortest path, but whether an edge can be used depends on the last edge that was used.



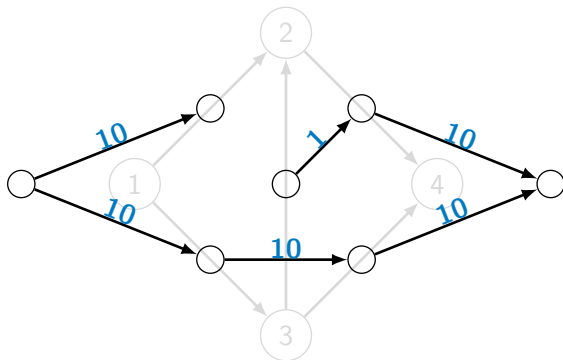
## K: Routing - Sample Solution

### Insights

- ▶ Consider the dual graph instead:
- ▶ Edges become nodes.
- ▶ Nodes become edges connecting edges if they can be used together.
- ▶ The weights of the edges are the processing times of the corresponding server.
- ▶ Add artificial nodes for the source and the target.



## K: Routing - Sample Solution



## K: Routing - Sample Solution

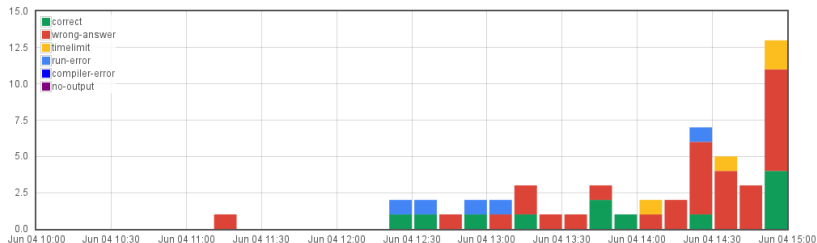
### Solution

- ▶ Search for a shortest path on the dual graph instead.
- ▶ Use for instance Dijkstra's Algorithm.
- ▶ The dual graph has at most  $n^2$  vertices and  $n^3$  edges.
- ▶ Running time:  $\mathcal{O}(n^2 \log n^2 + n^3) = \mathcal{O}(n^3)$
- ▶ Different idea: Work on the original graph, but use as Dijkstra state not only the node and the distance, but also the last edge you used.

## K: Routing - Statistics

- ▶ Tried by 23 teams (24%), solved by 11 teams (11%)
- ▶ C++: Tried by 17 teams (18%), solved by 9 teams (9%), 36 submissions (25% correct)
- ▶ Java: Tried by 5 teams (5%), solved by 2 teams (2%), 11 submissions (18% correct)
- ▶ Python: Tried by 1 teams (1%), solved by 0 teams (0%), 4 submissions (0% correct)
- ▶ Fastest: 149 minutes, written by oachkatzlschwoaf
- ▶ Best runtime: 1% of the given time, written by undeFAUed behaviour
- ▶ Shortest: 1107 characters, written by <(OvO)>

## K: Routing - Statistics



- ▶ Author: Stefan Toman
- ▶ Keywords: hard - Shortest Path

## F: One-Way Roads - Sample Solution

### Problem

Given an undirected graph, find a number  $d$  such that there is an orientation of the edges where every node has in-degree of at most  $d$ .

### Solution

- ▶ For a given  $d$  we can decide whether there exists an orientation that fulfils the constraint using maximum flow (see next slide).
- ▶ Use binary search to find the minimal  $d$ .

## F: One-Way Roads - Sample Solution

### Find an orientation

► First solution:

- Start with an arbitrary orientation  $\vec{G}$ .
- Nodes with indegree greater than  $d$  have to flip edges.
- Nodes with smaller indegree may increase their indegree.
- Add a source with edges to all nodes  $v$ , capacity  $\max(0, \text{indeg}_{\vec{G}}(v) - d')$ .
- Add sink with edges to all nodes, capacity  $\max(0, d' - \text{indeg}_{\vec{G}}(v))$ .
- Add edges between the nodes in reverse direction of  $\vec{G}$ .
- A maximum flow now tells you whether you should flip an edge (if it is used by the flow) and whether there was a solution (if all source edges are used to full capacity).

## F: One-Way Roads - Sample Solution

### Find an orientation

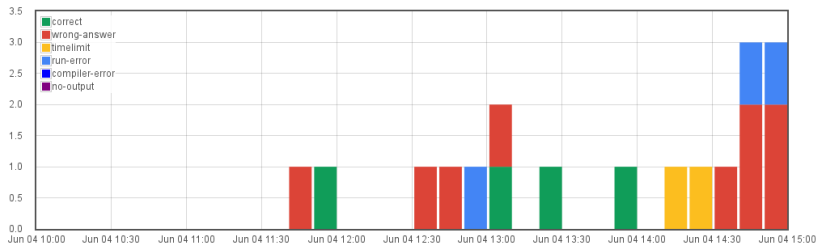
- ▶ Second solution:
  - ▶ Compute a matching between roads and the cities they connect.
  - ▶ The graph has one node per city and one per road, as well as source and sink.
  - ▶ The source is connected to all roads with capacity 1, each road to its endpoints with capacity 1.
  - ▶ The cities are connected to the sink with capacity  $d$ .
  - ▶ A maximum flow now tells you whether there is a matching of roads to cities (if the flow is equal to the number of roads).

## F: One-Way Roads - Statistics

- ▶ Tried by 11 teams (11%), solved by 4 teams (4%)
- ▶ C++: Tried by 7 teams (7%), solved by 4 teams (4%),  
12 submissions (33% correct)
- ▶ Java: Tried by 3 teams (3%), solved by 0 teams (0%),  
5 submissions (0% correct)
- ▶ Python: Tried by 1 teams (1%), solved by 0 teams (0%),  
1 submissions (0% correct)
- ▶ Fastest: 113 minutes, written by undeFAUned behaviour
- ▶ Best runtime: 0% of the given time, written by <(OvO)>,  
Thinke, Ginke, Danke!
- ▶ Shortest: 1175 characters, written by <(OvO)>



## F: One-Way Roads - Statistics



- ▶ Author: Markus Blumenstock
- ▶ Keywords: hard - Maximum Flow

## B: Correcting Cheeseburgers - Sample Solution

### Problem

Given a number of up to 10 digits find the minimum number of *bit-shuffles* to sort the digits in ascending order.

### Idea

- ▶ Construct the graph  $G$  of possible permutations.
- ▶ There is a directed edge between permutations  $a$  and  $b$  iff there is some shuffle such that  $\text{bit-shuffle}(a) = b$ .

## B: Correcting Cheeseburgers - Sample Solution

### Naive Solution

- ▶ BFS on graph to find minimum number of steps from starting number  $s$  to sorted number  $t$ .
- ▶ Graph  $G$  has a manageable amount of nodes ( $|V| = N!$ ).
- ▶ Each node has about  $N^3$  edges ( $|E| \approx N! * N^3$ ).

⇒ BFS results in TLE.

## B: Correcting Cheeseburgers - Sample Solution

### Insights

- ▶ The maximum number of steps required is at most 6. (Can be confirmed by naive exploration in a few minutes.)
- ▶ BFS bounded by a maximum depth of 3 is fast.
- ▶ The *bit-shuffle* can be reversed. We can search backwards.

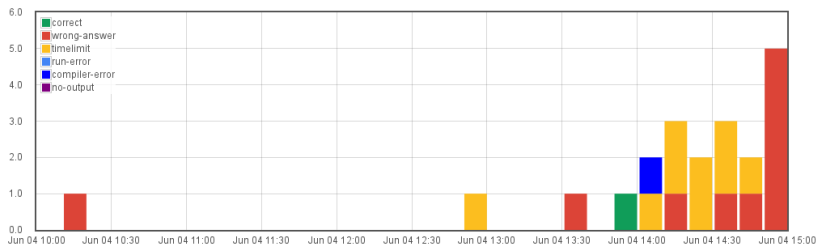
### Solution - Bidirectional Search

- ▶ 2-depth BFS from  $s$  and 3-depth BFS with the reversed *bit-shuffle* from  $t$ .
- ▶ Check for overlaps to get the minimum steps required.
- ▶ No overlap  $\Rightarrow$  result must be greater than 5 and combined with our previous insight it must be 6.

## B: Correcting Cheeseburgers - Statistics

- ▶ Tried by 6 teams (6%), solved by 1 teams (1%)
- ▶ C++: Tried by 4 teams (4%), solved by 1 teams (1%), 18 submissions (6% correct)
- ▶ Java: Tried by 2 teams (2%), solved by 0 teams (0%), 3 submissions (0% correct)
- ▶ Python: Tried by 0 teams (0%), solved by 0 teams (0%), 0 submissions (0% correct)
- ▶ Fastest: 230 minutes, written by undeFAUned behaviour
- ▶ Best runtime: 7% of the given time, written by undeFAUned behaviour
- ▶ Shortest: 2878 characters, written by undeFAUned behaviour

## B: Correcting Cheeseburgers - Statistics



- ▶ Author: Martin Tillmann
- ▶ Keywords: hard - BFS

## C: Knapsack in a Globalized World - Sample Solution

### Problem

Good old KNAPSACK with a twist: The size of the knapsack is too large to fit into the memory, but every of  $n$  items can be put multiple times into the knapsack.

### Idea

- ▶ Do calculation modulo the size of an arbitrary item, let's say  $G_1$ .
- ▶ The most crucial insight:

$$\exists a_i \in \mathbb{N}_{\geq 0} : K = \sum_{1 \leq i \leq n} a_i \cdot G_i \Leftrightarrow$$

$$\exists a_i \in \mathbb{N}_{\geq 0} : K \bmod G_1 = \sum_{2 \leq i \leq n} a_i \cdot G_i \text{ and } \sum_{2 \leq i \leq n} a_i \cdot G_i \leq K$$

## C: Knapsack in a Globalized World - Sample Solution

### Solution - shortest path

- ▶ Every modulo class is a node in the graph, there are  $G_1$  nodes.
- ▶ There is an edge from node  $i$  to node  $j$ , iff there is an item  $k$  with  $i + G_k = j \pmod{G_1}$ . There are at most  $n \cdot G_1$  edges.
- ▶ The shortest path from 0 to  $K \pmod{G_1}$  must not be longer than  $K$ .
- ▶ Dijkstra is fast enough -  $O(n \cdot G_1 \log(n \cdot G_1))$ .
- ▶ We also accepted any other  $O(G_1^2 \cdot n)$  shortest path algorithm.



## C: Knapsack in a Globalized World - Sample Solution

### Solution - number theory

- ▶ Let  $G_{\max}$  be the largest item.
- ▶ Every number  $K$  greater than  $G_{\max} \cdot G_{\max}$  is reachable iff it is divisible by the GCD of  $\{G_1, \dots, G_n\}$ .
- ▶ Solve KNAPSACK normally for  $K \leq G_{\max} \cdot G_{\max}$ , do the GCD calculations for larger numbers - results in  $O(G_{\max}^2 \cdot n)$ .

### Nota bene

- ▶ This problem is also known as Money Changing Problem (MCP).
- ▶ It's NP-complete.
- ▶ A pseudo-polynomial  $O(G_1 \cdot n)$  solution is known.

## C: Knapsack in a Globalized World - Statistics

- ▶ Tried by 27 teams (28%), solved by 4 teams (4%)
- ▶ C++: Tried by 17 teams (18%), solved by 4 teams (4%), 31 submissions (13% correct)
- ▶ Java: Tried by 8 teams (8%), solved by 0 teams (0%), 17 submissions (0% correct)
- ▶ Python: Tried by 2 teams (2%), solved by 0 teams (0%), 4 submissions (0% correct)
- ▶ Fastest: 118 minutes, written by breKIT
- ▶ Best runtime: 0% of the given time, written by breKIT
- ▶ Shortest: 888 characters, written by <(OvO)>

# Thanks

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