

AUDIBLE DESIGN

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APPENDIX 2

A diagrammatic guide
to sound compositional processes.

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As an attempt to visualise available waveforms, spectra, densities & sequences of musical phenomena in their compositional processes one can see how various material etc shaped have been chosen to make their transformations as clear as possible to diagrammatic form.
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MUSIC

ML 3805
WSTA 93
app. 2

Music
KEY

mp

WAVEFORM :

sound represented
in the time domain.

When looking at much
longer blocks of time,
waveform would be very
compressed in display,
so a different format
is used.

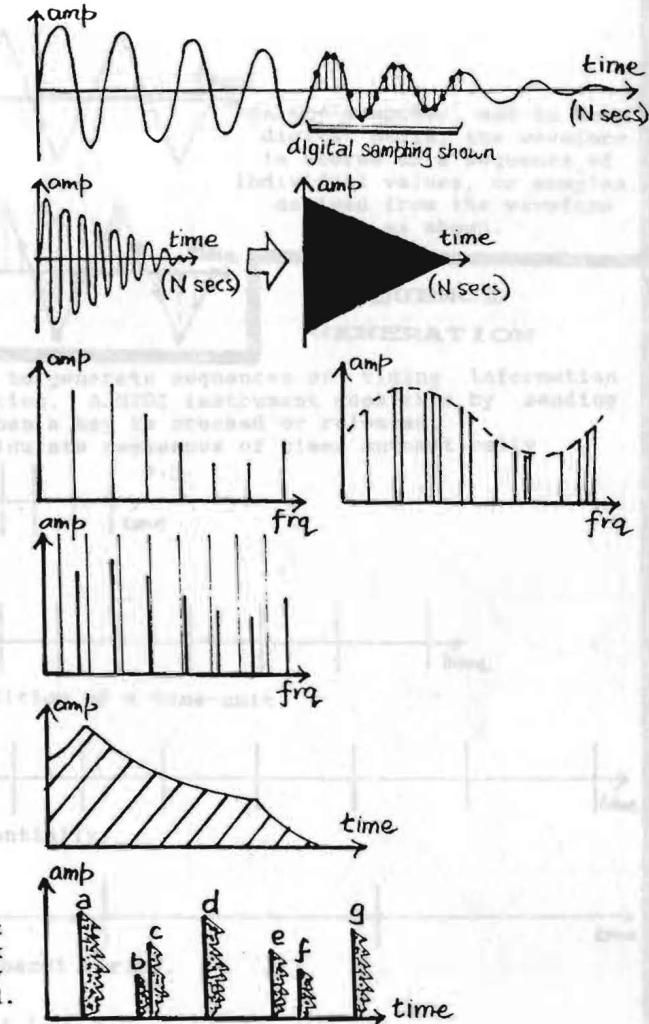
SPECTRUM :

sound represented in
the frequency domain.
N.B. Frequency axis
evenly spaced with
respect to frequency,
& NOT to pitch.

Spectrum, displaying
analysis channels.

LOUDNESS TRAJECTORY :
(loudness envelope)
of a sound.

MIX PLACEMENT :
represents the times at
which sounds in a mix
begin. Does NOT display
the whole of each sound.



N.B. ALL REPRESENTATIONS ARE SCHEMATIC.

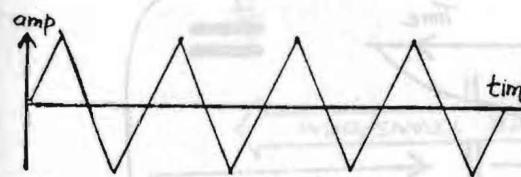
We do not attempt to represent realistic waveforms, spectra, loudness trajectories or mix placements, but only to illustrate the principles involved in the various compositional processes described. Waveform, spectral etc shapes have been chosen to make their transformations as clear as possible in diagrammatic form.

Times completely random

Times completely random, but ordered

Music

SAMPLING

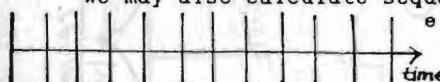


On the computer, and in other digital media, the waveform is stored as a sequence of individual values, or samples, derived from the waveform as shown.

SEQUENCE GENERATION

It is often useful to generate sequences of timing information for musical composition. A MIDI instrument does this by sending data when a key is pressed or released.

We may also calculate sequences of times automatically
e.g.



Regular times.



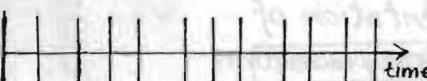
Times growing by addition of a time-unit.



Times growing exponentially.



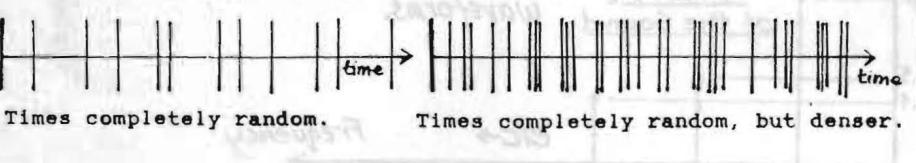
Times following Fibonacci series.



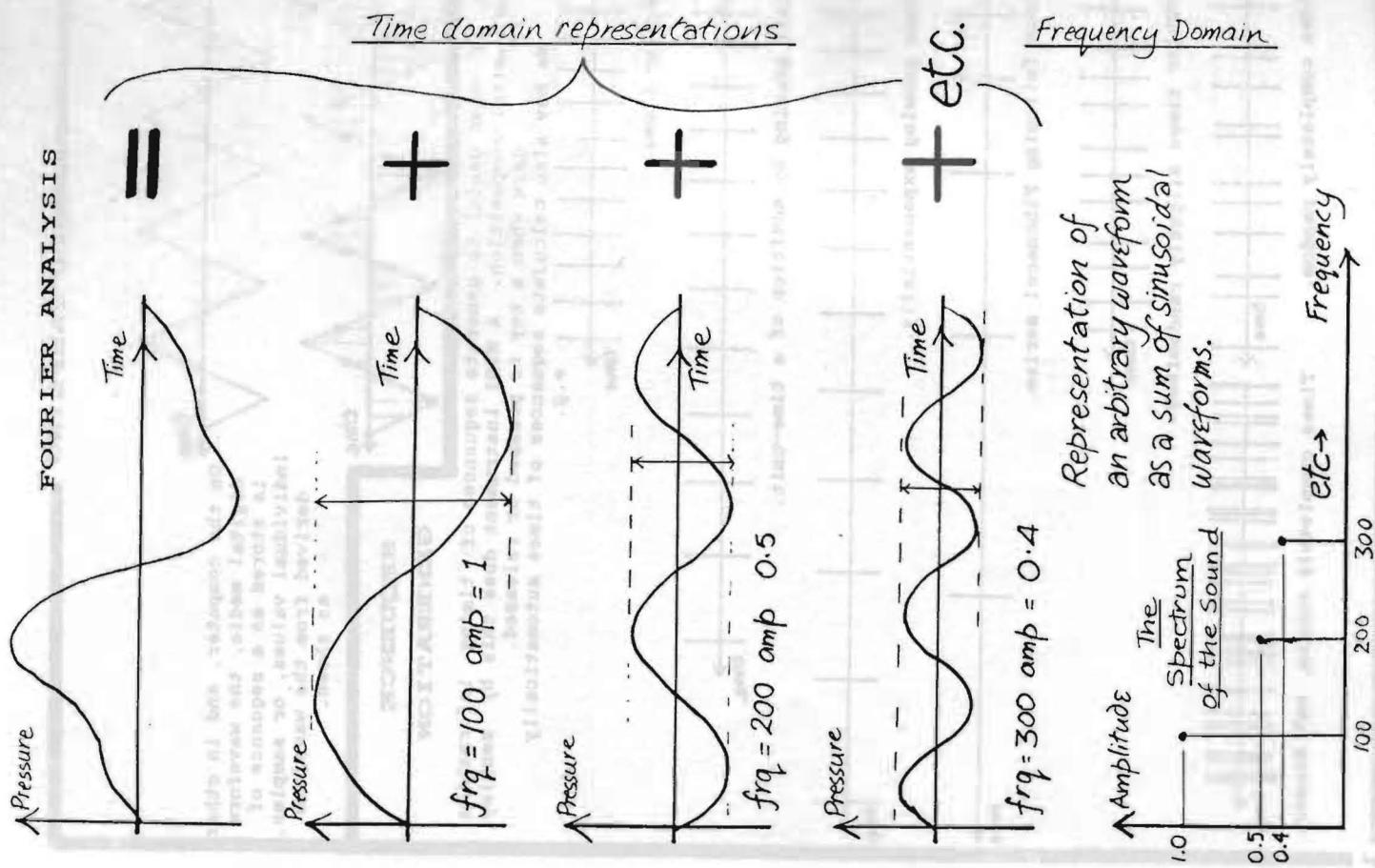
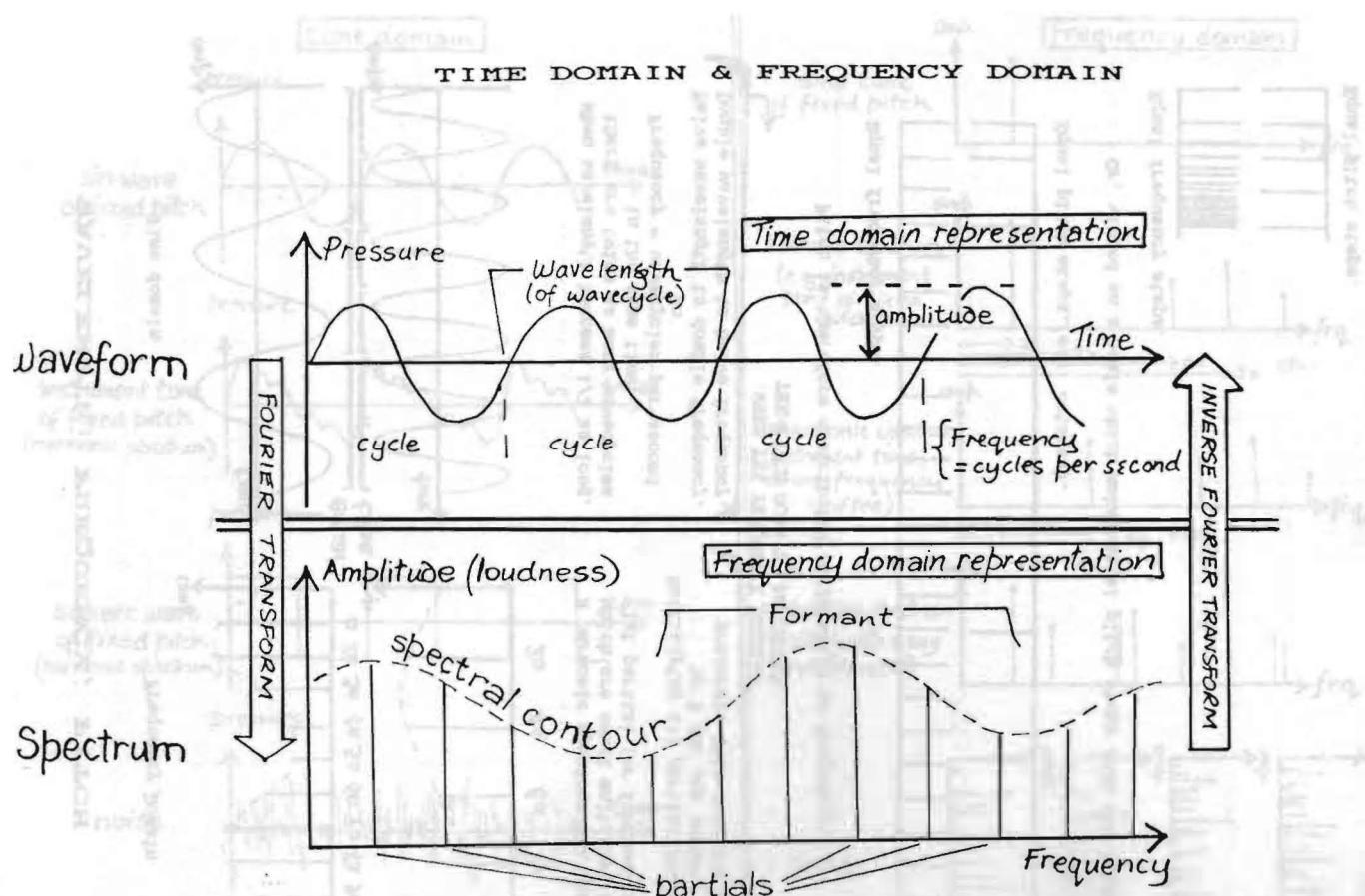
Regular times slightly randomised.



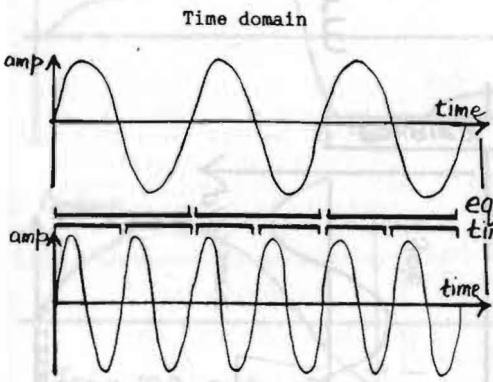
Times completely random.



Times completely random, but denser.



WAVELENGTH, FREQUENCY, PITCH



When wavelength becomes 1/2 as long, there are twice as many wavecycles in the same time.

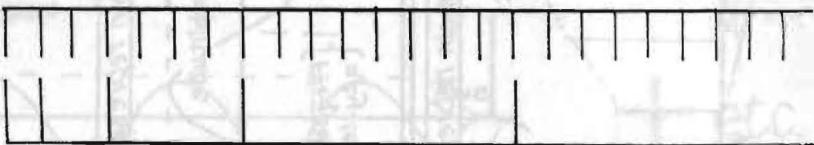
Frequency = wavecycles-per-second
So

Halve wavelength to double frequency.
Double wavelength to halve frequency.

**WHEN THE FREQUENCY DOUBLES
THE PITCH GOES UP AN OCTAVE.**

Pitch is therefore distributed differently to frequency.

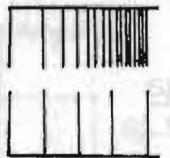
Equal frequency steps.



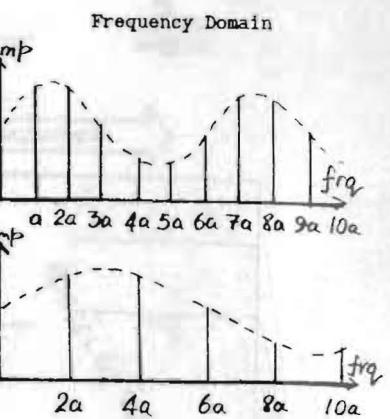
Equal pitch steps (e.g. octaves).

Or, viewed on a scale which makes equal pitch steps look the same...

Equal frequency steps.

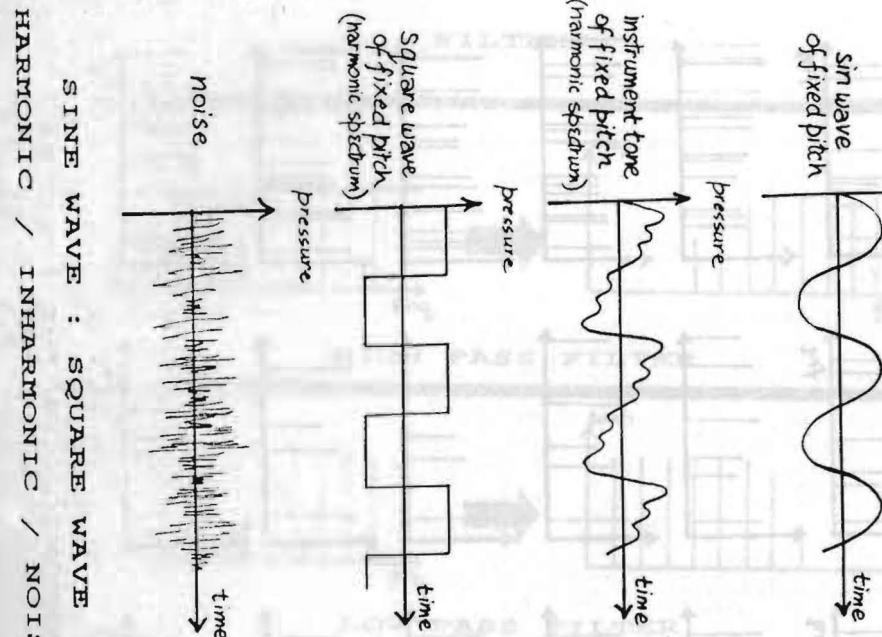


Equal pitch steps.

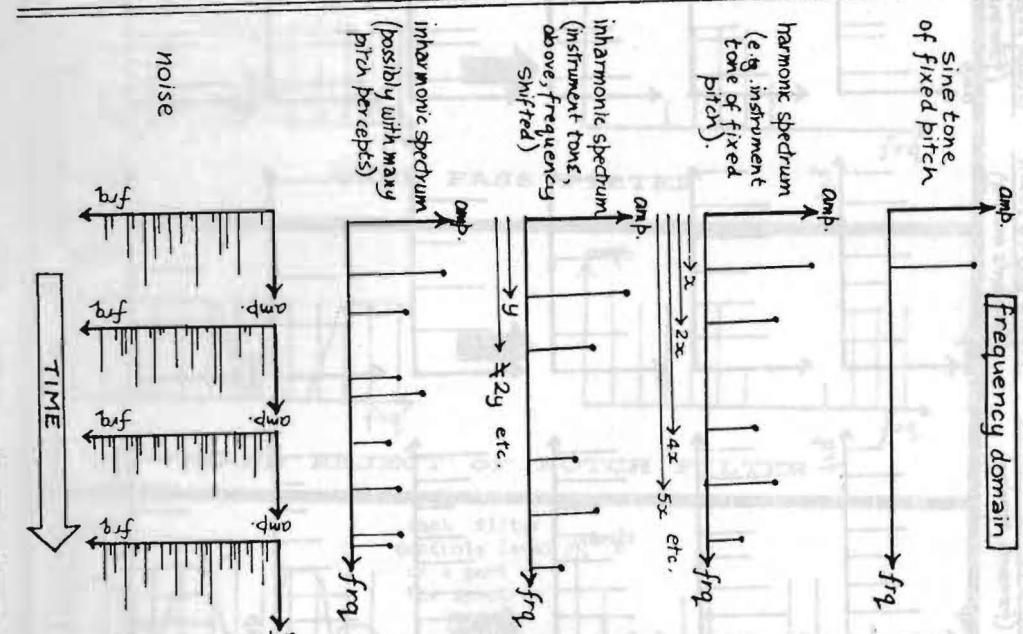


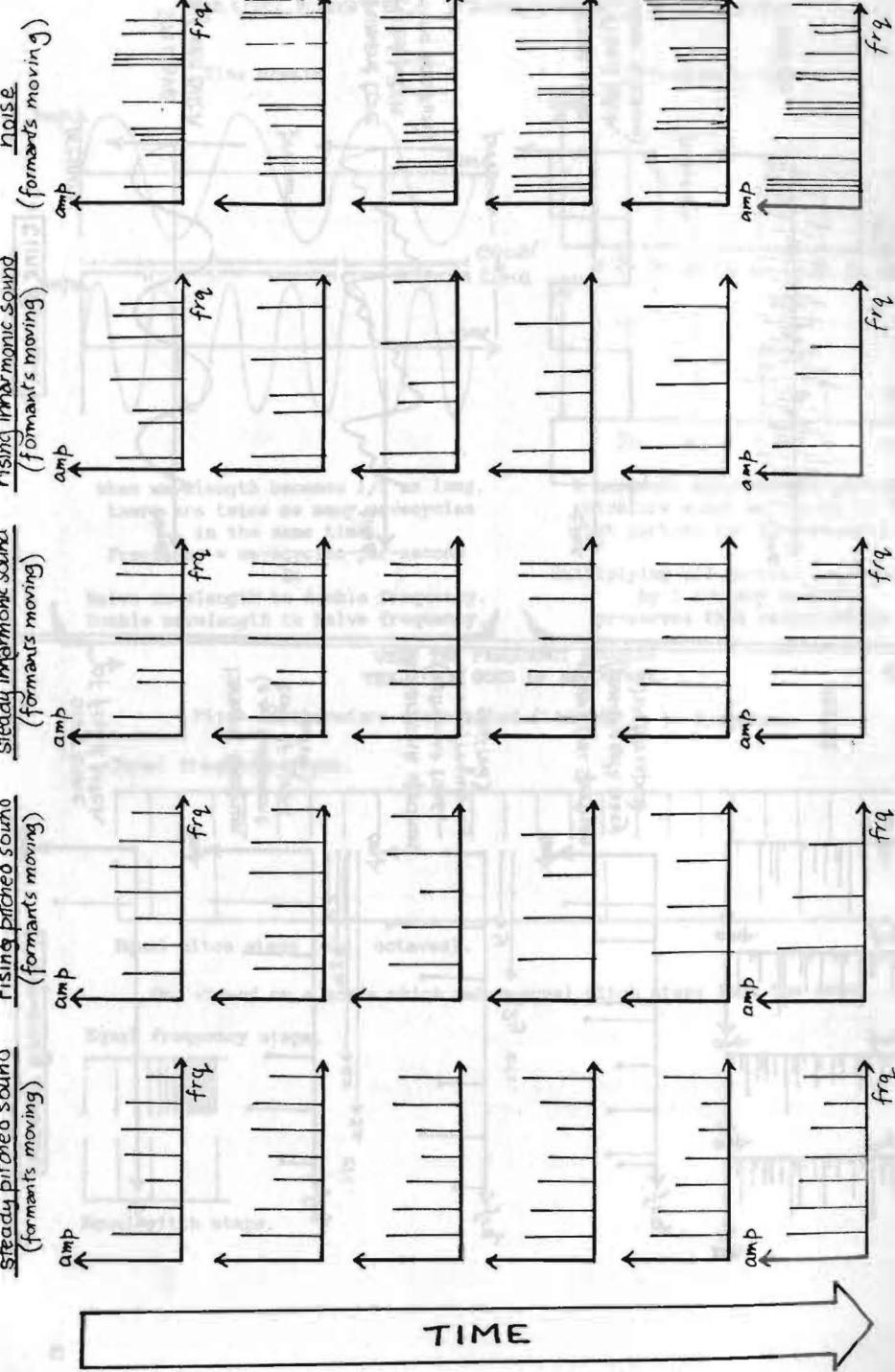
A harmonic spectrum has partials which are exact multiples of the 1st partial (or fundamental).

Multiplying all partial frequencies by 2 (or any number) preserves this relationship.

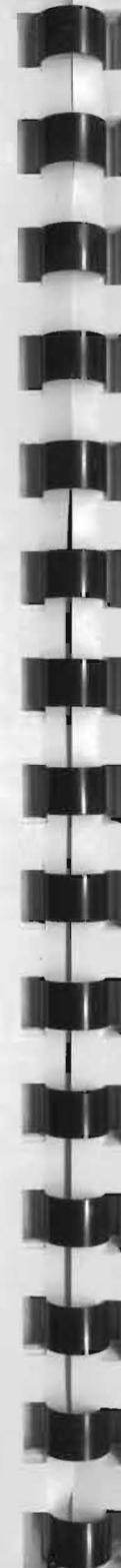


pressure
time domain

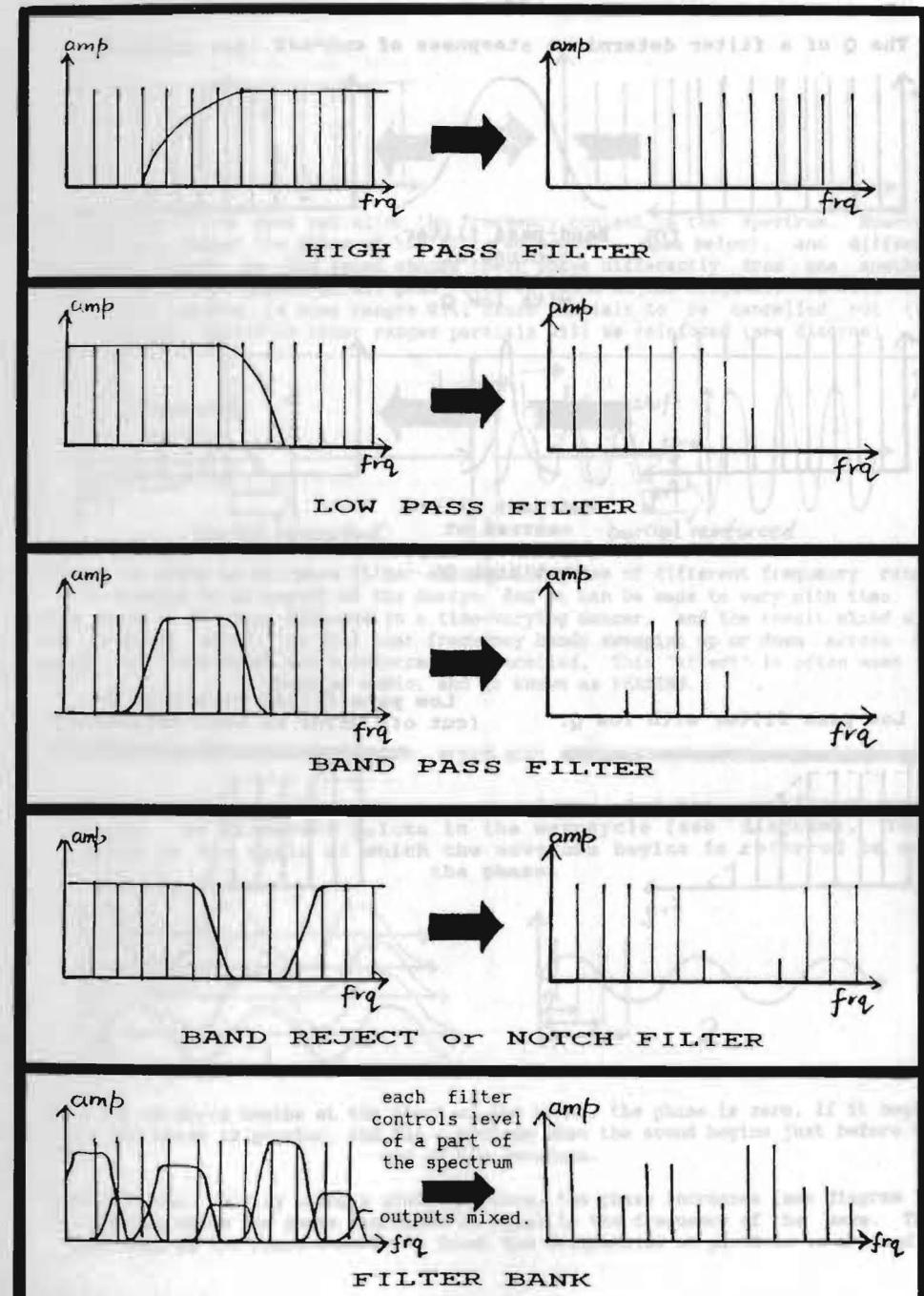




TIME-EVOLUTION OF HARMONIC & INHARMONIC & NOISE SPECTRA



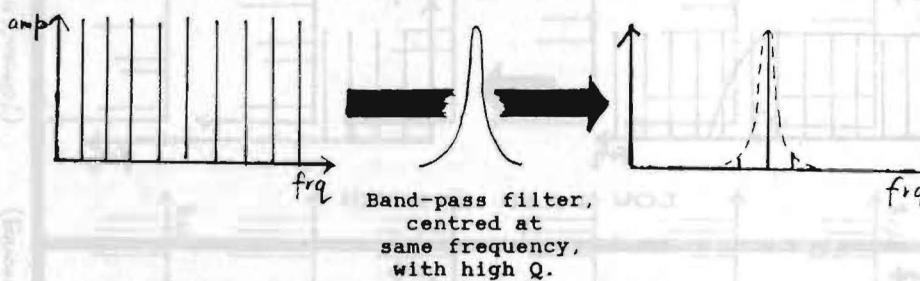
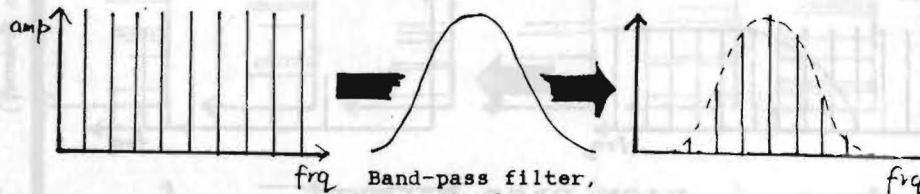
FILTERS



FILTERS continued

Q

The Q of a filter determines steepness of cut-off (see diagrams).



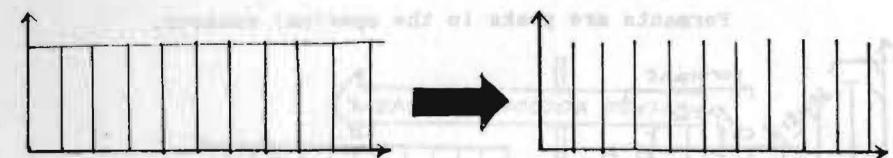
Low pass filter with low Q.

Low pass filter with high Q.
(cut off point at same frequency)

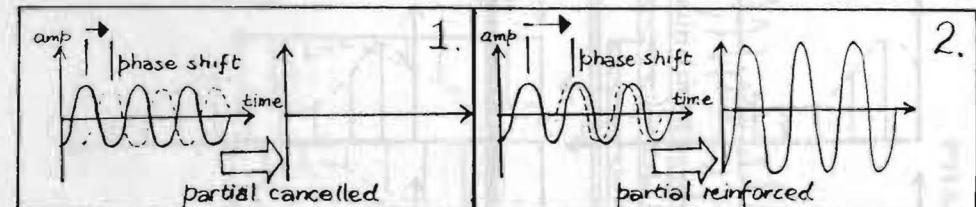


ALL PASS FILTER : PHASING

ATTACHMENT



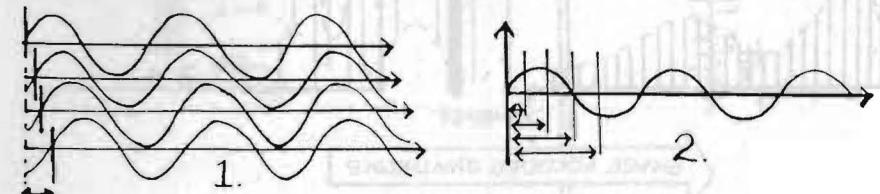
An all pass filter does not alter the frequency content of the spectrum. However, all filters change the phase of the filtered sound (see below), and different frequency ranges in the sound change their phase differently from one another. Hence, if we superimpose an all-pass-filtered sound on the original, we will find that phase shifts in some ranges will cause partials to be cancelled out (see diagram), whilst in other ranges partials will be reinforced (see diagram).



The way in which an all-pass filter changes the phase of different frequency ranges in a sound is an aspect of its design. And it can be made to vary with time. If a sound is all-pass-filtered in a time-varying manner, and the result mixed with the original sound, we will hear frequency bands sweeping up or down across the sound, as these bands are reinforced or cancelled. This 'effect' is often used in popular music, and is known as PHASING.

PHASE

Two sounds may have the same waveform, but the waveforms may begin at different points in the wavecycle (see diagram). The point in the cycle at which the waveform begins is referred to as the phase.

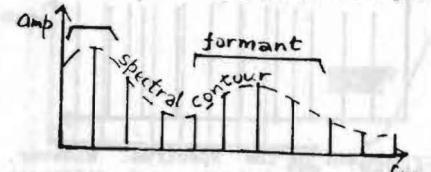


When the waveform begins at the start of the sound, the phase is zero. If it begins later the phase is greater, and has a maximum when the sound begins just before the end of the waveform.

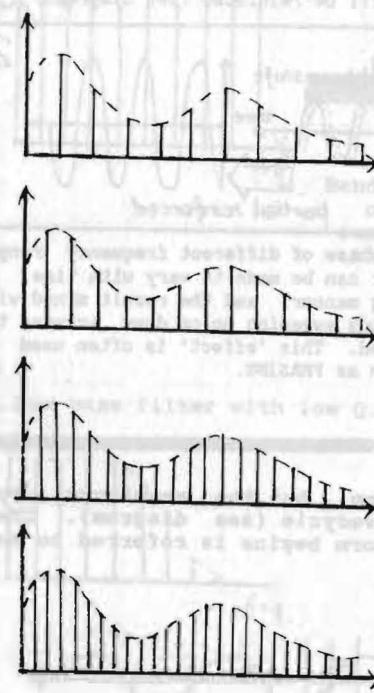
Alternatively, moving along a given waveform, the phase increases (see diagram 2). The rate at which the phase increases is equal to the frequency of the wave. This fact enables the Phase Vocoder to track the frequencies of partials in a sound.

FORMANTS

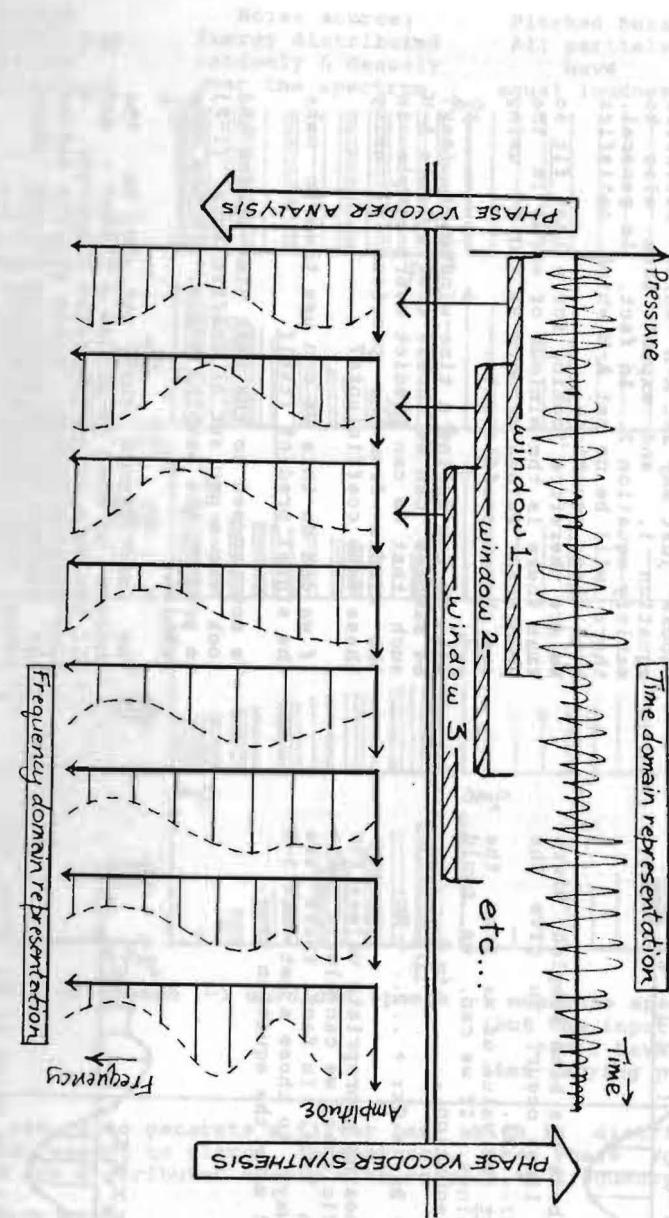
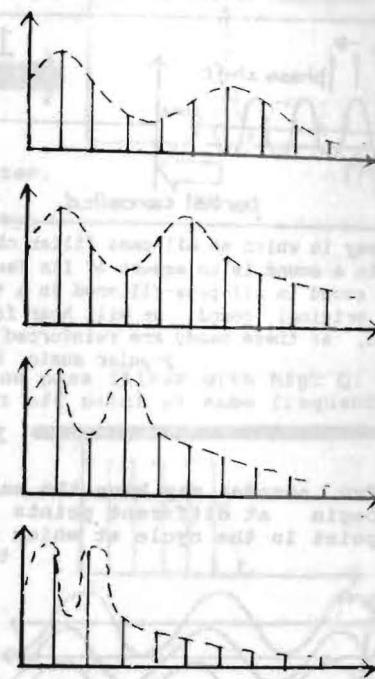
Formants are peaks in the spectral contour.

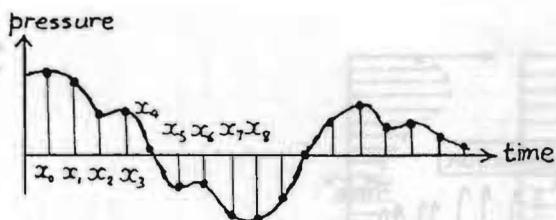


Pitch may change without changing the formants.
e.g. sing a downward sliding pitch on a fixed vowel 'a'.



Formants may change without changing the pitch.
e.g. sing 'a' → 'u' on a fixed pitch.

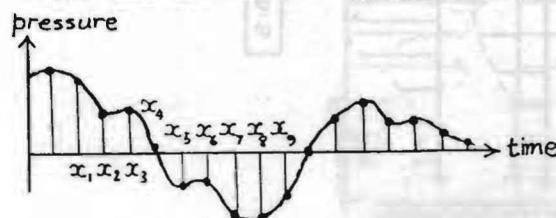




The waveform above has been sampled where the vertical lines occur, to give the values $x_0, x_1, x_2, \dots, x_8$. Can we predict the value of x_9 from the previous 8 values. If we can, we could write down an equation...

$$(1) x_9 = Ax_0 + Bx_1 + Cx_2 + \dots + Hx_8$$

Clearly, by choosing appropriate values for A-H (the coefficients) we can always make this equation true. In fact there are many, many ways to choose a set of A-H which will all make the equation true.



Can we predict the value of x_9 from the previous 8 values, using the same set of coefficients A-H. If we can, we could write down an equation...

$$(2) x_9 = Ax_1 + Bx_2 + Cx_3 + \dots + Hx_8$$

This is a much harder problem. We cannot choose just any set A-H which satisfies equation 1, and expect them also to satisfy equation 2. In fact, in general, there will be no set A-H which satisfies both these equations.

We are therefore looking for a best fit so that there is the minimum of error in the predicted values of both x_8 and x_9 using our chosen coefficients.

Let us now define a time-window of (say) 64 samples. Can we choose coefficients A-H such that we can predict every sample in the window from the previous 8, using these same coefficients?

If we can do this we can use them to make the signal predict itself.

We now proceed to the next time-window and look for a new set of coefficients (I-P) to predict the samples there, in the same fashion.

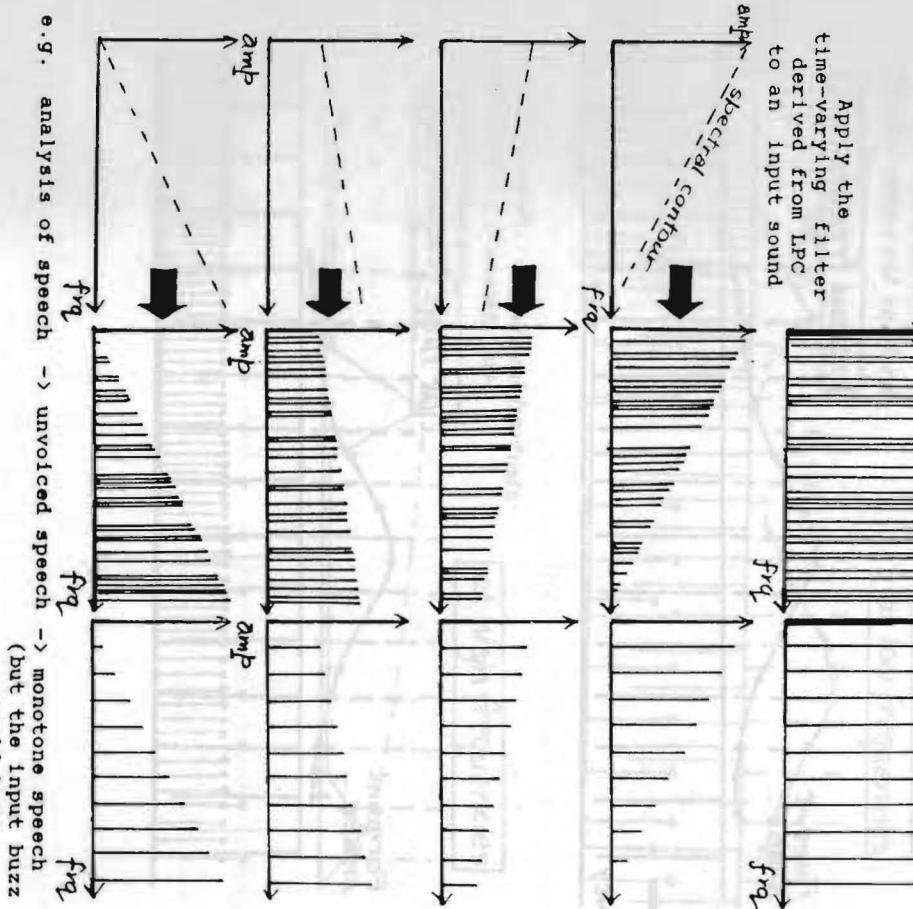
The coefficients turn out to be the numbers we need to define a filter - and all the sets of coefficients together, a time-varying filter. These filters define the contour of the spectrum of our input sound, from moment to moment.

In practice we need about 40 coefficients (predicting each sample in our window from the previous 40 samples) to achieve a reasonable resolution of the spectrum.

LINEAR PREDICTIVE CODING CONTINUED

Apply the time-varying filter derived from LPC to an input sound

Noise source: Pitched buzz: Energy distributed randomly & densely over the spectrum. All partials have equal loudness.



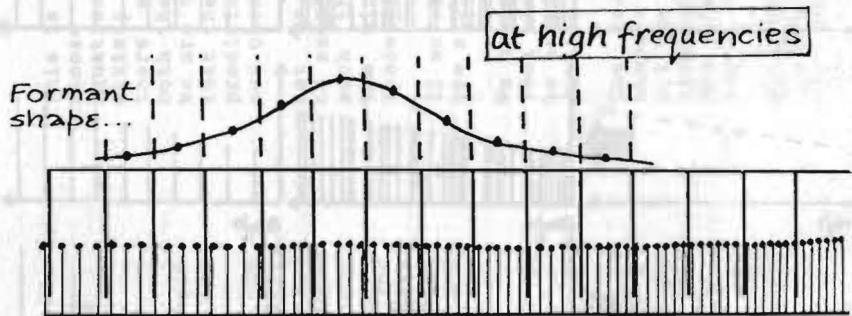
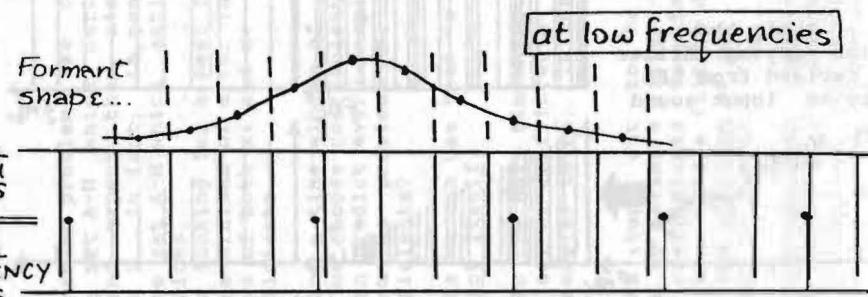
e.g. analysis of speech \rightarrow unvoiced speech \rightarrow monotone speech (but the input buzz could have time-varying pitch).

LPC can be set up to generate a filter bank which is distributed evenly with respect to pitch. In contrast, the Phase Vocoder channels are distributed evenly with respect to frequency.

equal pitch steps.



Distribution of Formants relative to Pitch

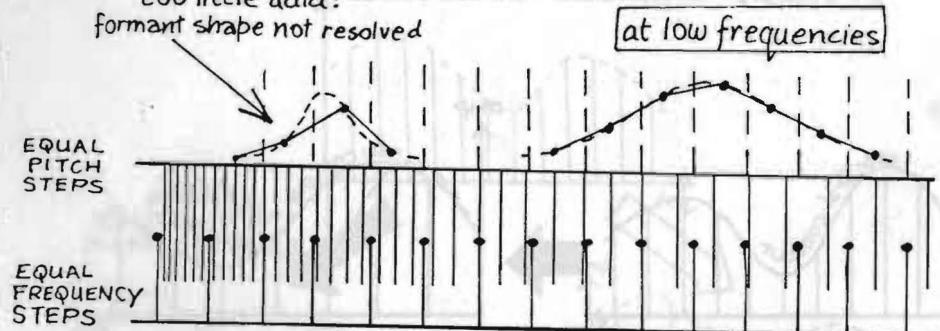


Formants have similar pitch-width. If analysis channels are equally spaced in pitch (as they may be, in Linear Predictive Coding) then formant envelopes are resolved equally well in all ranges.

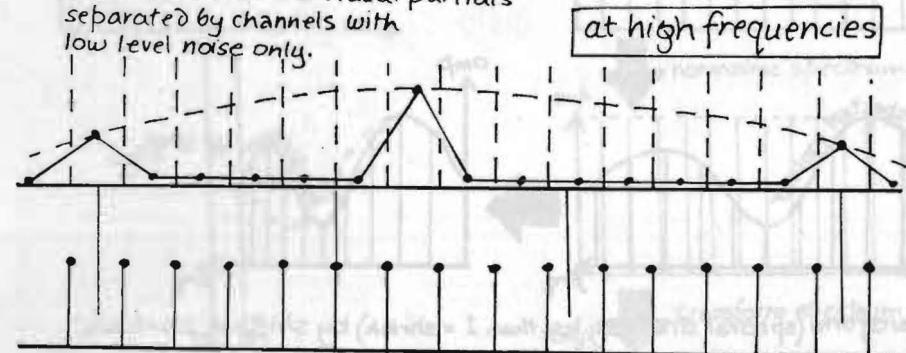
LPC AND FORMANTS

Distribution of Formants relative to Frequency

too little data:
formant shape not resolved



too much data: individual partials
separated by channels with
low level noise only.

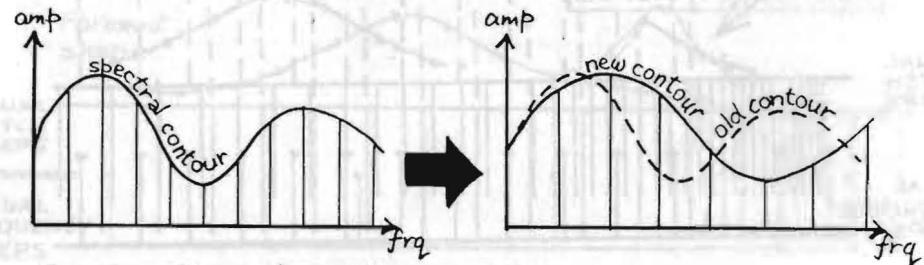


Formants have similar pitch-width. Hence their frequency-width increases as we go up the spectrum. The phase vocoder channels are equally spaced in frequency so do not resolve the formant envelopes well in all ranges.

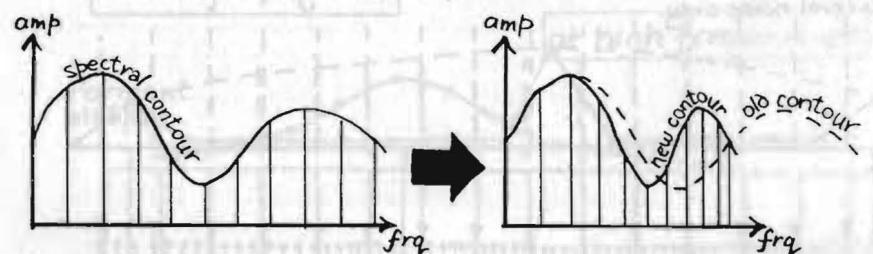
PHASE VOCODER AND FORMANTS

CHANGING THE SPECTRUM

USUALLY CHANGES SPECTRAL CONTOUR



Transpose (upwards) by shifting partials.



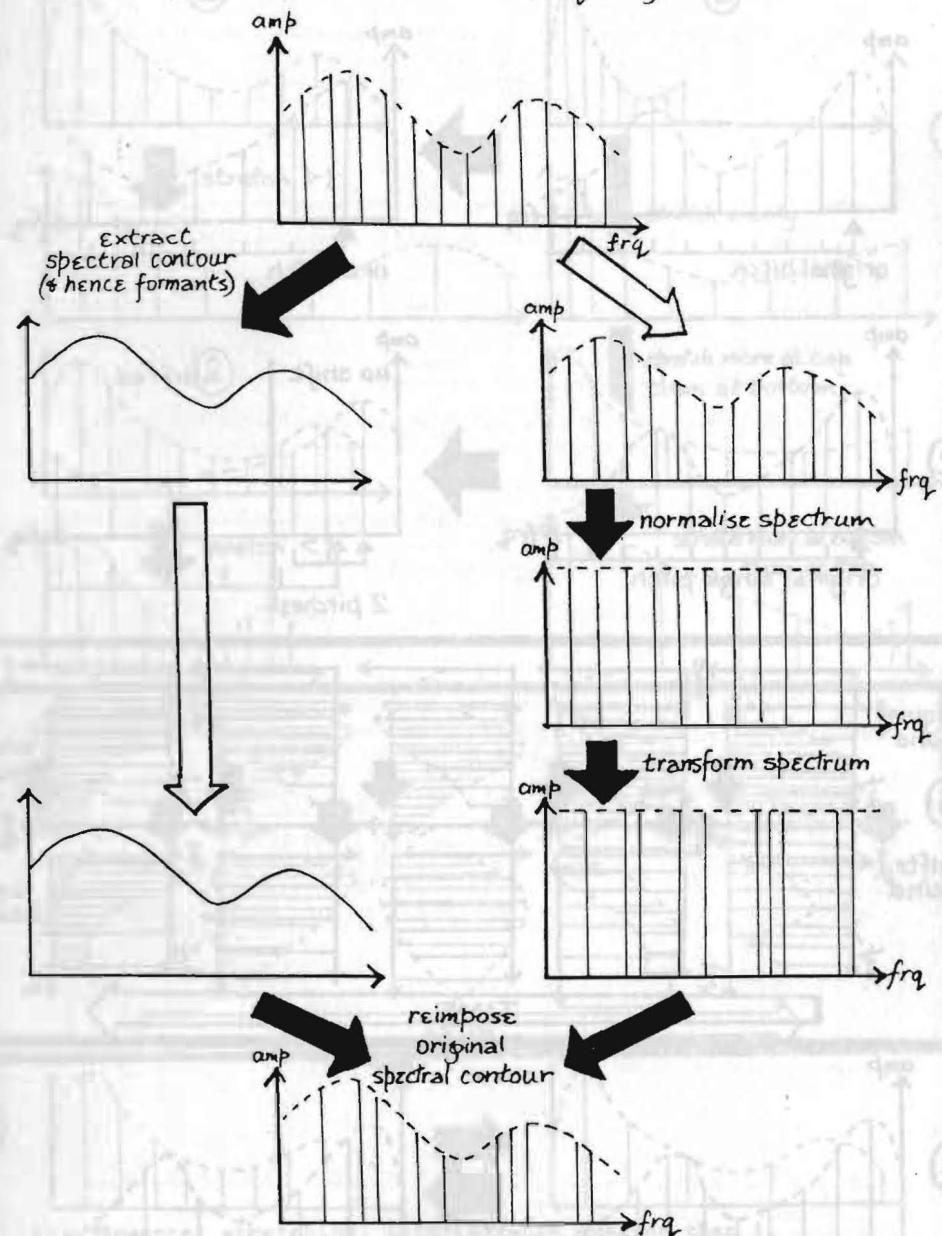
Transform (spectral stretch by less than 1 = shrink) by shifting partials.

Pitch transposition & spectral transformation do not normally preserve the spectral contour.

STRAHANOW: DNA RECORDINGS
LPC AND FORMANTS

FORMANT PRESERVING SPECTRAL MANIPULATION

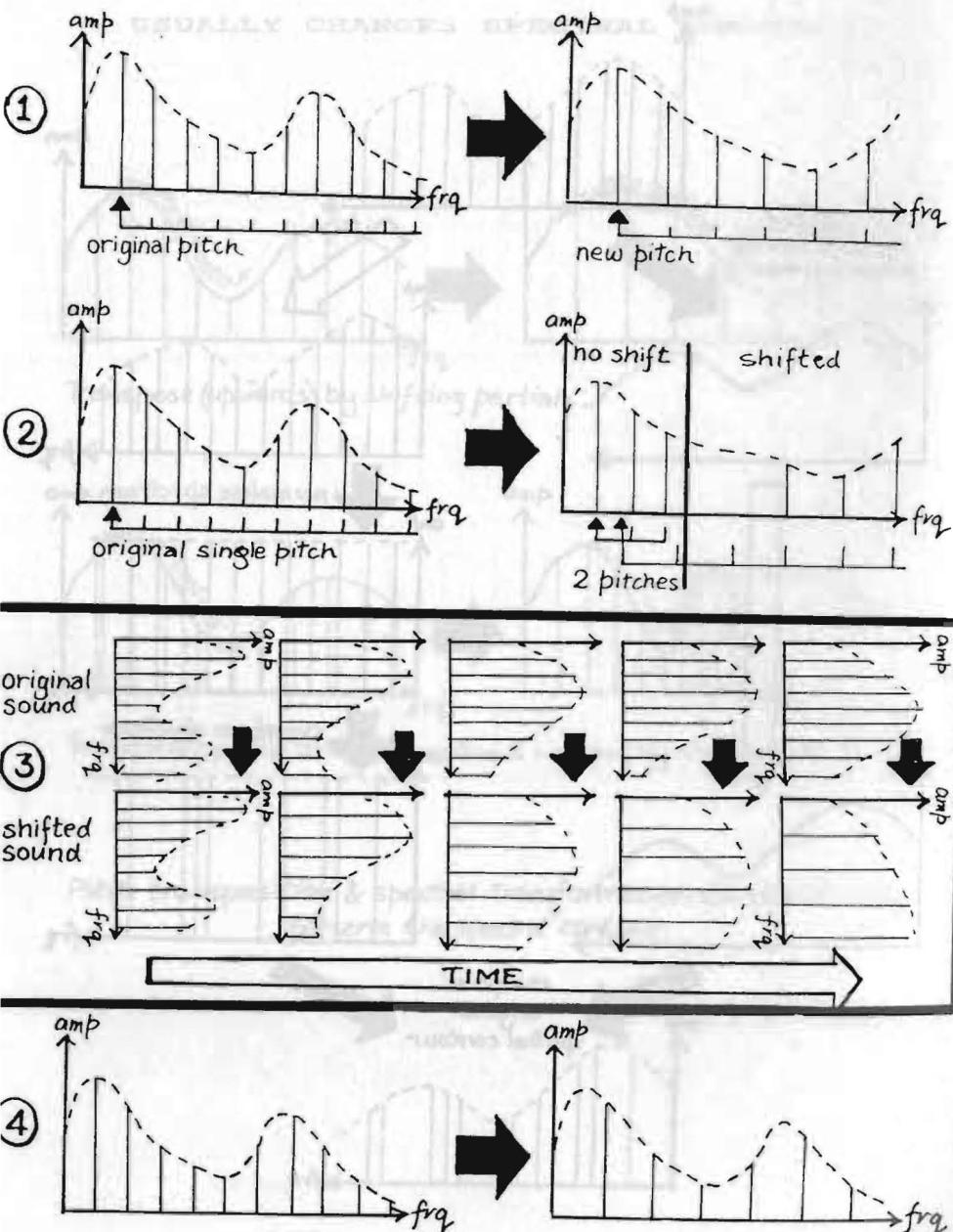
for every window in the frequency domain.....



FORMANT PRESERVING PITCH SHIFTING
works similarly

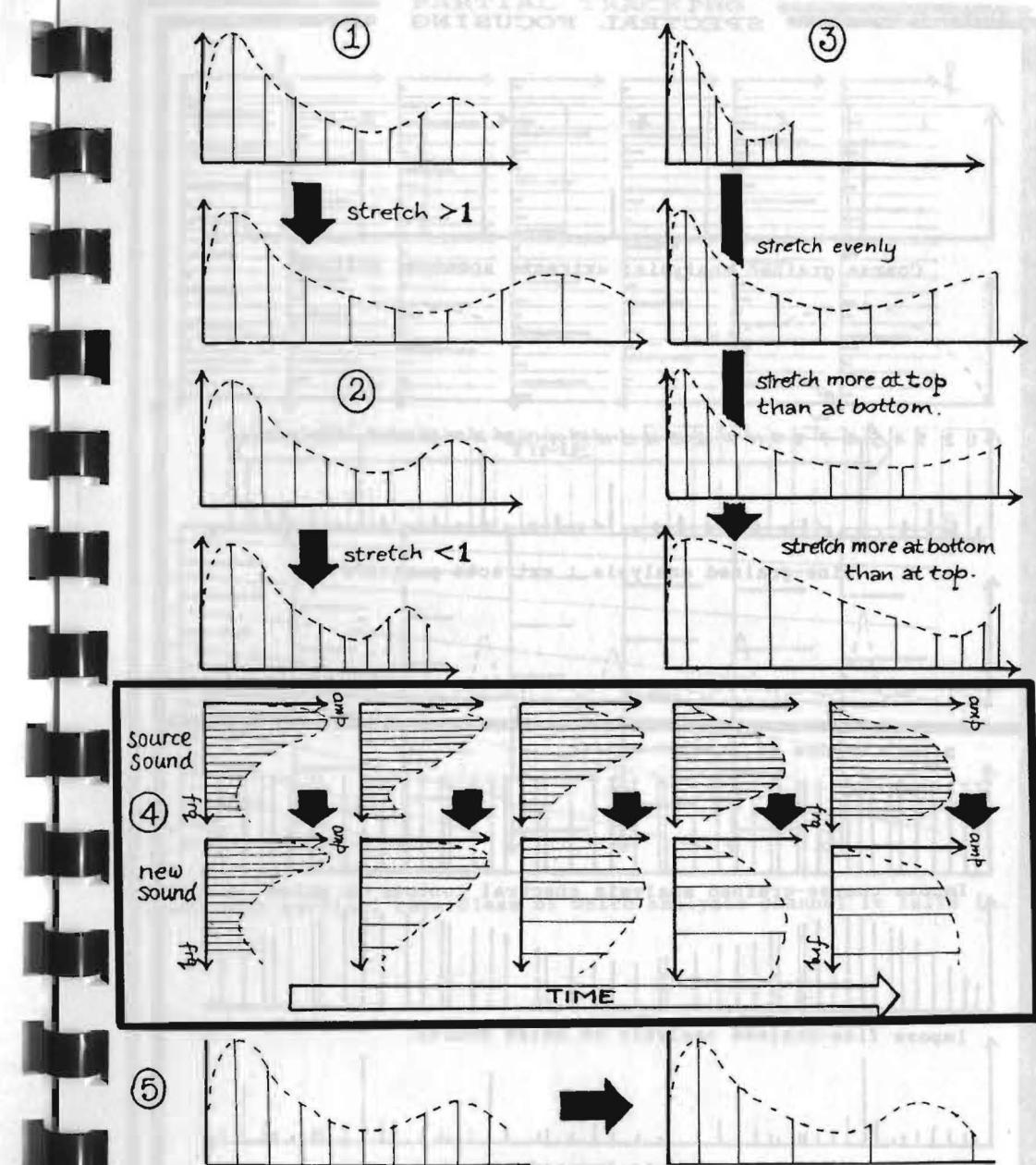
NOTATION FOR HARMONIC SPECTRUM

SPECTRAL SHIFTING



- (1) Spectral shift.
 (2) Spectral shift of part of spectrum only.
 (3) Time-varying (increasing) spectral shift.
 (4) Formant-preserving spectral shift.

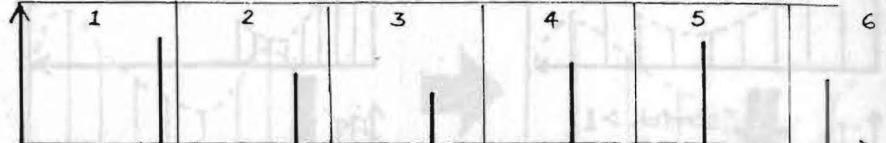
SPECTRAL STRETCHING



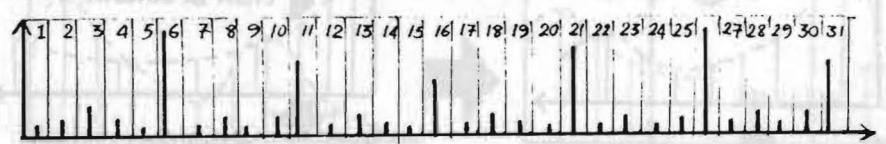
- (1) Spectral stretching: total stretch greater than 1.
 (2) Total stretch less than 1 (spectral shrinking).
 (3) Different types of stretching.
 (4) Time-variable (total stretch increasing) spectral stretching.
 (5) Formant preserving spectral stretching.

DYADIC SPECTRAL ANALYSIS

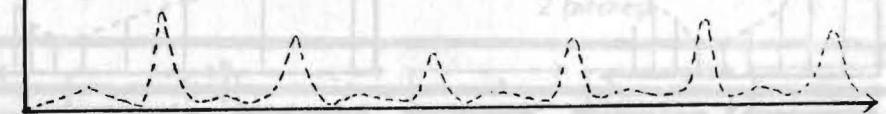
SPECTRAL FOCUSING



Coarse grained analysis: extracts spectral contour.



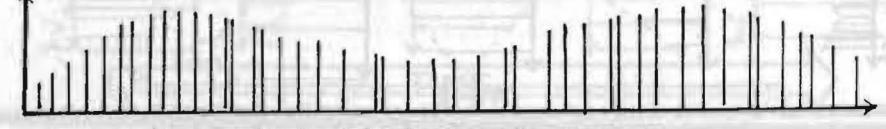
Fine-grained analysis : extracts partials.



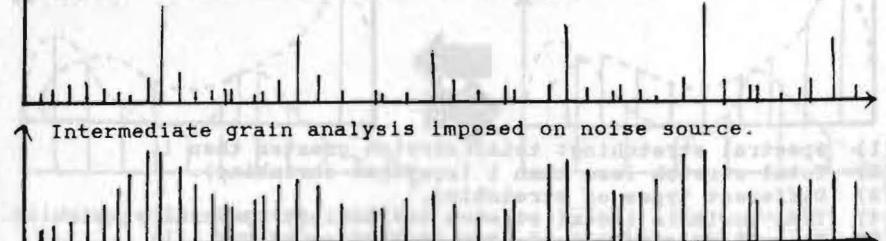
Single window of a noise source.



Impose coarse-grained analysis spectral contour on noise source

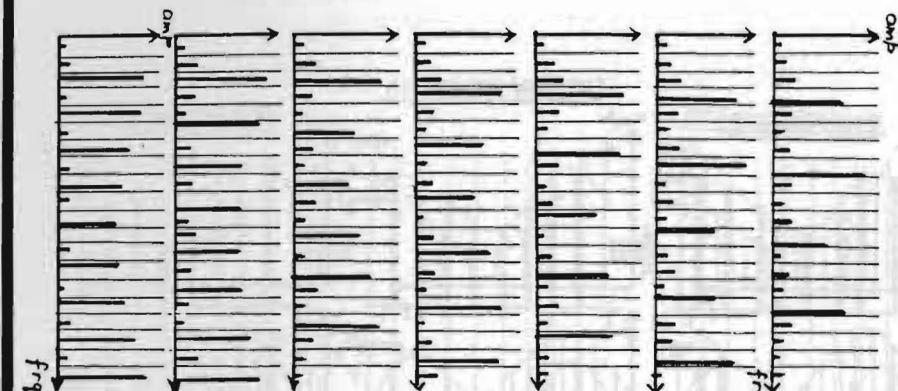


Impose fine-grained analysis on noise source.

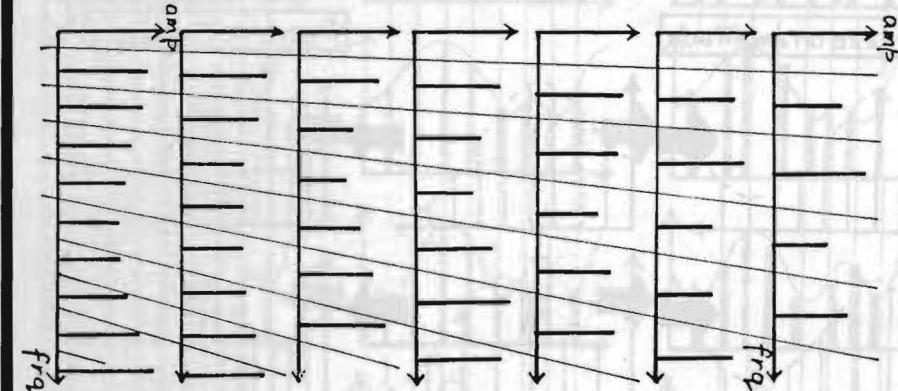


Intermediate grain analysis imposed on noise source.

PARTIAL TRACKING

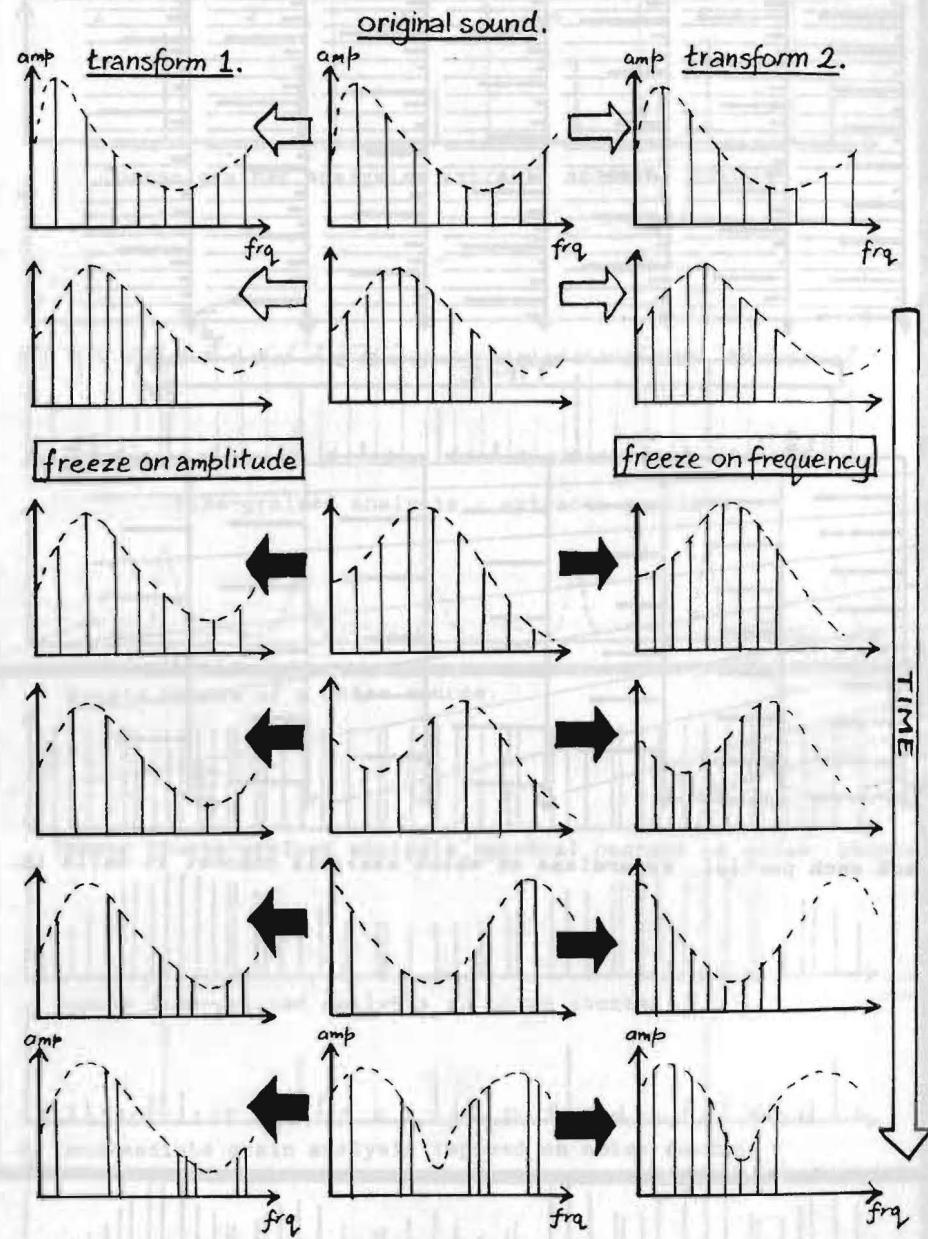


TIME

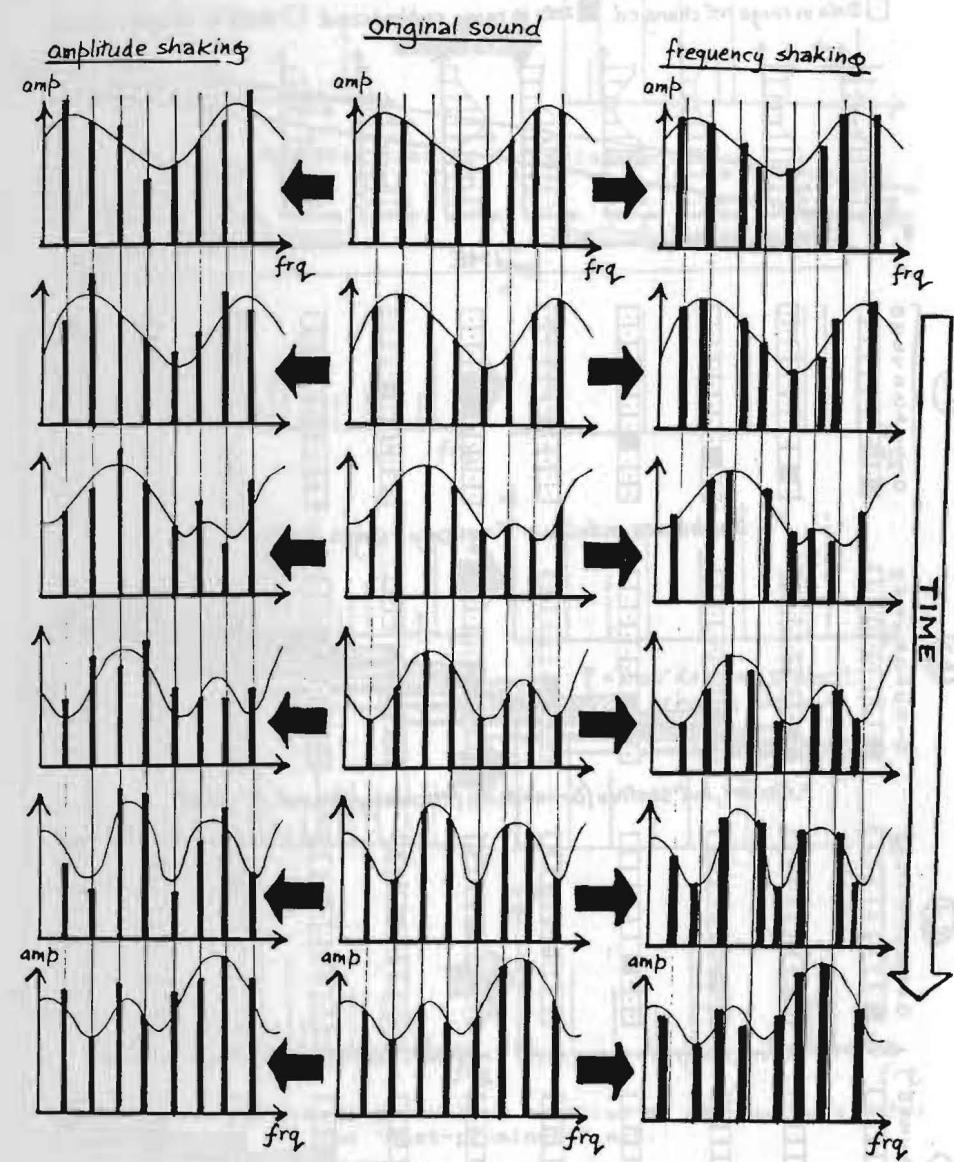


Track each partial, regardless of which analysis channel it falls in.

SPECTRAL FREEZING



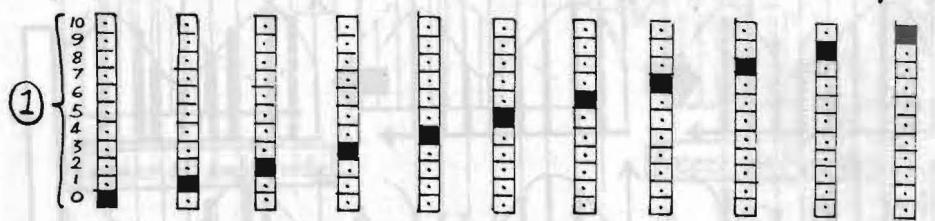
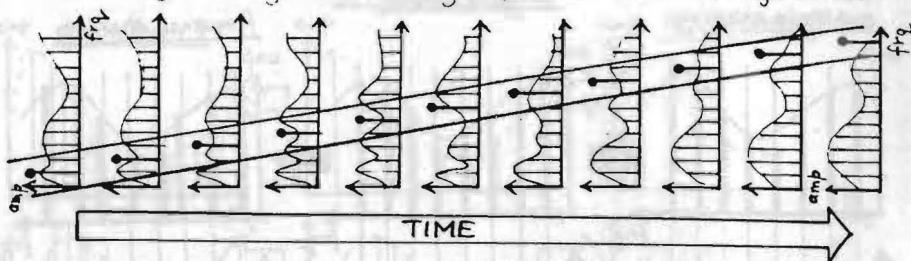
SPECTRAL SHAKING



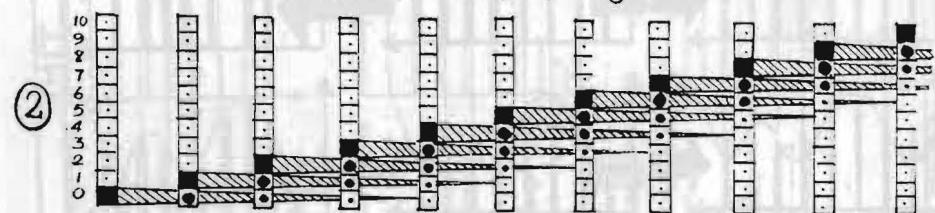
SPECTRAL ARPEGGIATION

Emphasize different elements of spectrum in successive time-windows. Emphasis-by-loudness may sweep over phase vocoder channels or composer-defined frequency ranges. The sweeping motion may be in any composer-specified shape (e.g. sinewave, ramp etc.) and at any (possibly time-varying) speed.

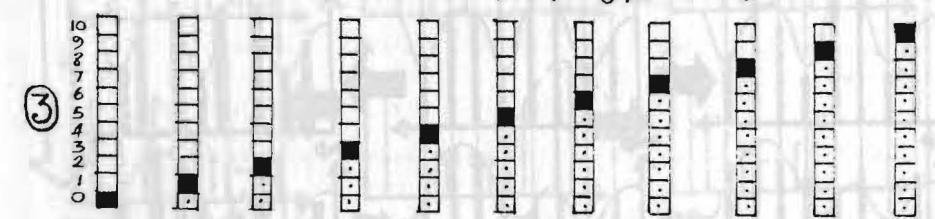
◻ Data in range not changed. ■ Data in range emphasized □ Data in range zeroed.



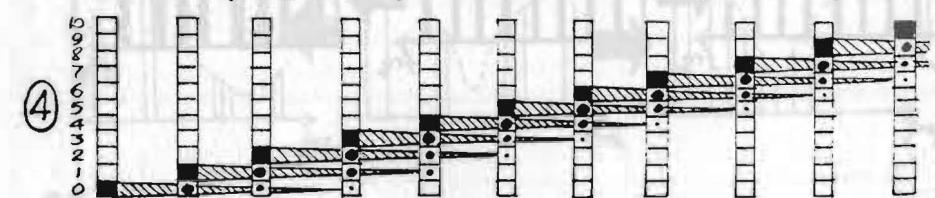
Emphasize individual frequency ranges, in turn.



As above, but sustain (diminuendo) frequency found at first.



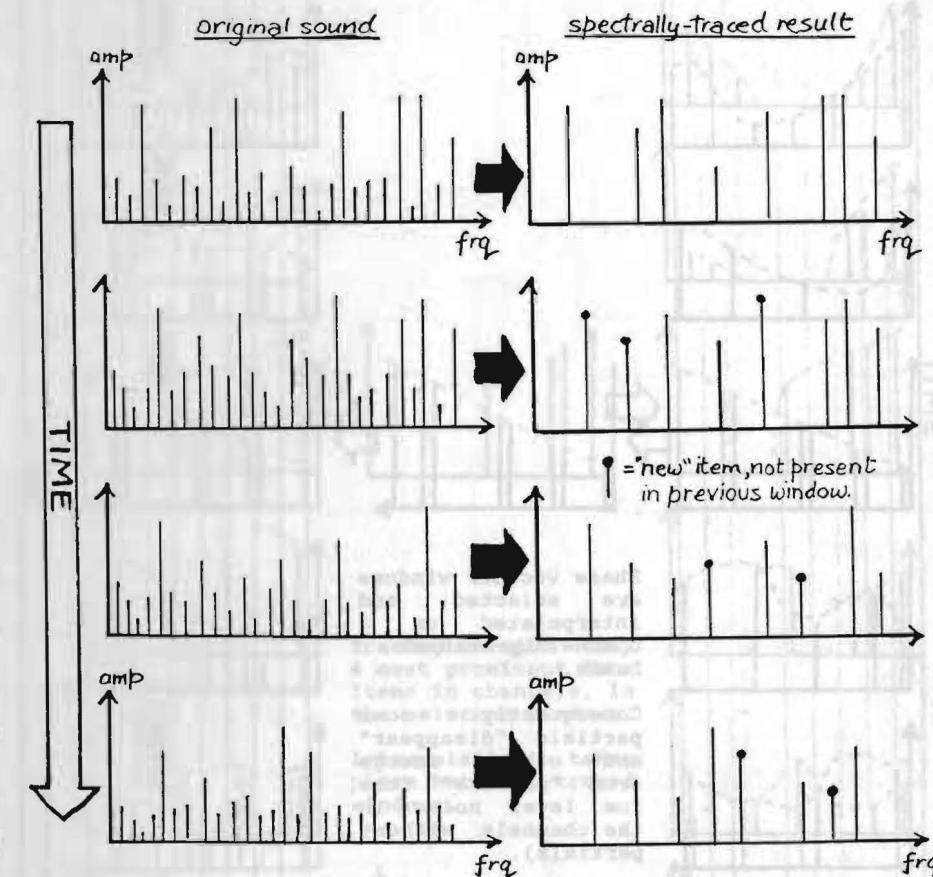
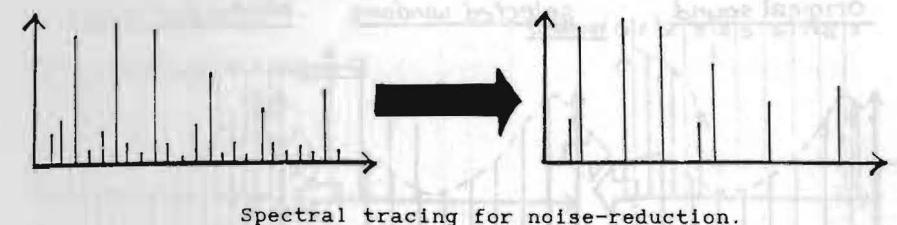
Set level in freq. ranges to zero, until emphasis arrives. Spectrum 'unfolds'.



Turn off freq. range before & after emphasis (in this example, also sustain, as 2).

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SPECTRAL TRACING



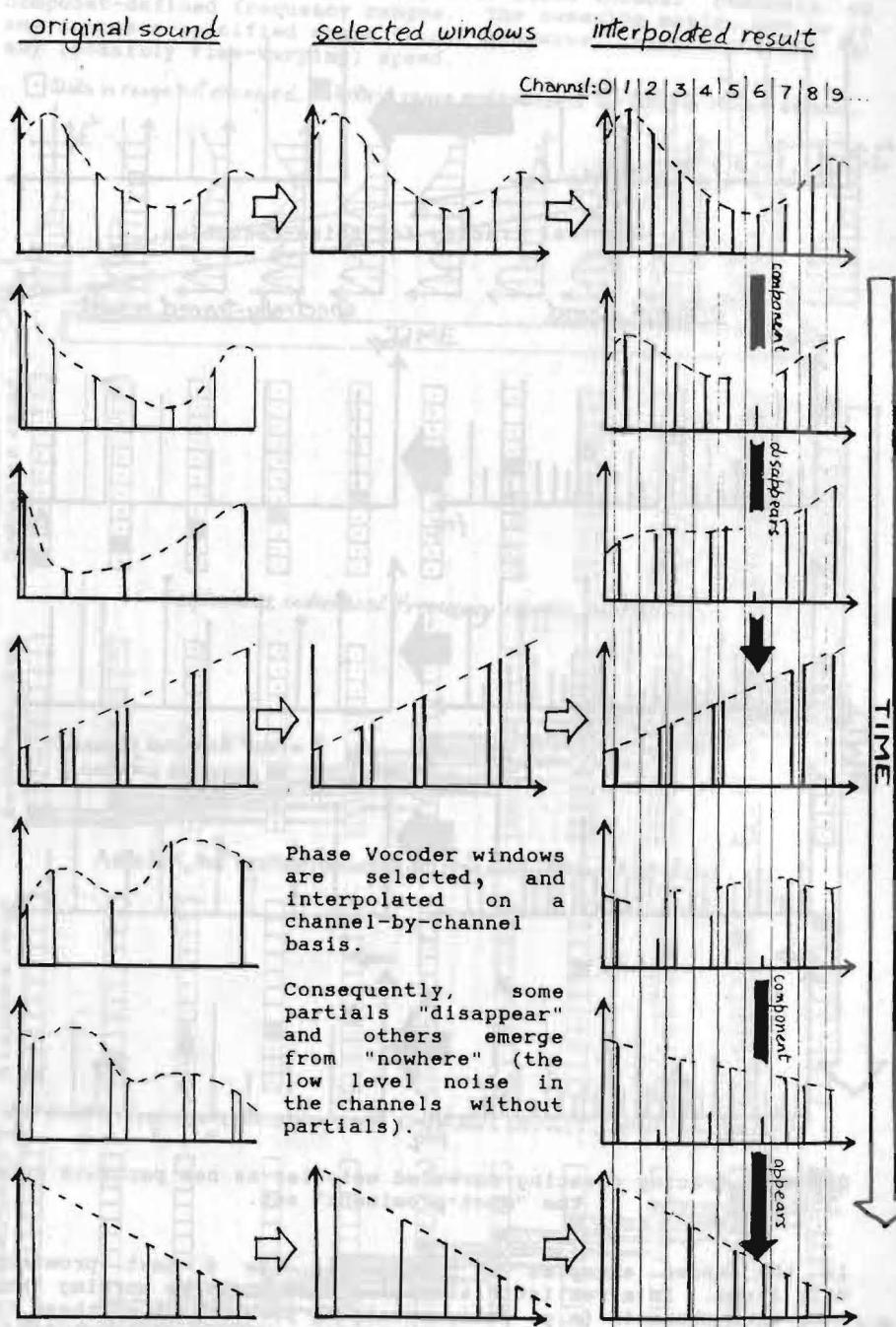
Spectral tracing creating revealed melodies as new partials enter the "most-prominent" set.

In the above examples we retain only the 8 most prominent data items. In a realistic situation, we would be working with many more channels (e.g. 512), retaining perhaps 128 of these for noise-reduction, and between 32 & 8 to create revealed melodies.

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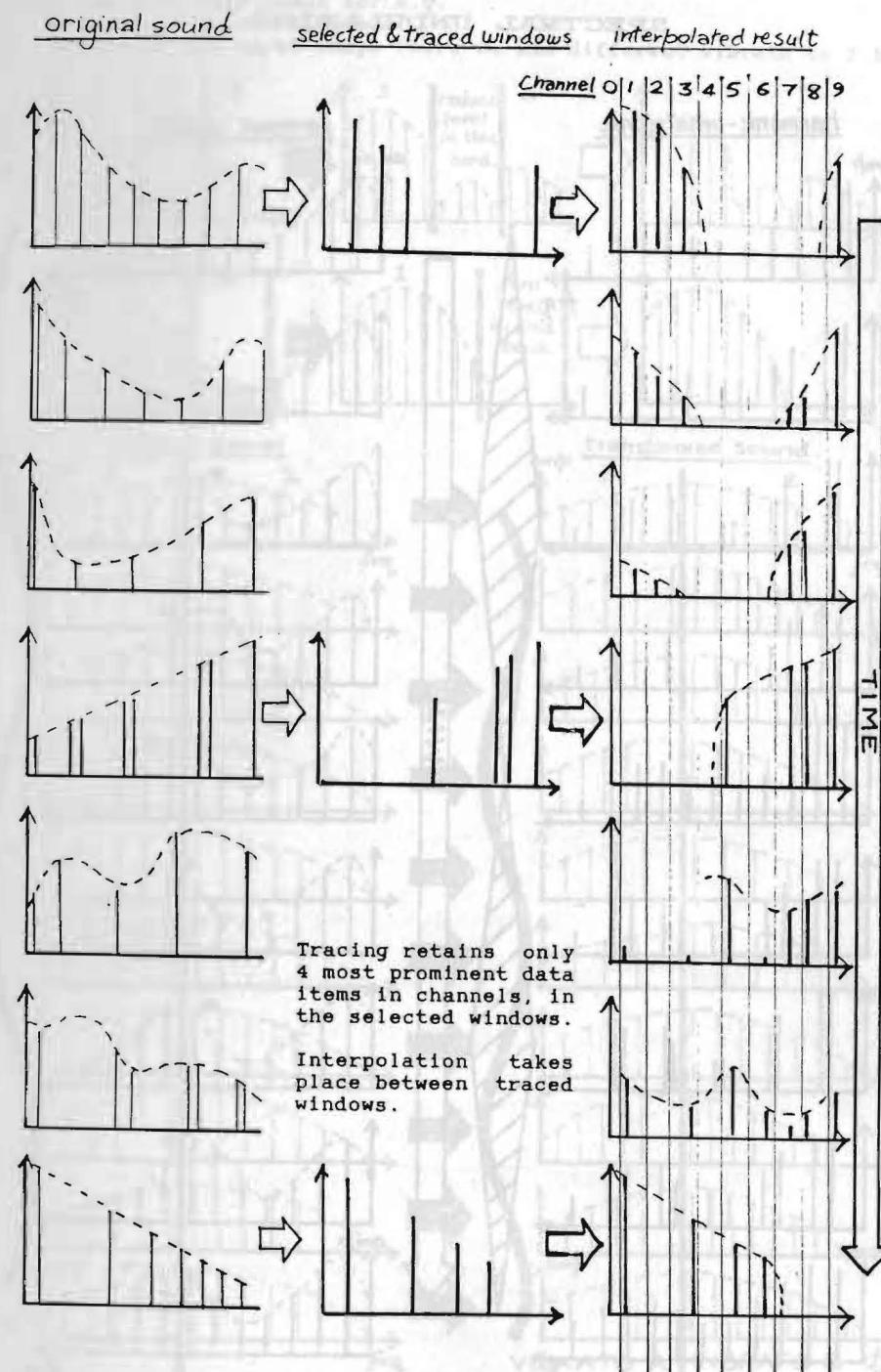
SPECTRAL REPRESENTATION

SPECTRAL BLURRING



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SPECTRAL TRACE AND BLUR

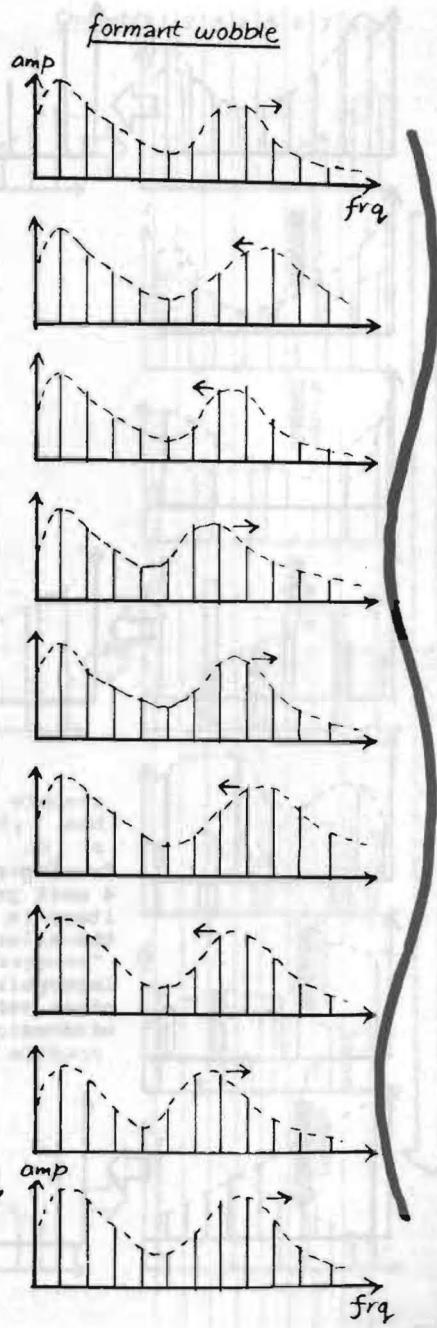
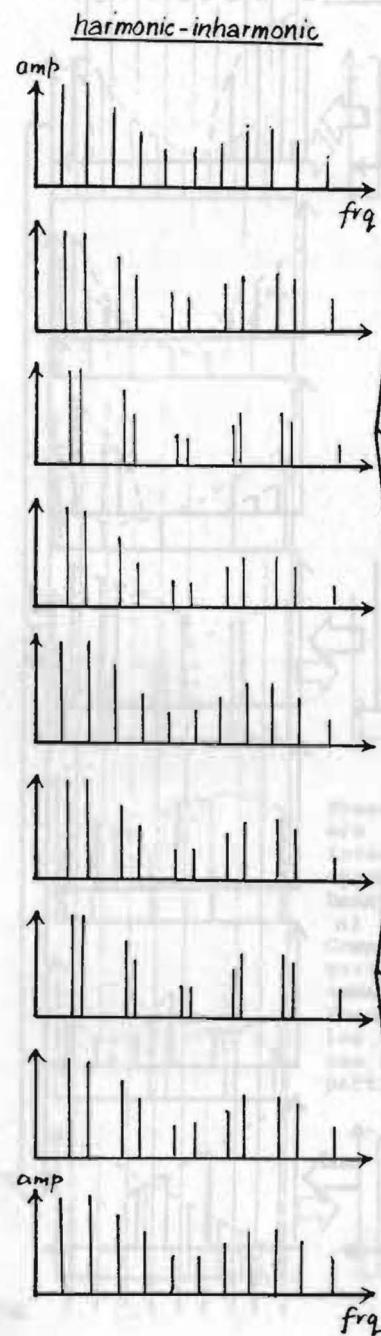


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KUJU CHA SHONEN LASTCUE

SPECTRAL MANIPULATION

SPECTRAL UNDULATION

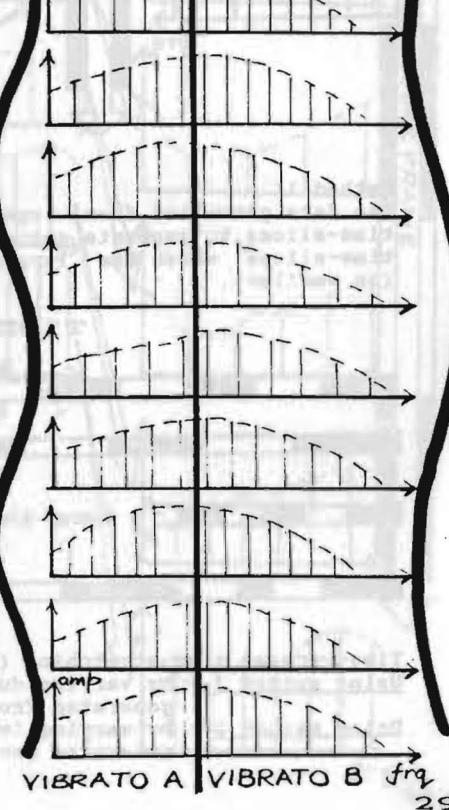
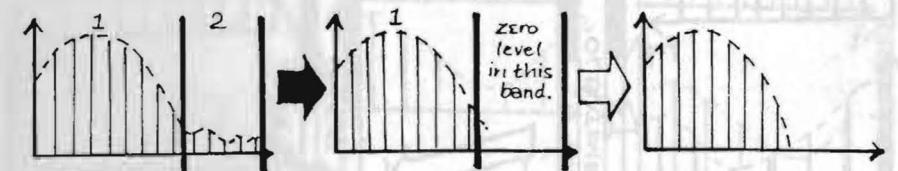
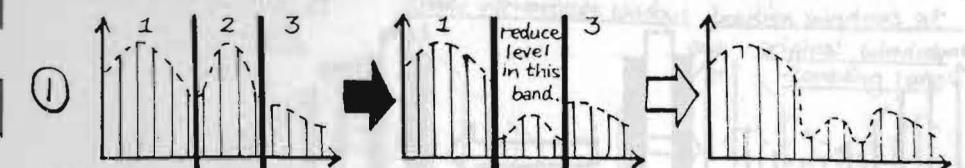


SPECTRAL SPLITTING

Divide spectrum into bands for e.g.

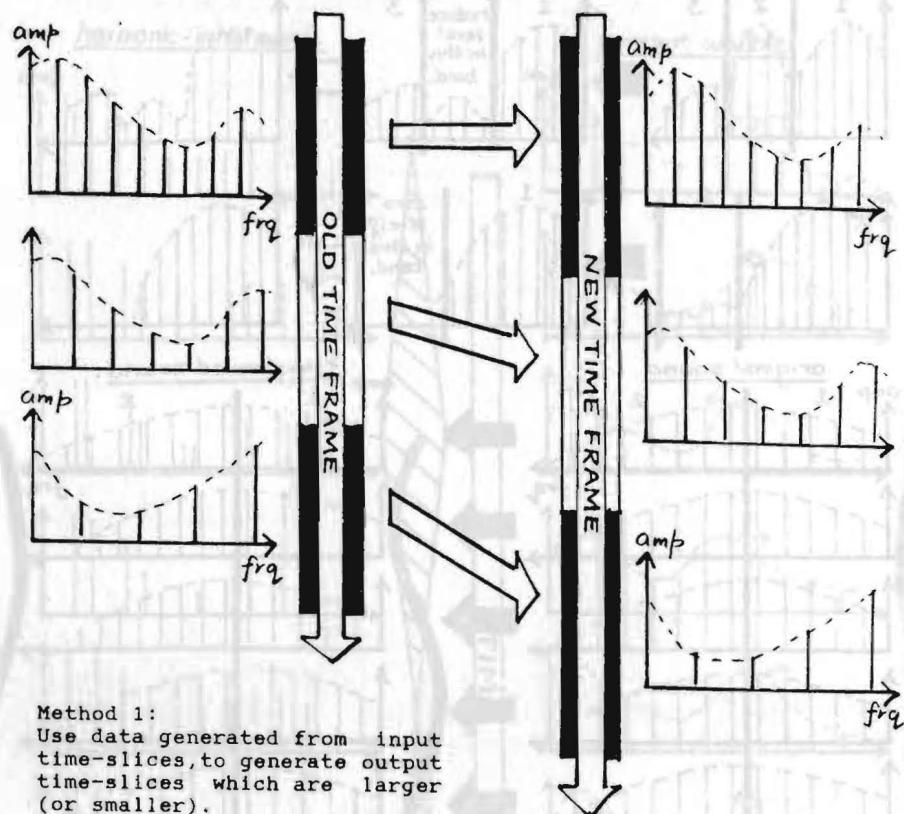
(1) Filtering, or noise removal.

(2) Splitting the aural image (here we add different vibrato to 2 bands).



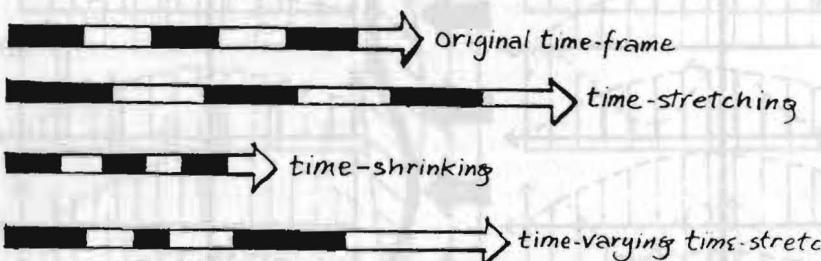
SPECTRAL TIME-STRETCHING

Method 1



Method 1:
Use data generated from input time-slices, to generate output time-slices which are larger (or smaller).

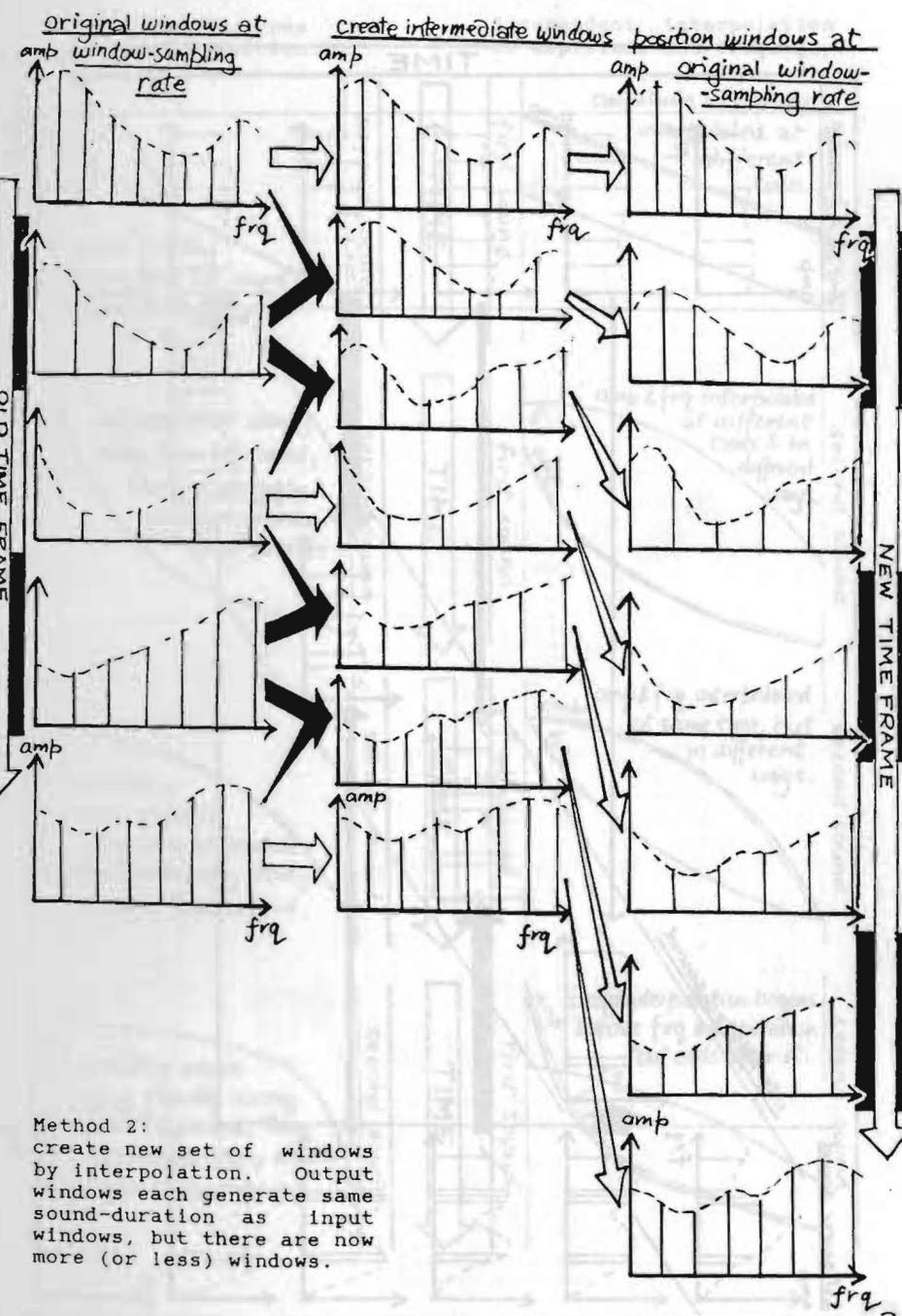
TIME-WARPING



Time-varying time-stretching (time-warping) is achieved ...
Using method 1 : by varying durations of output time-slices generated from input windows.
Using method 2 : by varying interpolation process which generates new windows.

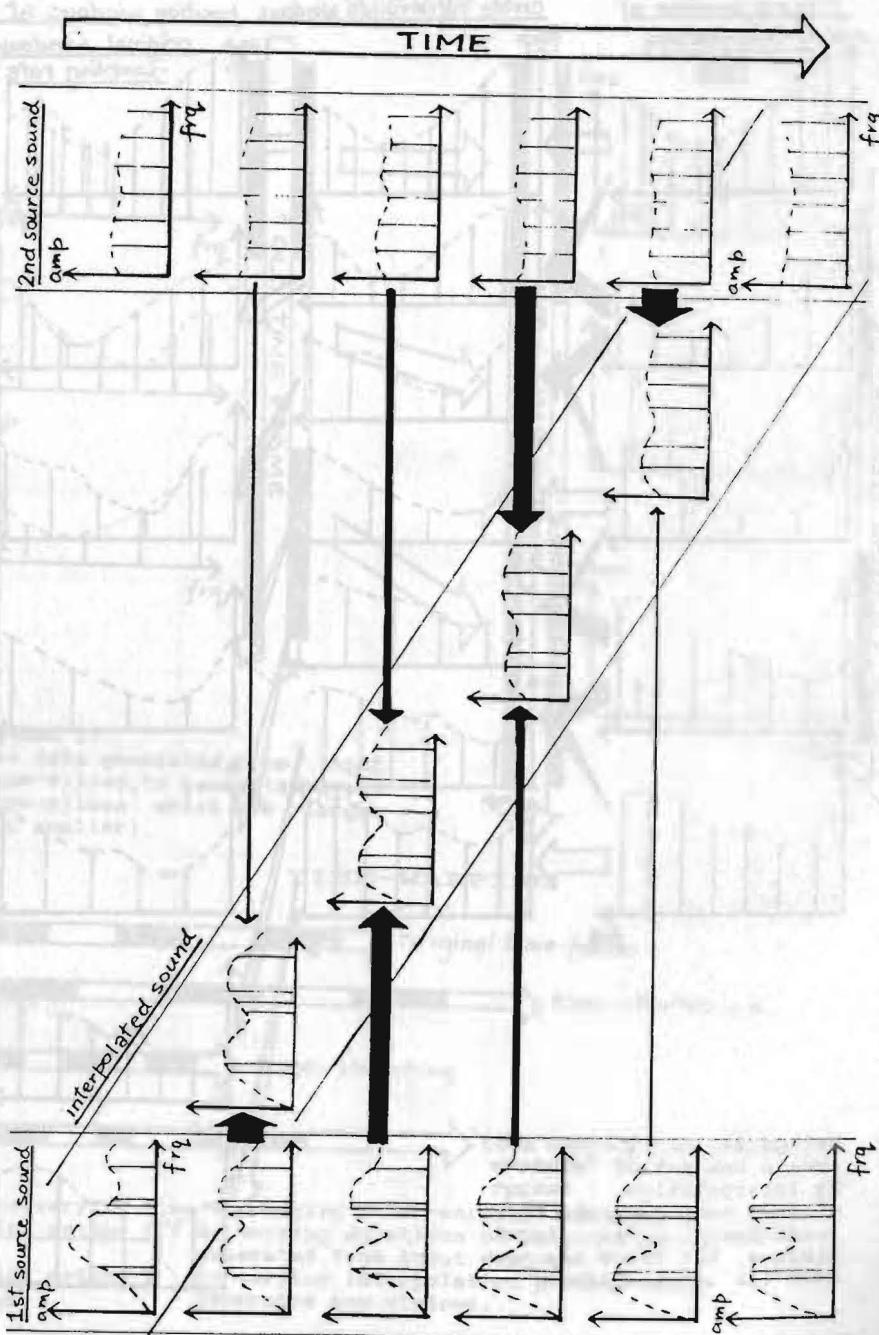
SPECTRAL TIME-STRETCHING

Method 2



Method 2:
create new set of windows by interpolation. Output windows each generate same sound-duration as input windows, but there are now more (or less) windows.

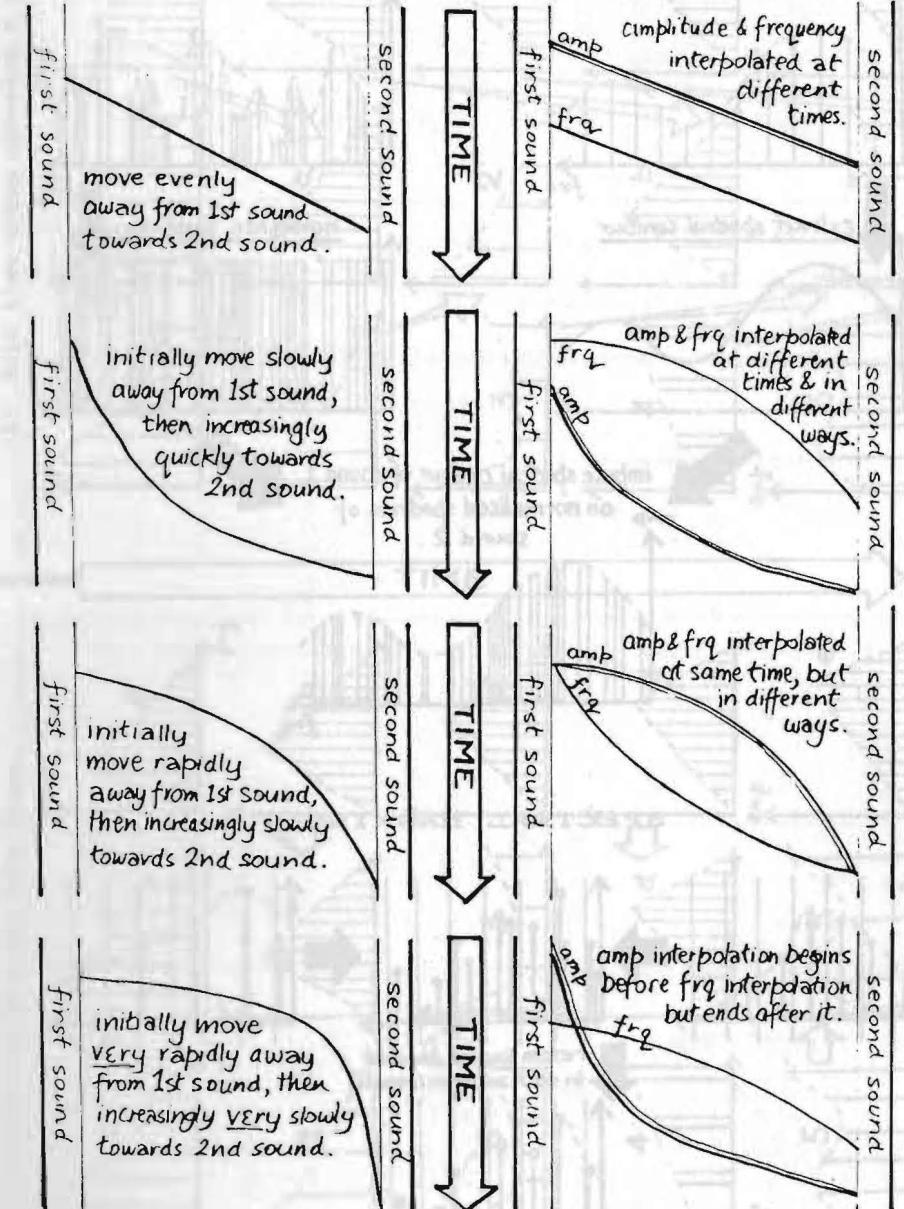
SPECTRAL INTERPOLATION



TYPES OF SPECTRAL INTERPOLATION

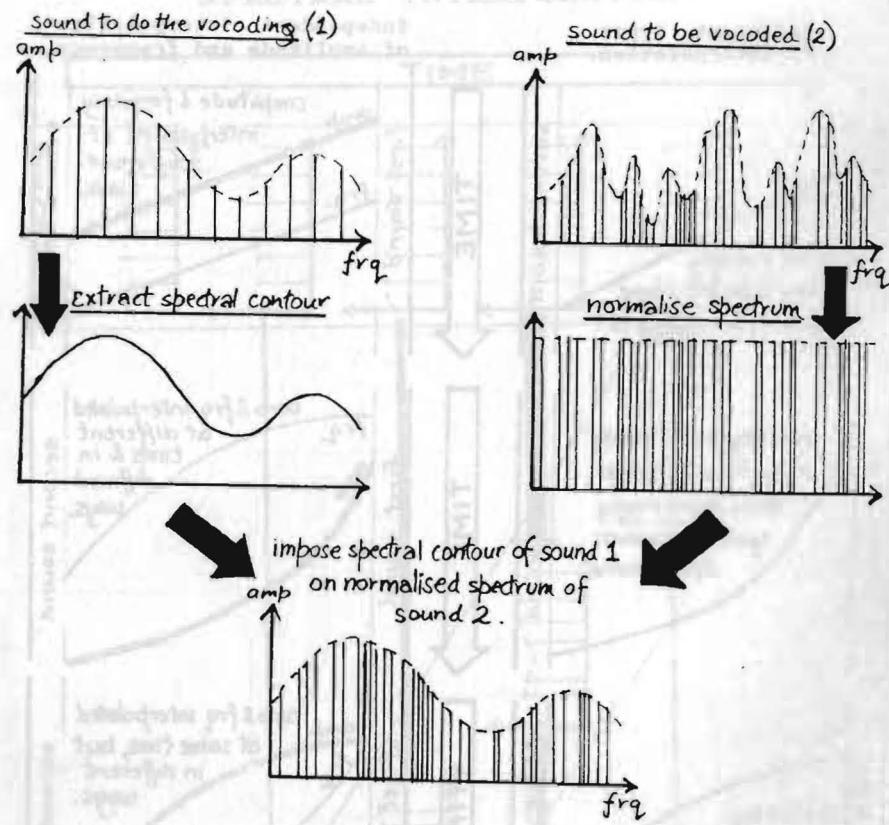
Different types of interpolation.

Independent interpolation of amplitude and frequency.

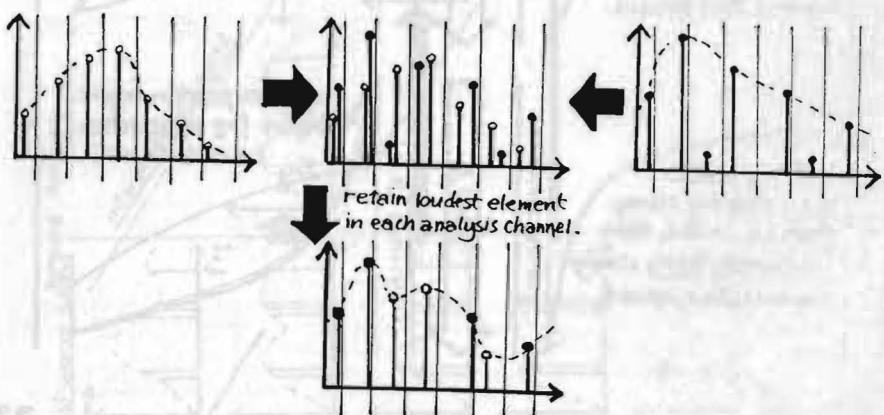


MULTI-SOURCE SPECTRAL INTERLEAVING

VOCODING

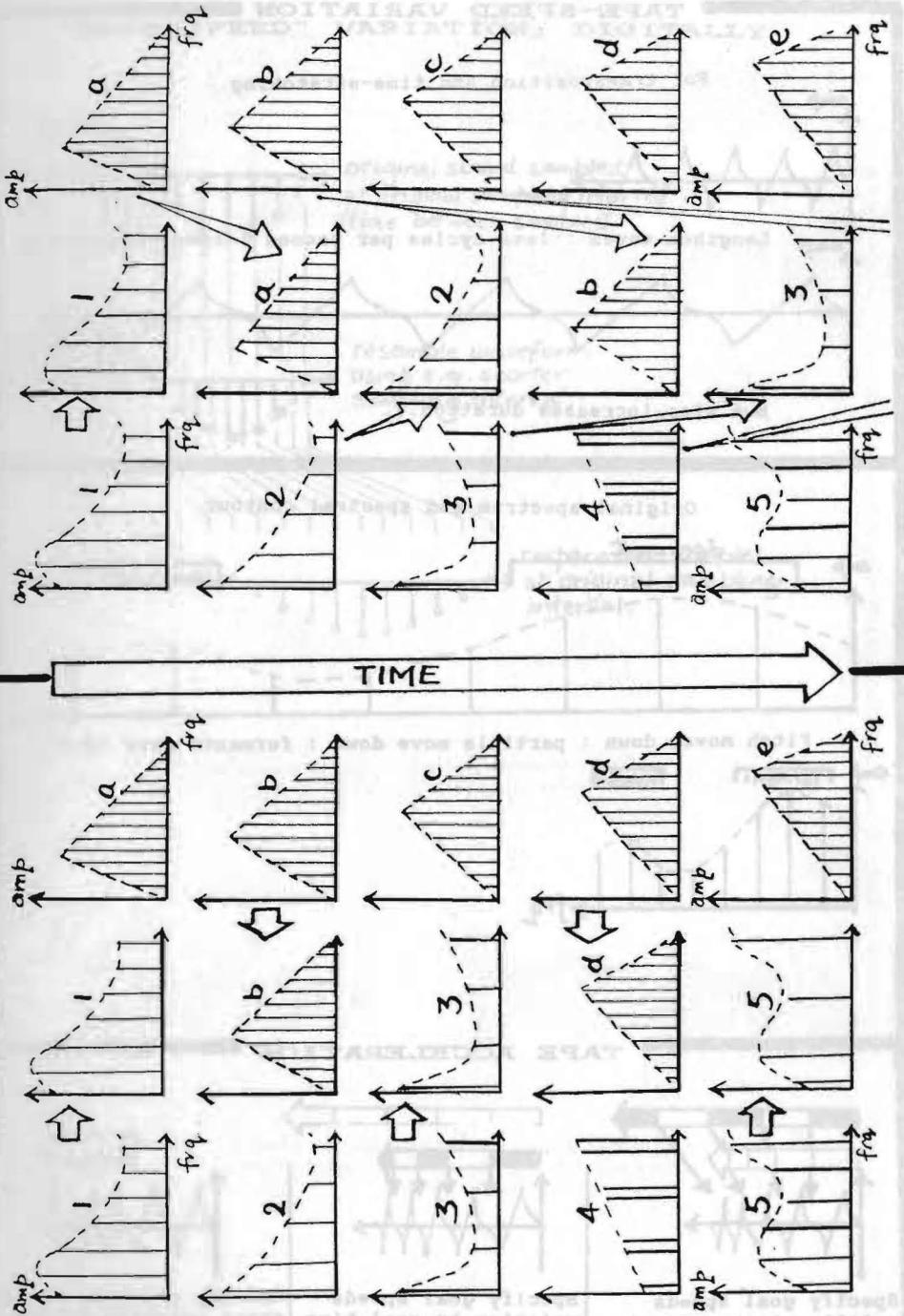


SPECTRAL MASKING



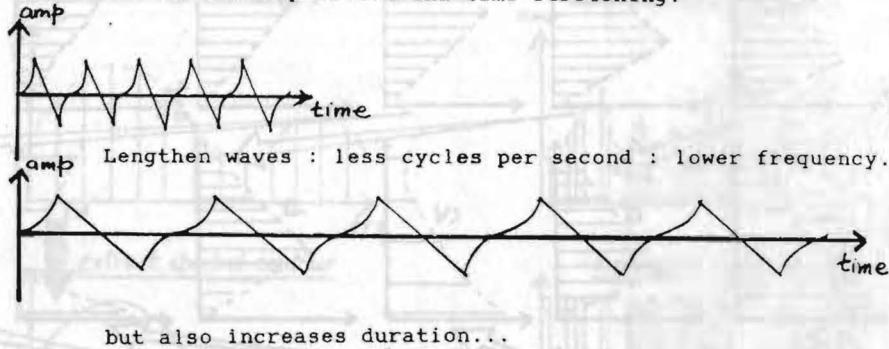
SPECTRAL INTERLEAVING

(1) In original time-frame.

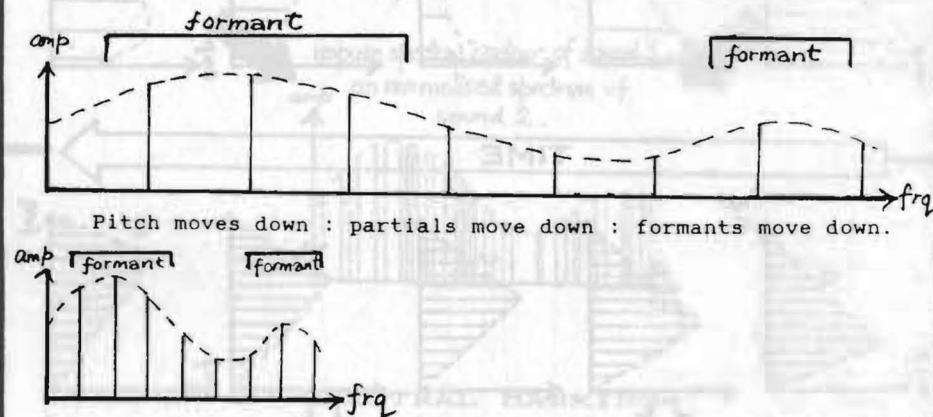


TAPE-SPEED VARIATION

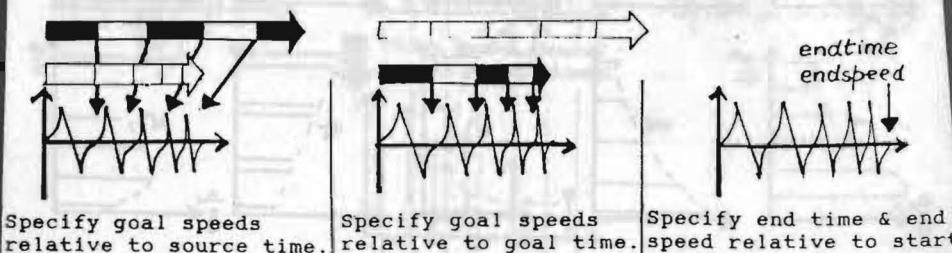
For transposition and time-stretching.



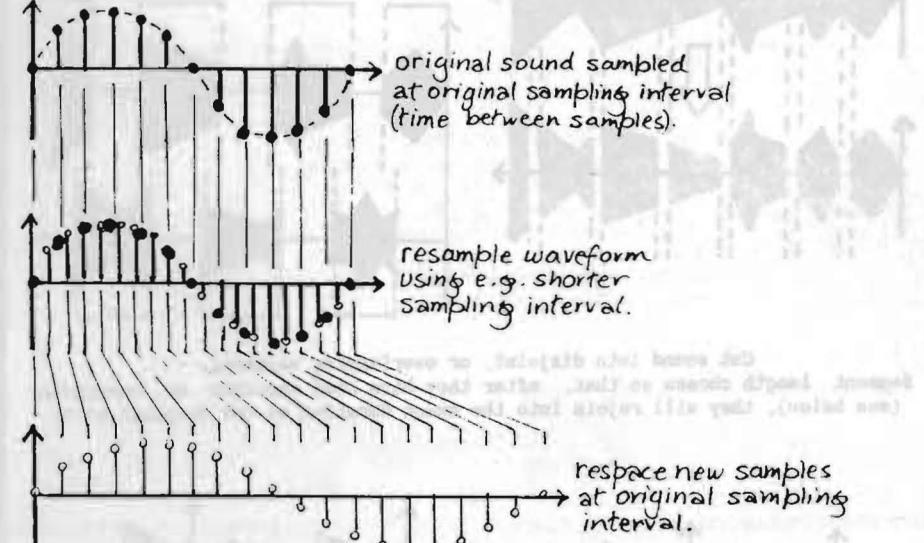
Original spectrum and spectral contour.



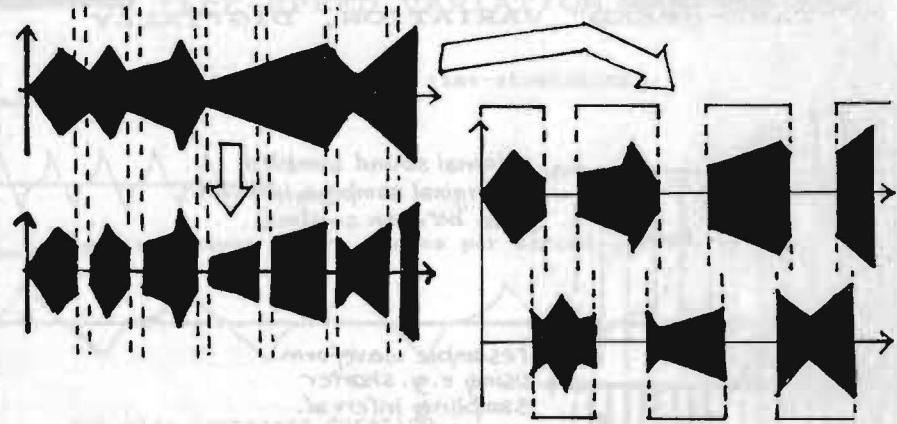
TAPE ACCELERATION



"TAPE-SPEED" VARIATION, DIGITALLY



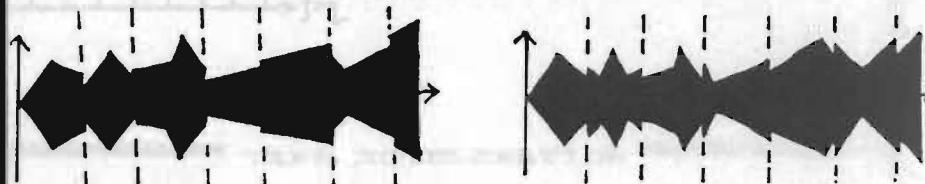
HARMONISER



Cut sound into disjoint, or overlapping segments.
Segment length chosen so that, after they have been expanded or contracted
(see below), they will rejoin into the exact duration of the original sound.



Change segment pitch by tape-speed variation,
which also modifies segment lengths.



Rejoin changed-length segments, with no overlaps or gaps.
They now fit exactly into the original duration.

OMITTING

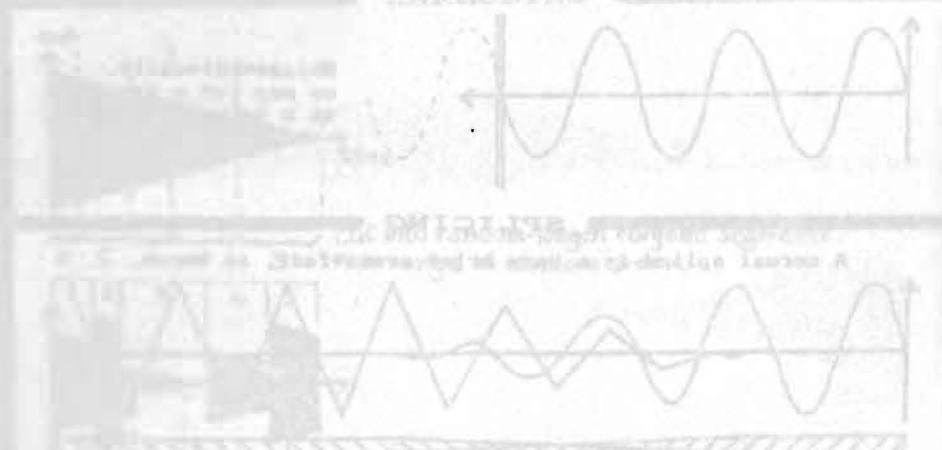
RANDOM CUTTING



Random cutting is a two-stage process:
transferring the original signal to a recording tape with a random
cutting pattern, and then playing back the tape with a random
expansion pattern to restore the original signal.

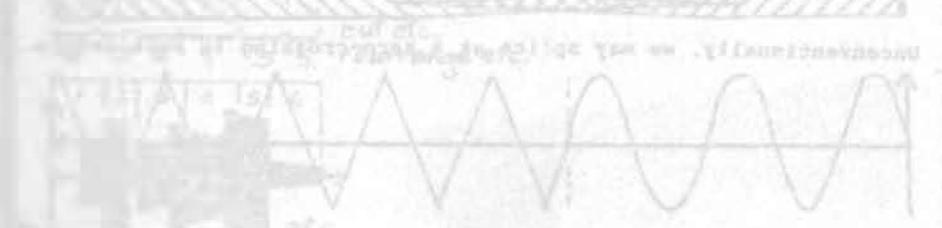
SHRINKING

CHIPPING

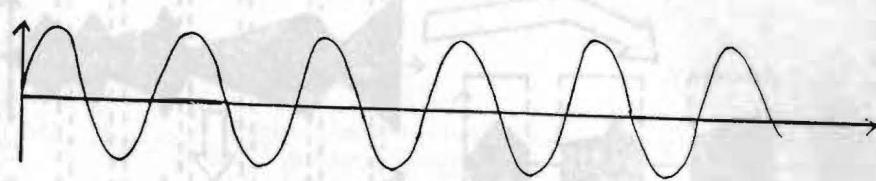


Shrinking: Reducing the original sound
by shortening its amplitude-modulation pattern.

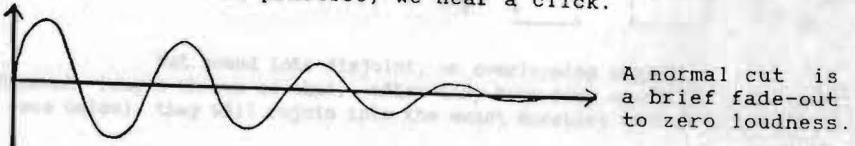
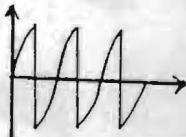
Chipping: Reducing the original sound
by shortening its amplitude-modulation pattern
in a non-random fashion.



CUTTING

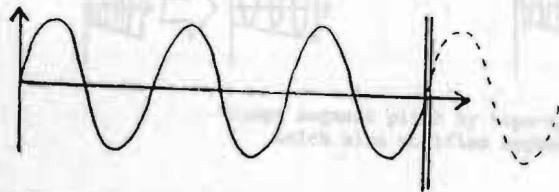


We cannot cut a sound simply by stopping it at an arbitrary point. Usually this produces a sharp edge (see left), equivalent to a fragment of a new waveform (see right) with many high partials. In practice, we hear a click.



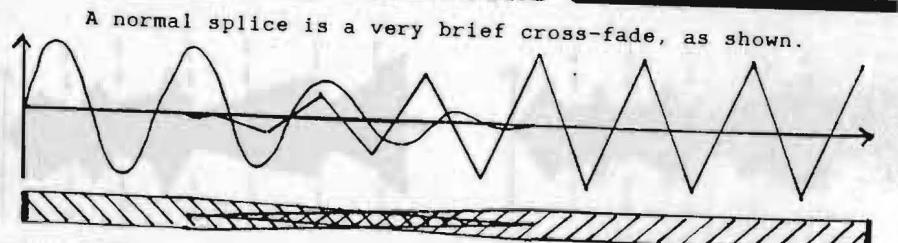
A normal cut is a brief fade-out to zero loudness.

ZERO CUTTING

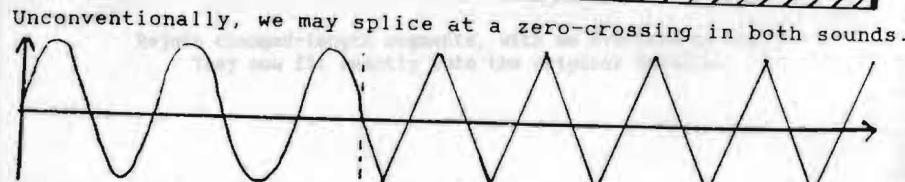


Unconventionally, we may cut a sound at a zero-crossing.

SPLICING



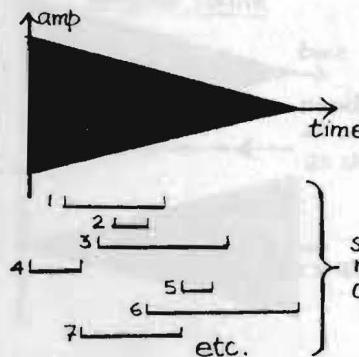
A normal splice is a very brief cross-fade, as shown.



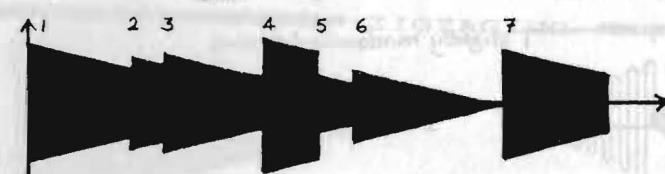
Unconventionally, we may splice at a zero-crossing in both sounds.

40

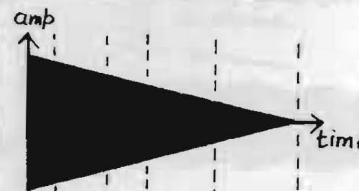
RANDOM CUTTING



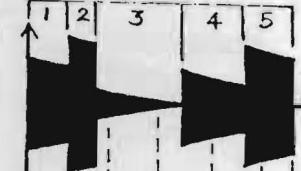
successive random cuts.



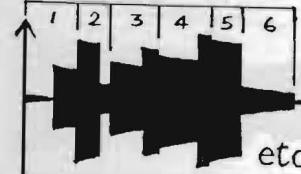
SHREDDING



cut into random-length conjoint segments.
rearrange in random order.



cut etc.
rearrange etc.

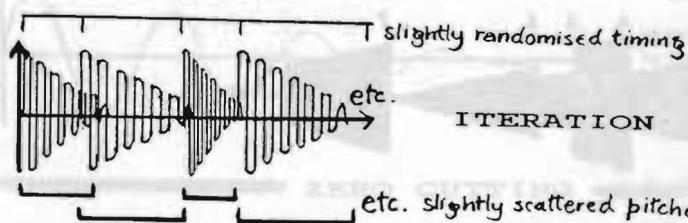
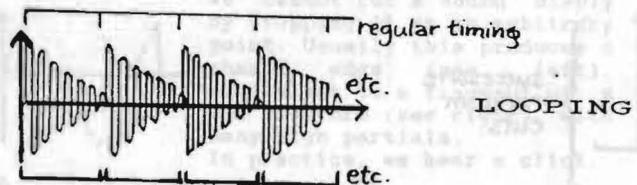
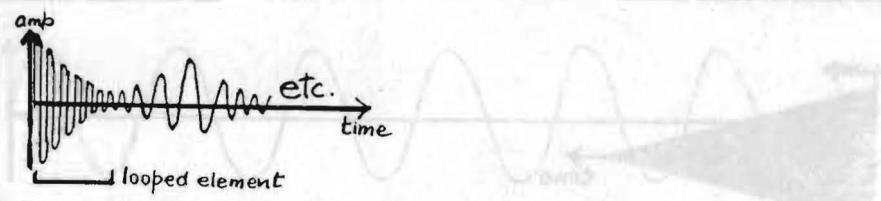


etc.

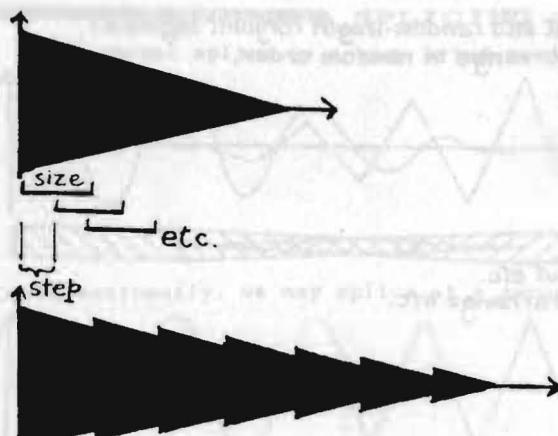
41

LOOPING AND ITERATION

DELETED SECTION

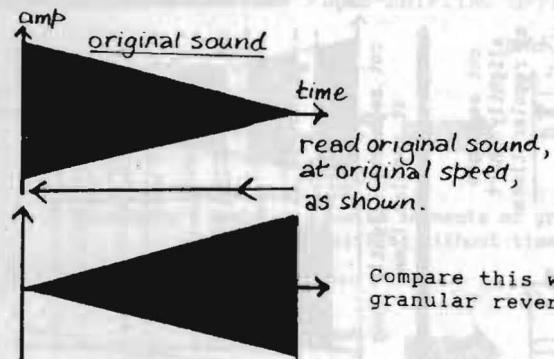


PROGRESSIVE LOOPING



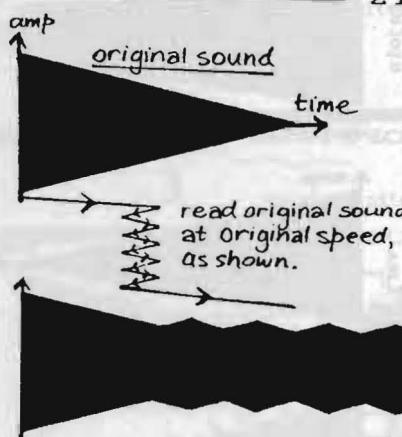
This is in fact a simple case of Brassage.

SOUND REVERSING

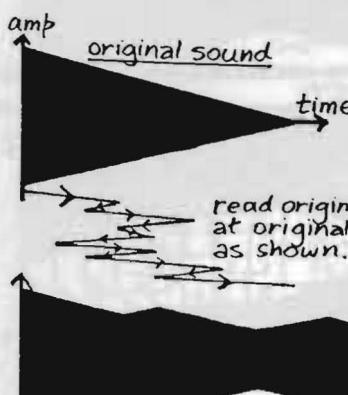


Compare this with
granular reversal.

ZIGZAGGING



Zigzag on a fixed element.

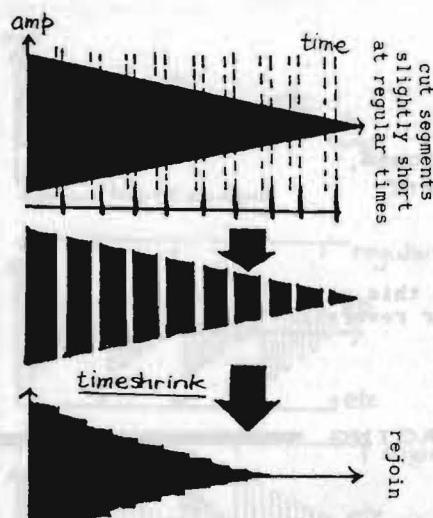


General zigzagging.

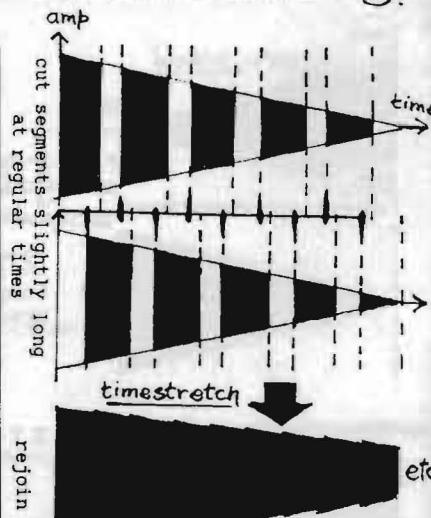
BRASSAGE

A.

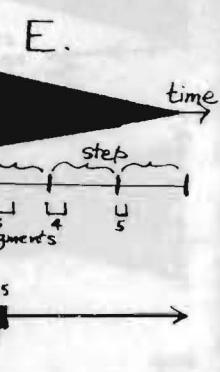
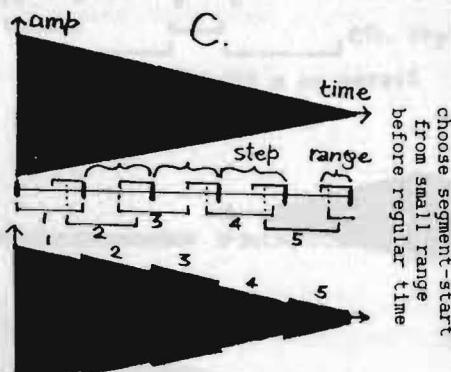
For time-warping : segments must be in grain time-frame.



B.

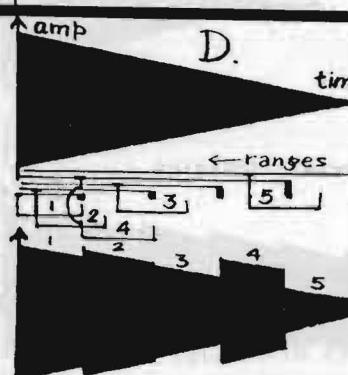


VARIOUS OPTIONS



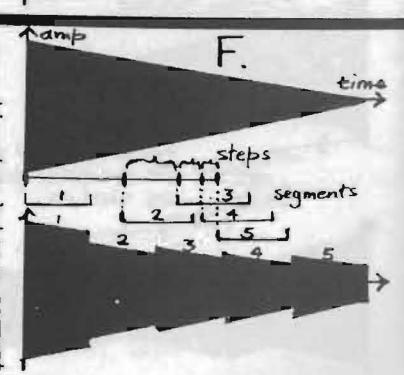
D.

choose segment-start from complete range before regular time



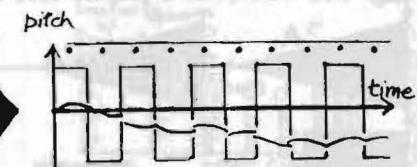
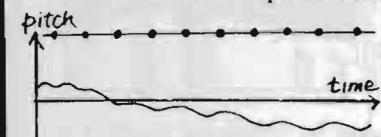
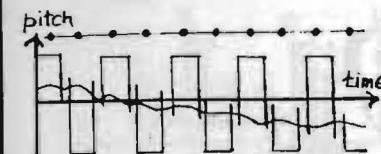
F.

choose timestep between segments

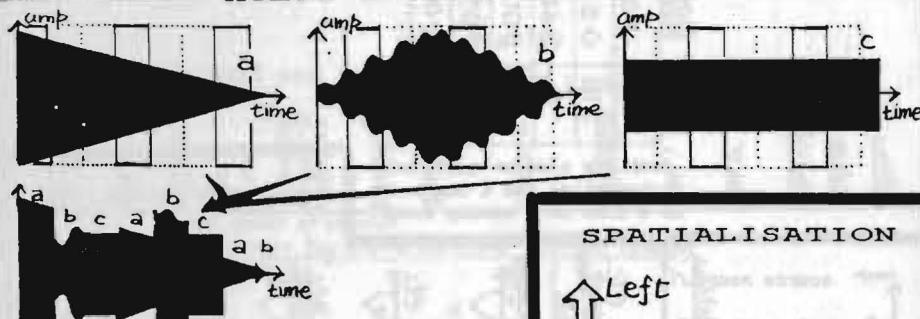


BRASSAGE (continued)

PITCH-SHIFTING OPTIONS



MULTI-SOURCE BRASSAGE



SPATIALISATION

Left

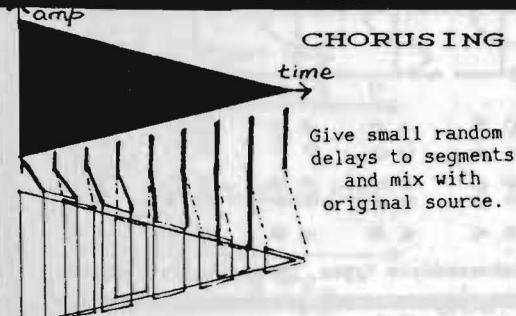
Right

e.g. random spatialisation within a range.

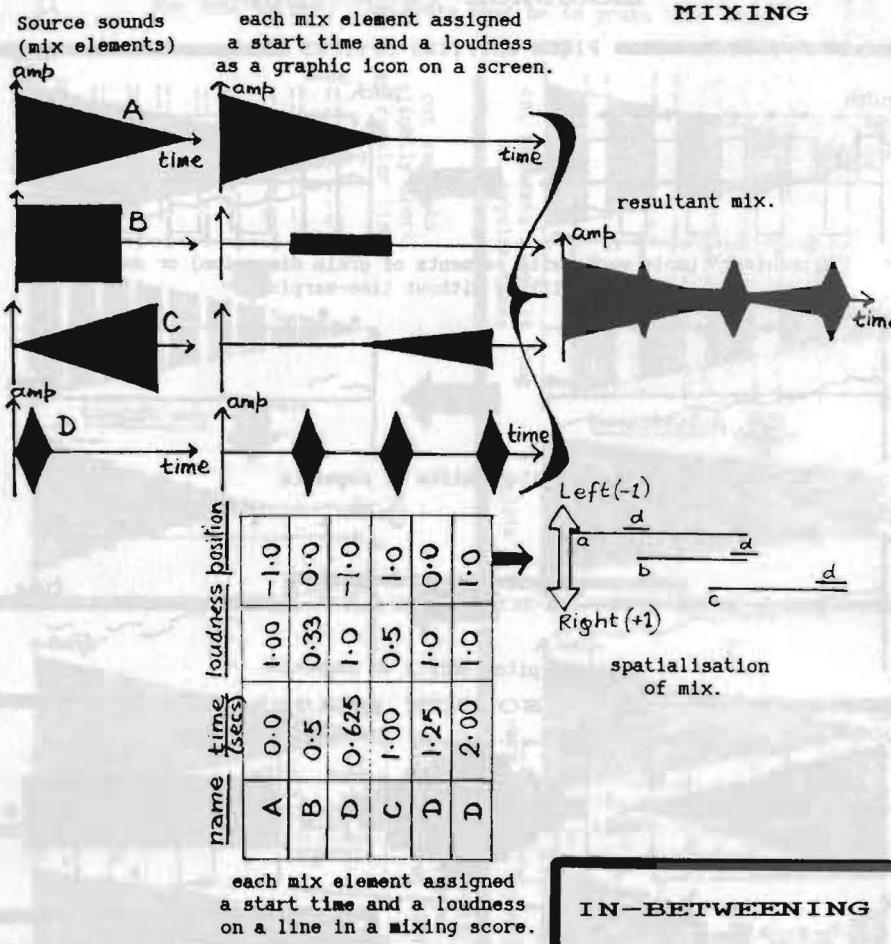
Left

Right

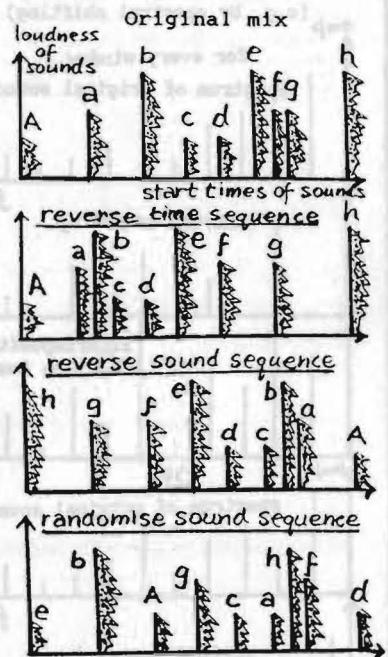
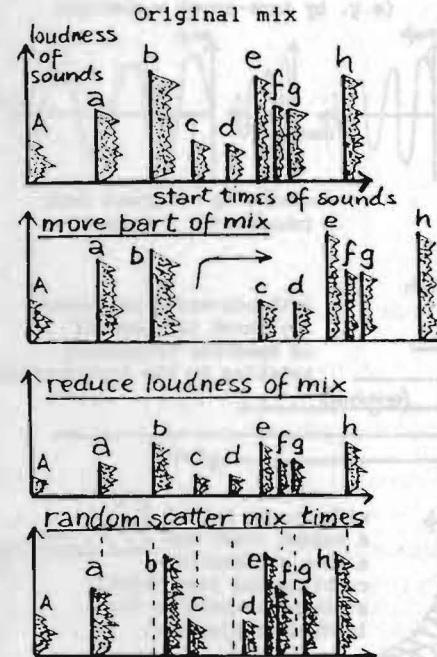
CHORUSING



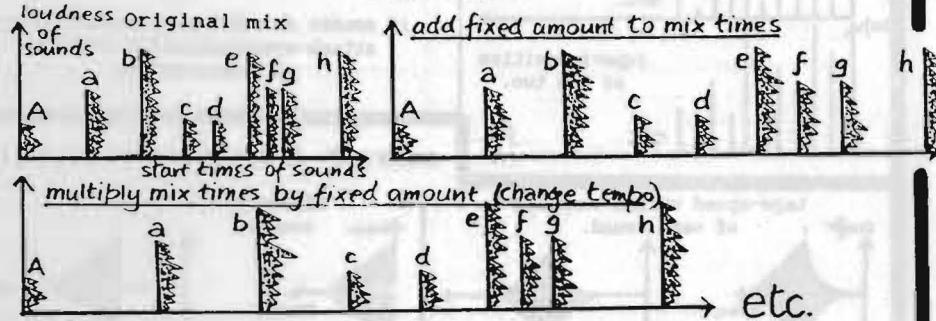
MIXING



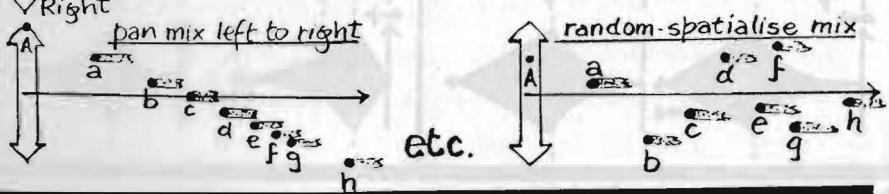
MIX SHUFFLING



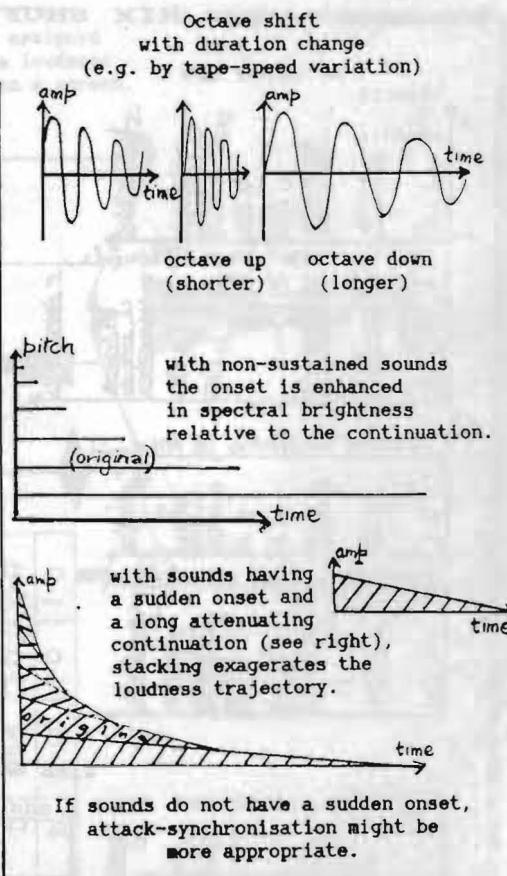
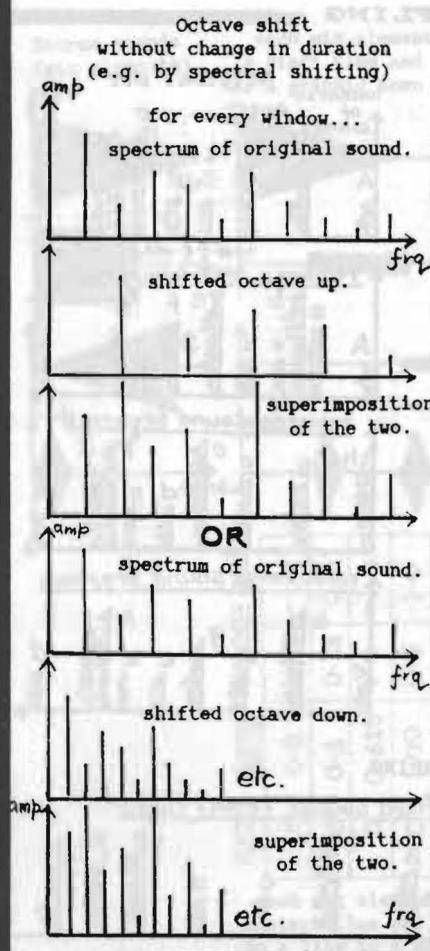
TIME WARPING



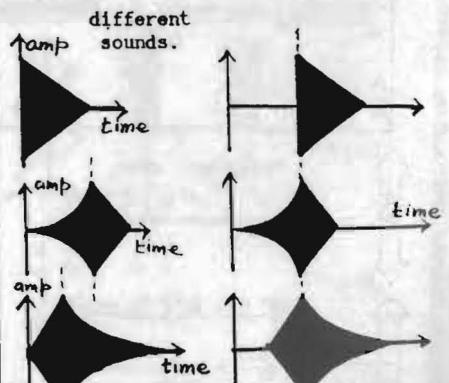
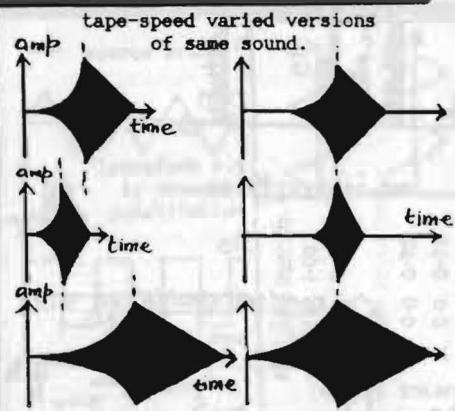
RE-SPATIALISING



OCTAVE STACKING

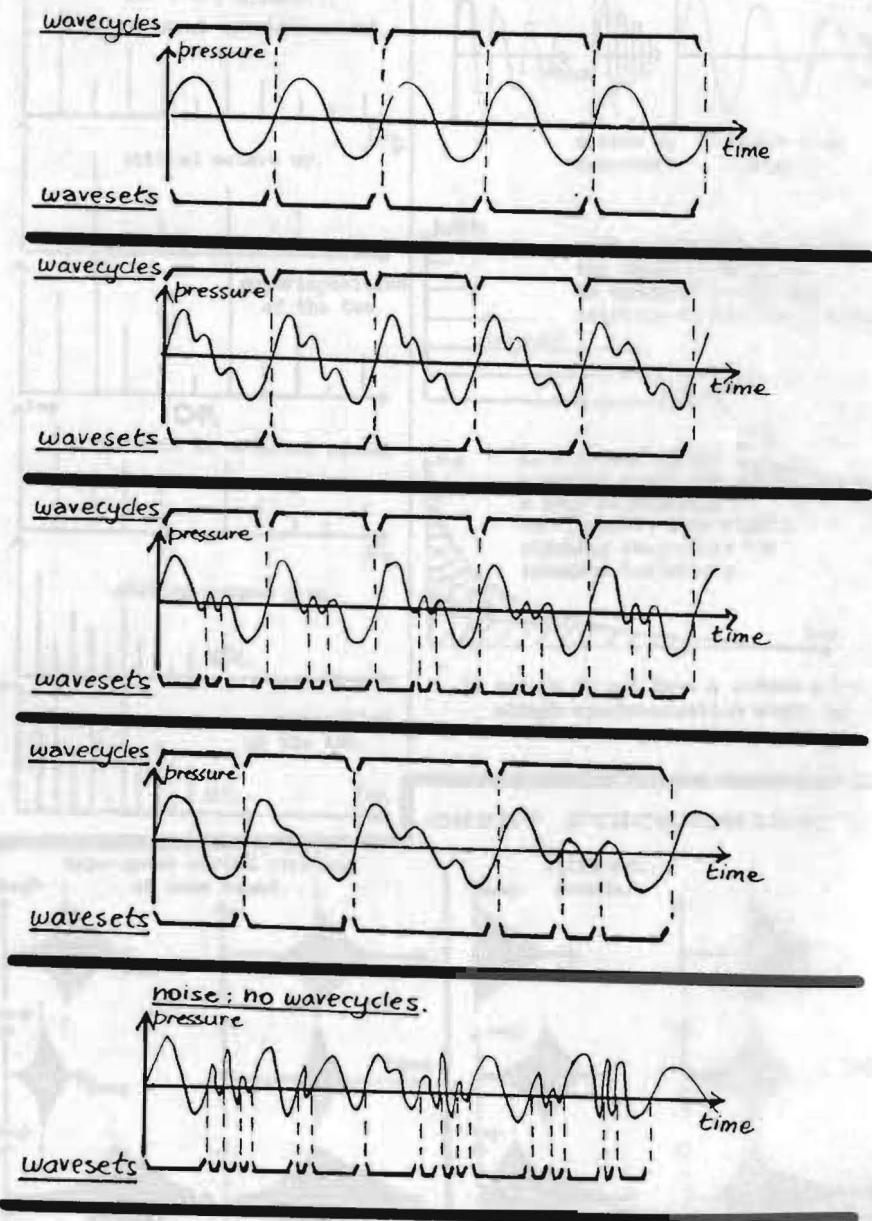


ONSET SYNCHRONISATION

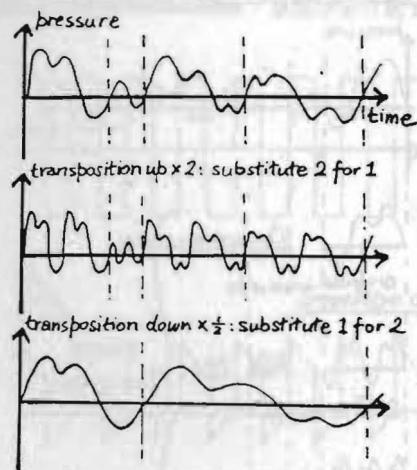


AUDIOMICROSTRUCTURE WAVECYCLES AND WAVESETS

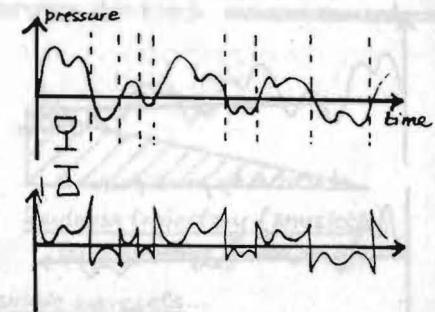
WAVECYCLE : Wavelength of sound, where clearly pitched.
WAVESET : Distance from a zero-crossing to a 3rd zero-crossing.



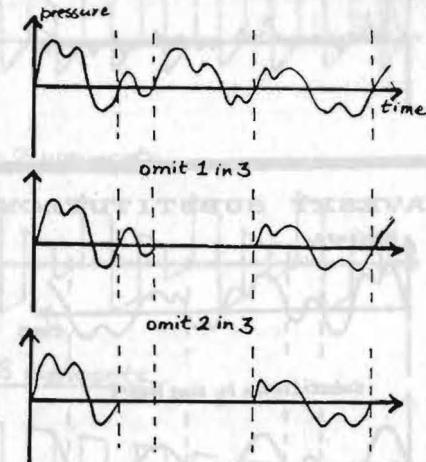
WAVESET TRANSPOSITION



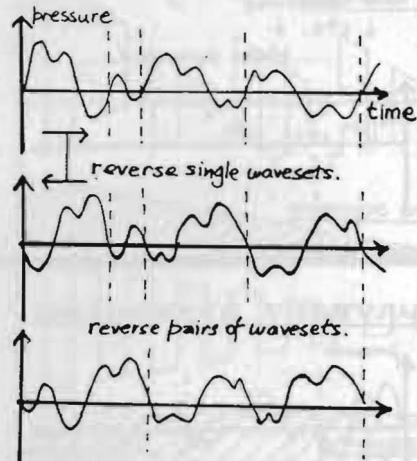
WAVESET INVERSION



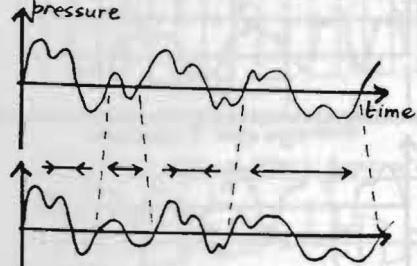
WAVESET OMISSION



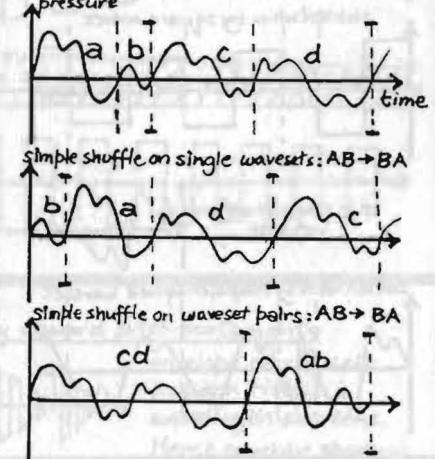
WAVESET REVERSAL



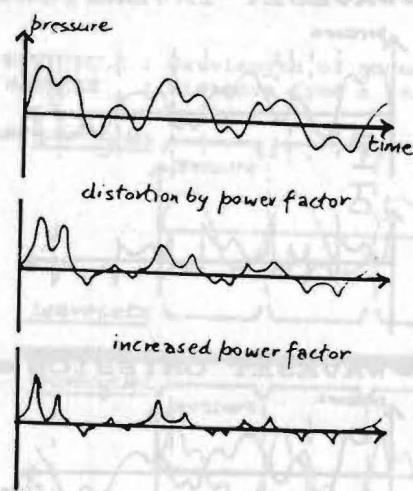
WAVESET SHAKING



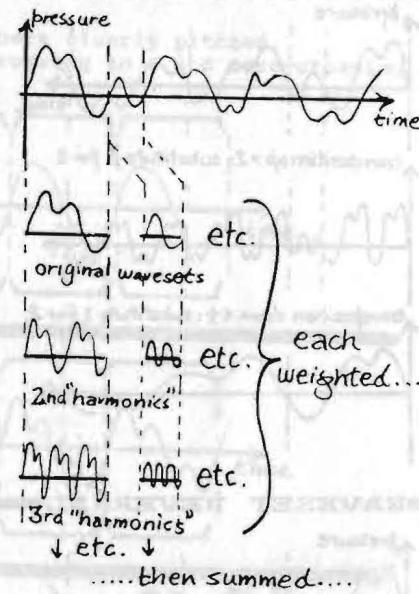
WAVESET SHUFFLING



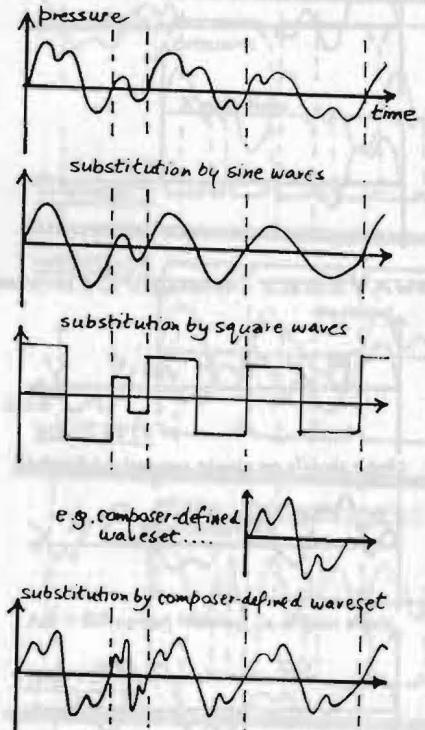
WAVESET DISTORTION



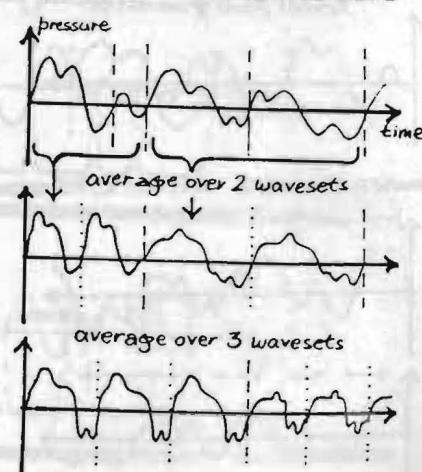
WAVESET HARMONIC DISTORTION



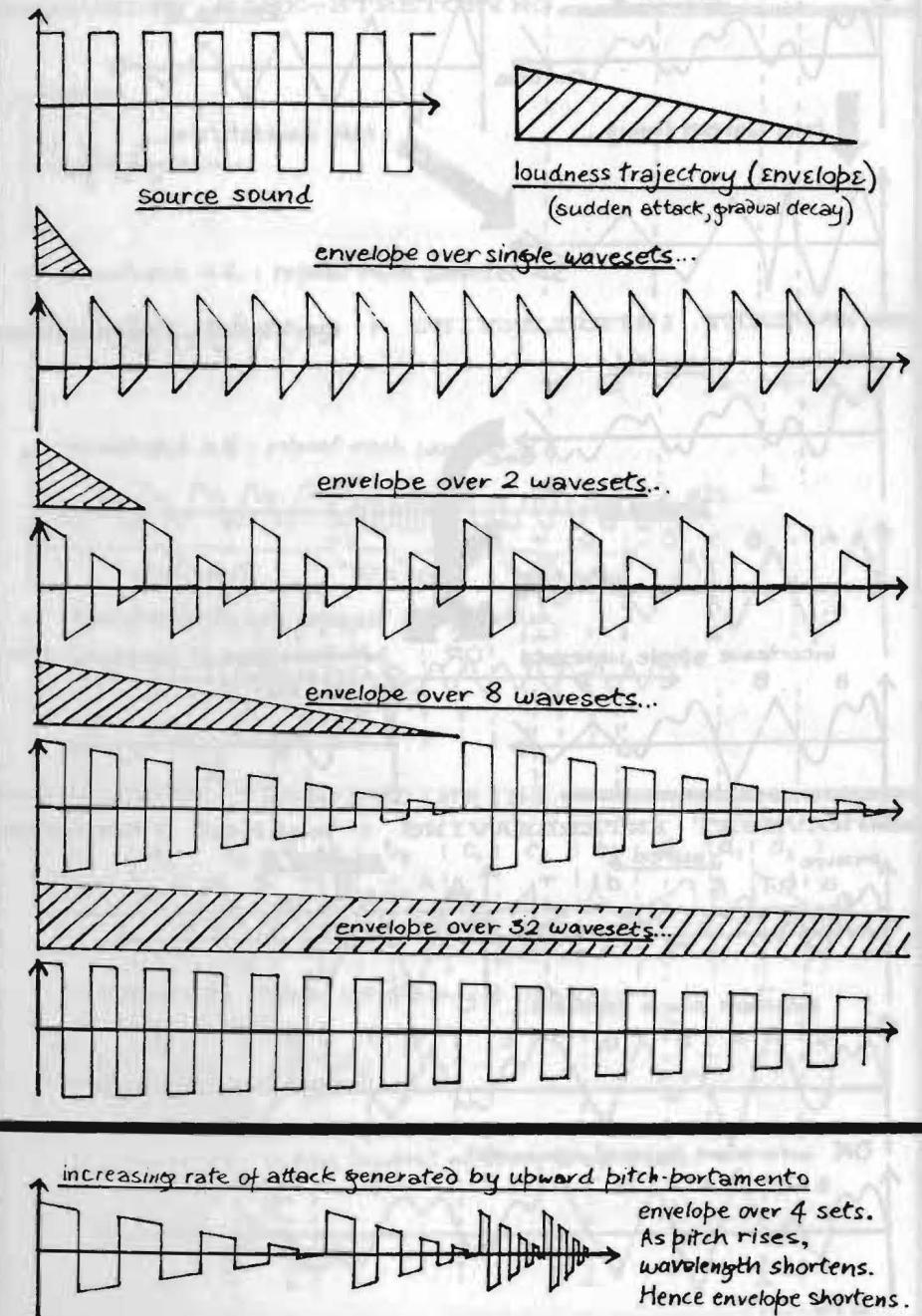
WAVESET SUBSTITUTION



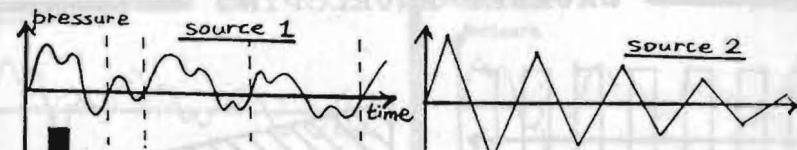
WAVESET AVERAGING



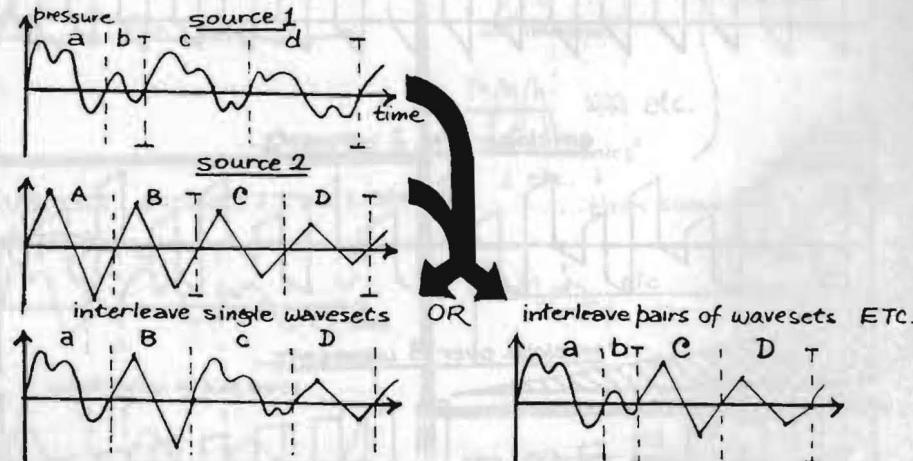
WAVESET ENVELOPING



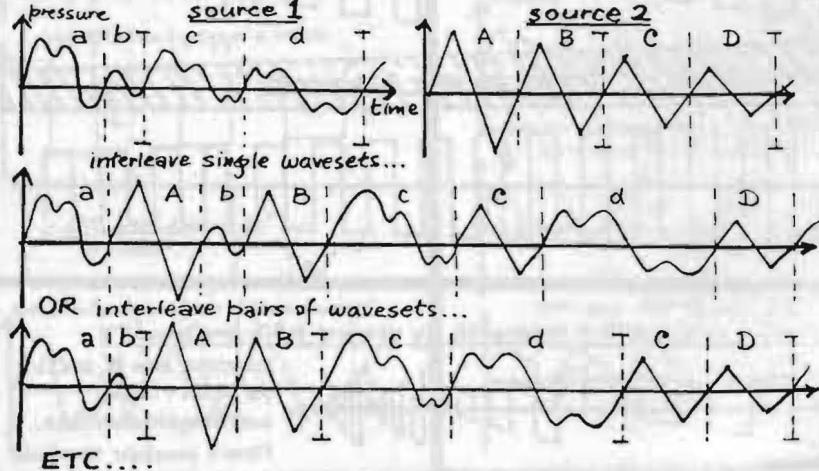
WAVESET TRANSFER



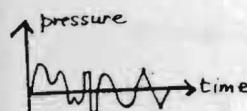
WAVESET INTERLEAVING : method 1



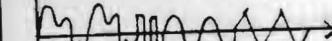
WAVESET INTERLEAVING : method 2



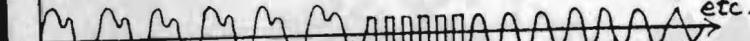
WAVESET TIME-STRETCHING



timestretch x 2 : repeat each waveset x 2



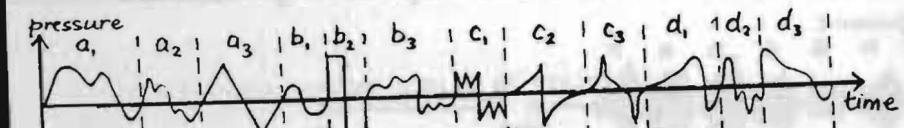
timestretch x 6 : repeat each waveset x 6



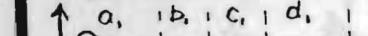
timestretch x 6 ; with waveset interpolation



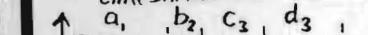
WAVESET TIME-SHRINKING



timeshrink x 3 : retain 1st of every 3 wavesets.



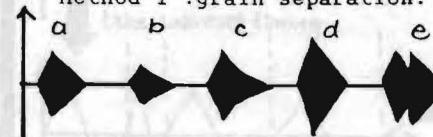
timeshrink x 3 : retain loudest of every 3 wavesets.



GRANULAR TIME-STRETCHING



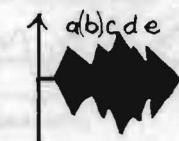
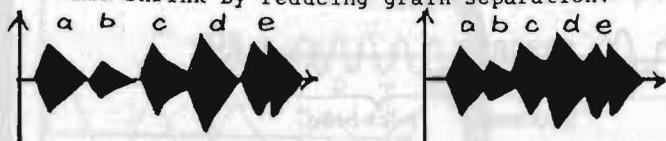
Method 1 : grain separation.



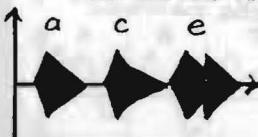
Method 2 : grain duplication.



Time-shrink by reducing grain separation.



Time-shrink via grain deletion.



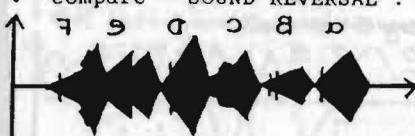
GRANULAR REVERSAL



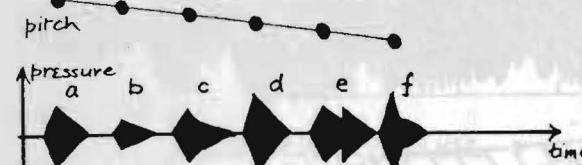
Reversing the order of the grains in the sound.



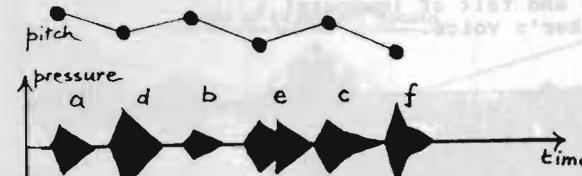
compare - SOUND REVERSAL : Reverses the grains themselves.



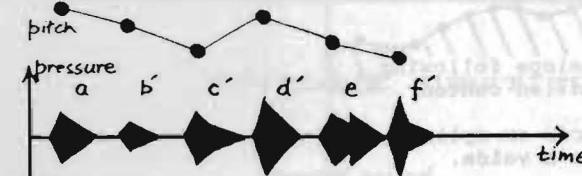
GRANULAR REORDERING



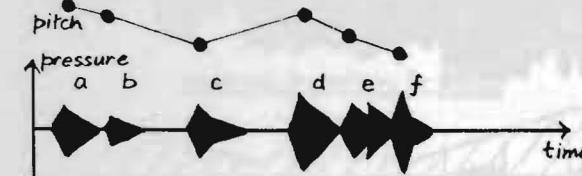
Reorder grains (pitch sequence is disturbed).



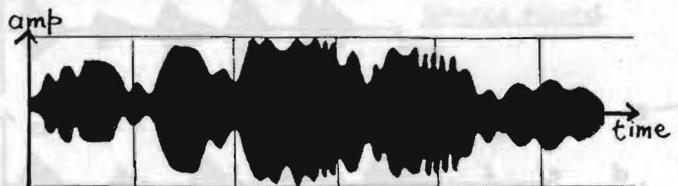
Alter pitch of grains (retain original order).



Alter pitch and scatter timing of grains.



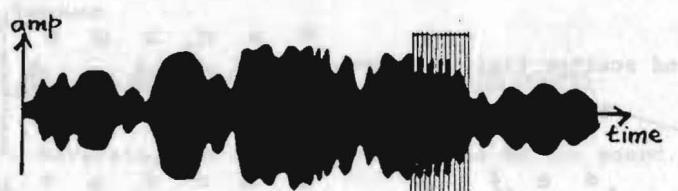
ENVELOPE FOLLOWING



Coarse-grained envelope following.
Follows overall contour.
e.g. tracks rise and fall of loudness of speaker's voice.



Medium-grained envelope following.
Follows more detailed contour.
e.g. separates words or syllables in speaker's voice.

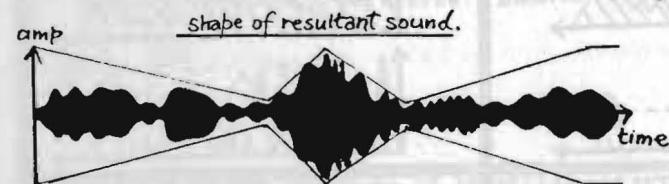


Fine-grained envelope following.
Follows finest detail of contour.
e.g. separates individual grains of a rolled 'r' in speaker's voice.

ENVELOPING



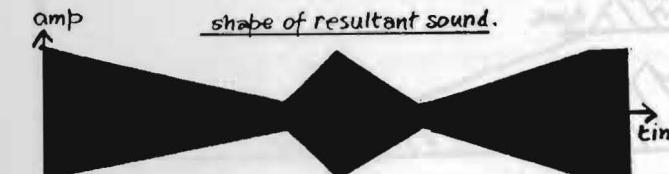
source sound.
loudness trajectory to use
possibly extracted from another sound.



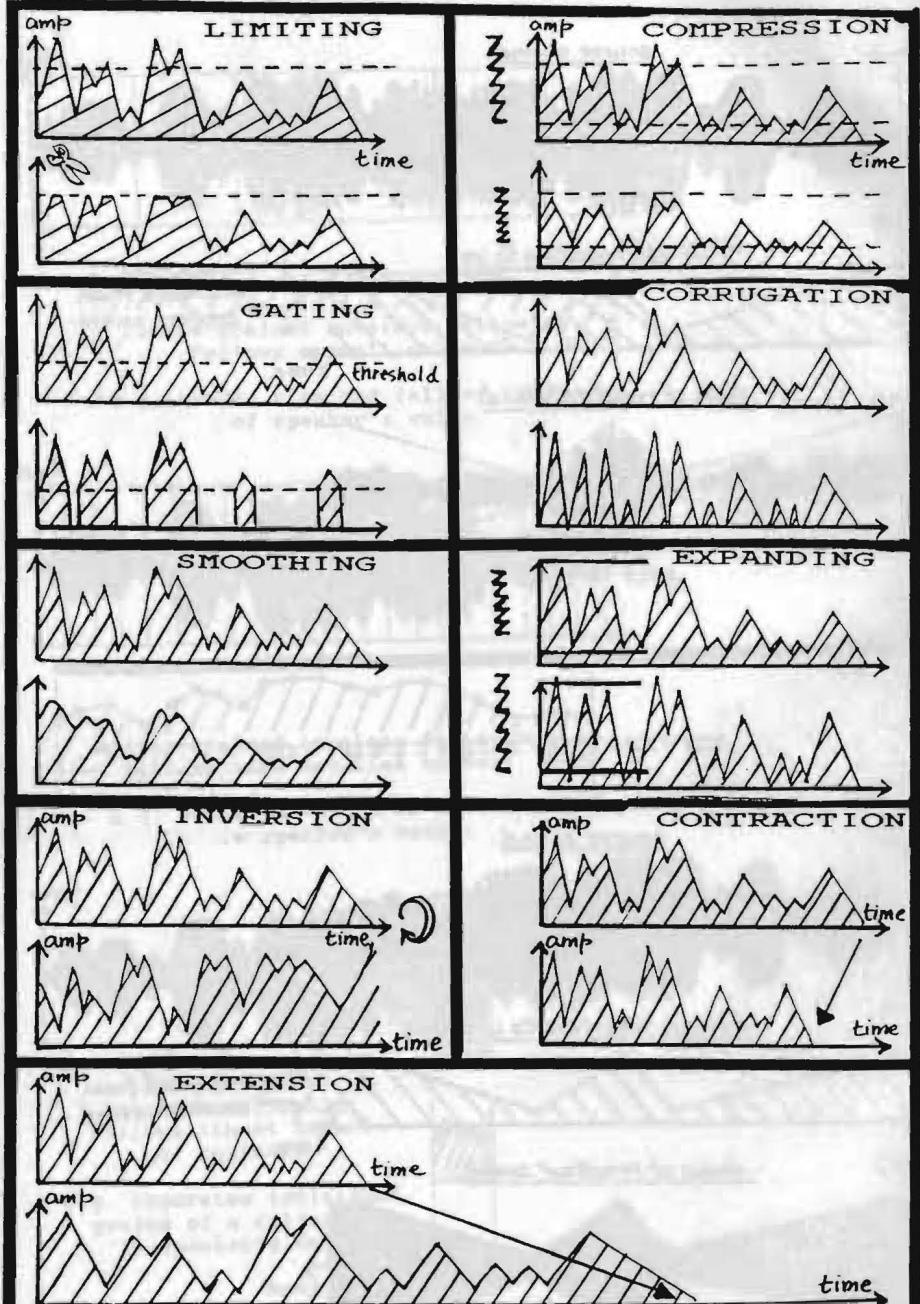
ENVELOPE SUBSTITUTION



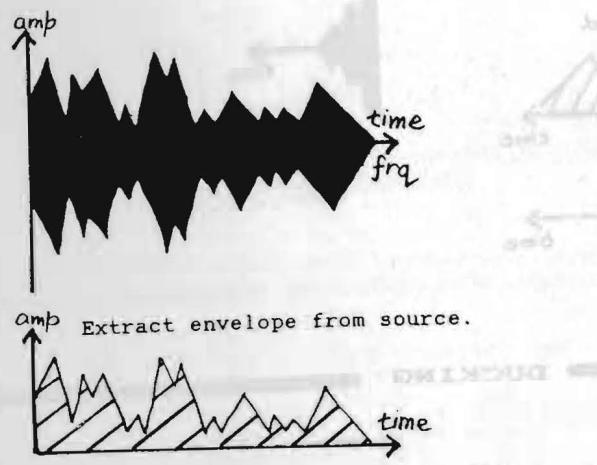
Source sound.
loudness trajectory to use.
possibly extracted from another sound.



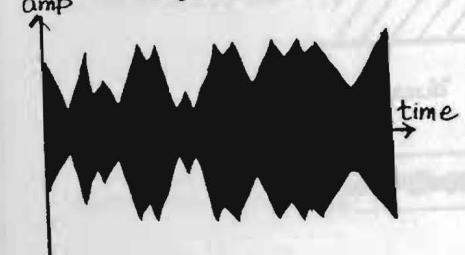
ENVELOPE TRANSFORMATION



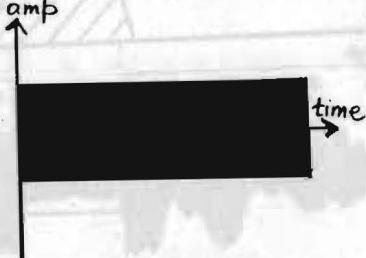
ENVELOPE TRANSFORMATION & SUBSTITUTION



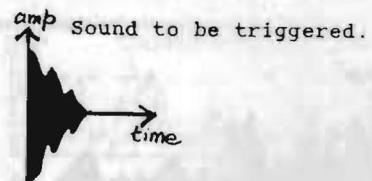
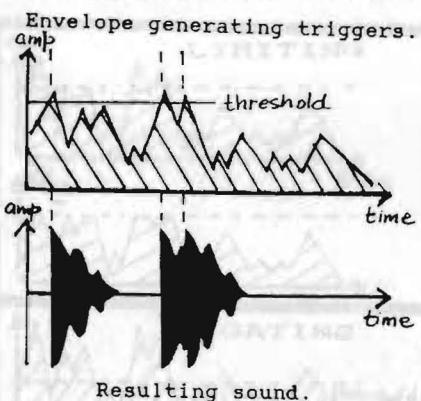
SUBSTITUTE new envelope
on original sound.



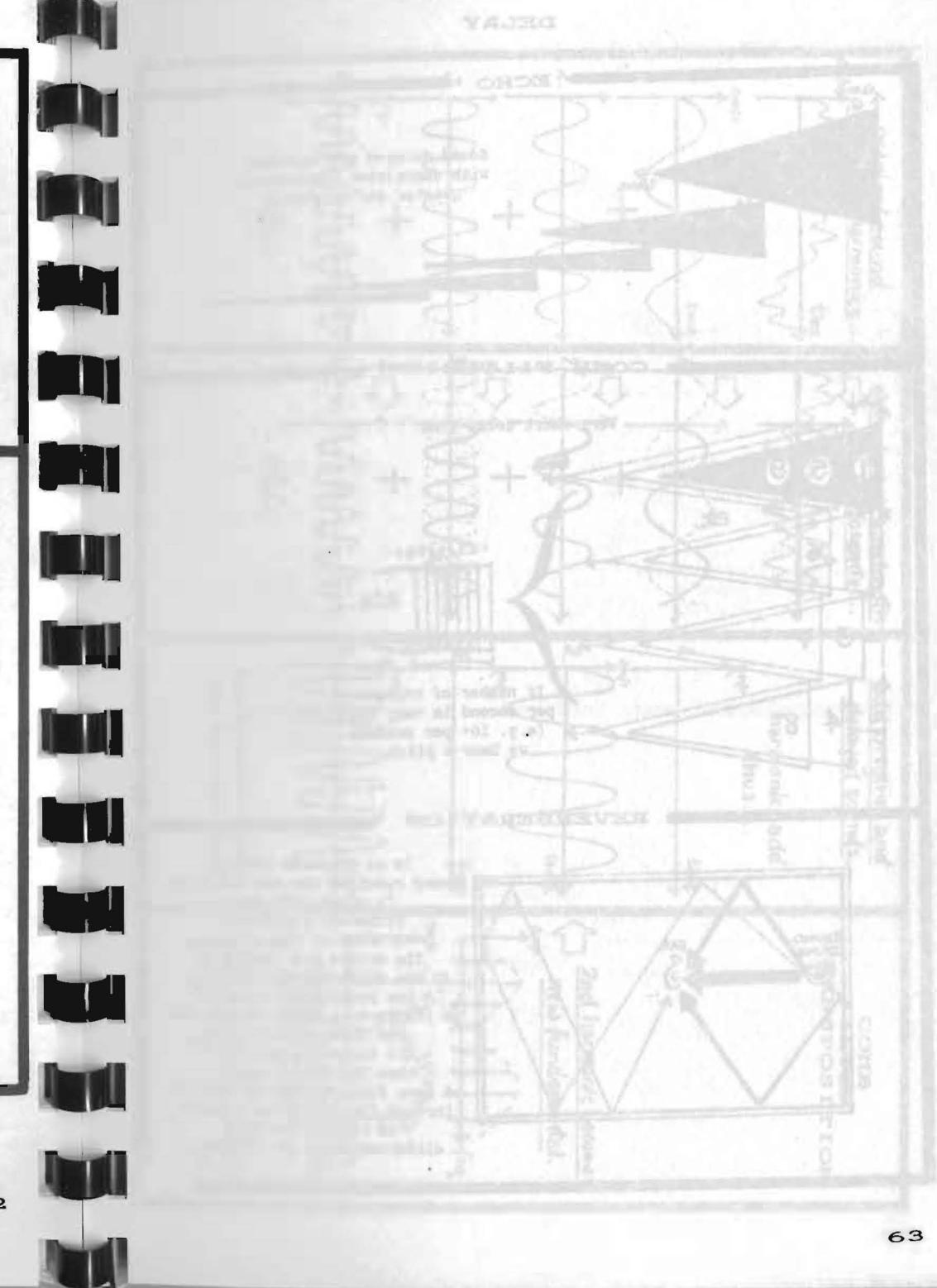
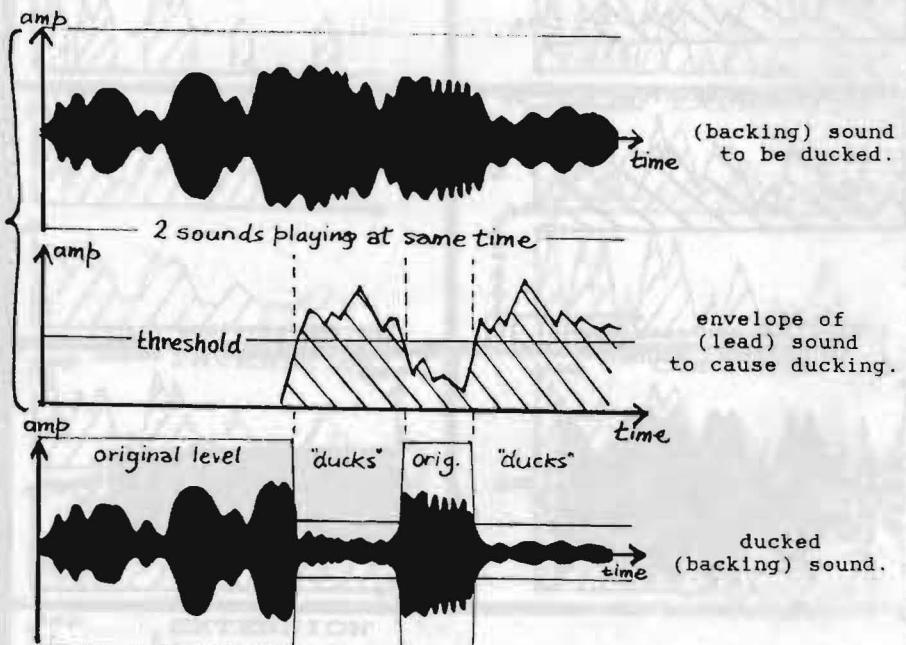
OR
Use new envelope for
ENVELOPING original sound.



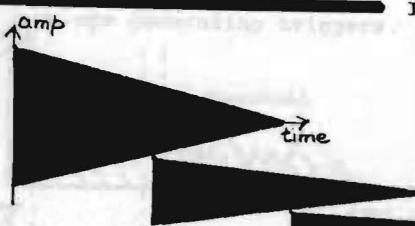
TRIGGERING



DUCKING

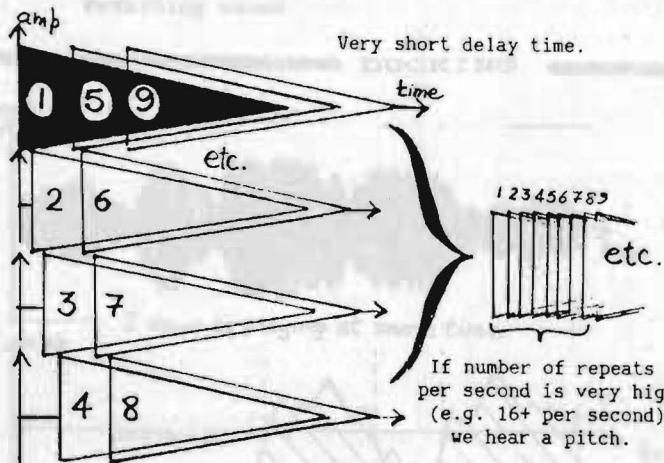


DELAY



Sound delayed and repeated, with successive repetitions quieter and quieter.

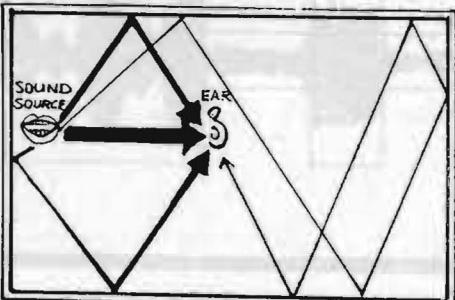
COMB FILTERING



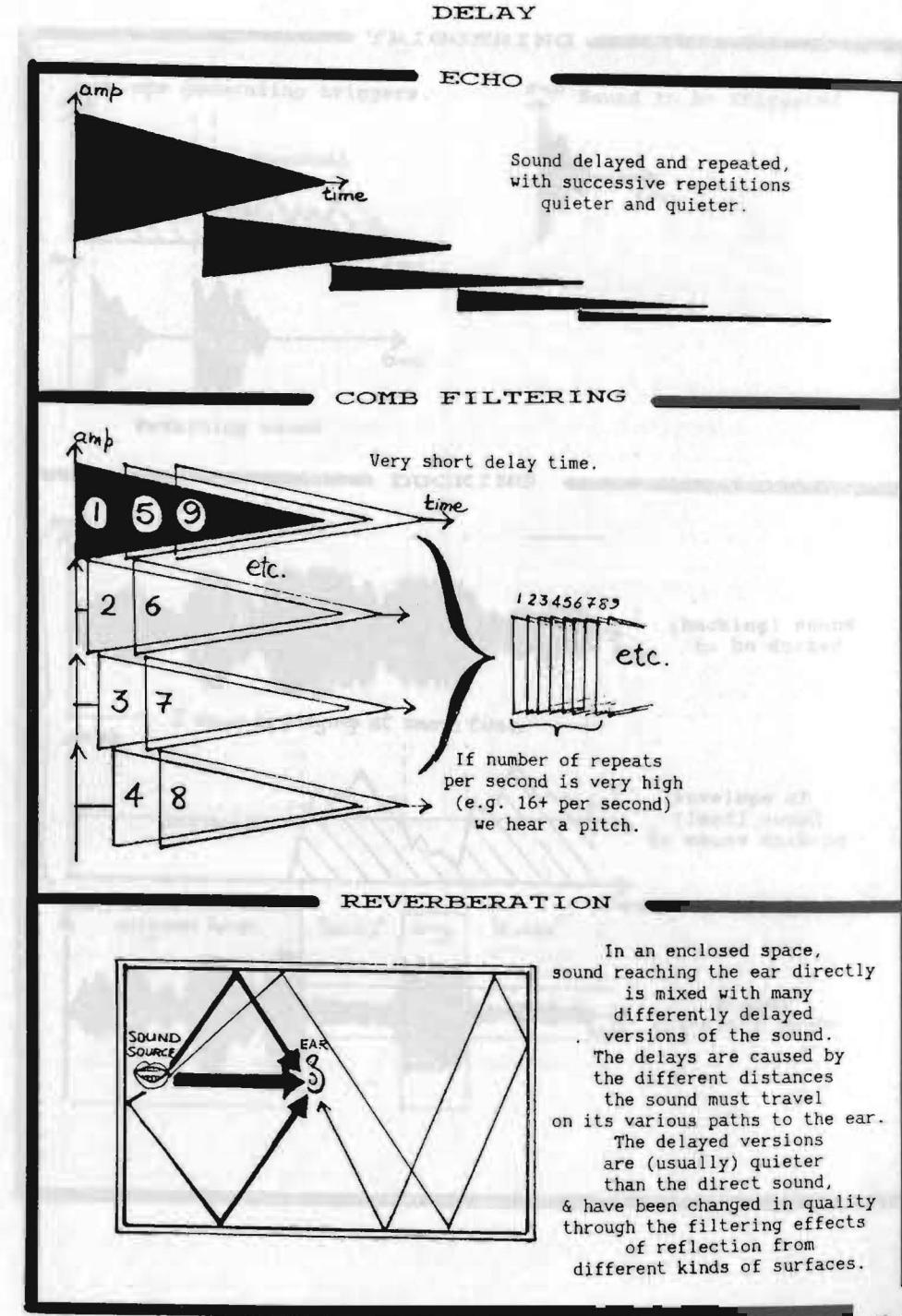
Very short delay time.

If number of repeats per second is very high (e.g. 16+ per second) we hear a pitch.

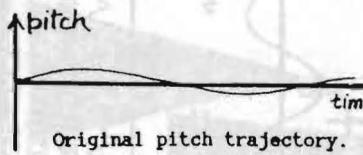
REVERBERATION



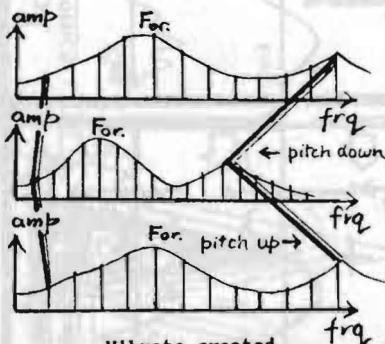
In an enclosed space, sound reaching the ear directly is mixed with many differently delayed versions of the sound. The delays are caused by the different distances the sound must travel on its various paths to the ear. The delayed versions are (usually) quieter than the direct sound, & have been changed in quality through the filtering effects of reflection from different kinds of surfaces.



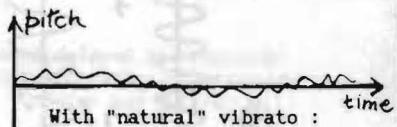
VIBRATO



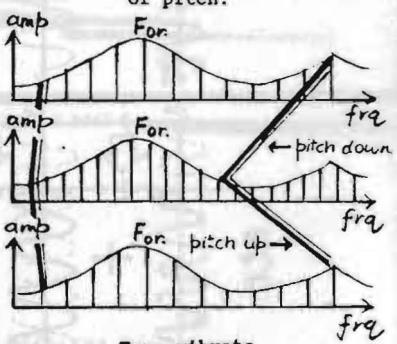
Original pitch trajectory.



Vibrato created merely by pitch-variation does not preserve formant position

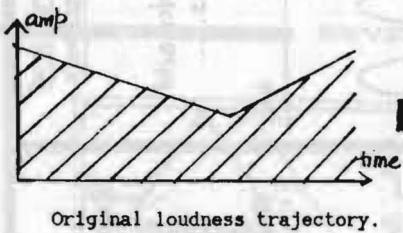


With "natural" vibrato :
Slightly irregular
cyclical fluctuations
of pitch.

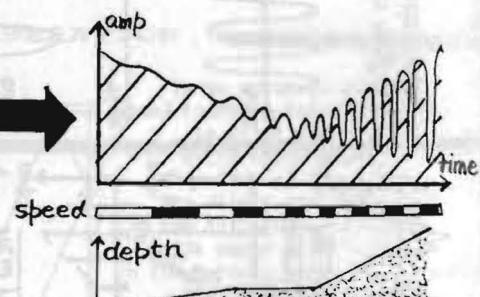


True vibrato
retains original
formant position
as pitch moves

TREMOLO



Original loudness trajectory.



With (one example of)

time-varying tremolo.

TEXTURE

specify variation of....

- event density
- event regularity
- time quantisation grid
- number of sound sources
- hi & lo limits of loudness
- hi & lo limits of event duration
- hi & lo limits of pitch
- harmonic field (or not)
- range of event spatial position

pitch

time

medium	high	low	density
loud	quiet	mixed	loudness
low	high	full range	pitch range
quantised	random		time
harmonic field	random		pitch

TEXTURE OF GROUPS

additionally specify variation of group properties...

- loudness trajectory
- hi & lo limits of size
- hi & lo limits of speed
- hi & lo limits of pitchrange
- harmonic field (or not)
- spatial form (e.g. moving left)

pitch

time

1	→	1-3	→	2-4	→	3-6	group size
fast	→	slow	→	group speed	etc.		

TEXTURE OF MOTIFS

($\text{P} = a$ $\text{D} = b$ $\text{L} = c$) OR ("abu" = a "blat" = b "scrnk" = c)

pitch

a → a, b → a, b, c

time

additionally specify variation of motif properties...

motif type
number of motifs

etc.

WEDGEING

pitch

density evolution

pitch trajectory.

type of fill

wedge profile

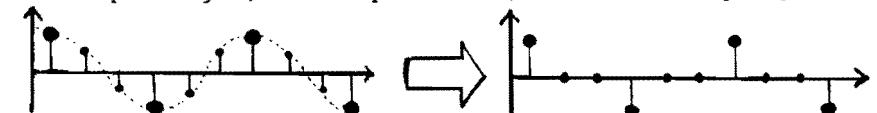
wedge width.

wedge duration.

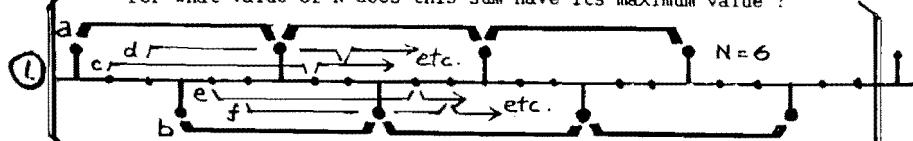
time

PITCH-TRACKING BY AUTO-CORRELATION

Example of an elementary auto-correlation procedure.
First clip the signal, so local peaks remain, but all other samples go to zero.

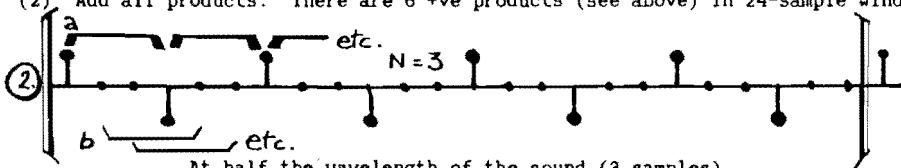


Add : the products of all pairs of samples separated by a step of N samples.
For what value of N does this sum have its maximum value ?



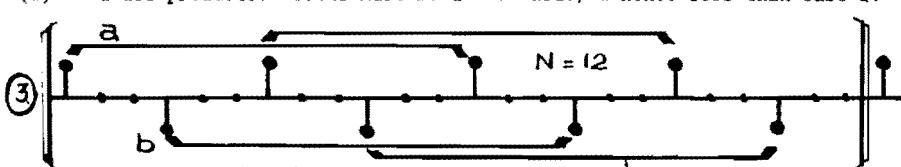
At the wavelength of the sound (6 samples).

- (1) Multiply each sample value by value 6 samples ahead, within the window.
(a) All these products are [+ve value] \times [+ve value] = [+ve value].
(b) All these products are [-ve value] \times [-ve value] = [+ve value].
(c-f) All these products are zero \times zero = zero.
- (2) Add all products. There are 6 +ve products (see above) in 24-sample window.



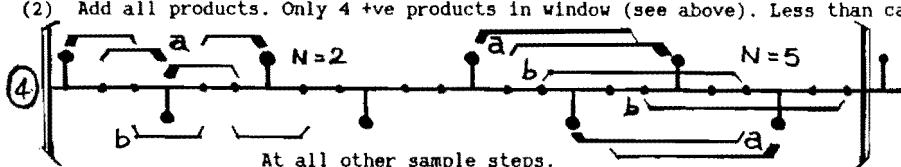
At half the wavelength of the sound (3 samples).

- (1) Multiply each sample value by value 3 samples ahead, within the window.
(a) All these products are [+ve value] \times [-ve value] = [-ve value].
(b) All these products are zero \times zero = zero.
- (2) Add all products. Total must be a -ve value, & hence less than case 1.



At twice the wavelength of the sound (12 samples).

- (1) Multiply each sample value by value 12 samples ahead, within the window.
(a) All these products are [+ve value] \times [+ve value] = [+ve value].
(b) All these products are [-ve value] \times [-ve value] = [+ve value].
(c) All other products are zero \times zero = zero.
- (2) Add all products. Only 4 +ve products in window (see above). Less than case 1.



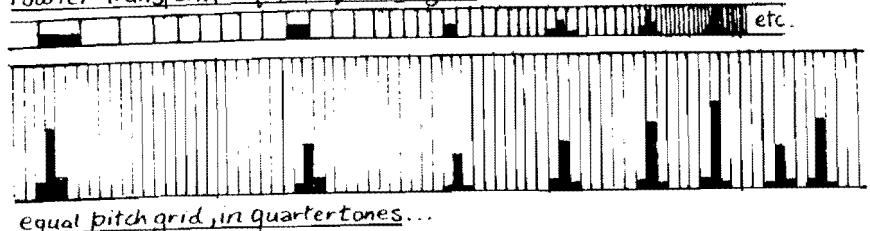
At all other sample steps.

- (1) Multiply each sample value by value N samples ahead, within the window.
(a) All these products are [+ve or -ve value] \times zero = zero
(b) All these products are zero \times zero = zero.
- (2) Add all products. Sum is zero, and therefore less than case 1.

Hence sum has maximum value when step is wavelength of sound (case 1). We can thus track wavelength, & hence frequency. With more complex waveforms, transient subpeaks tend to cancel each other in the sum, over a large window, but as pitch may be changing, window can't be too big. Wrong-by-an-octave errors are a problem.

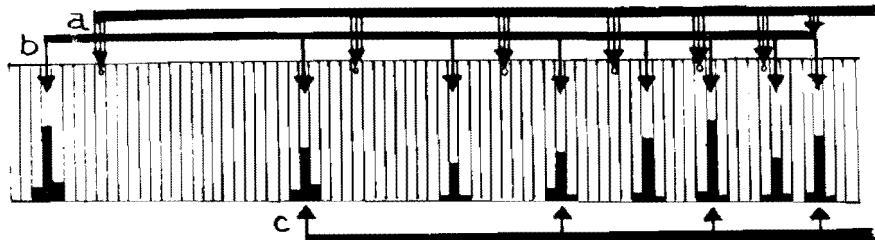
PITCH-TRACKING BY PARTIAL ANALYSIS

Fourier Transform: equal frequency grid...



equal pitch grid, in quartertones...

For each time-window transfer spectral data from the equal frequency grid of the Fourier Transform, to an equal-pitch grid, spaced in quarter-tones.



We cannot merely take the lowest peak in the spectrum as the pitch. For example, there may be no pitch present in the particular window we are considering, so that the position of the minimum spectral peak has no pitch-tracking significance.

To find a pitch effectively we must proceed as follows.

For each quarter-tone channel on the pitch-grid:

- (1) Find the value in that channel.
- (2) Find values in those channels which fall on the harmonic-series template above that channel (a,b,c).
- (3) Form a weighted sum of these values.

Most sums of this kind will miss all or most partials in spectrum (e.g. 'a' in diagram)

Templates which fall on the partials (e.g. 'b' & 'c' in diagram) will yield significant values for the sum.

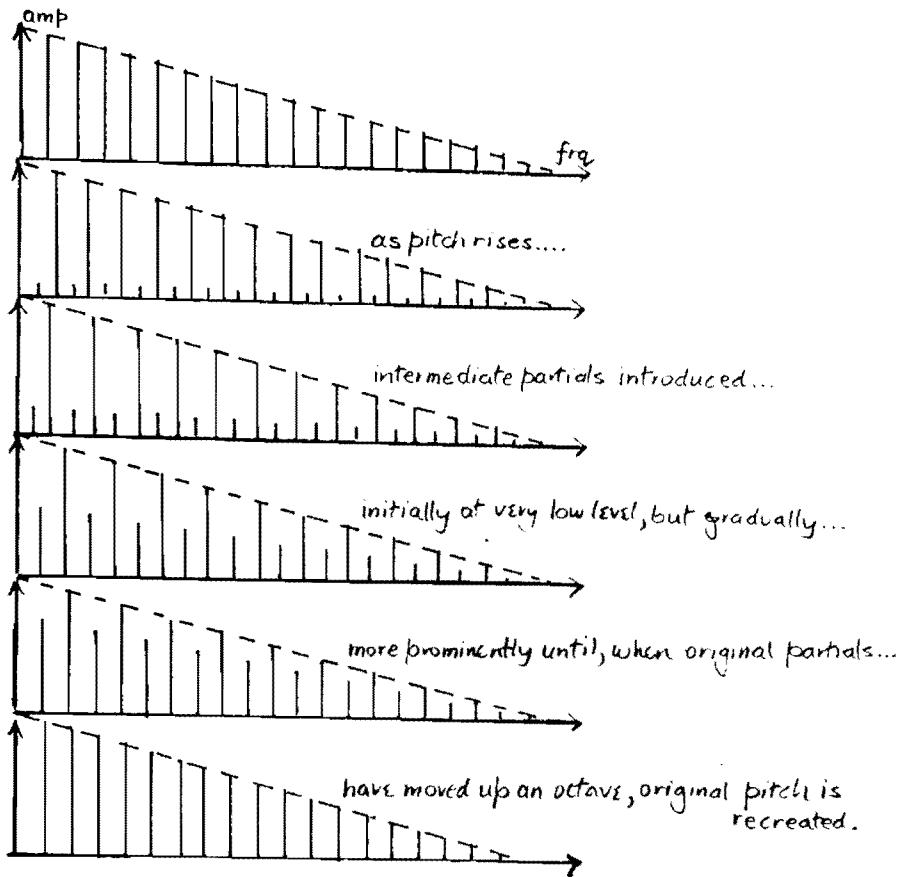
The sums given by 'b' & 'c' can only be differentiated if appropriate weightings are given to the contributions of each partial in the (suspected) spectrum.

Weightings for specific instruments (or other sound sources) may be well known.

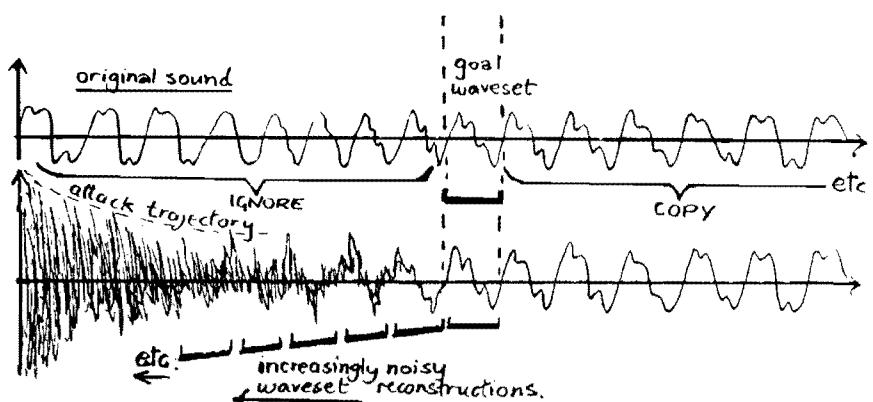
Difficulties arise with sources, like the voice, which can change their spectral contour from window to window.

SHEPARD TONES

In this example, a tone of rising pitch always stays in the same tessitura

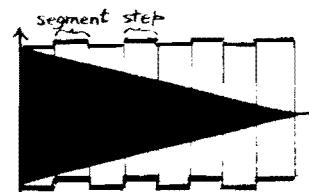


SOUND PLUCKING

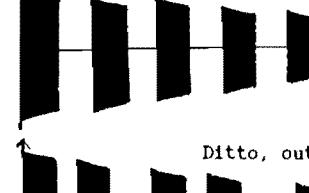


GRANULAR RECONSTRUCTION

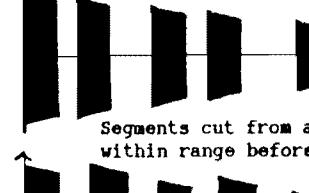
Step is (average) distance between segments in source sound.
Output density = 1 joins segments end to end as in Brassage.



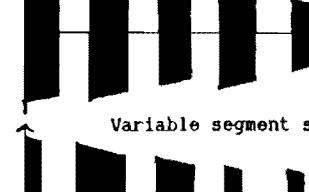
Output density LESS THAN 1
(Events separated by silences)



Ditto, output times scattered.



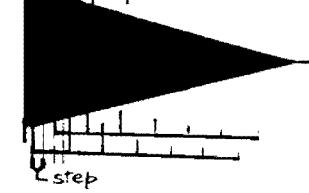
Segments cut from anywhere within range before 'now'



Variable segment size.

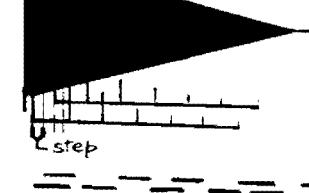


Pitch scattered. time



Left original sound

Right Spatial location scattered within expanding range.



e.g. output times scattered.

diagram shows time-placement of segments only.