



# Flower Games

locked

by IEEEExtreme

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Intended complexity  $O(\log N)$  per test, total complexity  $O(T \log N)$

Solution:

One key observation is that if  $N$  is a power of 2, ie  $N = 2^k$  the answer will always be 1. This can be easily proven: at the first cycle, you will remove all the even numbers, the you can relabel the remaining odd petals with numbers from 1 to  $N / 2$ . As the last removed petal is  $N$ , the next petal will be 1, so you are in the same case as when you started, but now you will only have  $N / 2$  petals. Another observation is that if  $N = (2^K) + 1$ , the answer is 3, if  $N = (2^K) + 2$ , the answer is 5... until  $N = 2^{(K+1)}$  when the answer is again 1 and so on. The answer for an arbitrary  $N$  is this: find the biggest  $K$  with  $2^K \leq N$ , the answer is  $1 + 2 * (N - 2^K)$ .

There is also another alternate solution with recursion:

Answer( $N$ ) = 1 if  $N = 1$

Answer( $N$ ) =  $2 * \text{Answer}(N / 2) + 1$  if  $N$  is odd

Answer( $N$ ) =  $2 * \text{Answer}(N / 2) - 1$  if  $N$  is even

## Statistics

Difficulty: Hard

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