

8 3
1 3
2 4
6 7

1, 2, 3, 4, 6, 7 => 6 distinct toys that he plays with.

cnt[i] => how many days toy i was used.
ans = count of i where cnt[i] > 0.

prefix[i] => a[0] + a[1] ... a[i].

pref[r] += 1 => update +1 to 0...r
pref[l - 1] -= 1 => update -1 to 0..l-1

// Given an array A, answer Q queries
// Query: Range (or/xor/and) of the subarray [l, r].

1. How to get range xor ?
 - range(1..r) and range(1..l-1)I can get xor of range(l, r) => range(1..r) ^ range(1..l-1)
2. what about or ?
 - is or invertible ?
 - no
 - how to solve this now ?

1, 2, 3, 4

xor(1, 4)
 $2^{bit_0} + 2^{bit_1} + 2^{bit_2} + \dots$

$$a_i \leq 1e^9 \quad 2^{30} > 1e^9$$



↳ k (bit), (l, r)

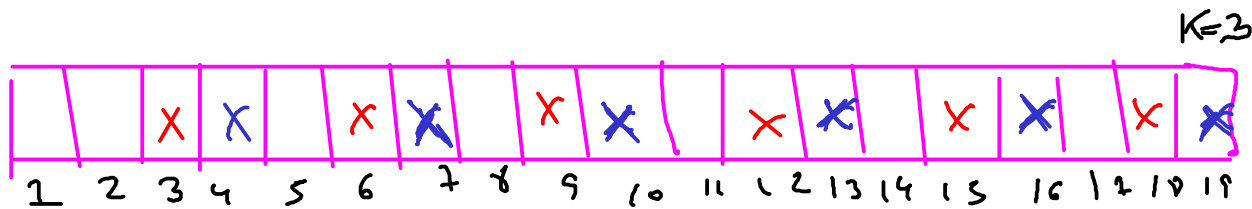
↳ count of ON bit in this range using prefix sum



ON → will have this bit set
Cnt > 0

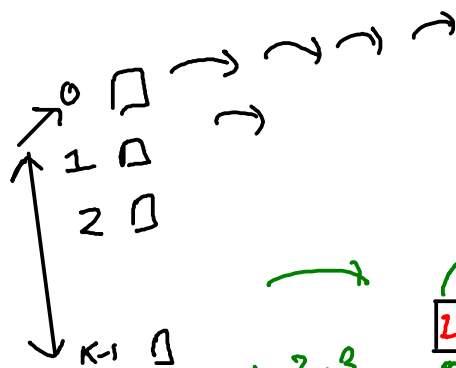
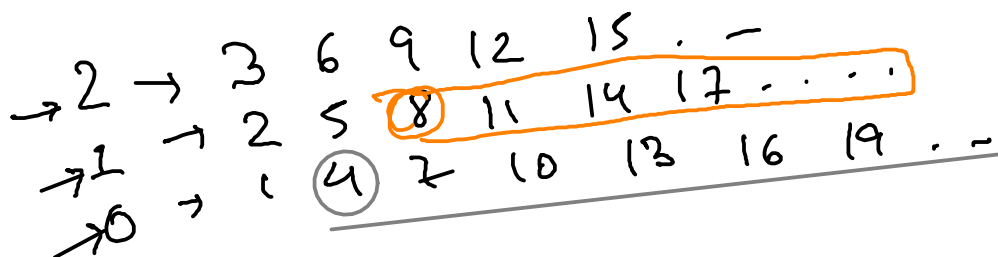
```
// Process Q queries and then print the array
// K is given
// Query(i, c): add c to {i, i + k, i + 2*k ....}
// all queries have common k.
```

requirement: process query in like $O(1)$ and finally get the answer in $O(N)$.



Update 3
" 24
" 7

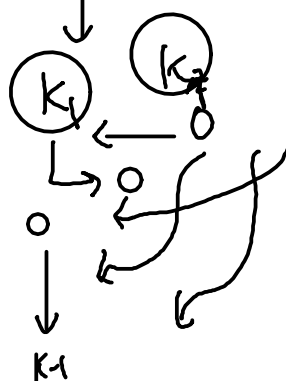
all those indices that have
same $(i-1) \% k$ lie in one group.



$k \mid N$



```
for(int i = 1; i <= n; i++) {
    A[i] = suff[i];
    if(i + k <= n) {
        suff[i + k] += suff[i];
    }
}
```



$k_1, k_2 \rightarrow [k_1] [1 \dots N]$
 $\rightarrow [k_2] [1 \dots N]$
 $\rightarrow [k_3] [1 \dots N]$

$idx = i$

$Q=4$
 2 1
 2 2
 3 -1
 4 1

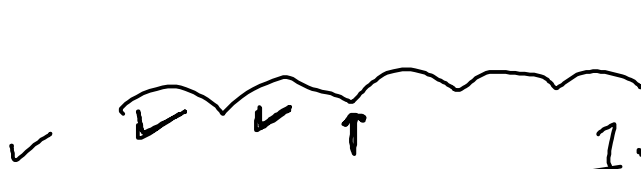
Queries \rightarrow Update (i, k, c)

$k_1 \rightarrow \{ \dots \}$

$k_2 \rightarrow \{ \dots \}$

Complexity

$$O(\sqrt{N} * \text{Number of } k_s)$$



$kT \rightarrow$

1. $k > \sqrt{N}$

$\hookrightarrow \sqrt{N}$ indices at once

2. $k < \sqrt{N}$



~~From~~

\nearrow update

// Process Q queries and then print the array
// query(l, r): add $(j - l + 1)$ to j in $[l, r]$
// AP type update on range.

$[l, n] \rightarrow$

$a[l] += 1$

$a[l+1] += 2$

$a[l+2] += 3$

$a[n] += \dots$

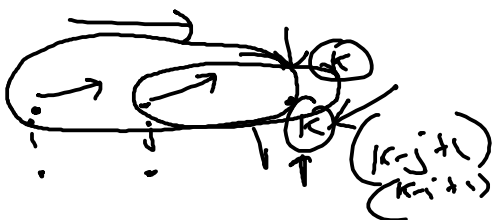
$(l, n) \times$

Update U , A U

$Up[l] += 1$

$Up[n] -= 1$

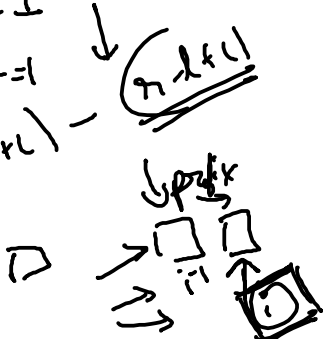
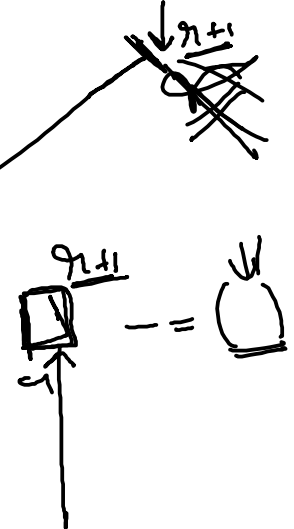
$(l, n) \quad (n, l)$

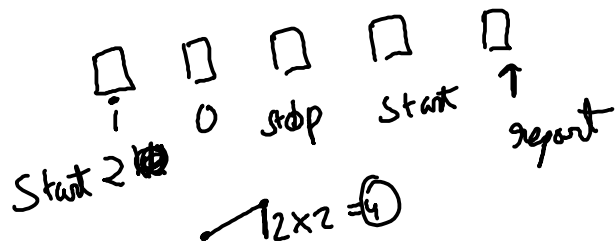


$[\dots]$
 $+1 \quad -2$

acc[i]
Update \rightarrow acc[i]

find



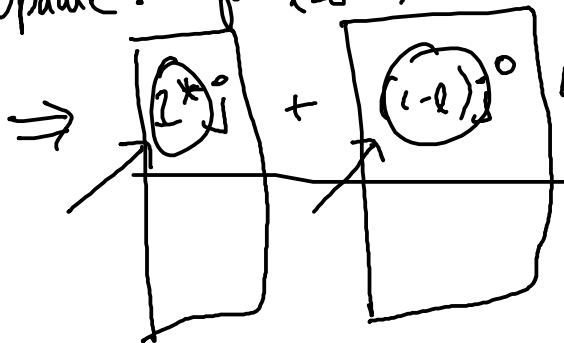


$$2 \times 2 = 4$$

// Process Q queries and then print the array
 // Query(l, r): add (j - l + 1) to j in [l, r]
 // AP type update on range.

$$[1, \dots, n] \rightarrow [1+1, 1+2, \dots, 1+n-1+1]$$

Update: for $l \leq j \leq r \rightarrow$ do.



$$A[j] = 1*j + 1$$

Relative

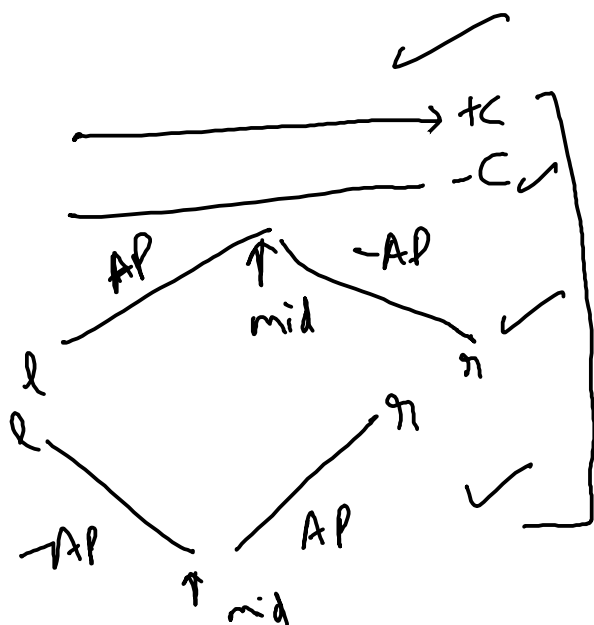
$$j-l+1$$

$$pw[l][l] += (1-l)$$

$$pw[l][r+1] -= (1-l)$$

$$pw[l][l] += 1$$

$$pw[l][r+1] -= 1$$



$$i*0 + C[l, n] \quad j^0 + j^1$$

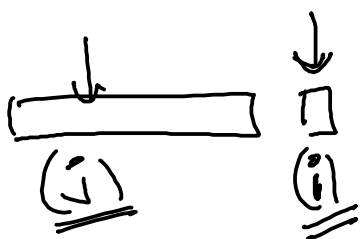
$$i*0 - C[l, n]$$

$$AP \rightarrow (l, mid) \quad \rightarrow AP (mid+1, n)$$

$$AP \rightarrow (l, mid) \quad \rightarrow \underline{(mid+1, n)}$$

-

$$(a_j - j) = (a_i - i) \quad \checkmark$$



$$\text{ans} = \text{freq}[\text{ans}] \cdot \text{freq}[\text{freq}[\text{ans}]] + 1$$

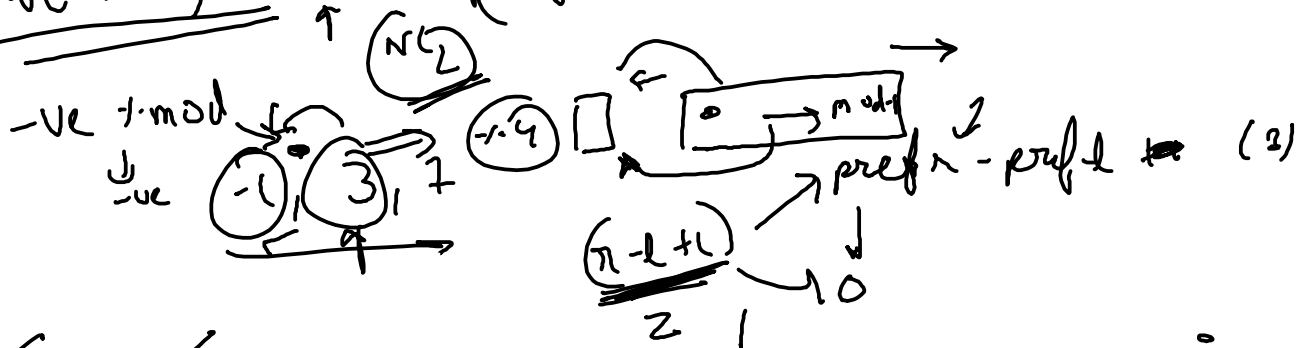
$$val = a_i - i^0$$

How many j had some val.

Count pairs where $(\text{Pref}[i] - \text{Pref}[j]) \% \text{mod} = (i - j) \% \text{mod}$

$$\text{pref}[i] \cdot i^{-1} \cdot \text{mod} - \text{pref}[j] \cdot j^{-1} \cdot \text{mod} = i \cdot j^{-1} \cdot \text{mod} - j \cdot i^{-1} \cdot \text{mod}$$

$$\underline{\underline{(\text{pref}[i] - i) \cdot \text{inv} \cdot \text{mod} = (\text{pref}[i] - j) \cdot \text{inv} \cdot \text{mod}}}$$



Given a Binary string, count substrings with $\text{freq}_1 > \text{freq}_0$.

$$\frac{\text{pref}[n] - \text{pref}[l-1]}{\text{count of 1s in my}} > \frac{n-l+1}{2}$$

$$2\text{prf}[n] - 2\text{prf}[l-1] \geq n - l + 1$$

$$\text{val} \rightarrow \boxed{2 \text{pref}[q] - q} > \boxed{2 \text{pref}[q-1] - (q-1)}$$

$\rightarrow \{ \text{key}_{id} \} \{ \text{key}_{id} \}$

$$\downarrow$$

$$val \Rightarrow 2_{pref} - i$$

ans += Count of
i that
has ~~val~~ val <
~~val - i~~

~~ids~~
↓
i-1

query [hosh-me, inf]