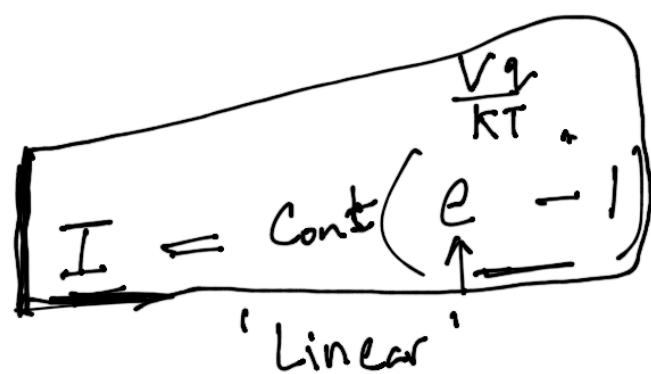


A	B	C	D
5	5	10	10
8	10	10	10
10	8	10	4.
8	5+10	5+2	2.+8

'Linear' & 'Circuit'
Diode



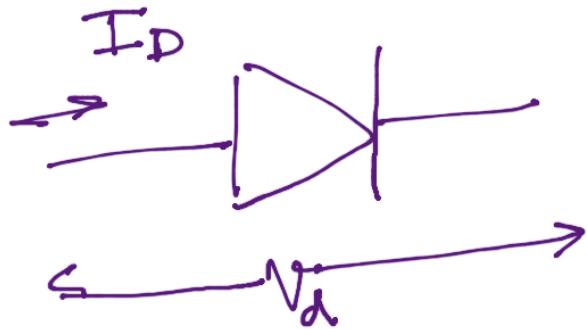
Expand

$$e^x = 1 + \frac{x}{1!} + \frac{x^2}{2!} + \frac{x^3}{3!} \dots$$

≈

$$\ln \frac{(I+1)}{\text{Const}} = \frac{V_D}{kT}$$

diode equation



$$I_D = I_s \left[\exp \left(\frac{V_d}{V_T} \right) - 1 \right]$$

Non eq.

$$V_T = \text{Thermal Voltage} = \frac{k \cdot T}{q}$$

k = Boltzmann's constant.

T = Temp (K)

q = Charge = 1.6×10^{-19} C

I_s = Constant

= Leakege current.

= Rev. Sat. Current

$$\exp \frac{V}{V_T} = \exp 'a'$$

$$a = \frac{V}{V_T}$$

$$\exp a = 1 + a + \frac{a^2}{2!} + \frac{a^3}{3!} + \dots$$

Diode in Non Linear

Under what conditions can it be considered linear.

$$a \rightarrow \text{small } (< 1)$$

higher a^2, a^3, \dots \rightarrow v. small
negligible

negligible

$$\exp a = 1 + a$$

$$\exp \frac{V_d}{V_T} = I_s \left(1 + \frac{V}{V_T} - 1 \right)$$

If $\frac{V_d}{V_T} \gtrsim 1 \Rightarrow V_d \ll V_T$

$$V_T = \frac{k(300k)}{q} = 26 \text{ mV}$$

What is the imp. of Linearization?

- Easy mathematical solution.
- analysis

Simp condition under which diode is linear.

A

5

8

10

8

- - - - -

10

10

10

B

5

10

8

5+10

10

10

10

10

- - - - -

C

10

10

10

5+2

10

10

10

10

- - - - -

D

10

10

4.

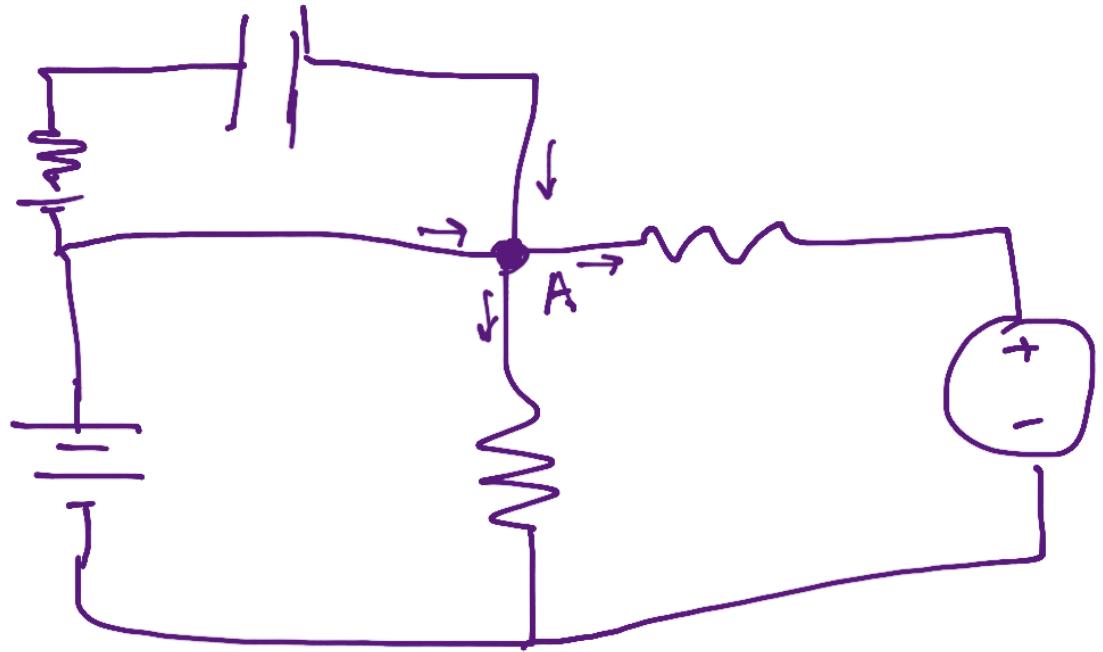
2.+8

10

10

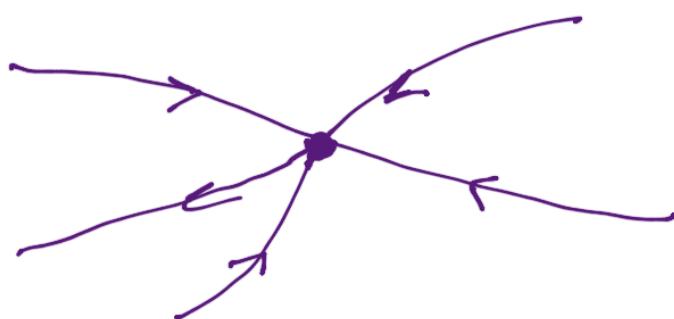
10

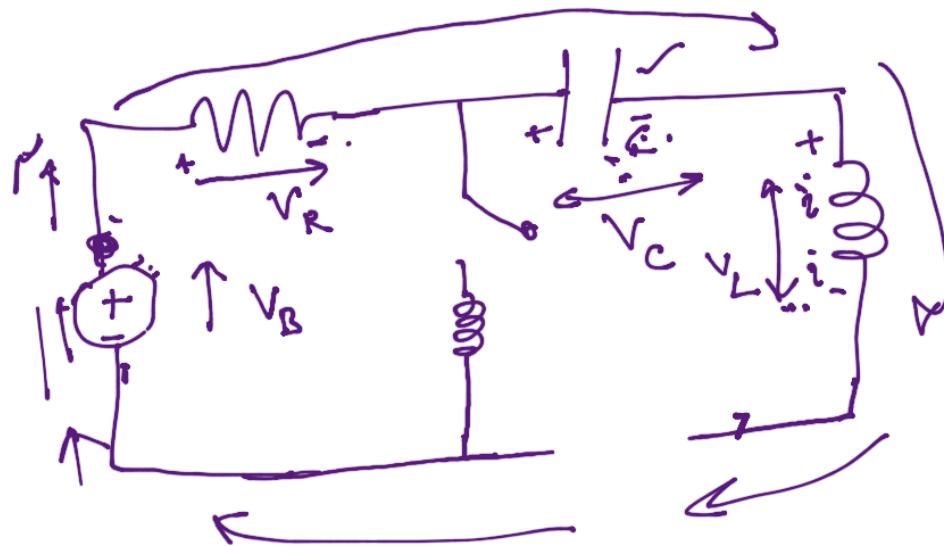
~



Total current at Node A
 Net current = 0

KCL Kirchhoff's Current Law
 $\sum i_{in} + \sum i_{out} = 0$





What is the total voltage/potential gained by the circuit. = 0

KVL Kirchoff's Voltage Law

$$\sum V = 0$$

$$V_B = V_R + V_C + V_L$$

$$\Rightarrow V_B - V_R - V_C - V_L = 0$$

$$\Rightarrow \sum_{(loop)} V = 0$$

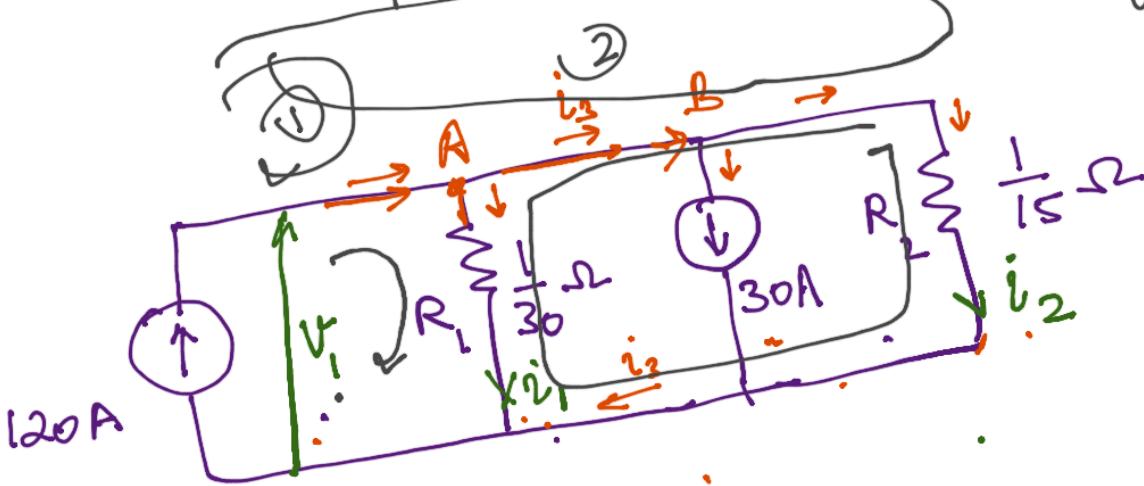
KVL

$$R_2 \times i_2 - R_1 \times i_1 = 0 \Rightarrow i_1 = 2i_2$$

Kop

$$\begin{aligned} \rightarrow V_1 &= \frac{i_1}{30} = \frac{i_2}{15} \quad [\text{Ohms}] \\ \rightarrow i_1 + i_2 + 30 &= 120 \quad (\text{KCL}) \\ \rightarrow 30V_1 + 15V_1 + 30 &= 120 \quad V_1 = \frac{90}{45} = 2 \end{aligned}$$

$$i_1 = 60 \quad i_2 = 30$$



(Mindful of direction KCL!)

Node A $120A = i_1 + i_3$

Node B $i_3 = i_2 + 30A$

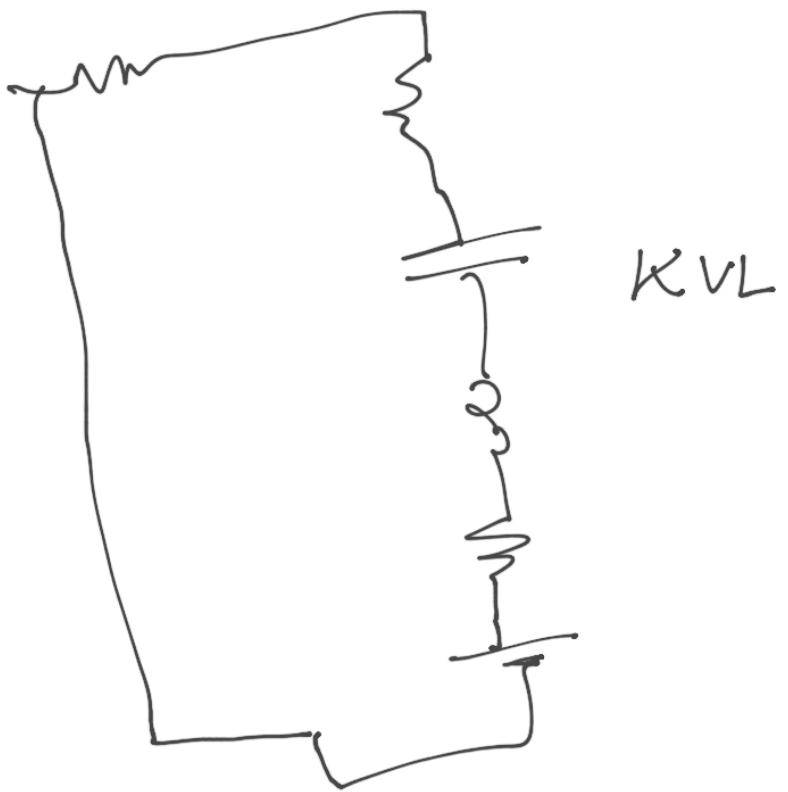
$$i_1 + i_2 + 30 = 120 \quad (\text{KCL})$$

Ohm's Law

$$\frac{1}{30} i_1 = \frac{1}{15} i_2 \Rightarrow i_1 = i_2 \times 2$$

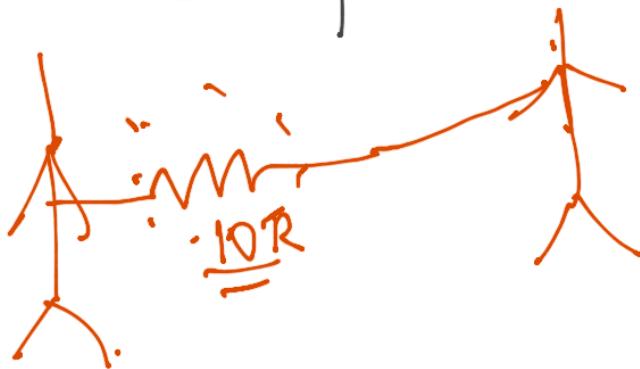
$$V = 2V, i_1 = 60A, i_2 = 30A \quad [B]$$

KVL

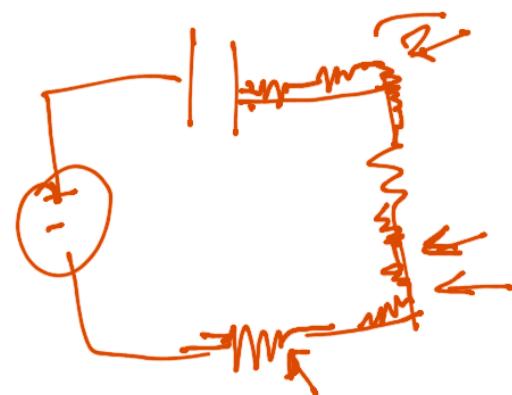
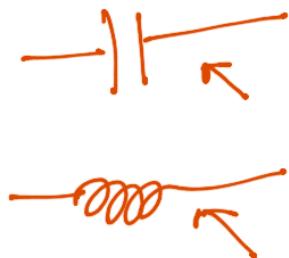
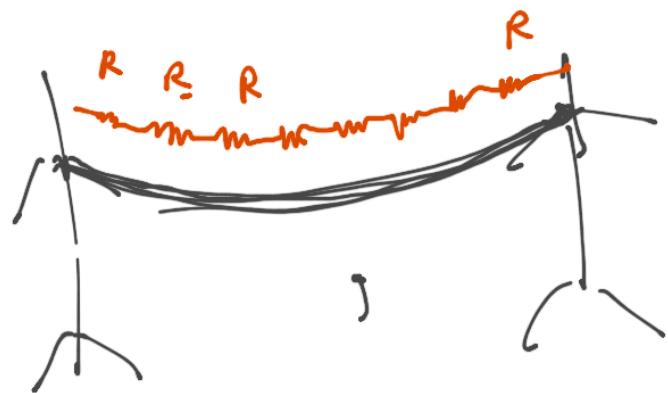


Chap - 3

Lumped



Distributed

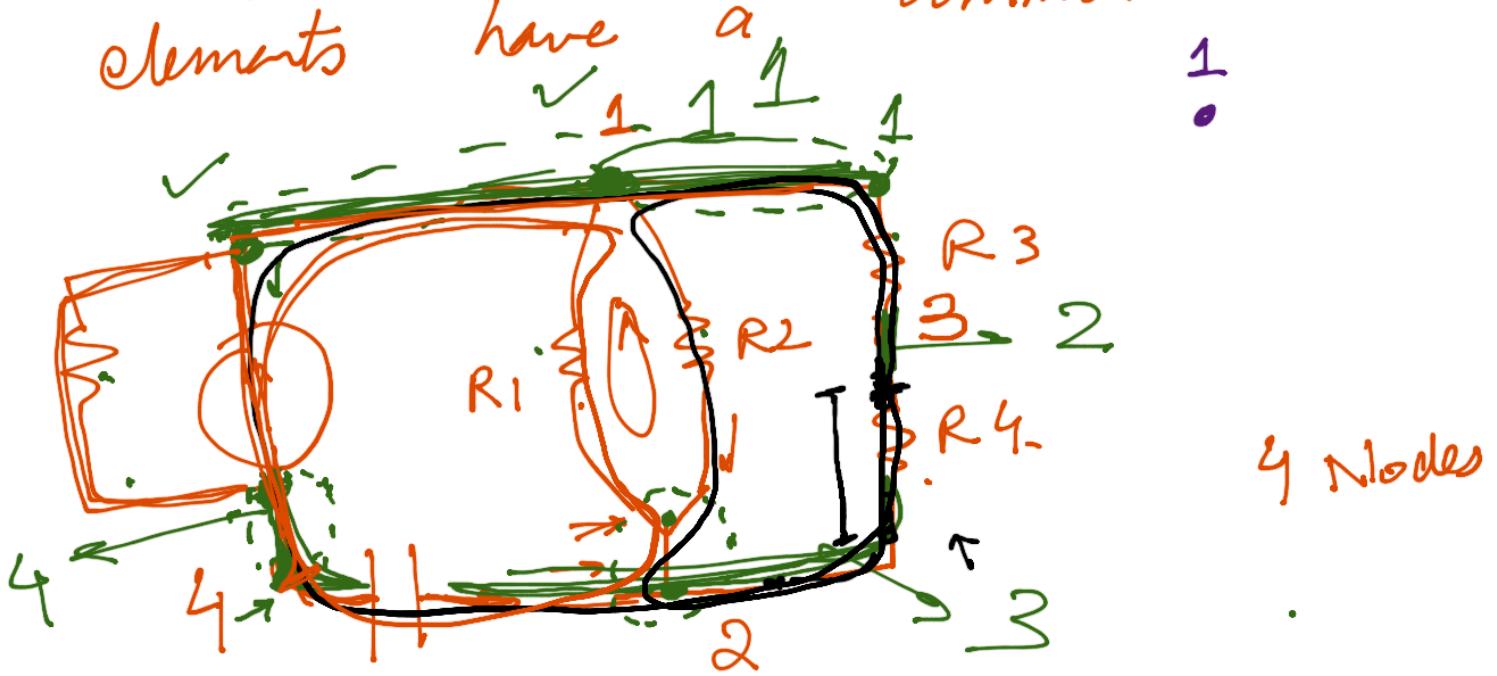


10K
100K
1M
⋮

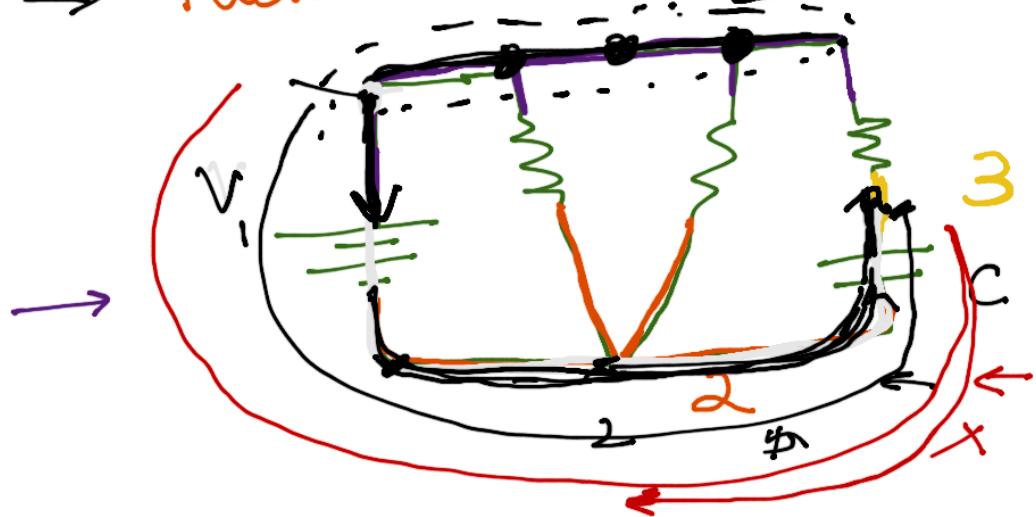
Uniformly present
throughout the
length of cont.

Node

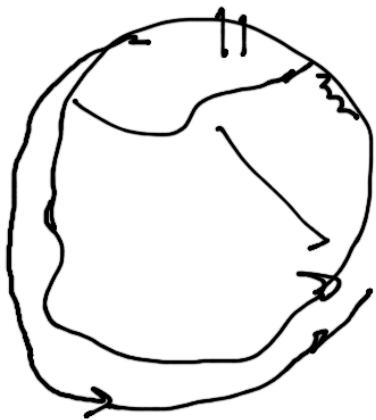
A point at which two or more elements have a common connection.



→ Ideal wire connection
1 node



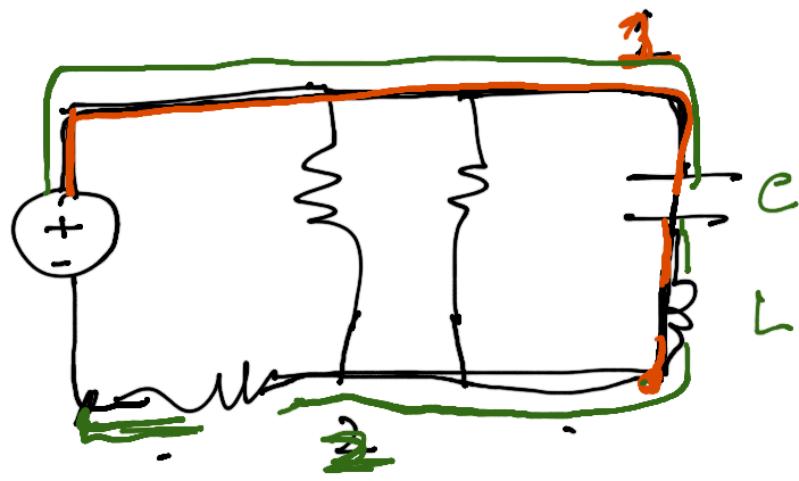
Path : No node or element is covered twice



Loop : Path starting & ending point are same.

Element = Component : $R, C, V_{source}, I_{source}, L$

Branch : One path with one element and its two nodes.



Log

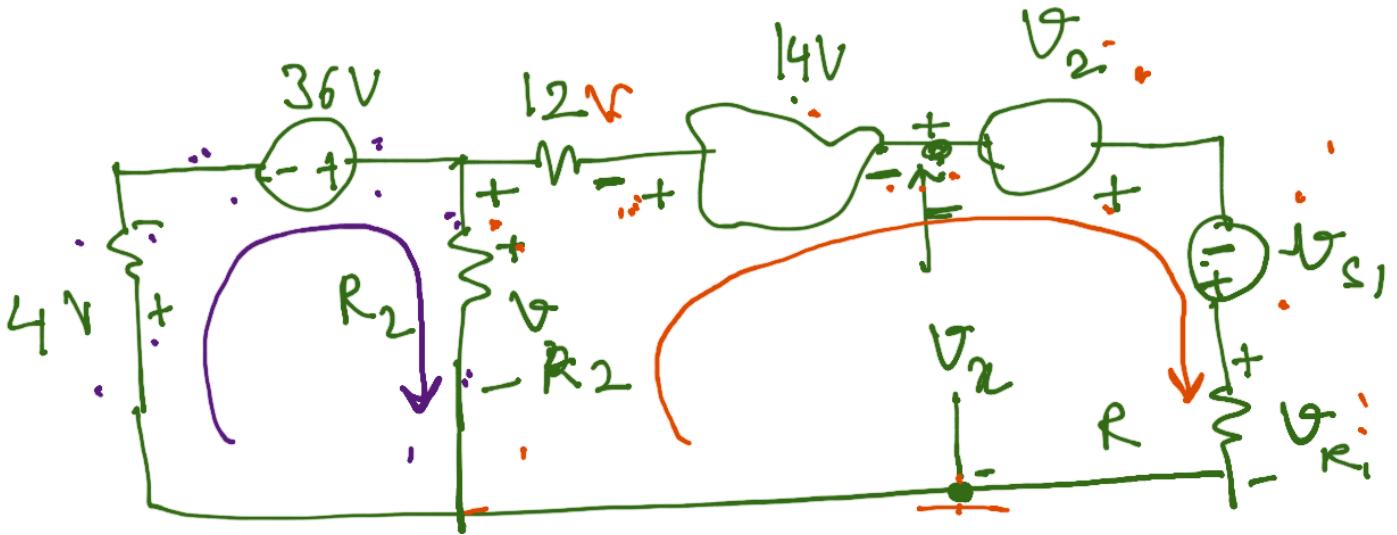
Node

KVL

KCL

$$\sum v = 0$$

$$\sum i = 0$$



KVL & find V_{R_2} & V_x

$$-4V + 36V - V_{R_2} = 0$$

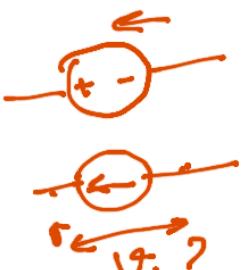
$$V_{R_2} = 32V$$

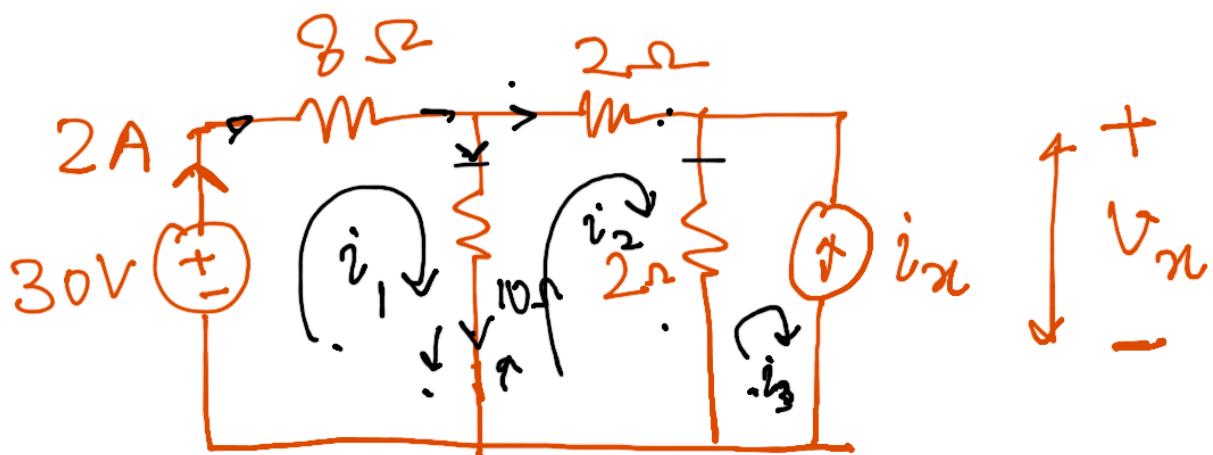
$$32 - 12V - 14V + \checkmark V_2 + \checkmark V_{S1} - \checkmark V_{R_1} = 0$$

$$V_2 + V_{S1} - V_{R_1} = 6V = V_x$$

2. Loop:
Fix dir. of traversing.

+ $\cancel{-}$
Drop
Pot. Inc.





Voltage across the current source i_x ?

KVL & KCL

$$V_x = 12.8V$$

$$i_1 = 2A$$

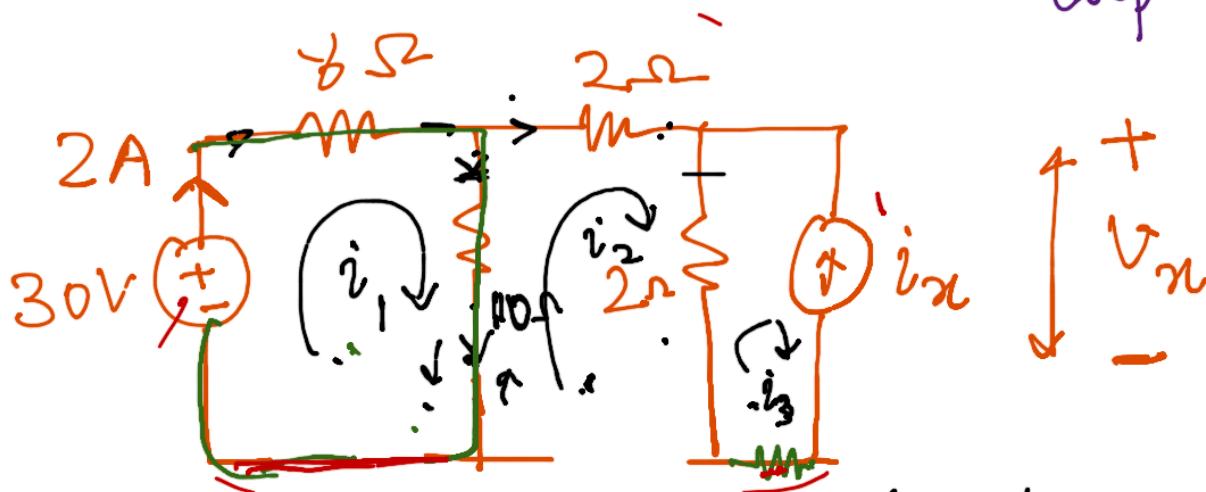
$$\underline{\underline{L1}} \quad 30 - 8 \times 2 - 10 \times (2 - i_2) = 0$$

$$i_2 = 1.4V$$

$$\underline{\underline{L2}} \quad 10(i_2 - i_1) - 2 * i_2 - 2(i_2 - i_3) = 0$$

$$i_3 = ?$$

$$\underline{\underline{L3}} \quad 2(i_3 - i_2) - V_x = 0 \quad V_x = 12.8V$$



'loop current'

1. Assumed current direction

(Drop, Rise)

Clockwise assume current in each loop.

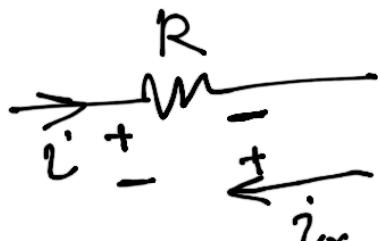
i_1, i_2, i_3

2. Write KVL

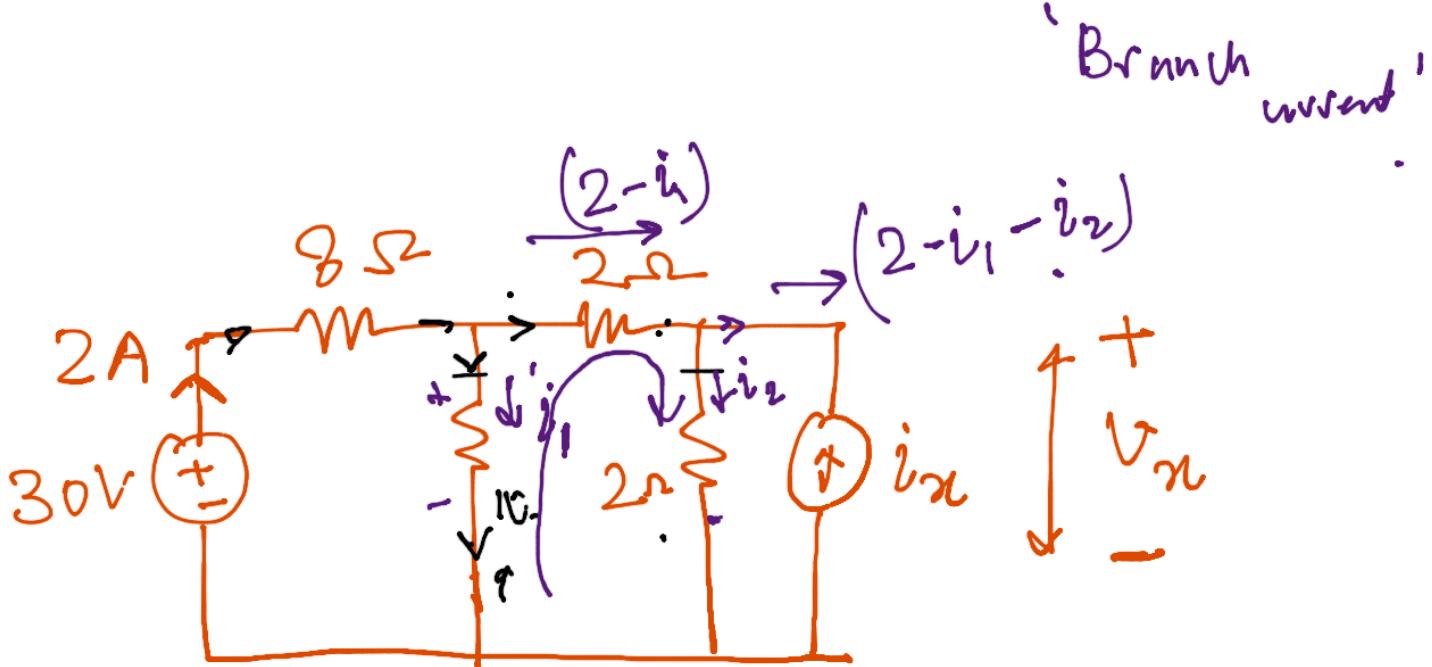
$$R \cdot i R$$



$$\underline{10(i_1 - i_2)}$$



$$R(i - i_x)$$



$$30 - 8 \times 2 - 10 i_1 = 0$$

$$i_1 = .$$

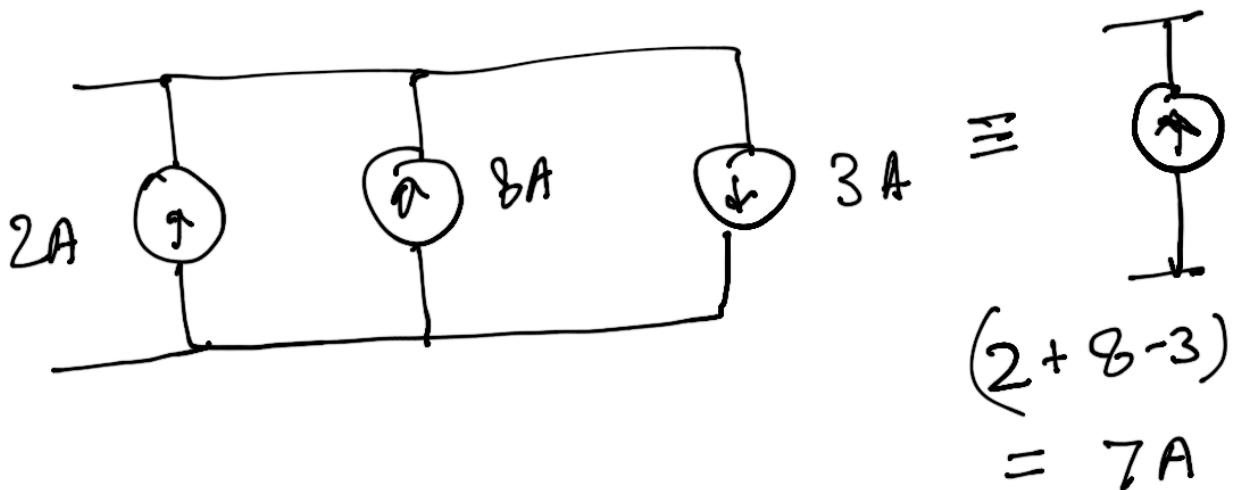
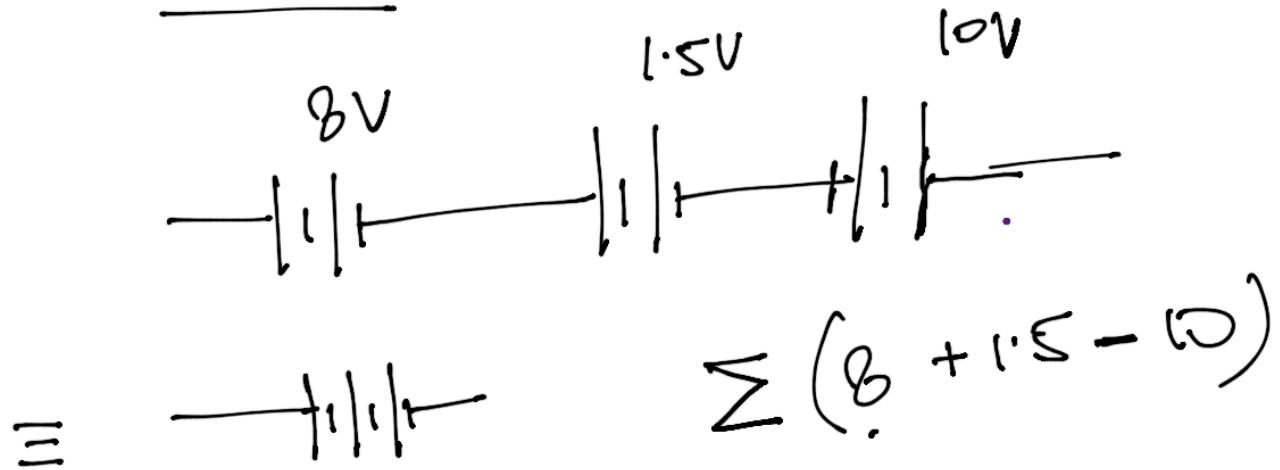
$$+ 10 i_1 - 2 (2-i) - 2 i_2 = 0$$

$$i_2 = 0$$

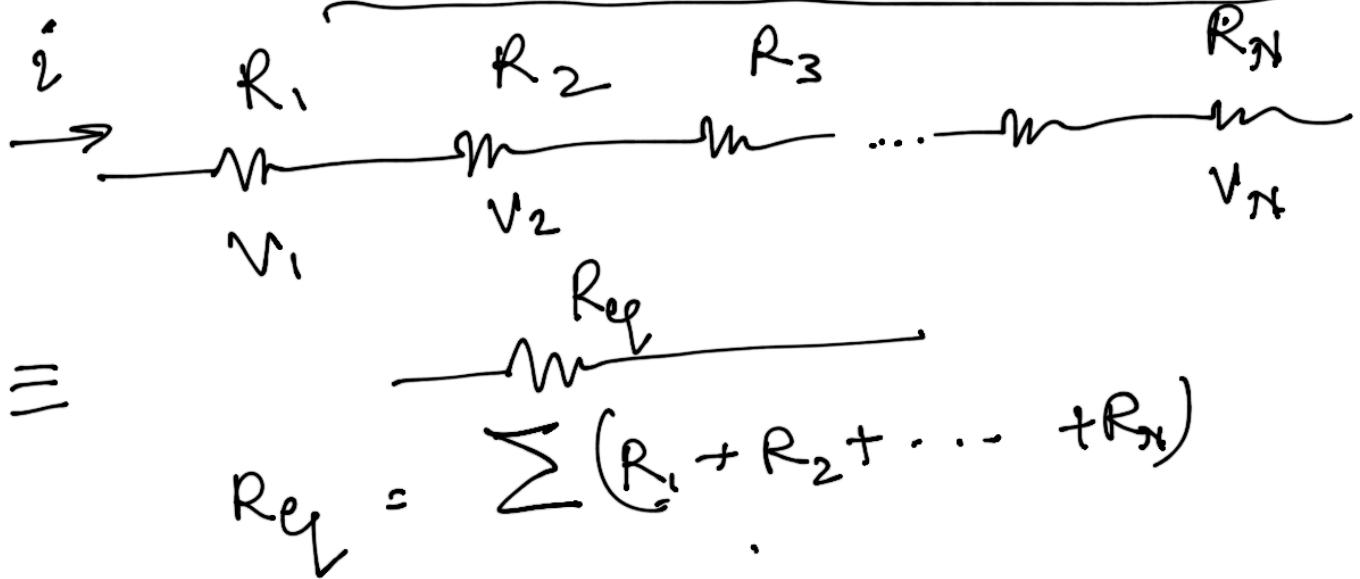
$$V_x = 2i$$

Assume current Branch
loop

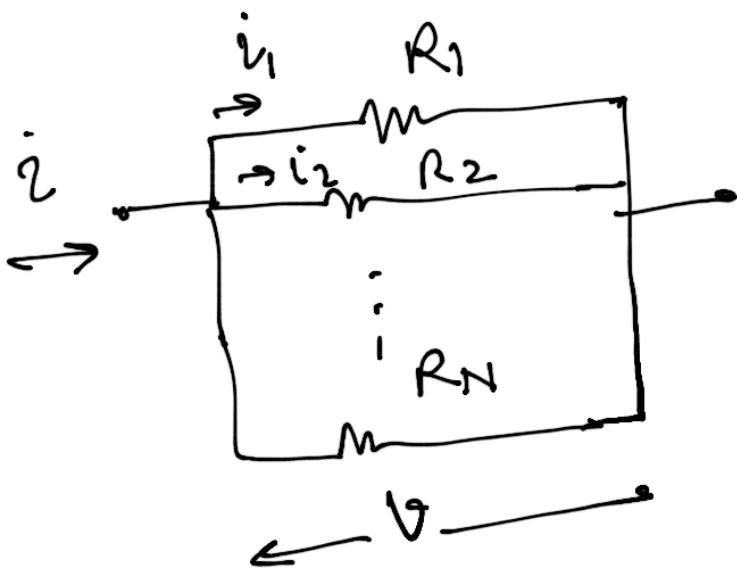
Series



Resistance is Series & parallel



$$\begin{aligned} V_{eq} &= (V_1 + V_2 + \dots) \\ &= \sum V_i \\ &= i \sum (R_1 + R_2 + \dots) \\ &= i R_{eq}. \end{aligned}$$



$$\begin{aligned} I &= \sum i \\ &= i_1 + i_2 + \dots + i_N \\ &= \frac{V}{R_1} + \frac{V}{R_2} + \dots + \frac{V}{R_N} \\ &= V \left(\frac{1}{R_1} + \dots + \frac{1}{R_N} \right) \\ I &= \frac{V}{R_{eq}}. \end{aligned}$$