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% Fall 2018
% Name: Terry-Ann Sneed
% Lab # 7
clear all
close all
syms t k L n % Initialize symbolic variables
evalin(symengine, 'assume(k, Type::Integer)'); % Let matlab know that
the variable k is an integer
a = Q(f,t,k,L) int(f*cos(k*pi*t/L)/L,t,-L,L); % create kth cosine
coefficient a
b = Q(f,t,k,L) int(f*sin(k*pi*t/L)/L,t,-L,L); % create kth sine
coefficient b
fs = Q(f,t,n,L) a(f,t,0,L)/2 + ...
                                         symsum(a(f,t,k,L)*cos(k*pi*t/L)
+ b(f,t,k,L)*sin(k*pi*t/L),k,1,n);
                                       % generate the nth partial sum
f = t; % Original function
n = [2 10 20 50 100];
g = inline(vectorize(fs(f,t,2,1))); h =
inline (vectorize (f)); X = -1:.001:1;
rmse_1 = sqrt(sum((h(X)-g(X)).^2)/n(1))
g = inline(vectorize(fs(f,t,10,1))); h =
inline(vectorize(f)); X = -1:.001:1;
rmse 2 = sqrt(sum((h(X)-g(X)).^2)/n(2))
g = inline(vectorize(fs(f,t,20,1))); h =
inline (vectorize (f)); X = -1:.001:1;
rmse 3 = sqrt(sum((h(X)-g(X)).^2)/n(3))
g = inline(vectorize(fs(f,t,50,1))); h =
inline(vectorize(f)); X = -1:.001:1;
rmse 4 = \operatorname{sqrt}(\operatorname{sum}((\operatorname{h}(X) - \operatorname{g}(X)).^2) / \operatorname{n}(4))
q = inline(vectorize(fs(f,t,100,1))); h
= inline(vectorize(f)); X = -1:.001:1;
rmse 5 = sqrt(sum((h(X) - g(X)).^2) / n(5))
rmse array = [rmse 1 rmse 2 rmse 3 rmse 4 rmse 5];
plot(rmse array, n)
title("RMSE vs N")
rmse 1 =
8.9739
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 $rmse_2 =$

1.9894

 $rmse_3 =$

1.0193

 $rmse_4 =$

0.4256

 $rmse_5 =$

0.2258

