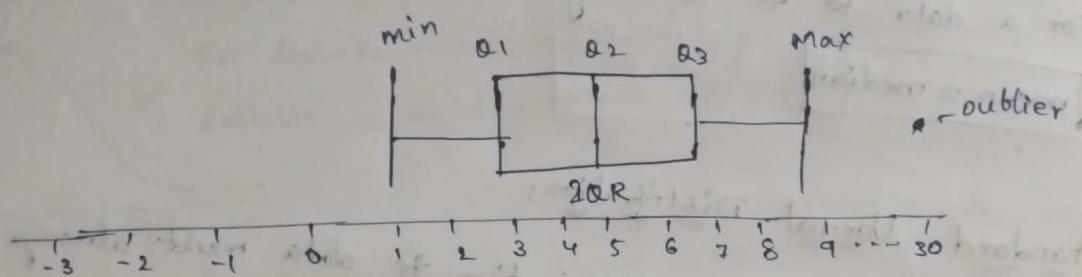


October - 29:

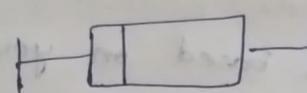
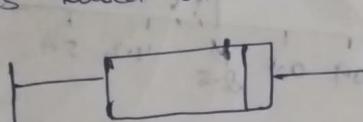
$IQR \rightarrow$ Inter Quartile Range.

Box plot:



Any value below minimum & above maximum are called outliers.

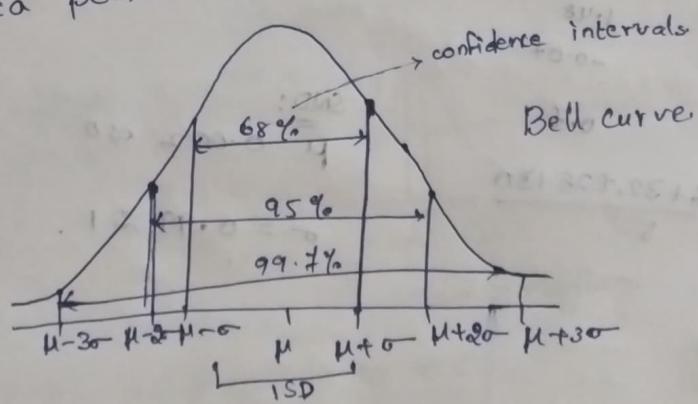
Some ex's of box plot: The box plot doesn't look the same everytime, it varies based on distribution of data



Different Types of Distributions:

1. Normal Distribution (suitable for numerical data):

- * The Normal distribution often called as "Gaussian Distribution" is one of the most important probability distribution in statistics & Machine Learning.
- * It is "Symmetric" & "Bell-shaped", centered around the mean, where most of the data points are clustered.



Empirical Rule:

1. 68% of the data lies within one standard deviation ($+ \sigma$ to $- \sigma$)
2. 95% of the data lies within two standard deviation ($+ 2\sigma$ to $- 2\sigma$)
3. 99.7% of the data lies within three standard deviation ($+ 3\sigma$ to $- 3\sigma$)

Formula:

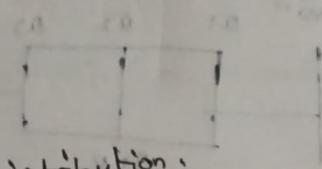
$$f(x) = \frac{1}{\sqrt{2\pi}\sigma^2} e^{-\frac{(x-\mu)^2}{2\sigma^2}}$$

probability density function (PDF)

Example: Human height, weight, test scores etc often follow a normal distribution.

* For a data to be normally distribution it need to have its

$$\boxed{\text{mean} = \text{median}}$$

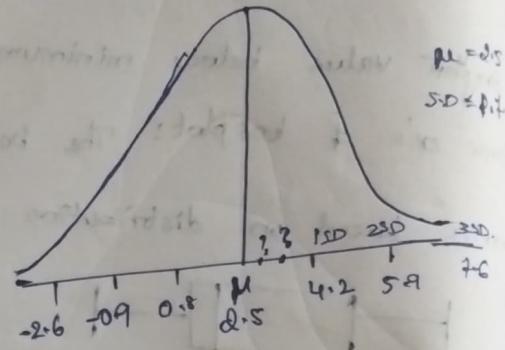


* Standard Normal Distribution:

in Standard Normal Distribution, the data must always possess

* In Standard Normal Distribution, the data must always possess

$$\boxed{\begin{array}{l} \text{mean } \mu = 0 \\ \text{standard deviation } SD = 1. \end{array}}$$



* The SD varies based on your confidence interval.

for 68% $\rightarrow +1SD - 1SD$

for 50% $\rightarrow ? \dots$ tough to calculate.

* To calculate the value for any point it is hard to go with normal distribution so we follow standard normal devt. distribution

Ex:	ND	SND
	Age	Age
	25	-1.25
	26	-0.85
	32	1.48
	28	-0.07
	30	0.7

$$\boxed{SND = \frac{x_i - \mu}{SD}}$$

$$\overline{ND} : \mu = \frac{25+26+32+28+30}{5}$$

$$= \frac{141}{5}$$

$$\boxed{M = 28.2}$$

$$\overline{SND} : \mu = 0.002 \approx 0.$$

$$\sigma = 0.99 \approx 1.$$

$$\sigma^2 = \frac{\sum_{i=1}^n (x_i - \bar{x})^2}{n}$$

$$SD = \sqrt{N}$$

$$= \sqrt{0.2}$$

$$\sigma = 6.56$$

$$\boxed{\sigma = 2.56}$$