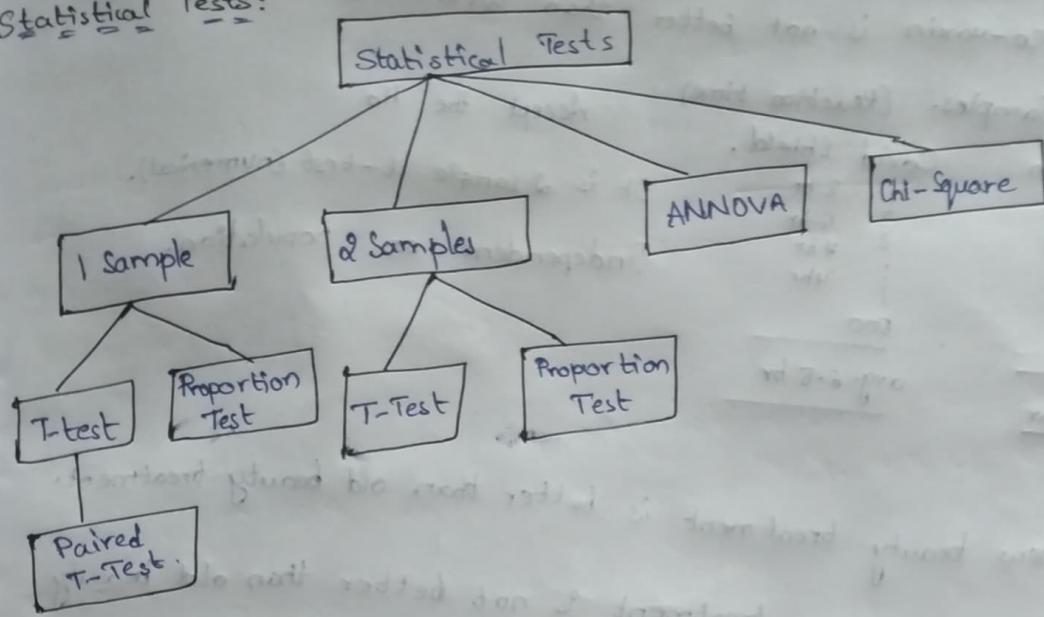


Nov-5:

## Statistical Tests:



Example:

H<sub>0</sub>: The avg. salary of Bangalore IT employees is 25k  
H<sub>A</sub>: No, The avg. salary of Bangalore IT employees is not 25k.

Here, we need minimum one sample. We collect salary of employees (numerical data)

$$H_0 = 25k$$

$$H_A \neq 25k$$

30K  
28K  
18K  
25K  
40K  
20K  
29K

This is two-tailed test.

This is called as "1 sample T-test" & it is dependent on population.

H<sub>0</sub>: In India, 50% of people are unemployed

H<sub>A</sub>: No, In India more than 50% of people are not unemployed.

1 Tail test : H<sub>0</sub> > 50% , H<sub>A</sub> < 50%

We have to accept the Null hypothesis.

1 sample

Yes

No

No

Yes

No

Yes

Categorical  
data

→ One Sample proportion Test &

dependent on population.

80% UE & 40% E

3. vaccine

$H_0$ : The Co-vaxin is better than covid shield.

$H_A$ : No, Co-vaxin is not better than covid shield

d Samples. (Reaction time)

Co-vaxin	Covid	Shield.
1	2 hr	8 hr
2	2.5 hr	12 hr
3	1.5 hr	7 hr
:	3 hr	4 hr
50		800
avg.	3.5 hr	avg. 6.5 hr

Accept the  $H_0$

It is d sample t-test (Numerical).

Independent on population.

4. old beauty treatment.

$H_0$ : The new beauty treatment is better than old beauty treatment.

$H_A$ : No the new beauty treatment is not better than old beauty treatment.

Sample 1 → Sample 2

New beauty old beauty Treatment.

Treatment.

1	No	1 Yes	Reject the $H_0$ .
2	No	2 Yes	It is 2-sample proportion test
3	Yes	3 Yes	Independent on population.
:		⋮ No	
50	No	50 Yes	
		40 - Yes	
		10 - No	
		15 - Yes	

5. difference.

$H_0$ : New weight loss program where you can see significant difference.

$H_A$ : No by new weight loss program you can't be able to see significant difference.

Sample

Before treatment

After treatment.

1	83 kg	1 81 kg	Accept the $H_0$
2	95 kg	2 80 kg	Numerical data.
3	78 kg	3 80 kg	It is one sample paired T-test.
:		⋮	
50	110 kg	50 88 kg	

## ANOVA Test (Analysis of Variance):

$H_0$ : Your Batch students can't able to score more than 90M.

$H_A$ : My Batch students will score more than 90M.

B1	B2	B3	B4	B5
1. 72	.	.	.	.
2. 65	.	.	.	.
3. 81	.	.	.	.
4. 90	.	.	.	.
⋮	.	.	.	.
5. 87	<u>82</u>	<u>89</u>	<u>94</u>	<u>89</u>
				<u>63</u>

Reject  $H_0$ .

If one sample is proving it is enough

### Questions:

1. In the 2000 Indian census the age of the individual in a small town where found to be the following:

In the year 2000.

Less than 18	18 - 35	> 35
20%	30%	50%

- In 2010 Age of  $n=500$  individuals were sampled, below are the results.

In the year 2010

Less than 18	18 - 35	> 35
121	288	91

- Using  $\alpha = 0.05$  would you calculate the population distribution of ages has changed in the last ten years?