```
true = \x.\y.x
false = \x.\y.y

or = \p.\q.((p q) false)
and = \p.\q.((p true) q)
not = \p.\a.\b.((p b) a)
if = \b.\t.\e.((b t) e) = \b.b
xor = \p.\q.((p (q false true)) q)
eq = \p.\q.(not ((xor p) q))
```

Alpha Renaming: $(\y (y (y w))) \rightarrow (\g (g (y w)))$

Beta Reduction: (\p. B a) → plug in a for all instances of p in B

Eta Reduction: $(\lambda x. (E x)) \rightarrow E$

```
0 = \f.\x.x
1 = \f.\x.(f x)
2 = \f.\x.(f (f x))
3 = \f.\x.(f (f (f x)))
...
n = \f.\x.(f ... (f x) ...)
```

```
succ = \n.\f.\x.(f ((n f) x))
add = \n.\m.((m succ) n)
mult = \n.\m.\f.(m (n f))
exp = \n.\m.(n m)
```

Pairs:

```
pr = \x.\y.\b.((b x) y)
1st = \l.(l true)
2nd = \l.(l false)
```

List:

```
nil = \l.true
prepend = pr
head = 1st
tail = 2nd
isNil? = \l.(l \h.\t.false)
```