

∫ IRIS Macroeconomic Modeling Tutorials

## READ AND SOLVE MODEL

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### Summary

Create a model object by loading the model file `Simple_SPBC.model`, assign parameters to the model object, find its steady state, and compute the first-order accurate solution. The model object is then saved to a mat file, and ready for further experiments.

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## I CLEAR WORKSPACE

Clear workspace, close all graphics figures, clear command window, and check the IRIS version.

```
14 clear;
15 close all;
16 clc;
17 irisrequired 20140315;
```

## 2 READ MODEL FILE AND CREATE MODEL OBJECT

The function `model` reads the model file and translates it into a model object, called here `m`. Model objects are complex structures that carry all the information needed about the model, and can be manipulated by calling some of the IRIS functions.

```
26 m = model('simple_SPBC.model');
27 m2 = model('simple_SPBC.model', 'syndiff=', false);
```

## 3 CALIBRATE MODEL PARAMETERS

Assign parameters using the simplest possibly syntax: `m.XXX = YYY`; where `XXX` is the name of a parameters, and `YYY` is its value. Use the function `get` [1](#) to retrieve a database with currently assigned parameter values.

```
36 m.alpha = 1.03^(1/4);
37 m.beta = 0.985^(1/4);
38 m.gamma = 0.60;
39 m.delta = 0.03;
40 m.pi = 1.025^(1/4);
41 m.eta = 6;
42 m.k = 10;
43 m.psi = 0.25;
44
45 m.chi = 0.85;
46 m.xiw = 60;
47 m.xip = 300;
48 m.rhoa = 0.90;
49
50 m.rhor = 0.85;
51 m.kappap = 3.5;
52 m.kappan = 0;
```

```

53
54 m.Short_ = 0;
55 m.Infl_ = 0;
56 m.Growth_ = 0;
57 m.Wage_ = 0;
58
59 m.std_Mp = 0;
60 m.std_Mw = 0;
61 m.std_Ea = 0.001;
62
63 disp('Get a parameter database from the model object');
64 get(m,'parameters') 1

```

#### 4 COMPUTE STEADY STATE

Compute and numerically check the steady-state values for all model variables. The option 'growth=' true 2 says this is a non-stationary BGP model where variables can grow at a constant rate over time (the steady-state solution is modified to handle such models). The option 'blocks=' true 3 allows to explore the steady-state structure of the model, and makes the numerical solution more efficient by splitting the system of steady-state equations into smaller recursive blocks clusters.

```

77 m = sstate(m,'growth=',true,'blocks=',true); 2 3
78 chksstate(m);
79
80 m2 = assign(m2,m);
81 m2 = sstate(m2,'growth=',true,'blocks=',true); 2 3
82 chksstate(m2);

```

#### 5 COMPUTE FIRST ORDER SOLUTION

```

86 m = solve(m);
87
88 disp('Solved model')
89 m %#ok<NOPTS>

```

#### 6 SAVE MODEL OBJECT

Save the solved model object to a mat-file (binary file) for future use.

```
95 save read_model.mat m;
```

## 7 HELP ON IRIS FUNCTIONS USED IN THIS FILE

Use either `help` to display help in the command window, or `idoc` to display help in an HTML browser window.

```
help model/model  
help model/subsasgn  
help model/assign  
help model/sstate  
help model/chksstate  
help model/solve
```