

Valor esperado

$$E[X] = \sum_{i=1}^{\infty} x_i p(x_i)$$

Variância

$$\text{Var}(X) = E[(X - \mu)^2]$$

Desvio padrão

$$\sigma := \sqrt{\text{Var}[X]}$$

Distribuição de Boltzmann

$$p_i \propto e^{-\frac{\varepsilon_i}{kT}}$$

$$p_i = \frac{e^{-\varepsilon_i/kT}}{\sum_{j=1}^M e^{-\varepsilon_j/kT}}$$

p_i - probabilidade do sistema estar no estado i

ε_i - energia do estado

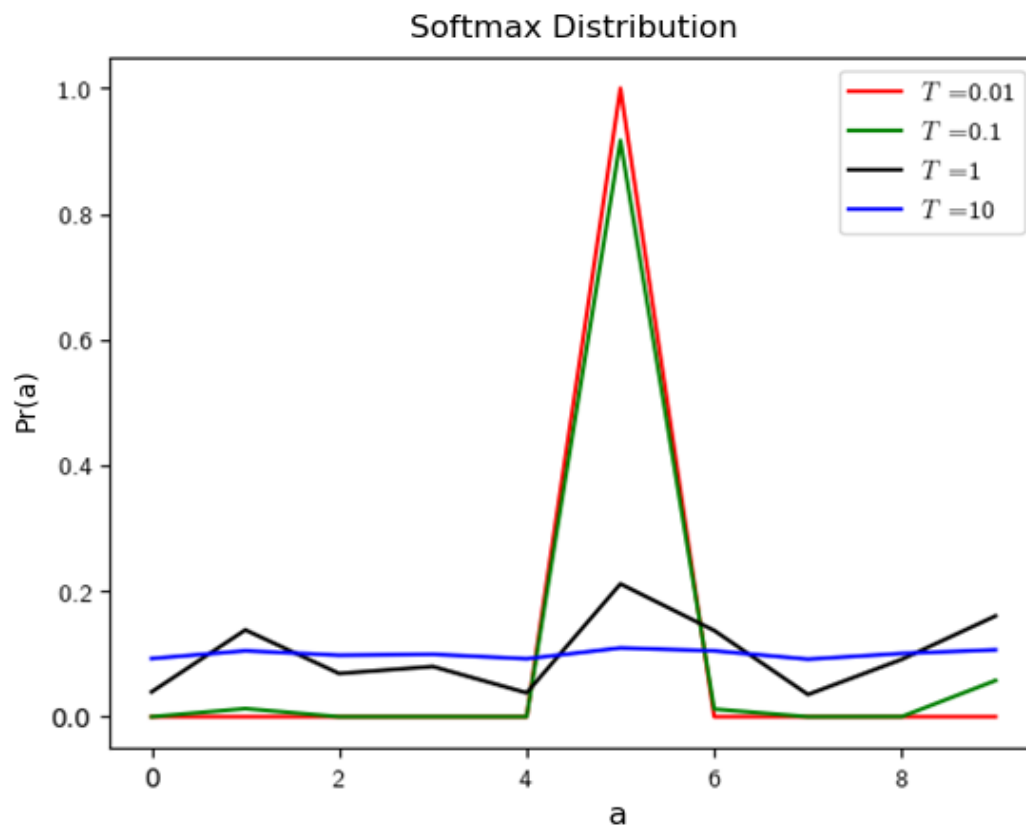
k - constante de Boltzmann

T - temperatura

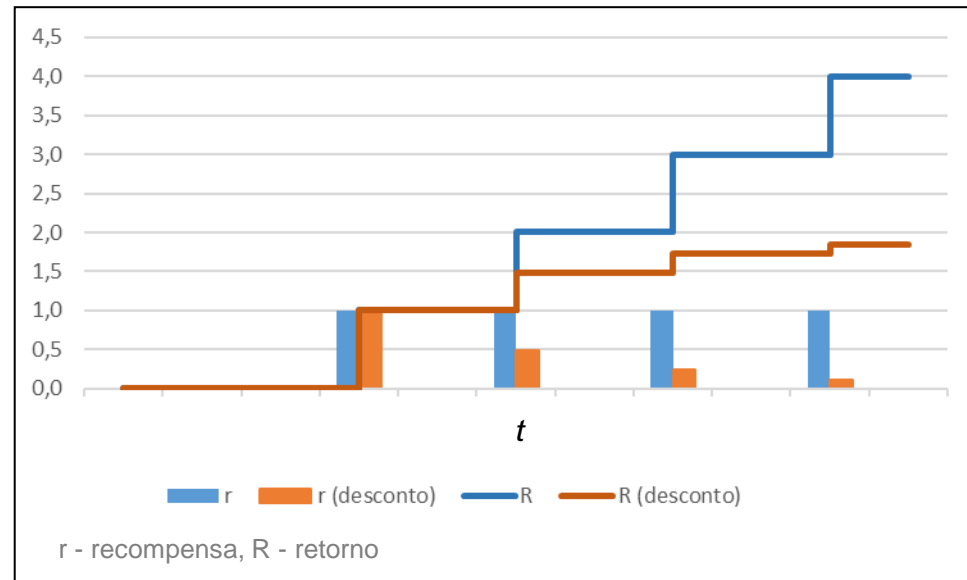
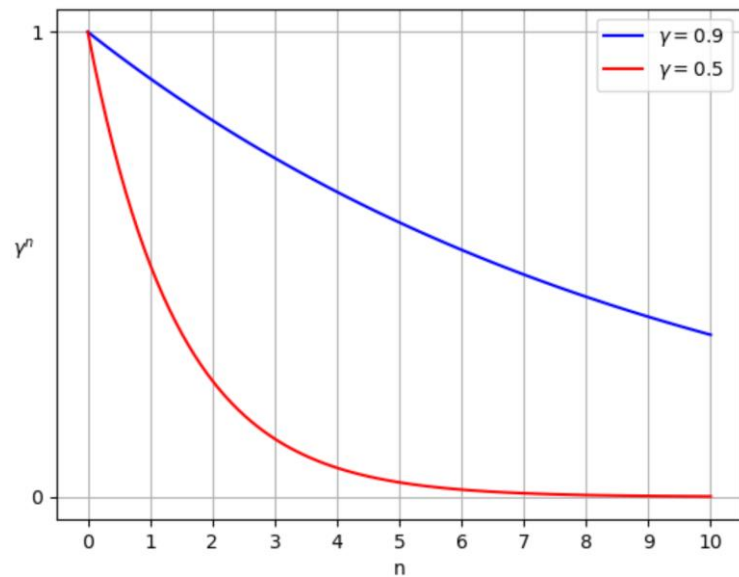
M - número de estados

Distribuição *Soft-max*

$$\Pr\{A_t = a\} = \frac{e^{Q_t(a)/\tau}}{\sum_{b=1}^k e^{Q_t(b)/\tau}}$$



γ - Factor de desconto



REFERÊNCIAS

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D. Silver, UCL Course on RL, <https://www.davidsilver.uk/teaching>, 2020