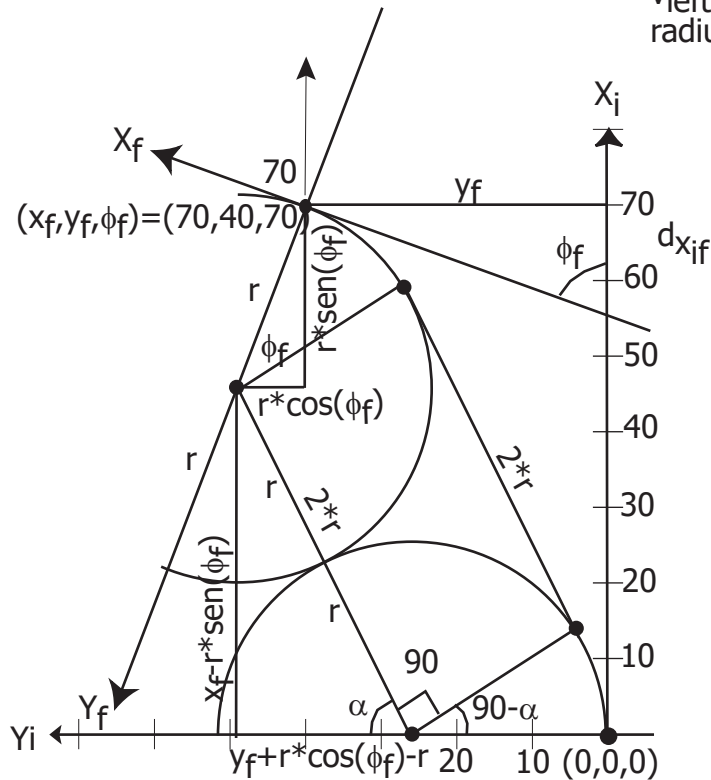


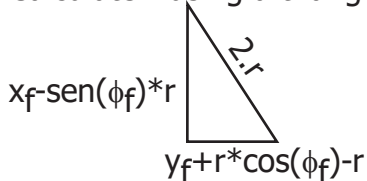
Theoretical trajectory 1

Consider a goal point (x_f, y_f, ϕ_f) where $x_f > y_f$. When a straight line intersects both (x_f, y_f) with angle ϕ_f and the axis x_i in a point value greater than zero, by other words ($d_{x_{if}} \leq x_f$).

The theoretical trajectory can be,
curveLeft($r, 90-\alpha$)
straight($2*r$),
curveLeft($r, \phi_f(90-\alpha)$).



1. Calculate r using a triangle,



by pitagoras theorem,
 $(2*r)^2 = (x_f - r*\cos(\phi_f))^2 + (y_f + (r*\cos(\phi_f) - 1)*r)^2$,

the coefficients of resolvent formula are,
 $a = 2 + 2*\cos(\phi_f)$; $b = 2*y_f*(1 - \cos(\phi_f)) + 2*x_f*\sin(\phi_f)$;
 $c = -(x_f^2 + y_f^2)$

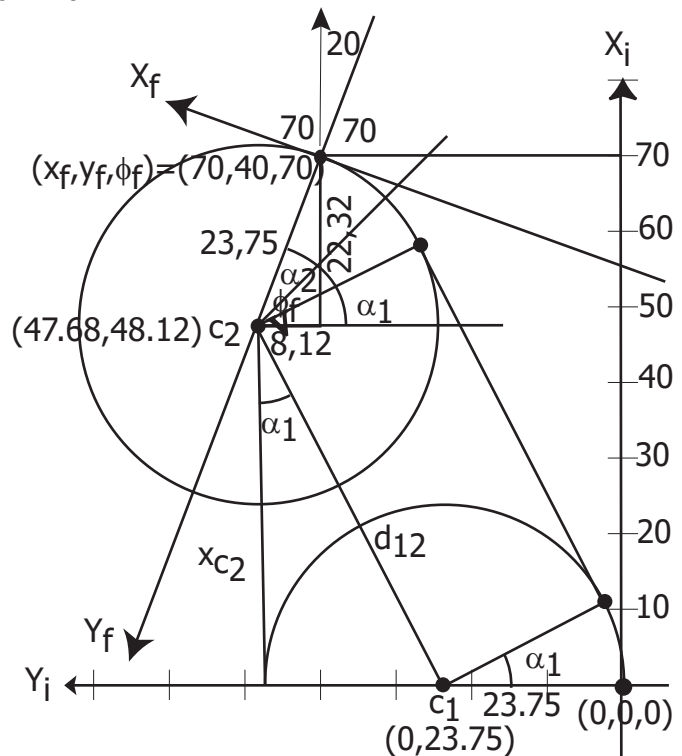
using these coefficients in a resolvent formula, we get $r = 25.68$

2. Calculate angle α
 $\sin(\alpha) = (x_f - r*\cos(\phi_f))/2*r$
 $\alpha = \arcsin((x_f - r*\cos(\phi_f))/2*r)$
in example, $a = 63,27$.

3. The theoretical trajectory is,
curveLeft(25.68, 26.73),
straight(51.36),
curveLeft(25.68, 43.27).

Practical Trajectory 1

Considering $d_{bw} = 9,5\text{cm}$, $v_{\text{robot}} = 40$, $v_{\text{min}} = 20$, $v_{\text{max}} = 80$,
 $f > 1$ and $\text{radius}_t = 25,68\text{cm}$ then the theoretical left velocity is:
 $f = (25,68 + 4,75)/(25,68 - 4,75) = 1,454$,
 $v_{\text{left}} = 2/(2,454)*40 = 32,60$
Then, the practical values are:
 $v_{\text{left}} = 32$, $v_{\text{right}} = 48$, $f = 1,5$,
 $\text{radius}_p = (d_{bw}/2)*((f+1)/(f-1)) = 23,75\text{cm}$



1. Calculate c_2 with $r = 23,75$ and $(70, 40, 70)$,
 $x_{c2} = x_f - r*\sin(\phi_f) = 70 - 22,32 = 47,68$,
 $y_{c2} = y_f + r*\cos(\phi_f) = 40 + 8,12 = 48,12$.

2. Calculate distance d_{12} between c_1 and c_2 ,
 $d_{12} = ((x_{c1} - x_{c2})^2 + (y_{c1} - y_{c2})^2)^{0,5}$
 $d_{12} = 53,55$

3. Calculate α_1 and α_2 ,
 $\alpha_1 = \arccos(x_{c2}/d_{12}) = 27,08$
 $\alpha_2 = \phi_f - \alpha_1 = 42,92$

4. The practical trajectory is,
curveLeft(23.75, 27.08),
straight(53.55),
curveLeft(23.75, 42.92).