Homework2 Empirical Exercise

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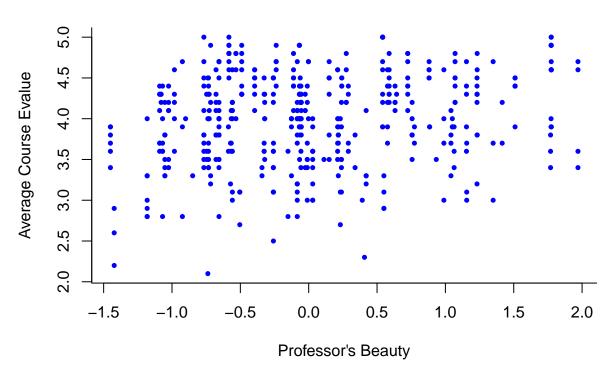
E4.3

a.

Construct a scatterplot of average course evaluations (Course_Eval) on the professor's beauty (Beauty). Does there appear to be a relationship between the variables?

```
library(foreign)
classdata <- read.dta("C:/econometrics/teachingRate/TeachingRatings.dta")</pre>
 head(classdata[c("beauty", "course_eval")])
##
         beauty course_eval
## 1 0.2899157
                        4.3
## 2 -0.7377322
                        4.5
                        3.7
## 3 -0.5719836
## 4 -0.6779634
                        4.3
## 5 1.5097942
                        4.4
## 6 0.5885687
                        4.2
df <- classdata[c("beauty", "course_eval")]</pre>
summary(df)
##
        beauty
                        course_eval
          :-1.45049
                              :2.100
## Min.
                     Min.
## 1st Qu.:-0.65627
                       1st Qu.:3.600
## Median :-0.06801
                      Median :4.000
         : 0.00000
## Mean
                       Mean
                              :3.998
## 3rd Qu.: 0.54560
                       3rd Qu.:4.400
          : 1.97002
## Max.
                       Max.
                              :5.000
 # generate a scatterplot
  plot(df$beauty, df$course_eval, col = "blue", pch =16, cex = 0.7, bty = "l",
       main = "Scatterplot of Average Course Evalue vs. Professor's Beauty",
       xlab = "Professor's Beauty", ylab = "Average Course Evalue")
```

Scatterplot of Average Course Evalue vs. Professor's Beauty



Yes, there appear to be a positive relationship between the varibles.

b.

Run a regression of average course evaluations (Course_Eval) on the professor's beauty (Beauty). What is the estimated intercept? What is the estimated slope? Explain why the estimated intercept is equal to the sample mean of Course_Eval. (Hint: What is the sample mean of Beauty?)

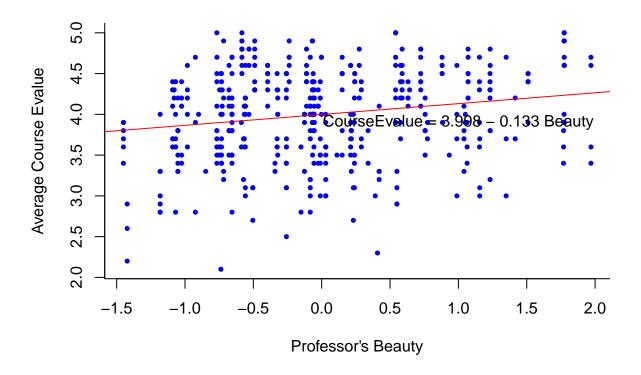
 $CourseEvalue_i = \beta_0 + \beta_1 Beauty_i + u_i$

```
mod1 <- lm(course_eval ~ beauty, data = df)
summary(mod1)</pre>
```

```
##
## Call:
## lm(formula = course_eval ~ beauty, data = df)
##
## Residuals:
##
                       Median
                                    3Q
                                            Max
## -1.80015 -0.36304 0.07254
                               0.40207 1.10373
##
## Coefficients:
               Estimate Std. Error t value Pr(>|t|)
## (Intercept) 3.99827
                           0.02535 157.727 < 2e-16 ***
```

```
## beauty 0.13300 0.03218 4.133 4.25e-05 ***
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 0.5455 on 461 degrees of freedom
## Multiple R-squared: 0.03574, Adjusted R-squared: 0.03364
## F-statistic: 17.08 on 1 and 461 DF, p-value: 4.247e-05
```

```
\widehat{CourseEvalue} = 3.998 - 0.133 \times Beauty
```



The estimated intercept is 3.998, and the estimated slope is 0.133. The estimated intercept is equal to the sample mean of Course_Evalue, because it is actually equal to CourseEvalue - Beauty * solpe and Beauty = 0.

c.

Professor Watson has an average value of Beauty, while Professor Stock's value of Beauty is one standard deviation above the average. Predict Professor Stock's and Professor Watson's course evaluations.

```
# Replicate the summary statistics in Table 1.1
summary1.1 <- function(df) {
   ave <- sapply(df, mean)
   std <- sapply(df, sd)
   perctile <- sapply(df, function(x)
   quantile(x, probs = c(0.1, 0.25, 0.4, 0.5, 0.6, 0.75, 0.9)))
   return(rbind(ave, std, perctile))
}
library(xtable)
sumtab <- xtable(t(summary1.1(df)))

# print as a latex table
print(sumtab, type = "latex")</pre>
```

% latex table generated in R 3.3.2 by xtable 1.8-2 package % Tue Apr 04 10:57:46 2017

	ave	std	10%	25%	40%	50%	60%	75%	90%
beauty	0.00	0.79	-0.98	-0.66	-0.26	-0.07	0.03	0.55	1.15
$course_eval$	4.00	0.55	3.30	3.60	3.90	4.00	4.20	4.40	4.70

Professor Watson: Course Evalue=3.998-0.133*0=3.998

Professor Stock: Course_EValue=3.998-0.133*0.789=3.893

\mathbf{d} .

Comment on the size of the regression's slope. Is the estimated effect of Beauty on Course_Eval large or small? Explain what you mean by "large" and "small".

The slope is equal to 0.133, which is quite small, so the estimated effect of Beauty on Course_Evalue is small.

e.

Does Beauty explain a large fraction of the variance in evaluations across courses? Explain.

As $R^2 = 0.0357$, the fraction of the sample variance of Course_Evalue explained by Beauty is 3.57%. So it doesn't explain a large fraction.