

QENS and NSE for the Investigation of Dynamics in Soft Condensed Matter

Antonio Faraone

NIST Center for Neutron research

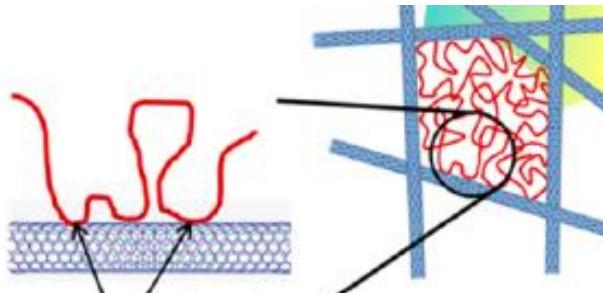
Oxford School on Neutron Scattering, 9/2-12/2019

Outline

- General trends
- Polymer Nanocomposites
 - Introduction
 - QENS role in the study of nanocomposites
 - The role of Nanoparticle size on chain dynamics
 - Chain Dynamics in attractive polymer nanocomposites subjected to large deformations
- Conclusion

Polymers

Nanocomposites

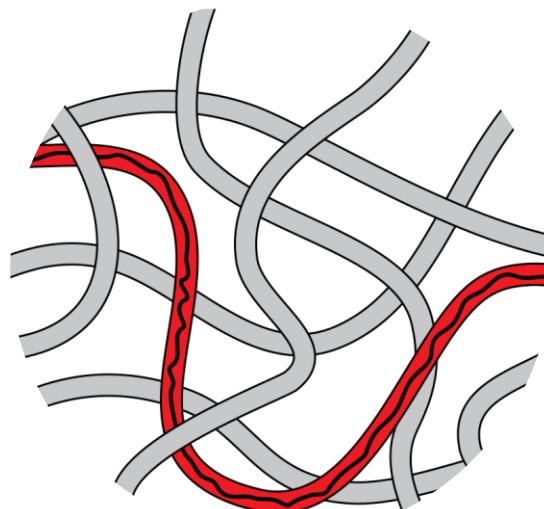


ACS Macro Lett., 3, 1262 (2014)

Ionomers



Membranes, 7, 25 (2017)



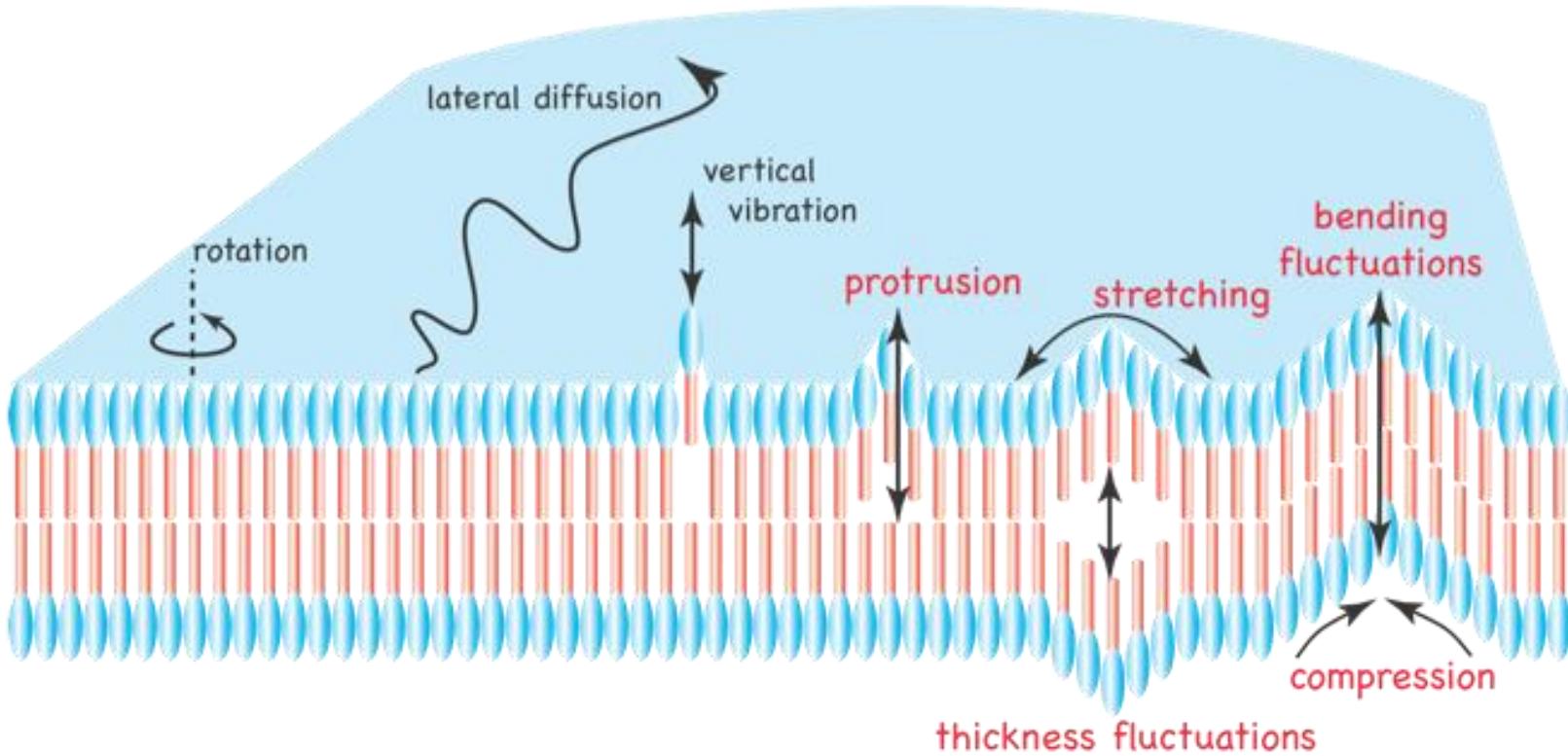
Polyelectrolyte https://en.wikipedia.org/wiki/Contact_lens

Gels

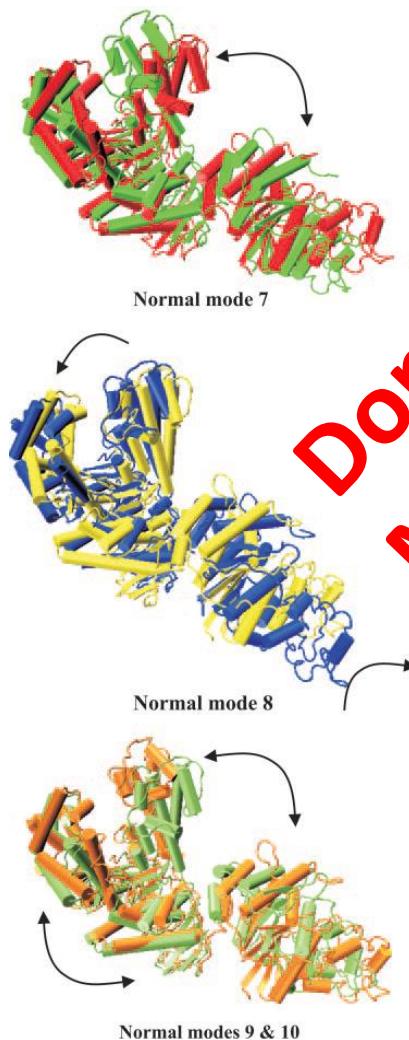


Adv. in polym. Sci., 174, 1 (2005)

Membranes



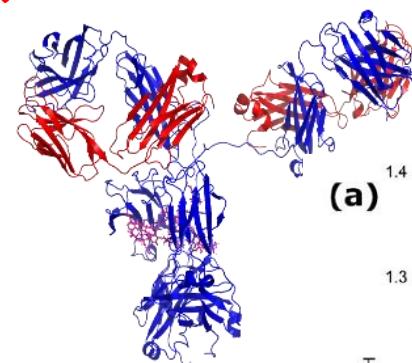
Proteins



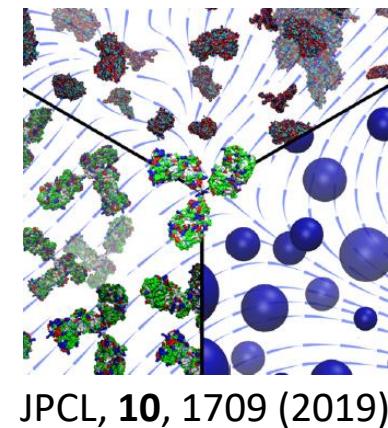
PNAS, 102, 17646 (2005)

Domain
Motions

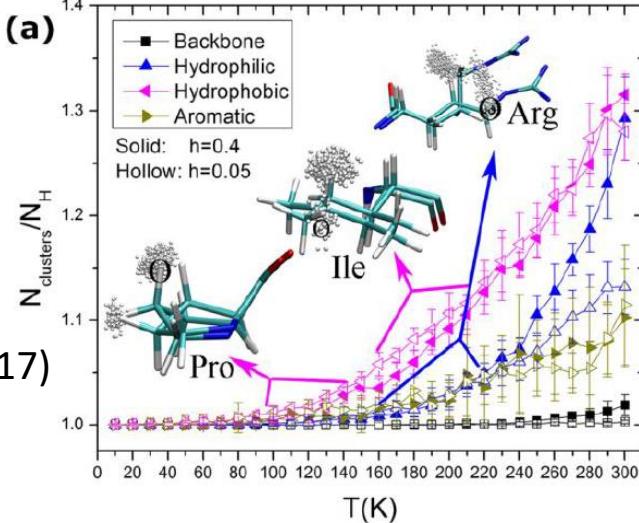
BBA, 1861, 3638 (2017)



Diffusion



JPCL, 10, 1709 (2019)



Atomic Motions

More Complex/Realistic Samples

SCIENTIFIC REPORTS

OPEN

Hemoglobin diffusion and the dynamics of oxygen capture by red blood cells

Received: 30 January 2017

Stéphane Longeville¹ & Laura-Roxana Stingaciu²

SCIENTIFIC REPORTS

OPEN

Revealing the Dynamics of Thylakoid Membranes in Living Cyanobacterial Cells

Received: 03 June 2015

Accepted: 14 December 2015

THE JOURNAL OF
PHYSICAL CHEMISTRY B

Cite This: *J. Phys. Chem. B* 2019, 123, 6968–6979

Article

pubs.acs.org/JPCB

Chemotherapeutic Targets in Osteosarcoma: Insights from Synchrotron-MicroFTIR and Quasi-Elastic Neutron Scattering

Maria Paula M. Marques,^{†,‡} Ana L. M. Batista de Carvalho,^{*,†,§} Adriana P. Mamede,^{†,¶} Inês P. Santos,^{†,¶} Victoria García Sakai,[§] Asha Dopplapudi,[§] Gianfelice Cinque,^{||} Magda Wolna,^{||} Peter Gardner,^{||} and Luís A. E. Batista de Carvalho^{†,¶}

SCIENTIFIC REPORTS

OPEN

Microscopic diffusion processes measured in living planarians

Eugene Mamontov

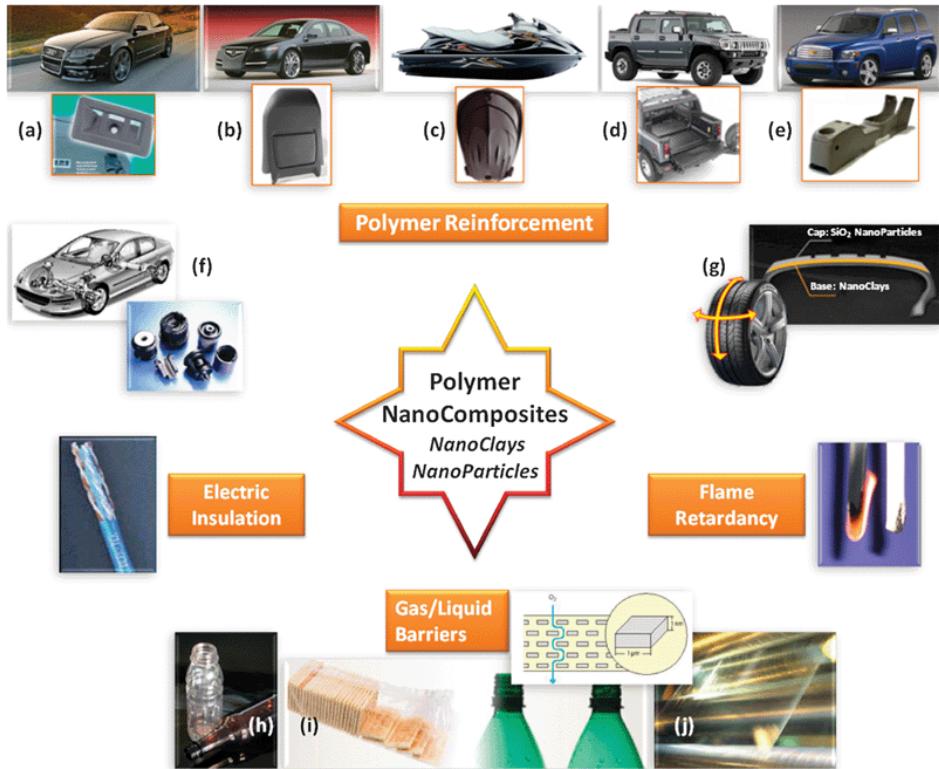
*Insights on the nanoscopic origin of
rheological properties in polymer
nanocomposites*

Acknowledgement

- Erkan Senses
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- Madhusudan Tyagi, Yimin Mao
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- Suresh Narayanan
Advanced Photon Source, ANL
- Chris Kitchens, Mohamed Ansar
Chemical and Biomolecular Engineering,
Clemson University

Polymer Nanocomposites (PNC)

Multifunctionality!



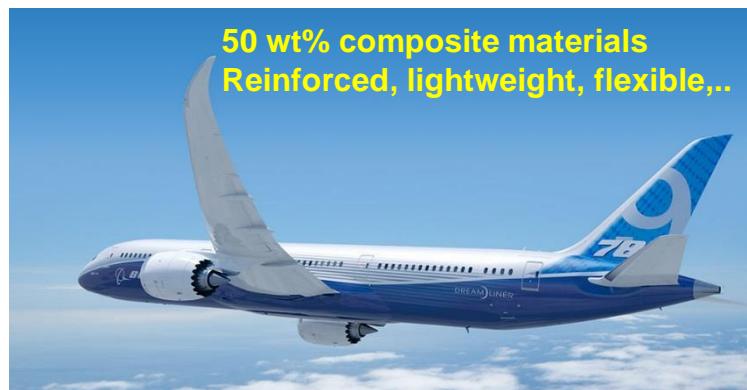
Mechanically **adaptive** composites for improved lifetime and performance

Electrostatic charge dissipation for spacecraft

- Heat & chemical resistance
- Electrically Conductive
- Light weight
- Flexible
- Insulating



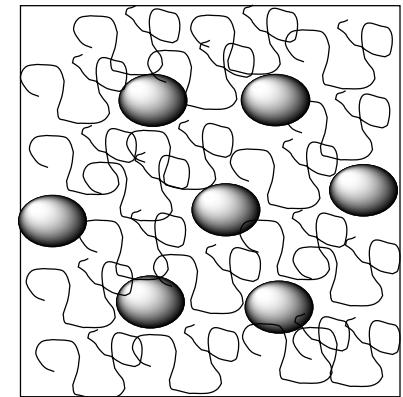
Polyimide + 0.03 wt % CNTs
http://www.nasa.gov/exploration/systems/orion/#.VF16wfnF_dg



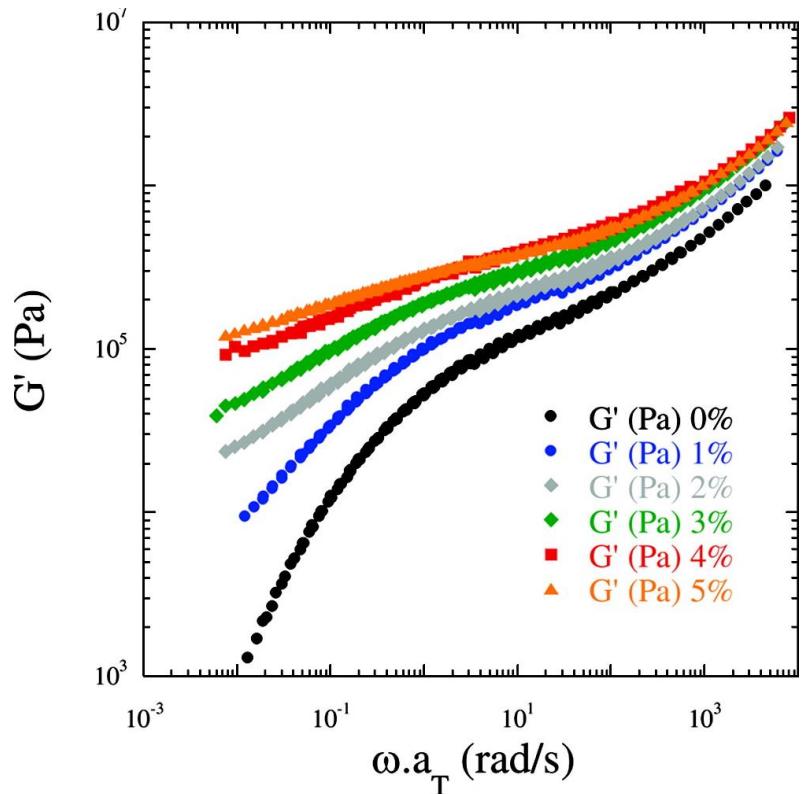
Boeing 787-Dreamliner
<http://www.boeing.com/commercial/787/>

Properties of PNCs

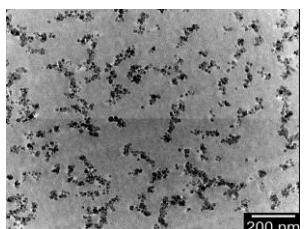
- Polymer matrix
- Nanoparticles: *size, shape, amount*
- Particle dispersion
 - Controlled dispersion
 - Orientation
 - Stability
 - Spatial distribution
- ...
- History
- Interface and interphase



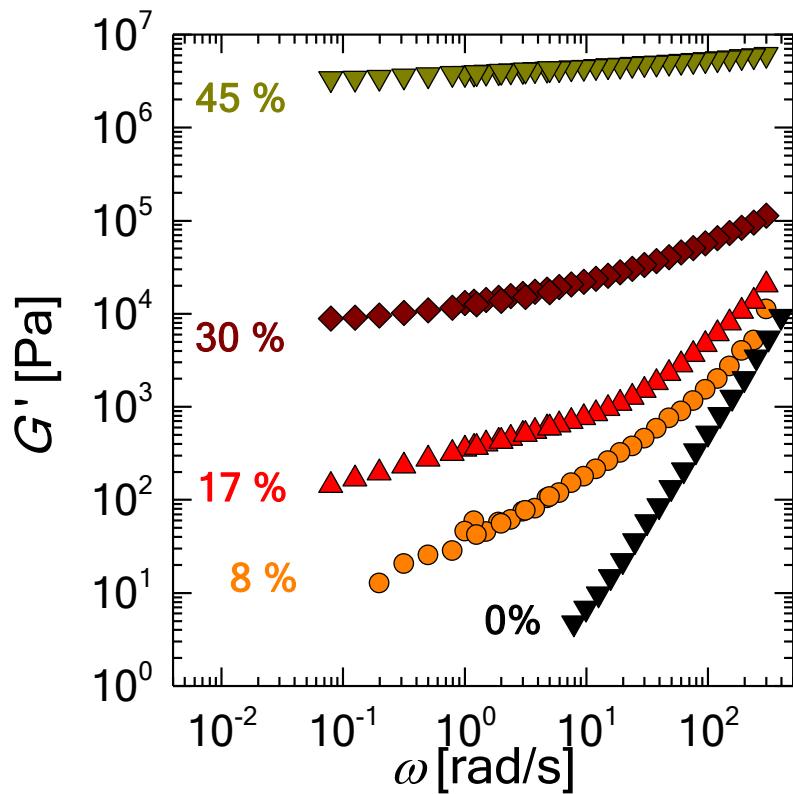
Mechanical Reinforcement in PNCs



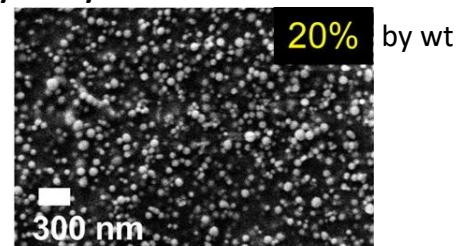
Polystyrene-Silica



Jouault, Nicolas, et al.
Macromolecules 42.6
(2009): 2031-2040

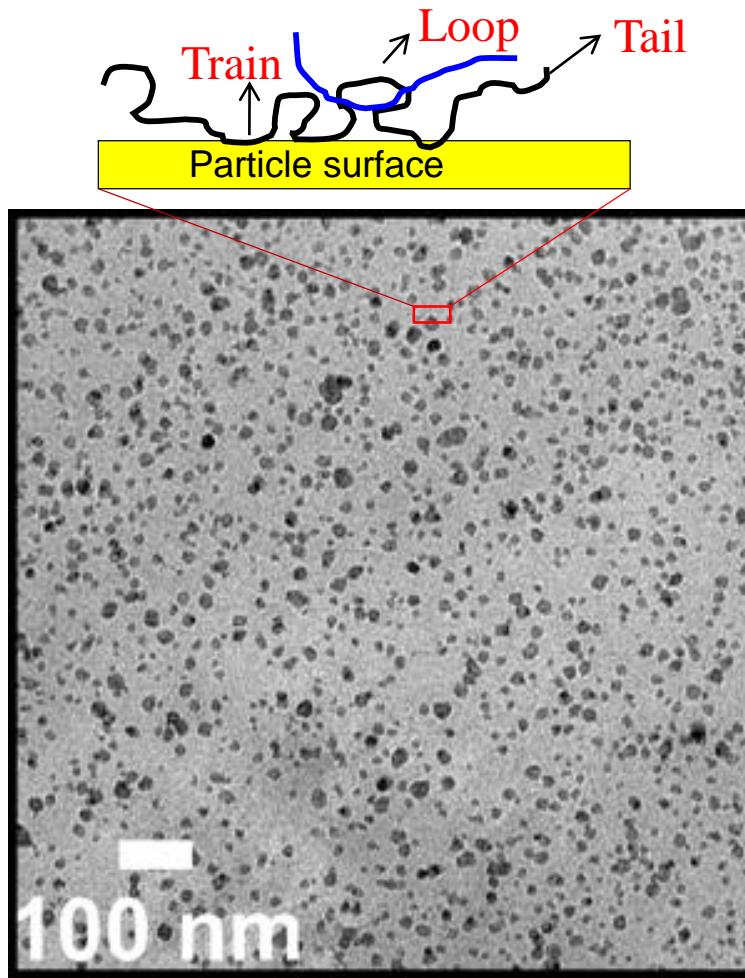


Polyethylene oxide-Silica



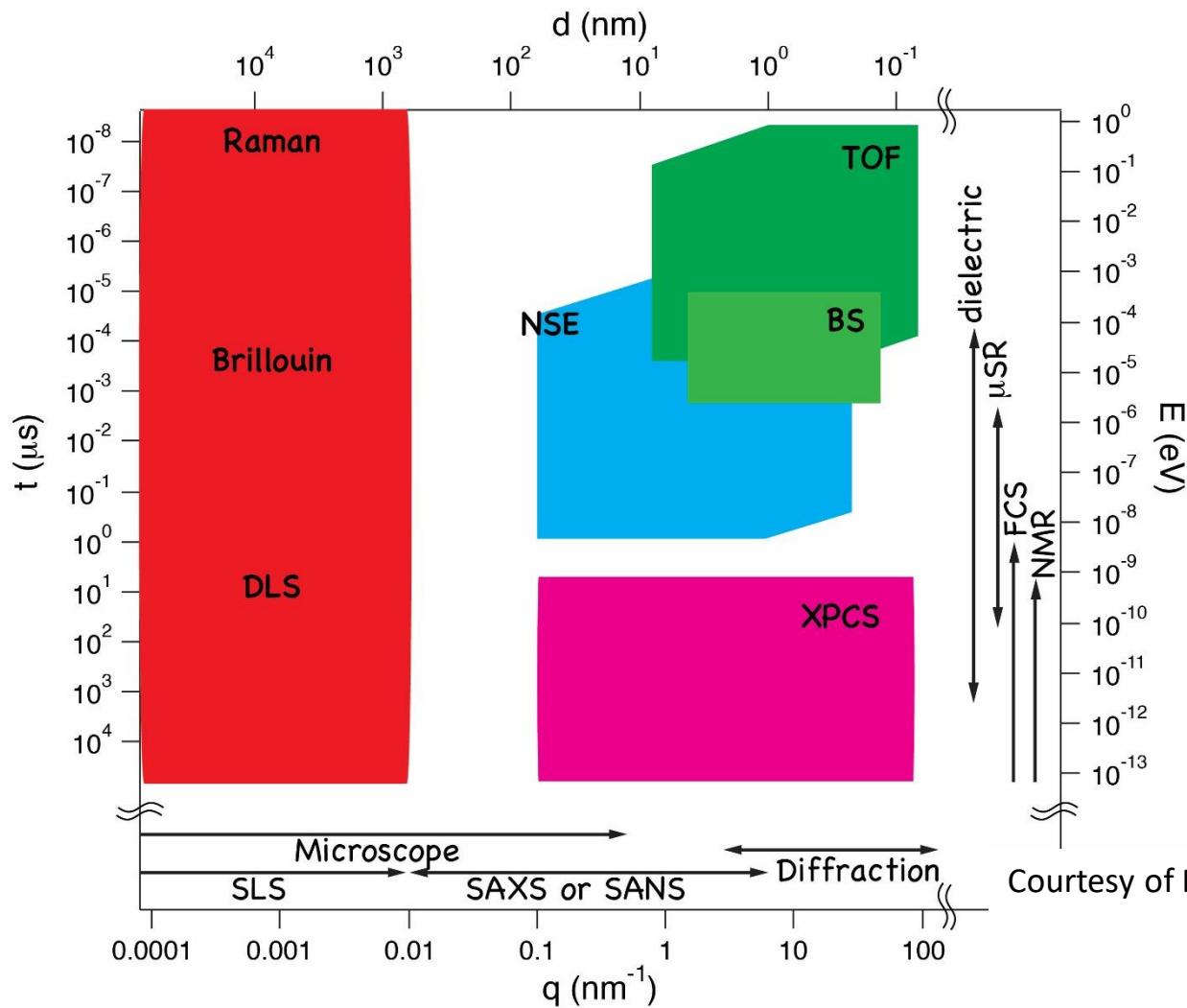
Well Dispersed NP

- NP surface/polymer interaction: Attractive
No direct particle contact. Polymer driven Reinforcement



J. M. H. M. Scheutjens and G. J. Fleer. *JPC*, **84**, 178 (1980).
M. Krutyeva, et al., *PRL*, **110**, 108303 (2013).

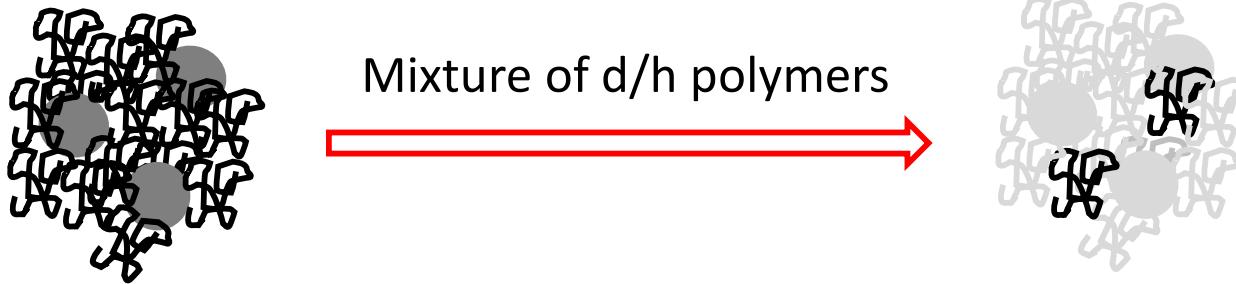
Experimental Techniques



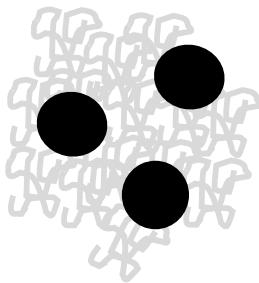
Scattering techniques, and neutrons in particular, are well suited to investigate the microscopic origin of the rheological behavior.

Structure

Isotopic Substitution, contrast matching techniques



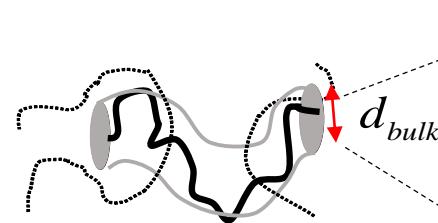
Complementarity with Small Angle X-Ray and microscopy



Microscopic Dynamics

Microscopic chain parameters that determine the macroscopic dynamics:

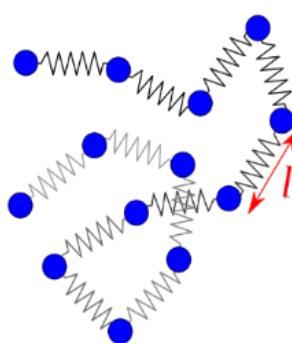
Length scale



$$d_{tube} = lN_e^2$$

$$G_N^o \propto \frac{1}{N_e} \propto \frac{1}{d^2}$$

Time scale



$$\tau_p = \frac{\zeta N^2 l^2}{3\pi^2 k_B T p^2} = \frac{N^2}{\pi^2 W p^2} \quad p=1,2,\dots,N$$

$$W = \frac{3k_B T}{\zeta l^2} \rightarrow \frac{\text{Entropic force}}{\text{Viscous force}}$$

Rouse time $p \rightarrow N$

$$\tau_R = \frac{1}{\pi^2 W}$$

Neutron scattering can simultaneously access the length and time scales relevant to Rouse and Reptation motion

Dynamic Neutron Scattering

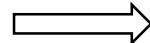
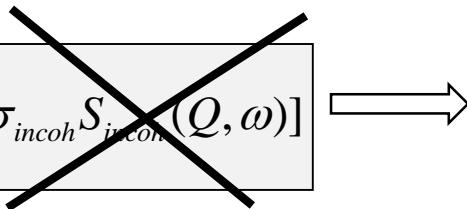
$$\frac{\partial^2 \sigma}{\partial Q \partial E} \propto \frac{k_f}{k_i} N [\sigma_{coh} S_{coh}(Q, \omega) + \sigma_{incoh} S_{incoh}(Q, \omega)]$$

$$S_{coh}(Q, \omega) = \frac{1}{2\pi} \int_{-\infty}^{\infty} I_{coll}(Q, t) e^{-i\omega t} dt \quad S_{incoh}(Q, \omega) = \frac{1}{2\pi} \int_{-\infty}^{\infty} I_{self}(Q, t) e^{-i\omega t} dt$$

$$I_{coll}(Q, t) = \frac{1}{N} \sum_i \sum_j \left\langle e^{-iQ[r_i(t) - r_j(0)]} \right\rangle \quad I_{self}(Q, t) = \frac{1}{N} \sum_i \left\langle e^{-iQ[r_i(t) - r_i(0)]} \right\rangle$$

Single Chain Dynamics – Neutron Spin Echo

$$\frac{\partial^2 \sigma}{\partial \Omega \partial E} \propto \frac{k_f}{k_i} N [\sigma_{coh} S_{coh}(Q, \omega) + \sigma_{incoh} S_{incoh}(Q, \omega)]$$



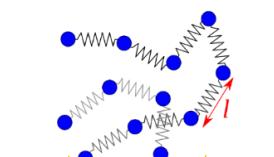
Single Chain Dynamics – Neutron Spin Echo

$$\frac{\partial^2 \sigma}{\partial Q \partial E} \propto \frac{k_f}{k_i} N [\sigma_{coh} S_{coh}(Q, \omega) + \sigma_{incoh} S_{incoh}(Q, \omega)]$$



time scale (t) length scale (1/Q) Intermediate scattering function

$t < t_{\text{entanglement}}$
Unrestricted
Rouse motion
within tube



$$\frac{1}{N} \sum_{i,j}^N \exp \left\{ -Q^2 D_R t - \frac{Q^2 l^2}{6} |i-j| - \frac{2Q^2 R e^2}{3\pi^2} \sum_{p=1}^N \frac{1}{p^2} \cos \left(\frac{p\pi i}{N} \right) \sin \left(\frac{p\pi j}{N} \right) \right. \\ \left. - \exp \left(\frac{p^2 t}{\tau_R} \right) \right\}$$

$t_{\text{ent.}} < t < t_{\text{Rouse}}$
Reptation
motion



$$\left[1 - \exp \left(\frac{-Q^2 d^2}{36} \right) \right] S^{local}(Q, t) + \exp \left(\frac{-Q^2 d^2}{36} \right)$$

$t_{\text{Rouse}} < t < t_{\text{Terminal}}$
Partially escape
from the tube



$$\left[1 - \exp \left(\frac{-Q^2 d^2}{36} \right) \right] S^{local}(Q, t) + \exp \left(\frac{-Q^2 d^2}{36} \right) S^{escape}(Q, t)$$

$t > t_{\text{Terminal}}$
Center of Mass
Diffusion



$$\exp \left(\frac{-Q^2 d^2}{36} \right) S^{escape}(Q, t)$$

$$S^{local}(Q, t) = \exp \left(\frac{t}{\tau_0} \right) \text{erfc} \left[\left(\frac{t}{\tau_0} \right)^{1/2} \right]$$

$$S^{escape}(Q, t) = \exp(-Q^2 D_{rep} t / 6)$$

Segmental Dynamics - Backscattering

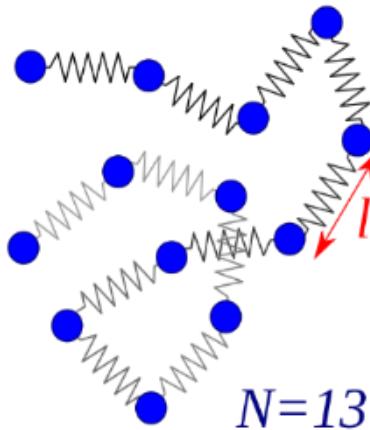
H containing samples

$$\sigma_{incoh}^H \gg \sigma_{coh}^{H,D,C,O,Si,Au}, \sigma_{incoh}^{D,C,O,Si,Au}$$

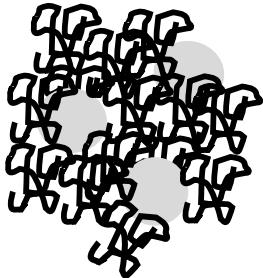
$$\frac{\partial^2 \sigma}{\partial Q \partial E} \propto \frac{k_f}{k_i} N [\cancel{\sigma_{coh} S_{coh}(Q, \omega)} + \sigma_{incoh} S_{incoh}(Q, \omega)]$$

In the appropriate Q-t range:

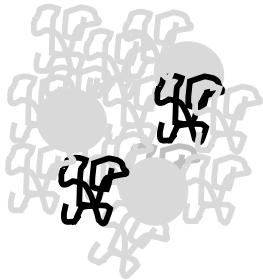
Rouse Dynamics



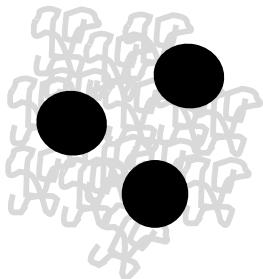
Complementarity



Hydrogenated Polymers:
Single particle segmental dynamics
Backscattering

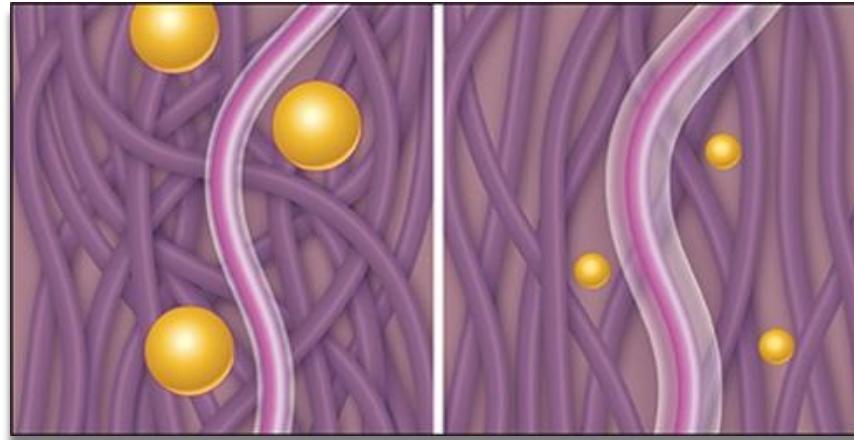


H/D Polymers, contrast match:
Single chain dynamics
Neutron Spin Echo



Nanoparticles dynamics
X-ray Photon Correlation Spectroscopy (XPCS)

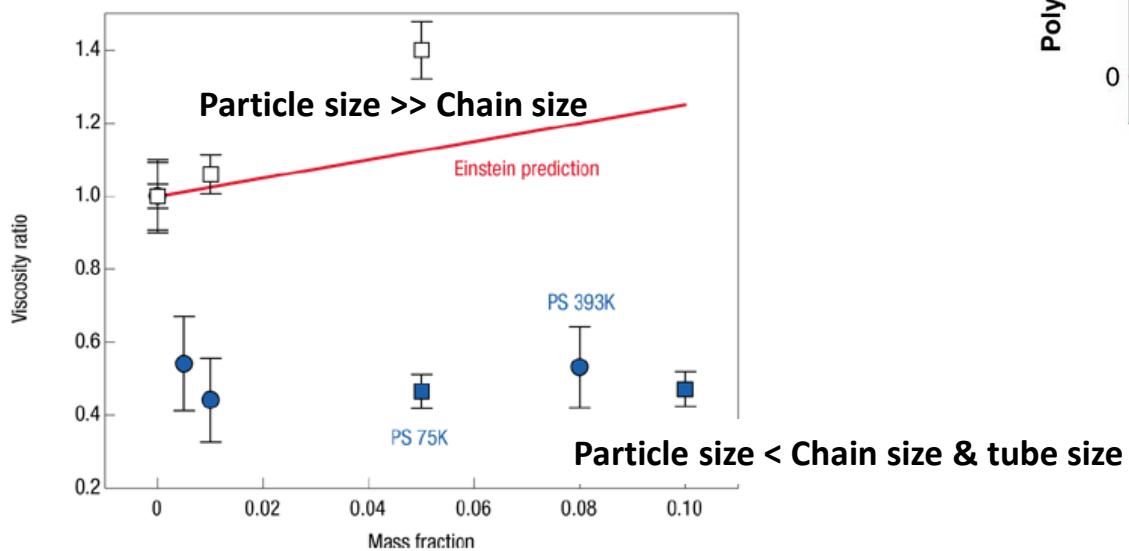
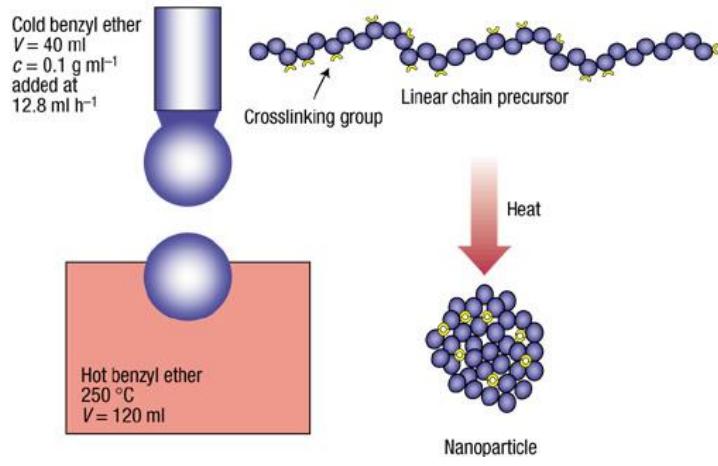
The role of Nanoparticle size on chain dynamics



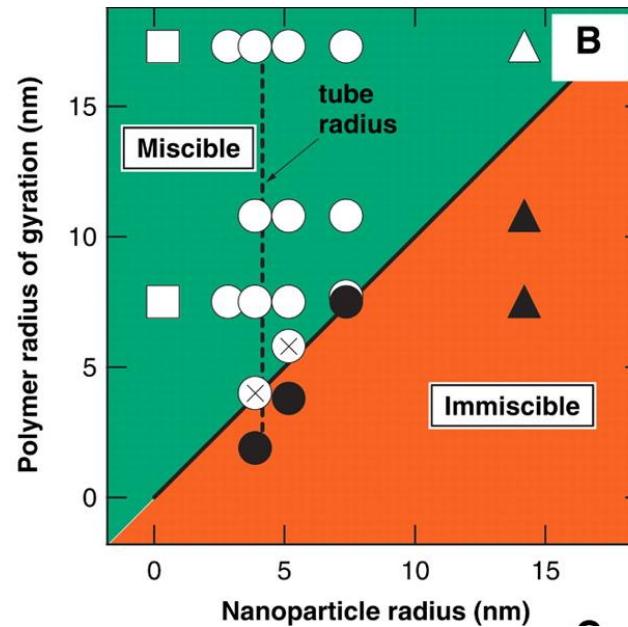
Viscosity Reduction in PNCs

Polystyrene NPs in polystyrene matrix: *athermal*

Mackay, Michael E., et al. *Nature materials* 2.11 (2003): 762-766.

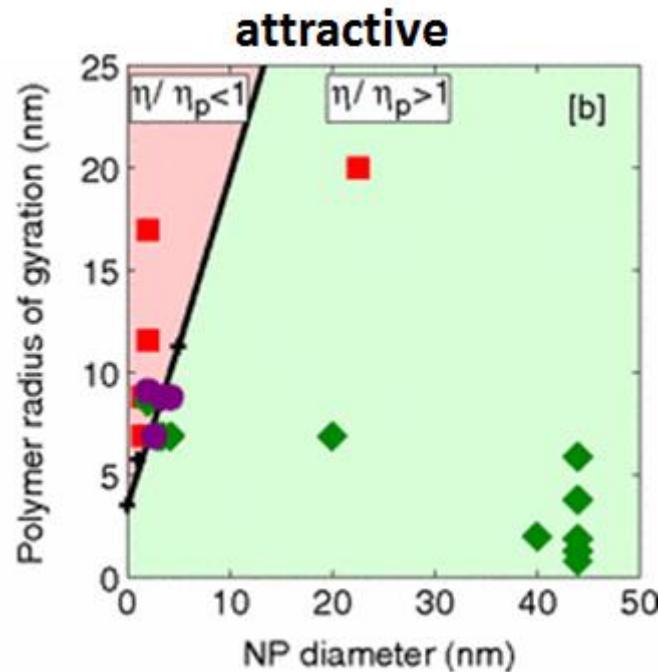
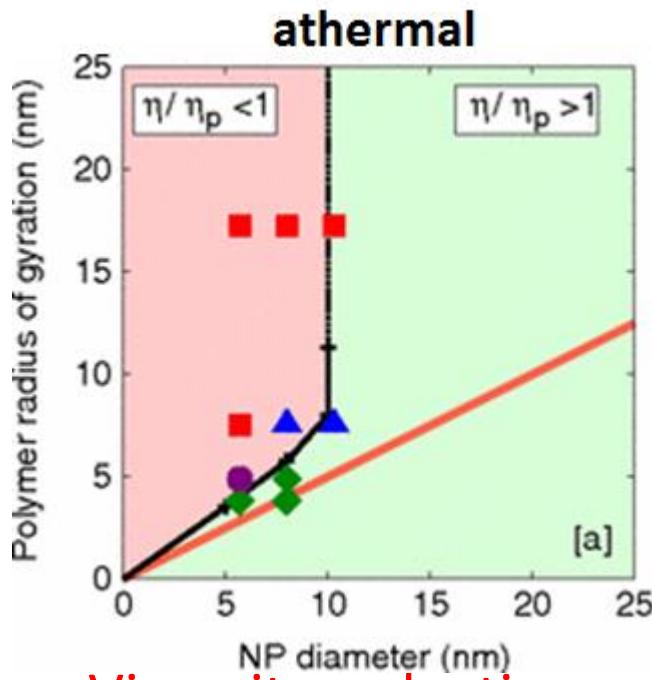


Mackay, Michael E., et al. *Science* 311.5768 (2006): 1740-1743.



Size and Interaction Dependence

Kalathi, Jagannathan T., Gary S. Grest, and Sanat K. Kumar. *Phys. Rev. Lett.*, **109**, 198301. (2012).



- Viscosity reduction independent of polymer size. Attractive interactions reverse the size effect.
- Similar to a plasticizer.
- Valid for sizes up to entanglement mesh size.

Need for Experiments

Soft Matter



PAPER

[View Article Online](#)

[View Journal](#) | [View Issue](#)



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Click for updates

Rouse mode analysis of chain relaxation in polymer nanocomposites

Jagannathan T. Kalathi,^{ab} Sanat K. Kumar,^{*a} Michael Rubinstein^c and Gary S. Grest^d

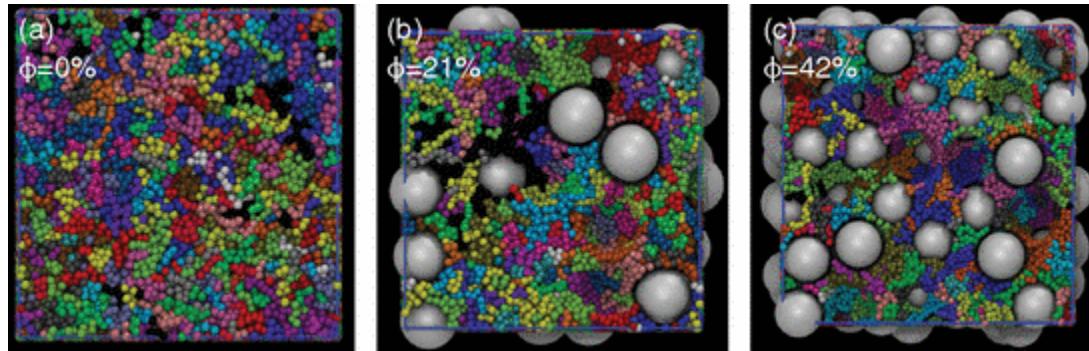
PRL 109, 118001 (2012)

PHYSICAL REVIEW LETTERS

week ending
14 SEPTEMBER 2012

Nanoparticle Effect on the Dynamics of Polymer Chains and Their Entanglement Network

Ying Li,¹ Martin Kröger,² and Wing Kam Liu^{1,3,*}



ARTICLE

Received 7 Nov 2014 | Accepted 17 Apr 2015 | Published 5 Jun 2015

DOI: 10.1038/ncomm8198

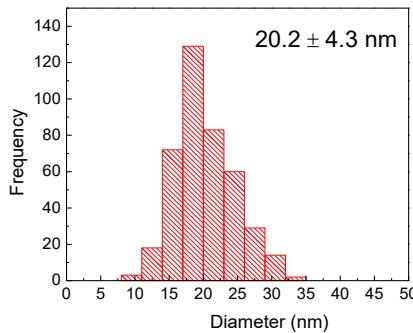
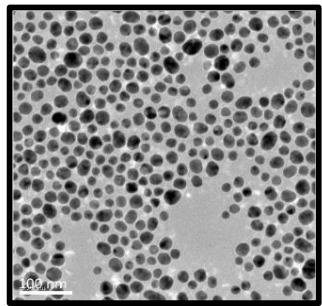
OPEN

Phase stability and dynamics of entangled polymer-nanoparticle composites

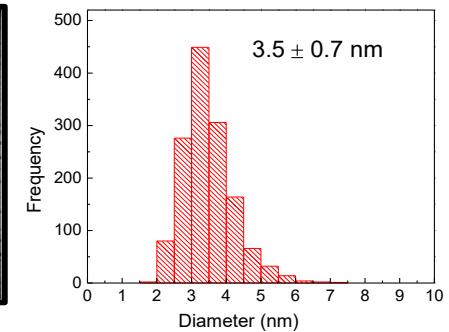
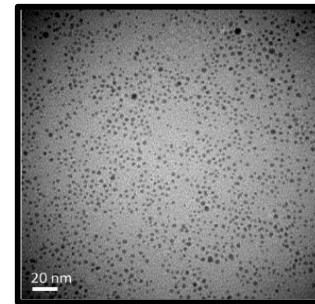
Rahul Mangal¹, Samanvaya Srivastava² & Lynden A. Archer¹

Samples

Large NPs



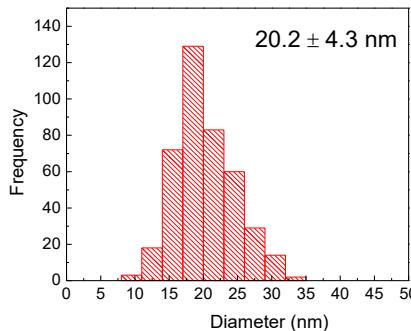
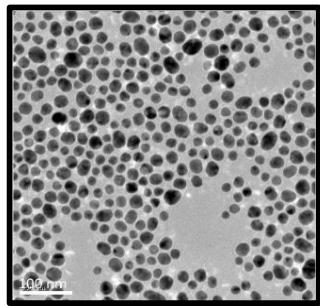
Small NPs



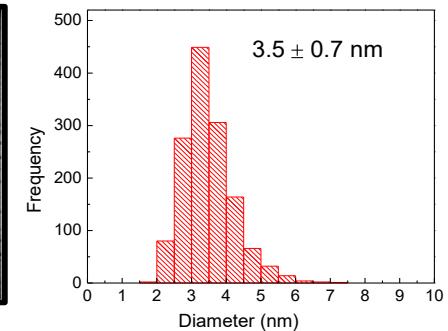
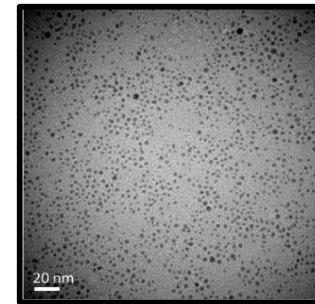
Particles are PEG coated (< 1nm) to provide entropic stabilization

Samples

Large NPs

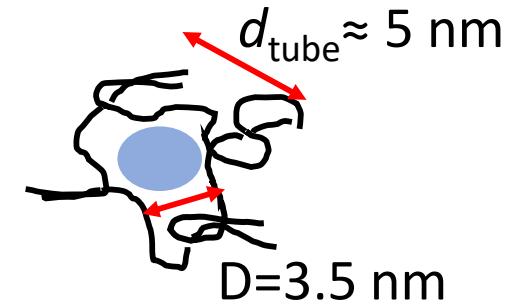
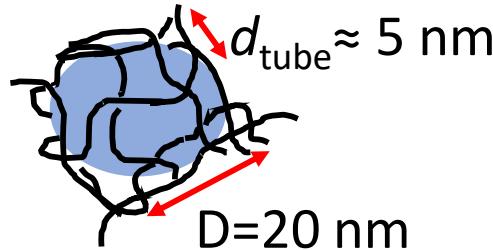


Small NPs

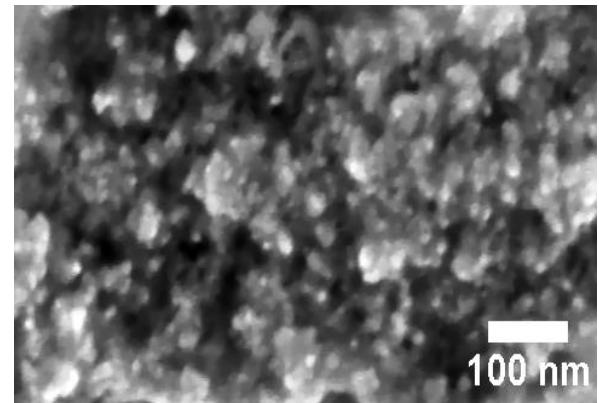
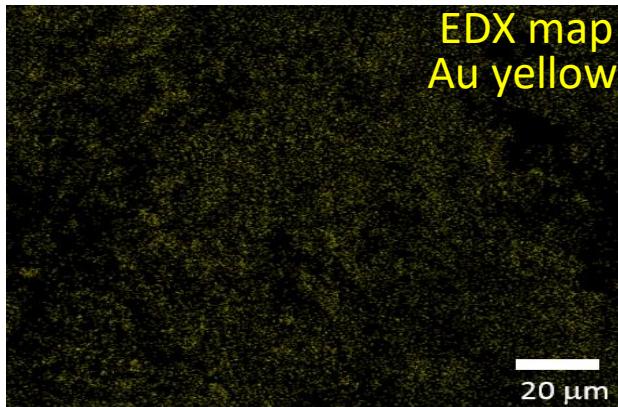
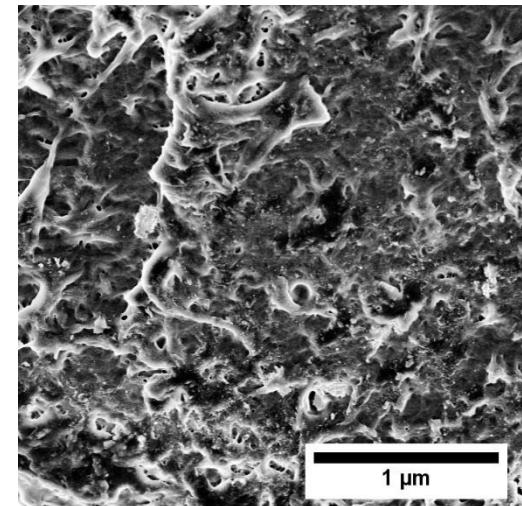
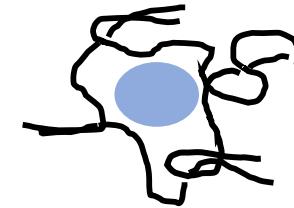
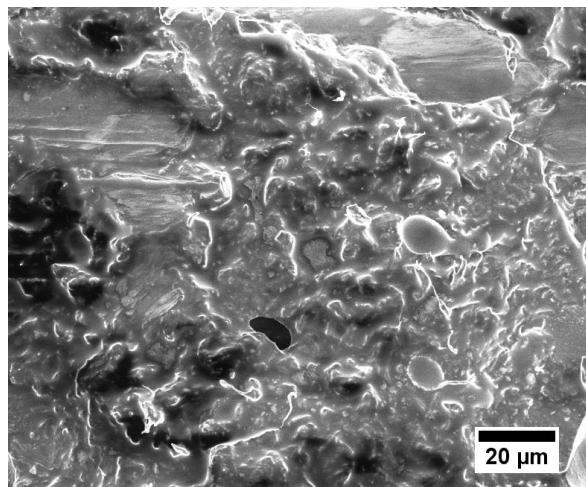
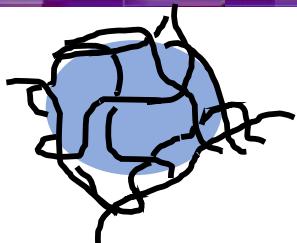


Particles are PEG coated (< 1nm) to provide entropic stabilization

We made nanocomposites with these particles (20 % by volume) and long chain poly (ethylene glycol) (PEG) matrix (35 kg/mol).

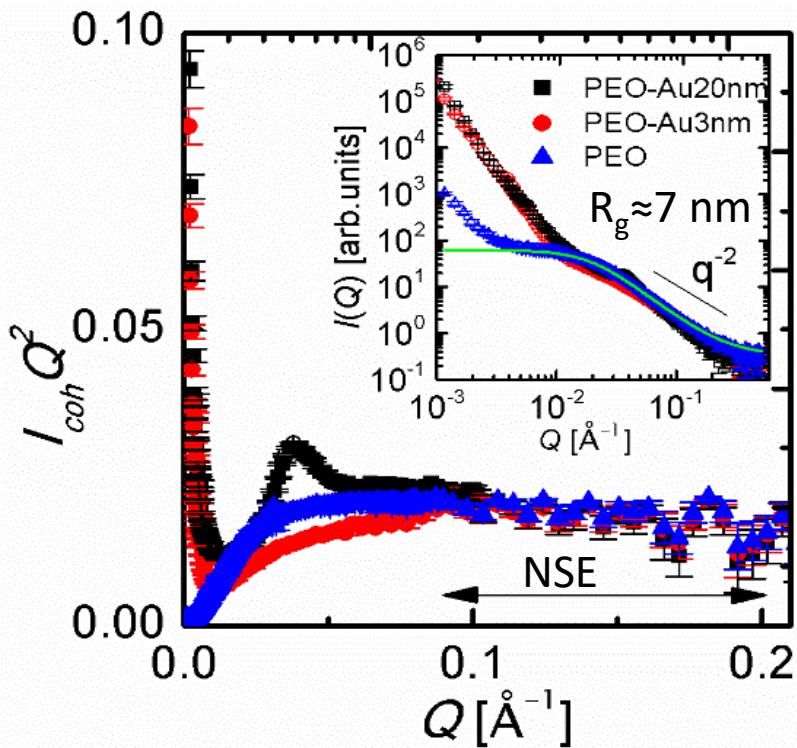
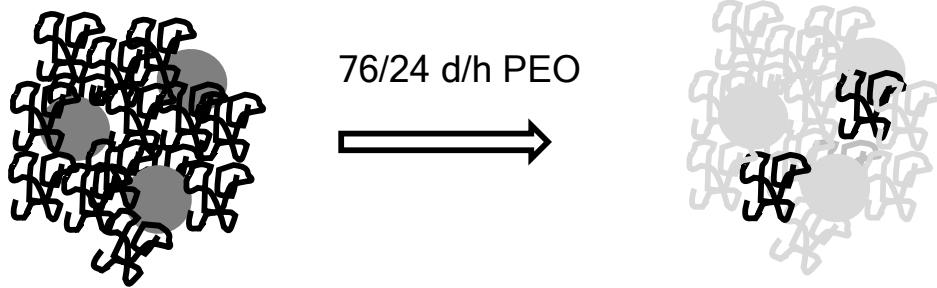


Dispersion



Single Chain Conformation

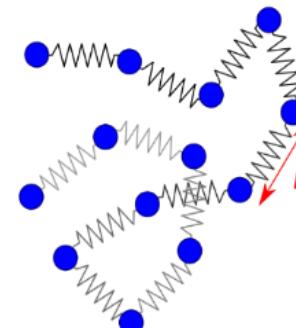
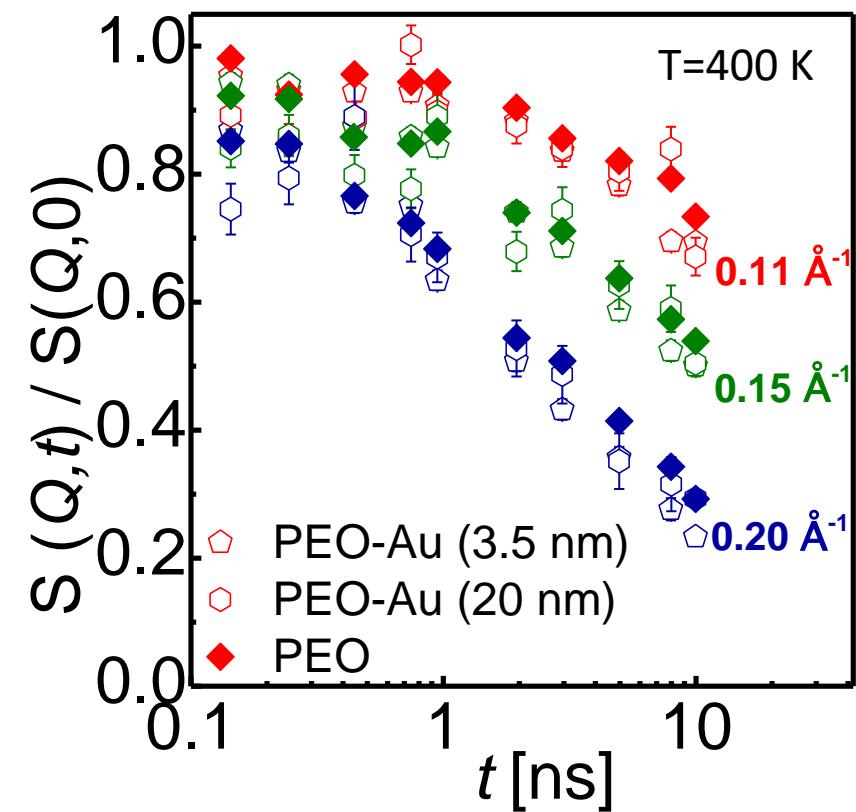
Contrast Matched PEO/NP (hPEO/dPEO 76 % / 24 %)



- The PEO in nanocomposites remains Gaussian.
- In the NSE range, we observe the single chain form factor of Gaussian PEO chains.

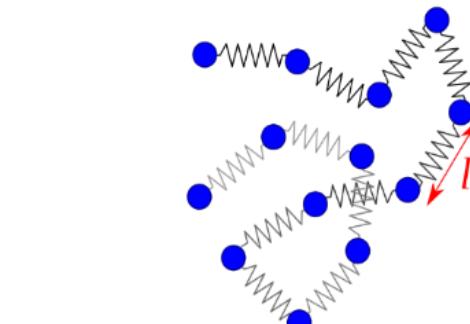
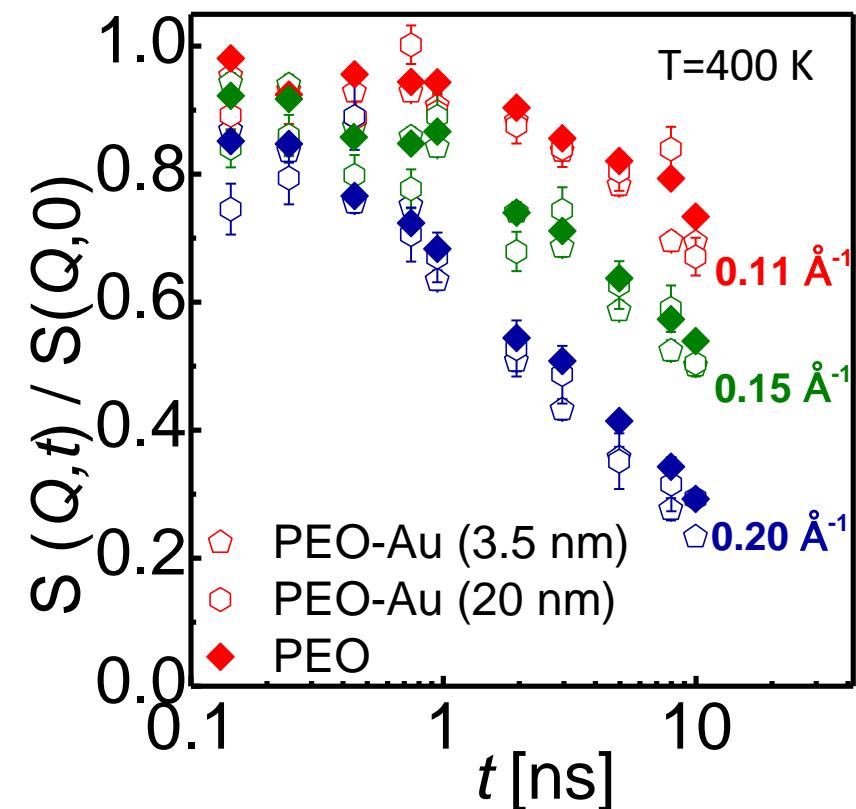
Fetters, L. J., D. J. Lohse, and R. H. Colby.
Physical Properties of Polymers Handbook.
Springer New York, 2007. 447-454.

Short time – Rouse Dynamics



Rouse dynamics is not modified in
nanocomposites!

Short time – Rouse Dynamics



Parameters	Definition	Value used	Unit
N	Number of segments	795	-
l	Segment length	0.58	nm
$R_e = \sqrt{Nl^2}$	End-to-end distance	16.35	nm
Wl^4	Rouse parameter	1.51*	nm^4/ns
$D_R = Wl^4/(3R_e^2)$	Rouse diffusion coefficient	0.0019	nm^2/ns
τ_R	Rouse time	4799	ns

*K. Niedzwiedz et al., Macromolecules **41**, 4866 (2008)

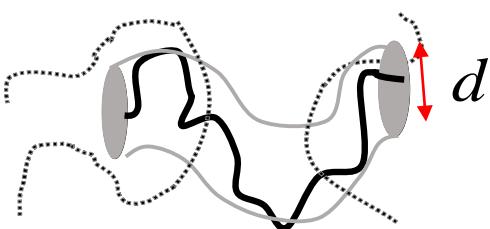
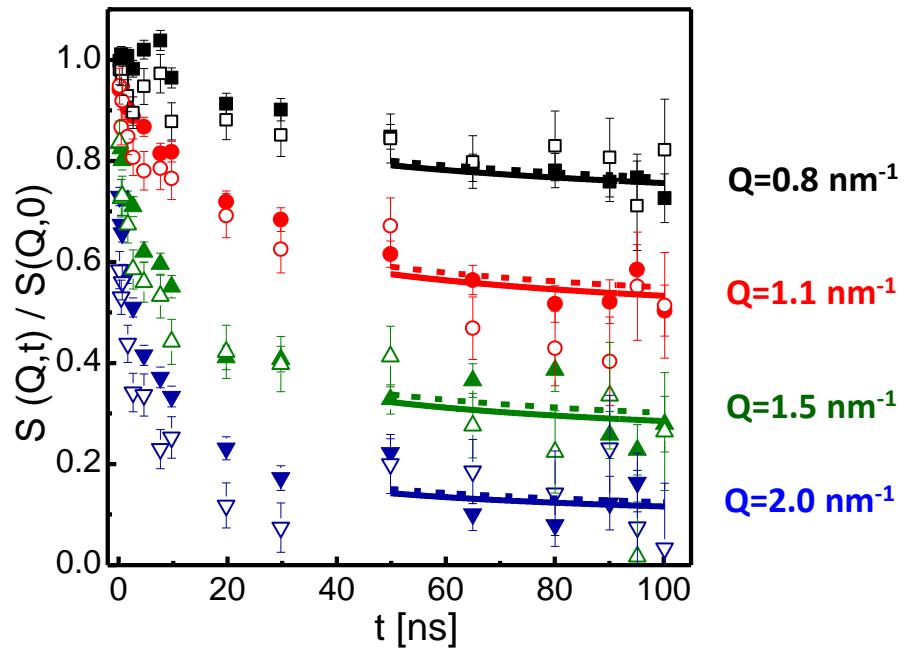
Coherent dynamics structure factor for a Rouse motion

$$S_{\text{Rouse}}(Q,t) = \frac{1}{N} \sum_{m,n}^N \left\{ \exp(-Q^2 D_R t - \frac{1}{6} |m-n| Q^2 l^2) - \frac{2 R_e^2 Q^2}{3 \pi^2} \sum_{p=1}^N \frac{1}{p^2} \cos\left(\frac{p\pi m}{N}\right) \cos\left(\frac{p\pi n}{N}\right) [1 - \exp(-\frac{p^2 t}{\tau_R})] \right\}$$

$$W = \frac{3kTl^2}{\zeta} \quad \zeta : \text{monomeric friction coefficient}$$

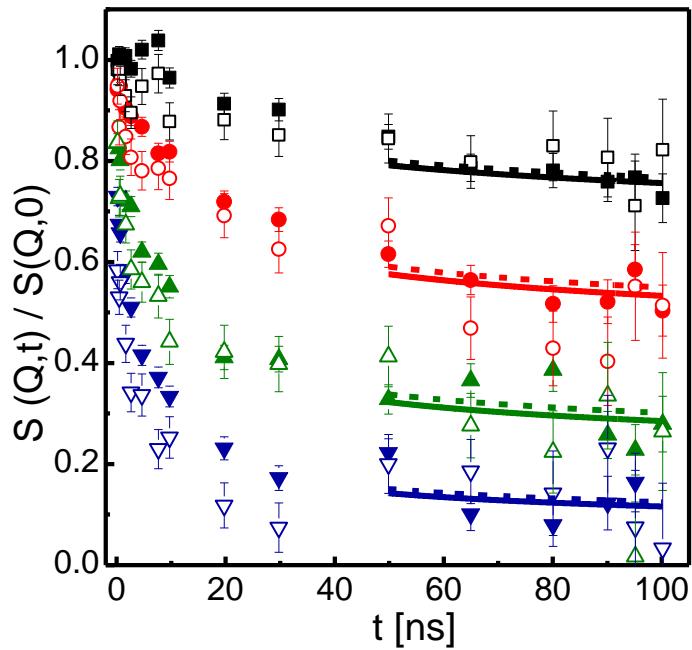
Long time – Confined motion

PNC with 20 nm particles

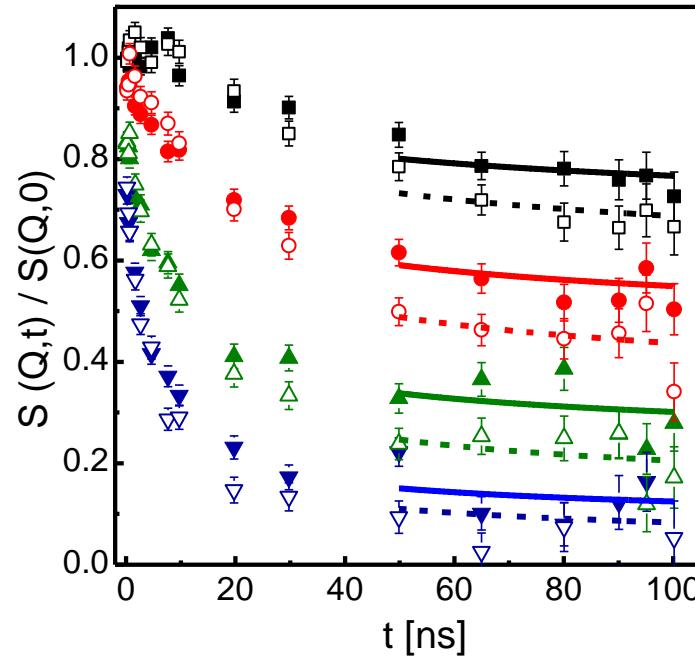


Long time – Confined motion

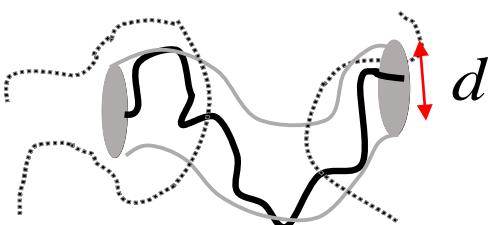
PNC with 20 nm particles



PNC with 3.5 nm particles

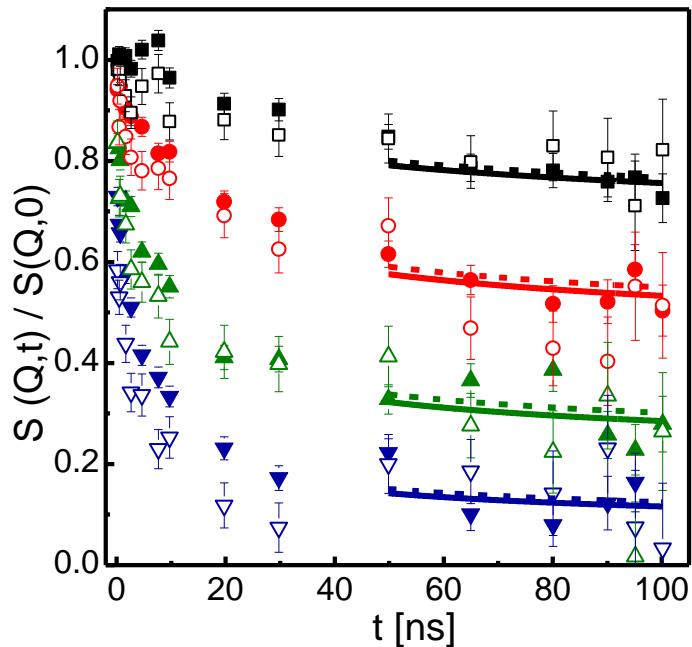


$Q=0.8 \text{ nm}^{-1}$
 $Q=1.1 \text{ nm}^{-1}$
 $Q=1.5 \text{ nm}^{-1}$
 $Q=2.0 \text{ nm}^{-1}$

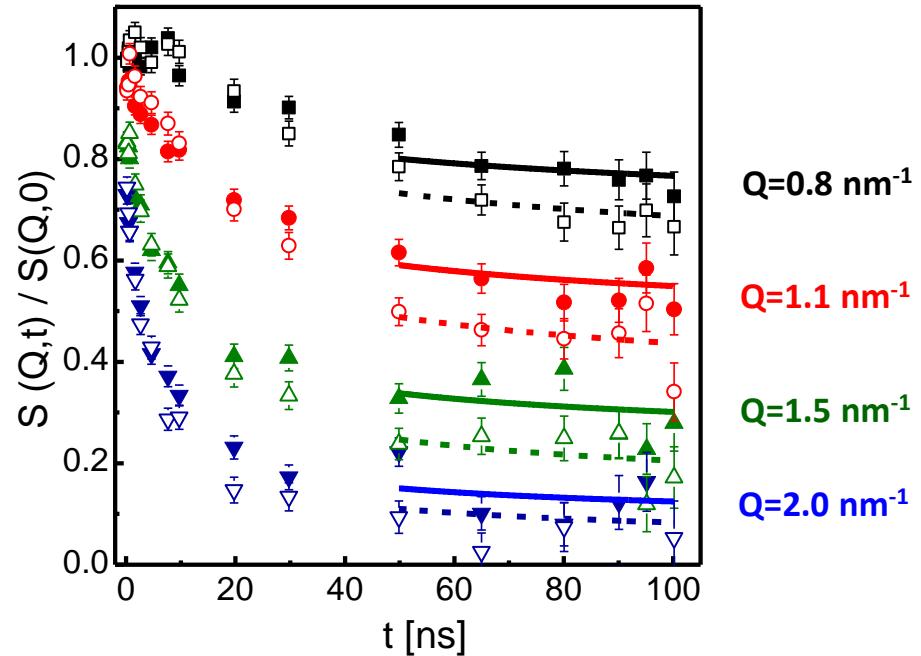


Long time – Confined motion

PNC with 20 nm particles

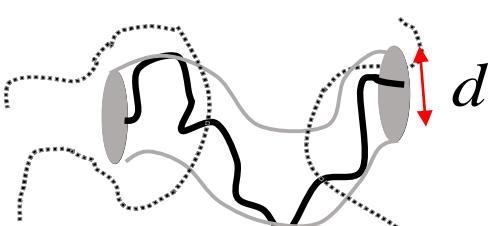


PNC with 3.5 nm particles



$Q=0.8 \text{ nm}^{-1}$
 $Q=1.1 \text{ nm}^{-1}$
 $Q=1.5 \text{ nm}^{-1}$
 $Q=2.0 \text{ nm}^{-1}$

de Gennes formulation



$$\left(\frac{S^{coh}(Q,t)}{S^{coh}(Q,0)} \right)_{\text{Rept.}} = [1 - \exp(-\frac{Q^2 d^2}{36})] S_{local}(Q,t) + \exp(-\frac{Q^2 d^2}{36}) S_{esc}(Q,t)$$

$$S_{local}(Q,t) = \exp\left(\frac{t}{\tau_o}\right) \operatorname{erfc}(\sqrt{t/\tau_o})$$

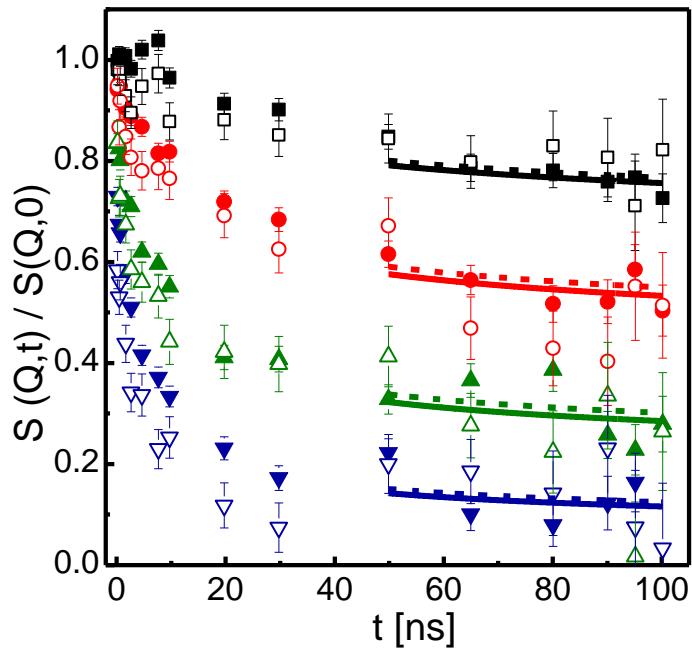
$$S_{esc}(Q,t) = 1$$

$$\tau_o = 36/(Wl^4 Q^4) \quad ; \quad Wl^4 = 1.51 \text{ nm}^4 / \text{ns} \text{ for PEO @ T=400K}$$

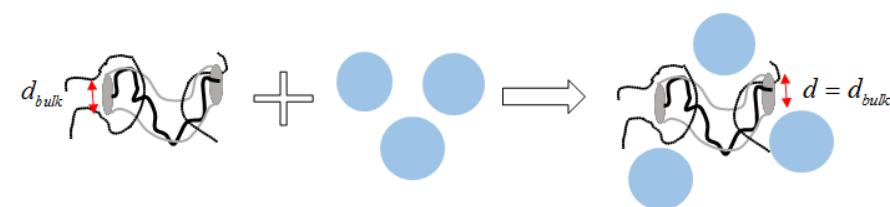
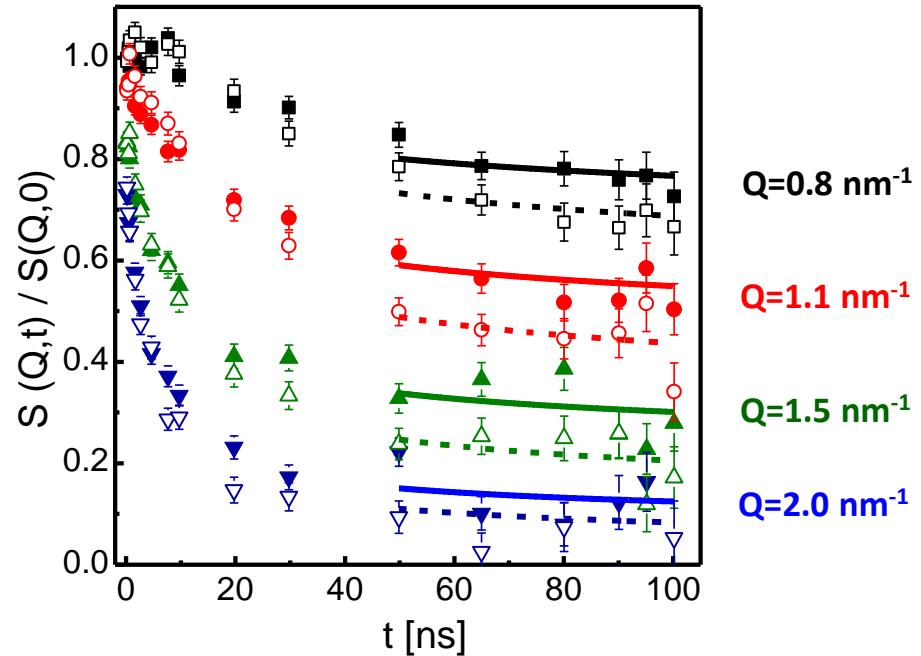
d is the only fitting parameter!

Long time – Confined motion

PNC with 20 nm particles



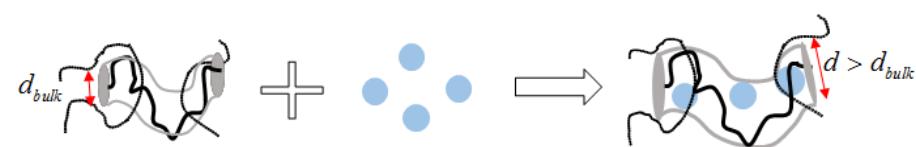
PNC with 3.5 nm particles



$$d_{PEO} = 5.03 \pm 0.1 \text{ nm}$$

\approx

$$d_{PEO-20nmAu} = 5.17 \pm 0.19 \text{ nm}$$

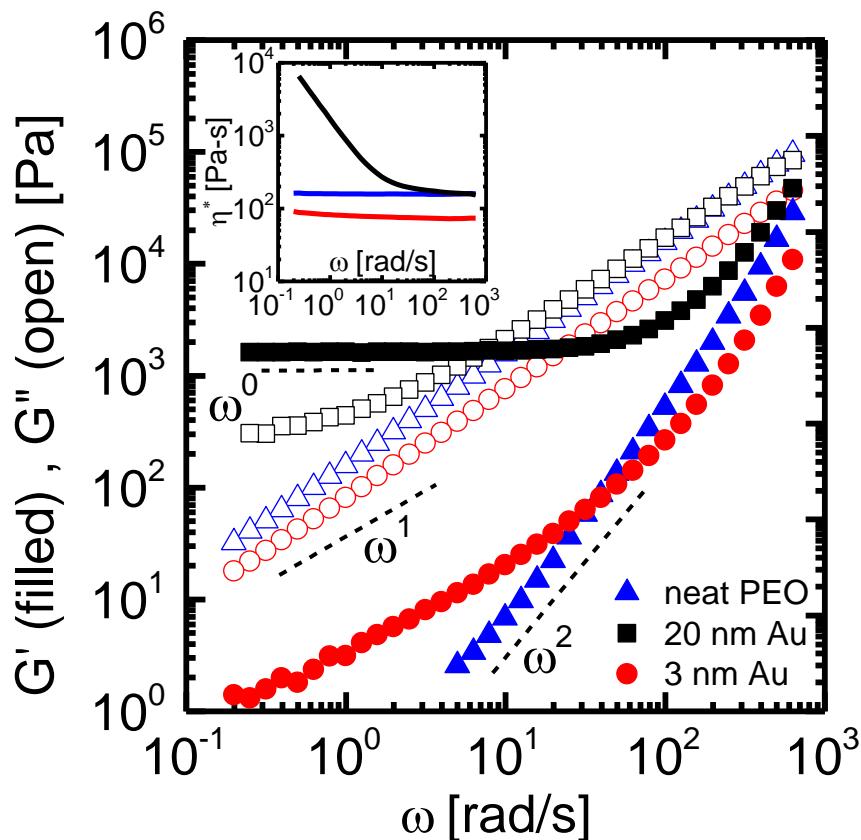


$$d_{PEO} = 5.03 \pm 0.1 \text{ nm}$$

<

$$d_{PEO-3nmAu} = 6.11 \pm 0.13 \text{ nm}$$

Bulk Rheology



- Strong reinforcing effect of large particles
- Viscosity decreased by half with addition of 20 vol. % small particles

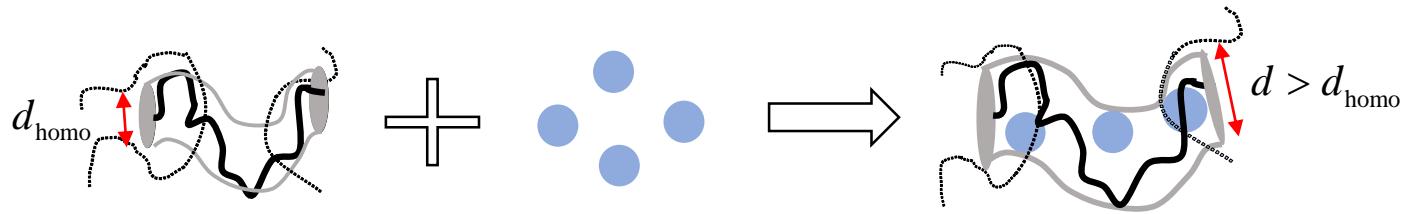
$$\eta_o \propto \tau_d = \frac{3N^3}{W\pi^2} \left(\frac{l}{d}\right)^2$$

$$\begin{aligned} \eta_{bulk,Au-3nm}/\eta_{bulk,PEO} &= (d_{PEO}/d_{PEO-3nmAu})^2 \\ &\approx 0.67 \pm 0.23 \end{aligned}$$

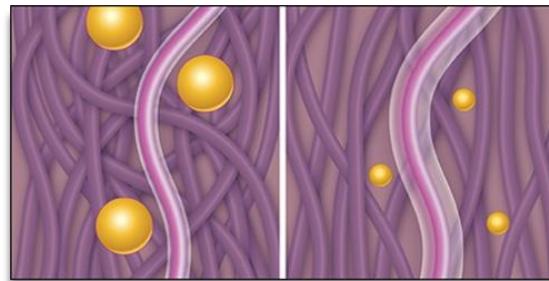
$$G_N^o \propto \frac{1}{N_{ent.}} \propto \frac{1}{d^2}$$

One would expect to see $\sim 60\%$ decrease rubbery plateau.

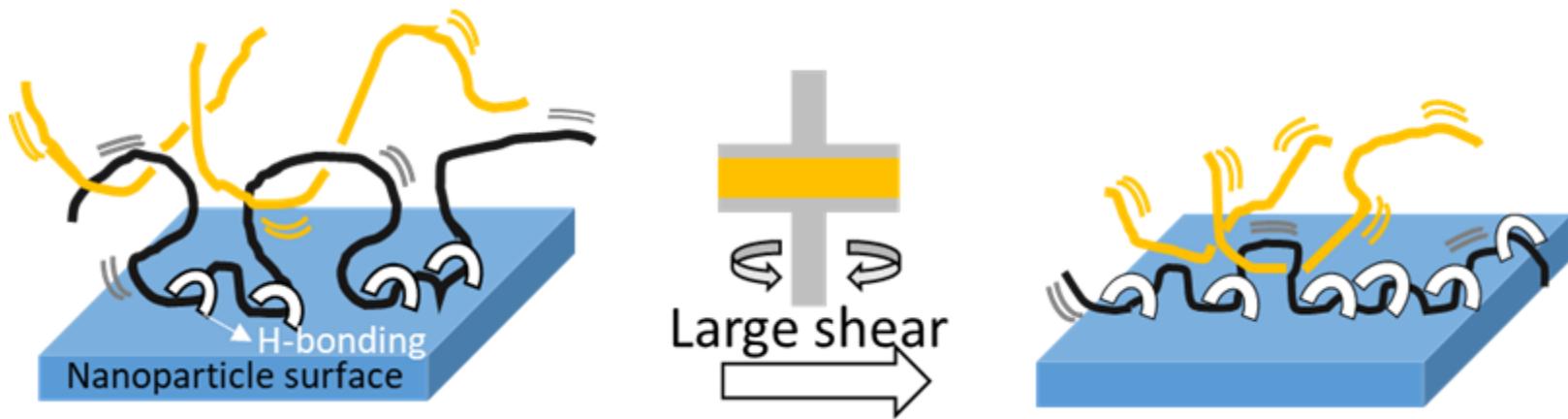
Summary



- Chains disentangle when $d_{\text{particle}} < d_{\text{tube}}$. First direct experimental evidence.
- Rouse dynamics unaffected (at least in our athermal system).
- An explanation for non-Einstein-like viscosity decrease in polymer nanocomposites.

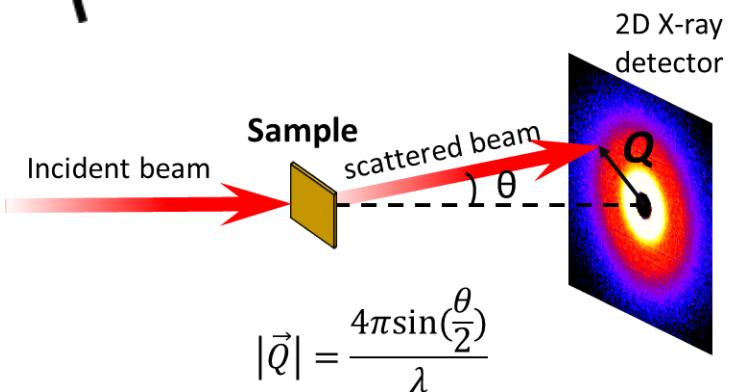
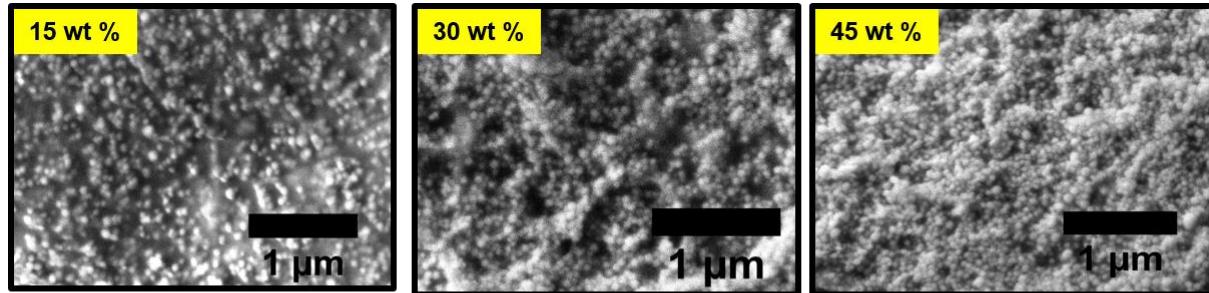
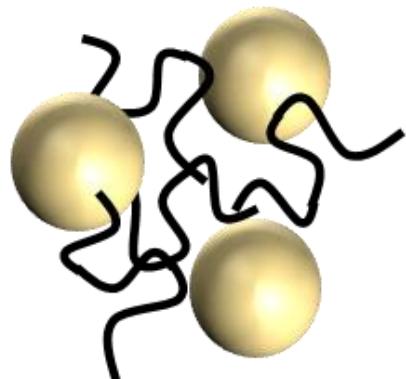


Chain Dynamics in nanocomposites subjected to large deformations



Silica Particles in PolyEthylene Oxide

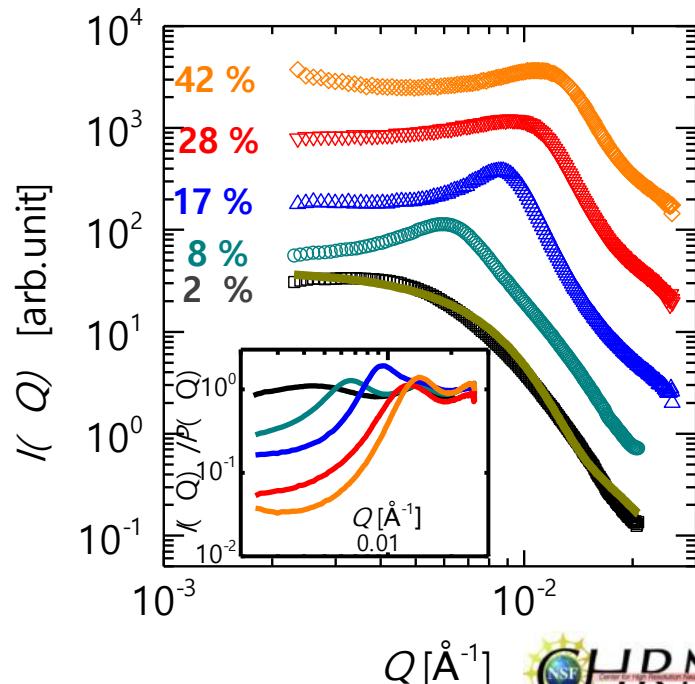
PEO (35 kg/mol, $R_g \approx 7$ nm) / Silica (55 nm diameter)



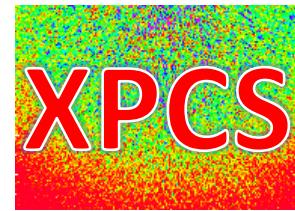
$$|\vec{Q}| = \frac{4\pi \sin(\frac{\theta}{2})}{\lambda}$$

NP % mass (volume)	Face-to-face distance (h) [nm] SAXS	random packing	$h/2R_g$
5 (2.5)	-	93.8	-
15 (7.8)	52.3	48.5	3.74
30 (17.1)	21.8	26.4	1.56
45 (28.3)	14.8	14.9	1.06
60 (41.9)	5.1	7.2	0.51

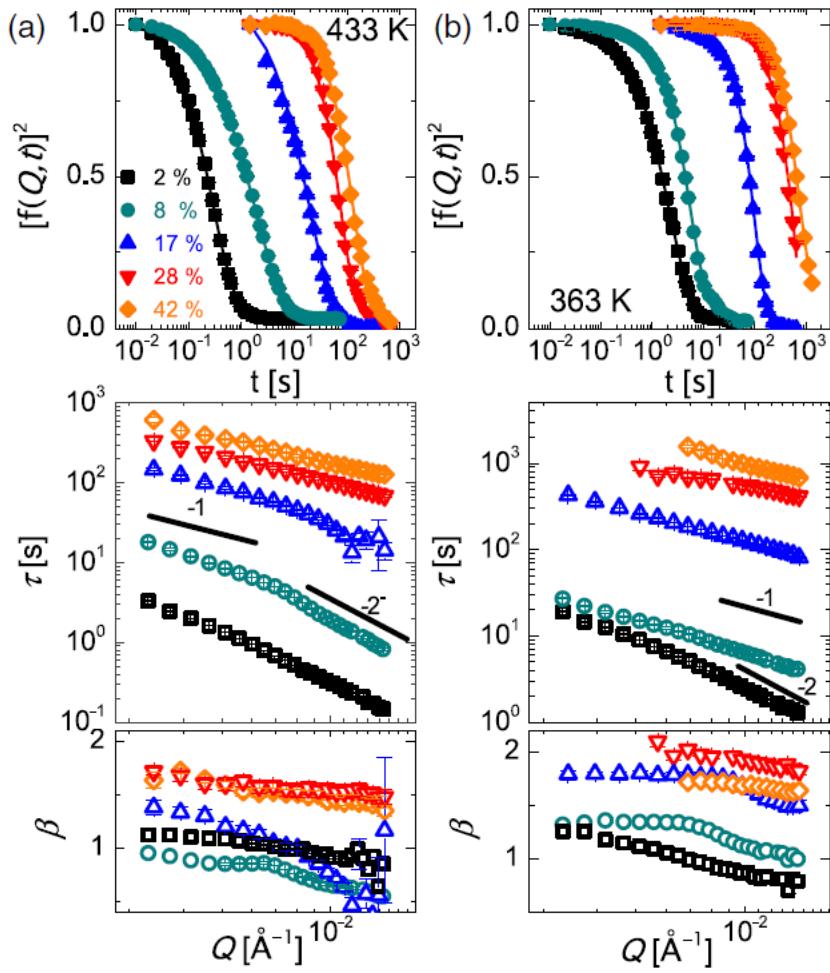
E. Senses, et al., PRL, 119, 237801 (2017).



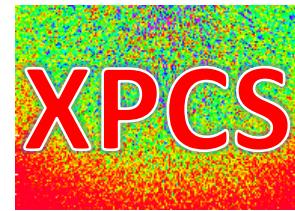
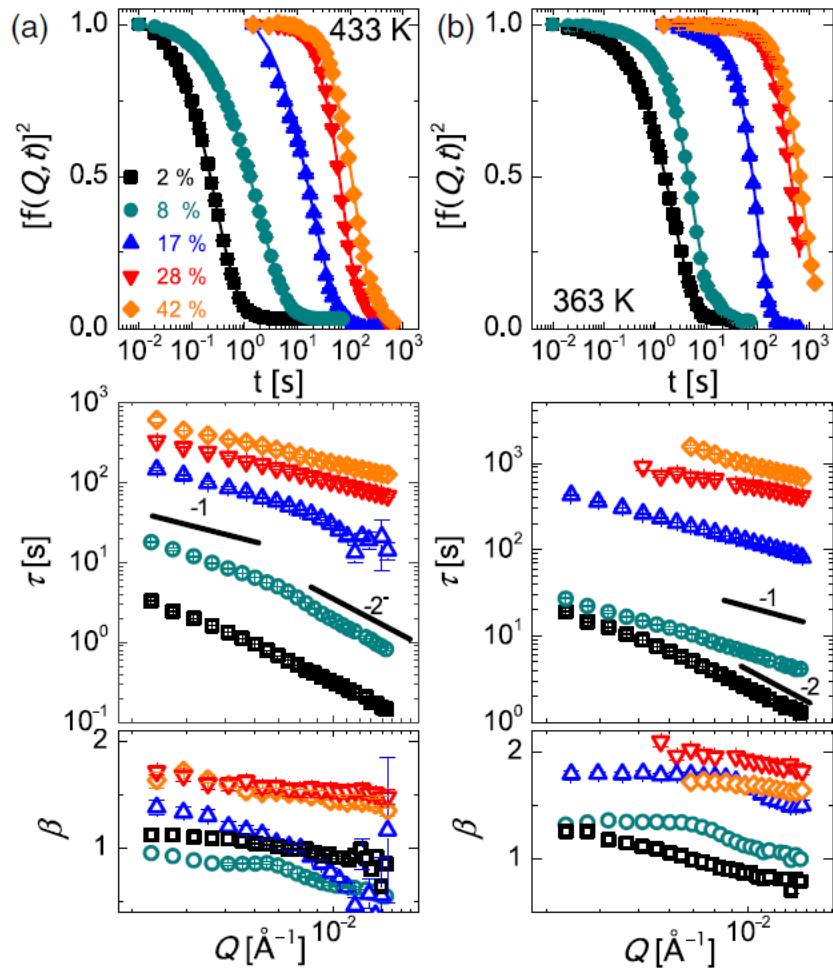
Nanoparticle Dynamics and Rheology Decoupling



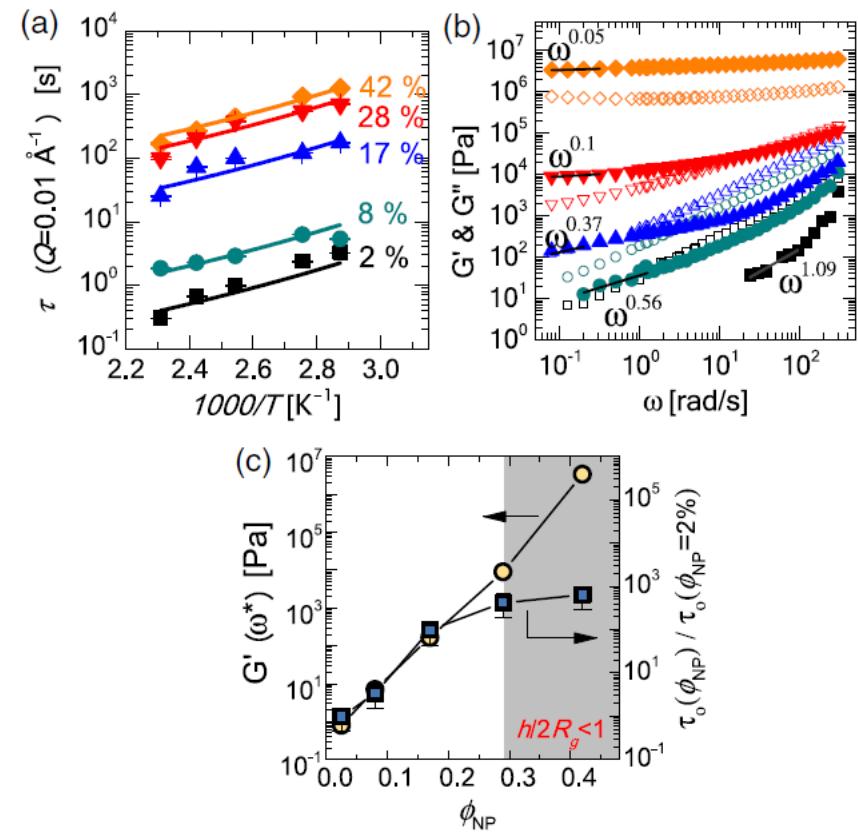
Nanoparticle
Dynamics



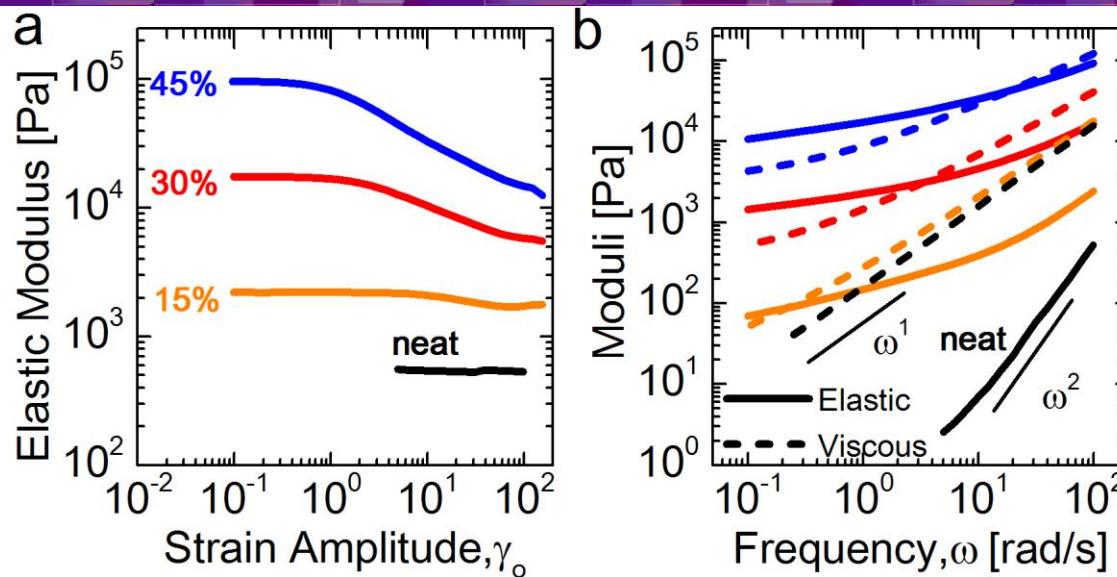
Nanoparticle Dynamics and Rheology Decoupling



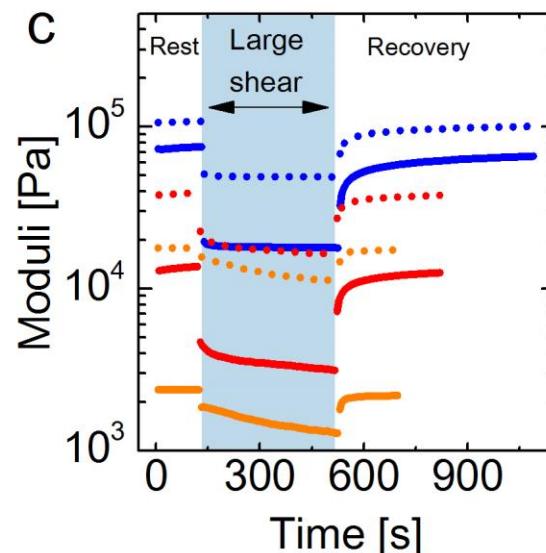
Nanoparticle Dynamics



Payne effect (Nanocomposites Subject to Large Deformations)

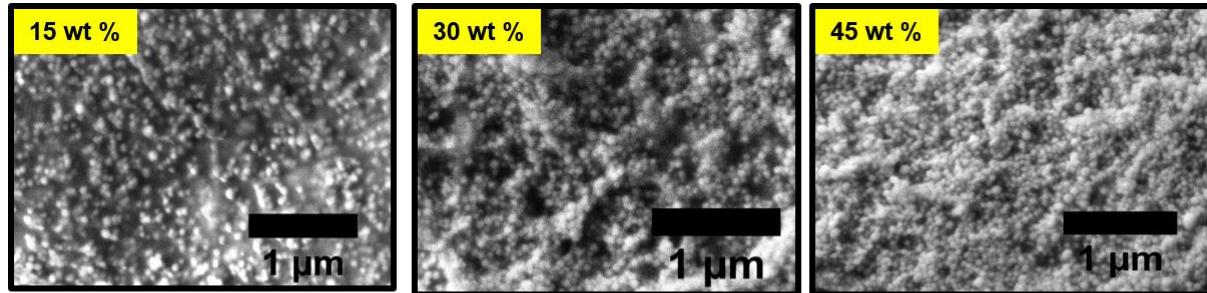
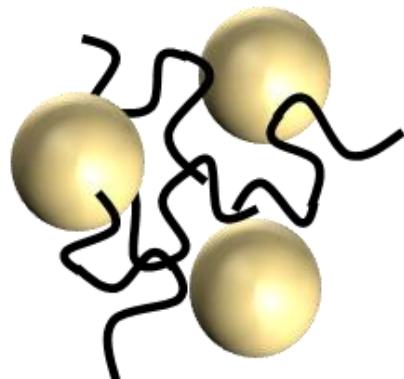


Narrowing linear regime
in nanocomposites and
large decrease in
modulus with strain:
Payne Effect

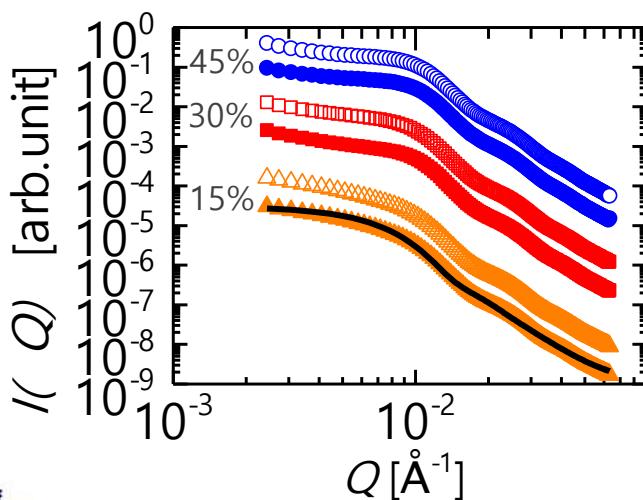
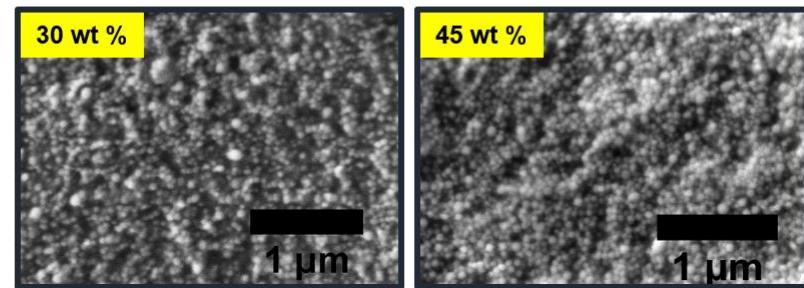


Large Deformation Do Not Affect Structure

PEO (35 kg/mol, $R_g \approx 7$ nm) / Silica (55 nm diameter)



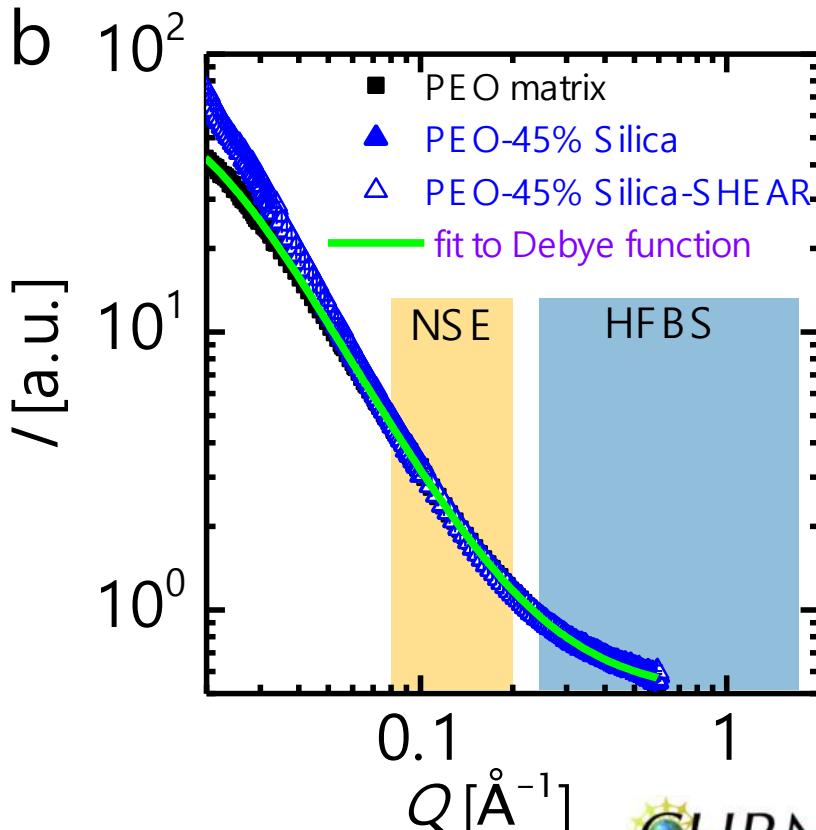
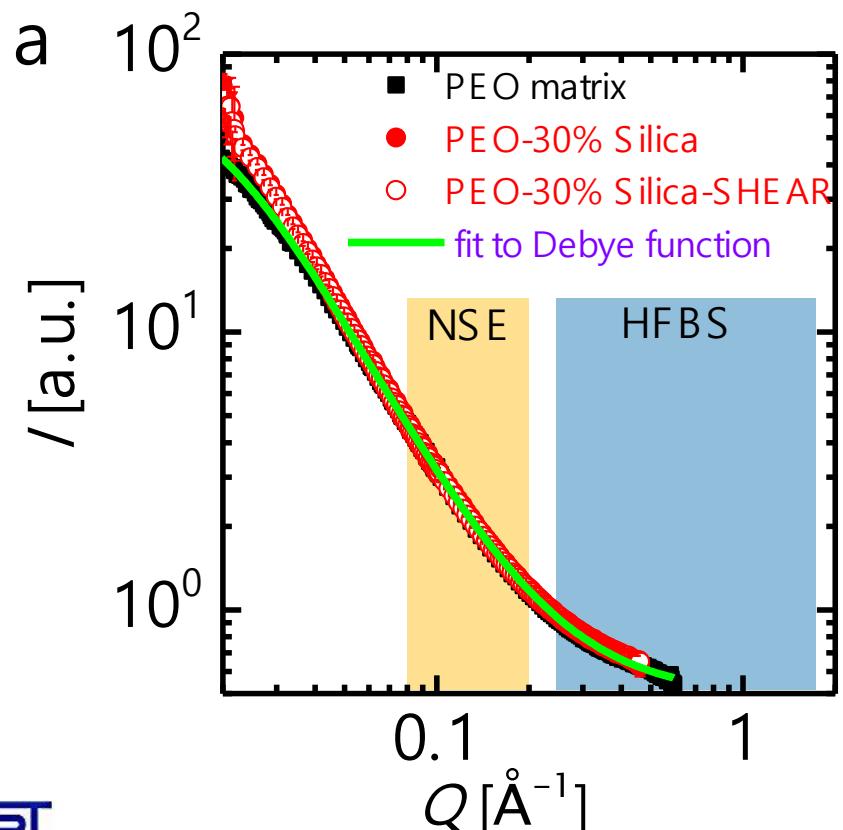
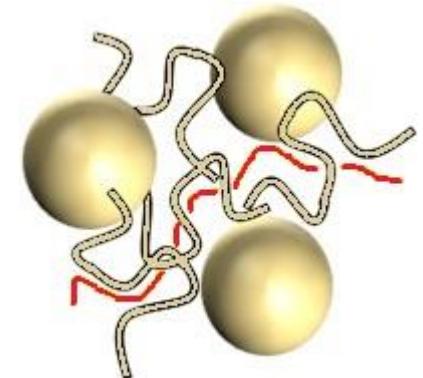
After
Large Shear



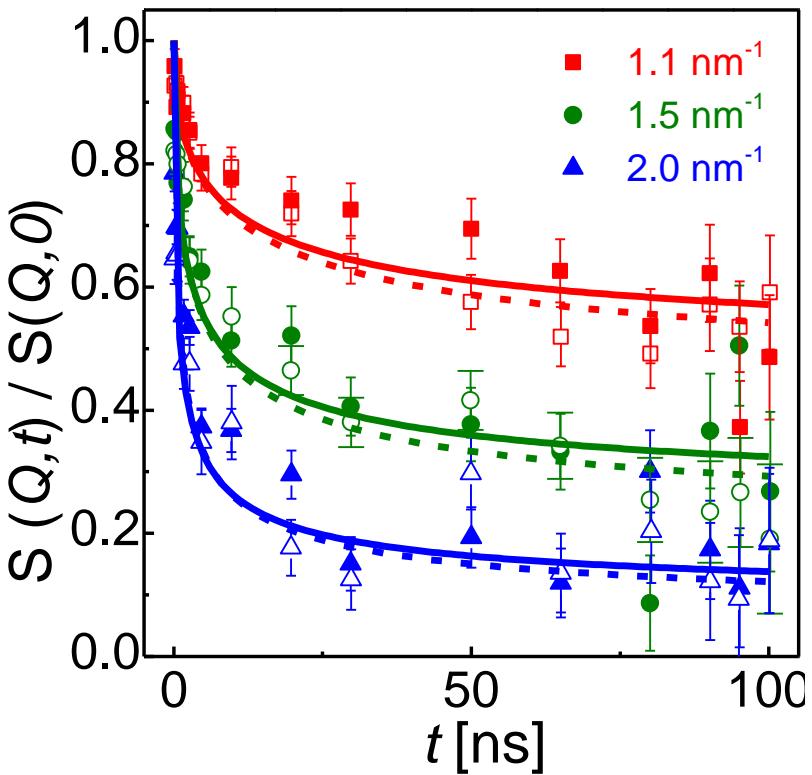
Open Symbols: After Shear

Polymer Chains Conformation

Small Angle Neutron Scattering
contrast matching
h-PEO/d-PEO 48/52 + Silica



Reptation Tube Diameter



Single-chain dynamic structure factor:
(de Gennes formulation)

$$\frac{S(Q,t)}{S(Q,0)} = [1 - \exp(-\frac{Q^2 d^2}{36})] S^{local}(Q,t) + \exp(-\frac{Q^2 d^2}{36}) S^{esc}(Q,t)$$

$$S^{local}(Q,t) = \exp(t/\tau_o) \operatorname{erfc}(\sqrt{t/\tau_o})$$

$$\tau_o = 36/(Wl^4 Q^4)$$

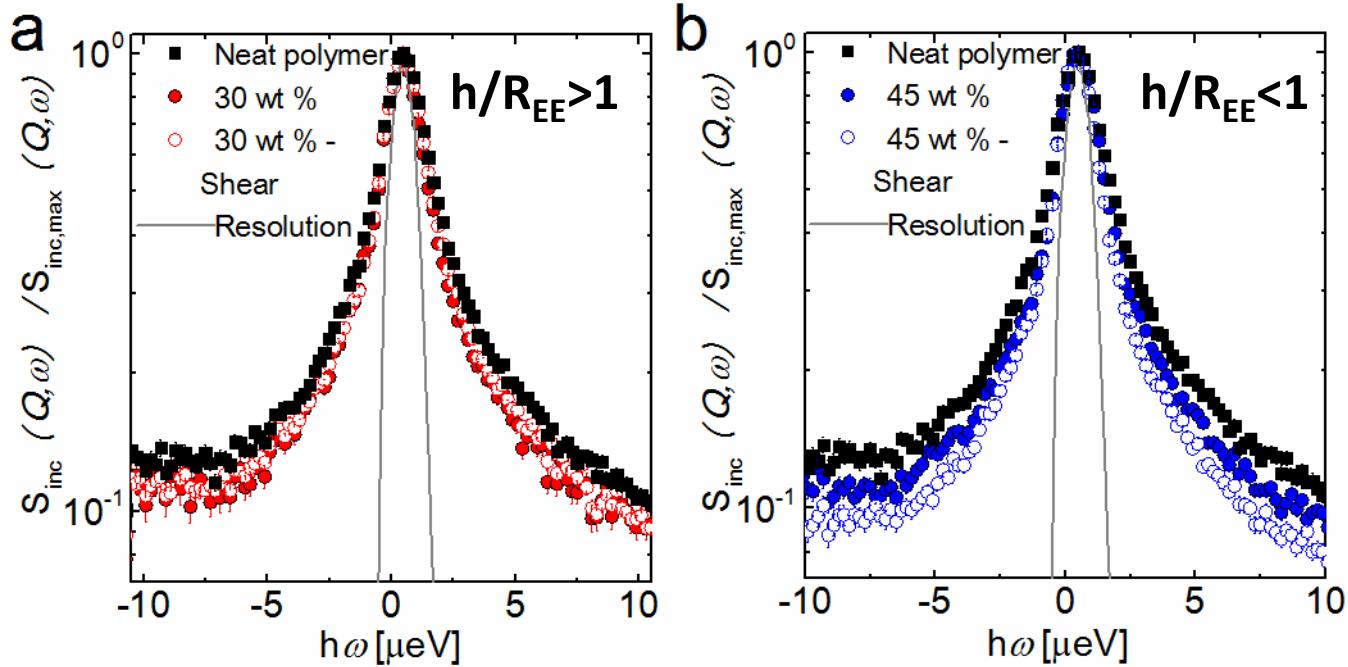
Escape of a chain from its original tube

$$S^{esc}(Q,t) = 1 \quad (\text{for NSE timescale})$$

Fitting to de-Gennes equation for $t > 50$ ns, the tube diameter is found (≈ 5 nm)

Entanglements are not modified after shear and recovery

Segmental Dynamics

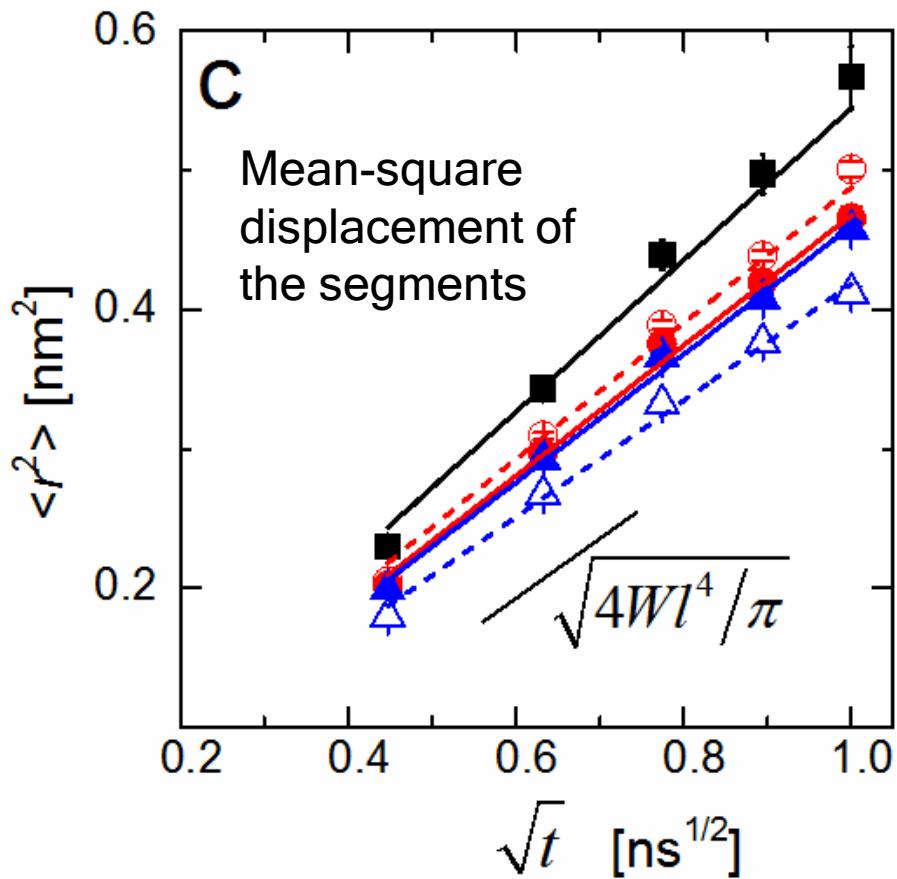


Sample	WL ⁴ [nm ⁴ /ns]
Neat PEO	0.182 ± 0.006
PEO-30 % by weight SiO ₂	0.140 ± 0.005
PEO-30 % by weight SiO ₂ -SHEAR	0.138 ± 0.004
PEO-45 % by weight SiO ₂	0.129 ± 0.003
PEO-45 % by weight SiO ₂ -SHEAR	0.106 ± 0.003

Rouse-rate **decreases with nanoparticle** concentration.

It **further decreases after large shear**.

Segmental Dynamics



Fourier transform of the QENS spectra
Gaussian Approximation
Rouse dynamics with characteristic
rate: Wl^4

$$S_{self}(Q, t) = \exp \left\{ -\frac{Q^2}{6} \langle r(t) \rangle^2 \right\}$$

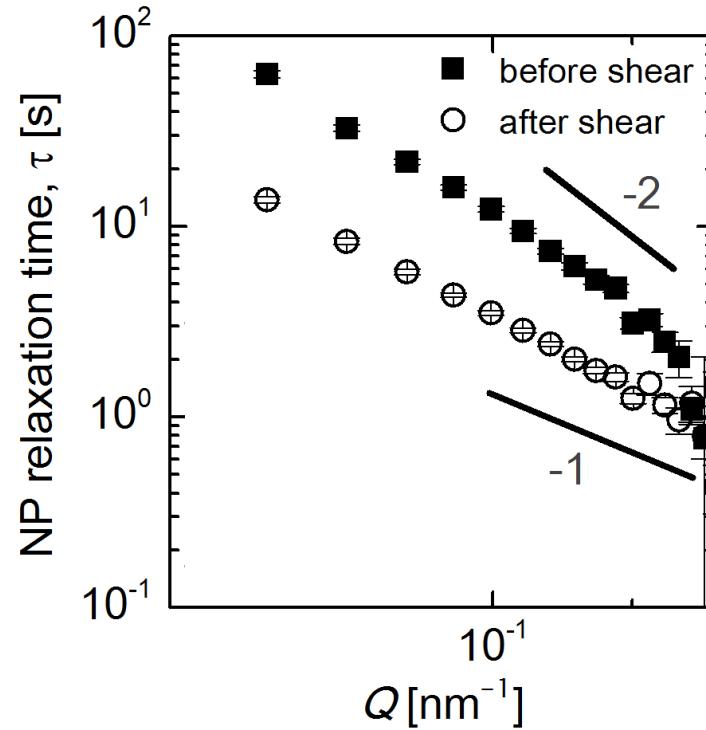
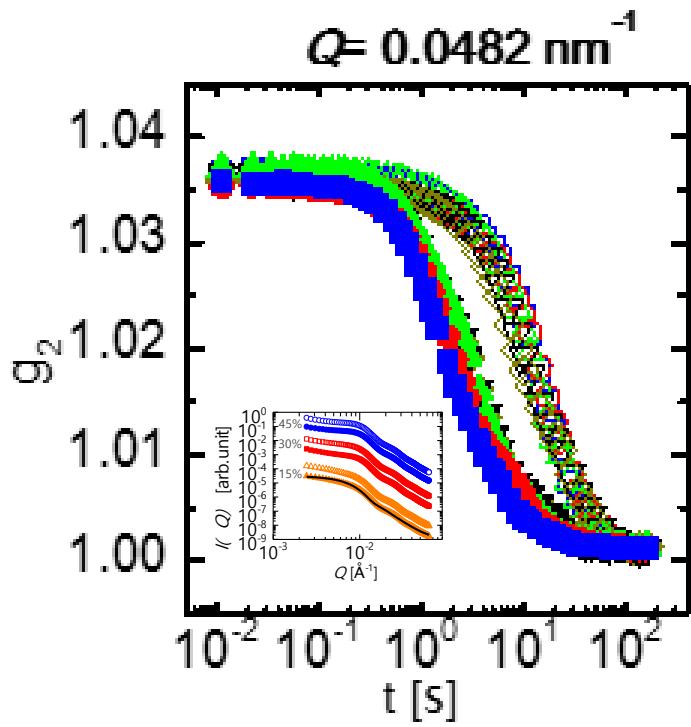
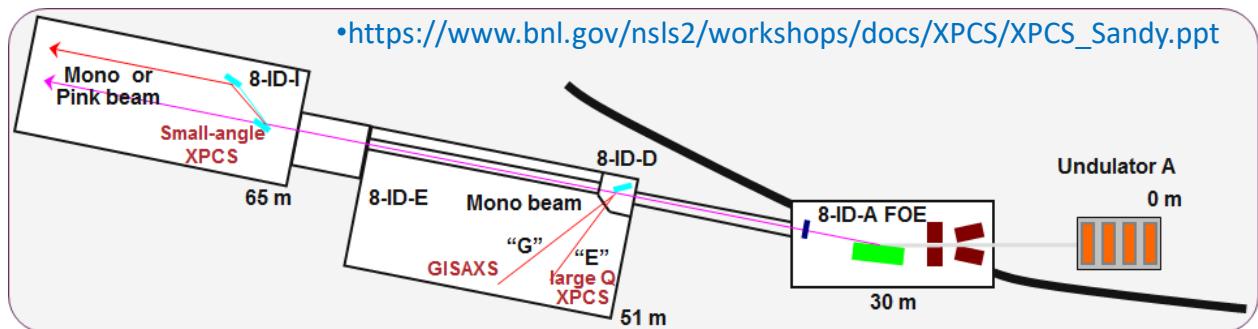
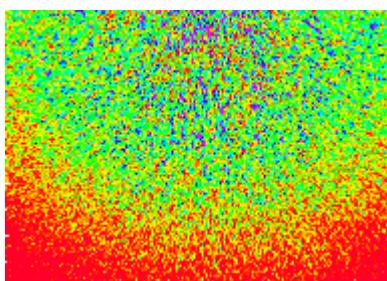
$$\langle r(t) \rangle^2 = 2\sqrt{Wl^4 t / \pi}$$

Rouse-rate **decreases with nanoparticle** concentration.

It **further decreases after large shear**.

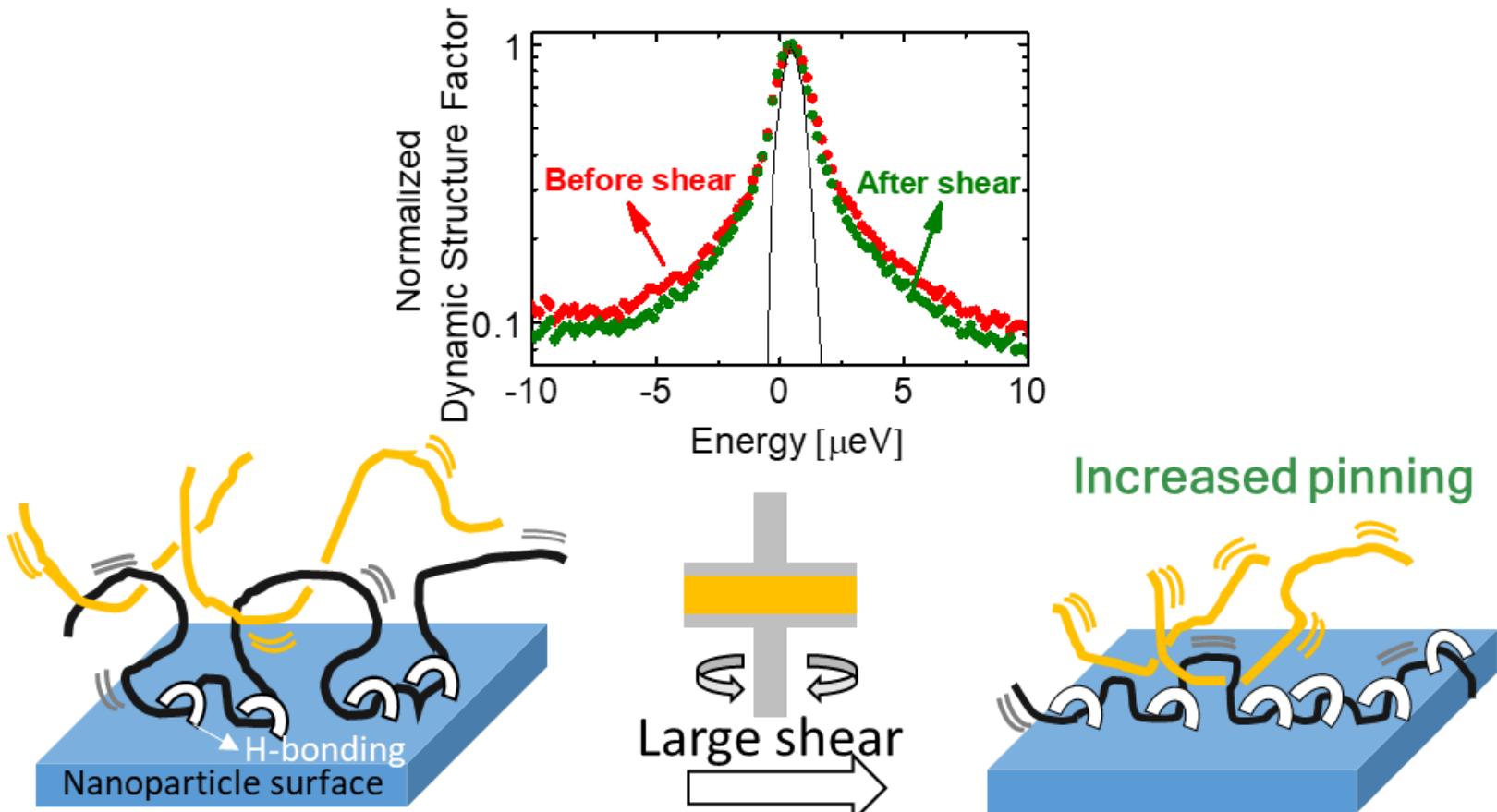
Nanoparticle Dynamics - XPCS

<https://www.aps.anl.gov/Sector-8/8-ID>



Particles speed-up after large shear

Summary



Backscattering shows enhanced pinning

Conclusion

- QENS data indicate that the viscosity reduction in athermal PNC with nanoparticles smaller than the entanglement size originates from a dilation of the reptation tube.
- In attractive PNC subjected to LAOS, an increased pinning which could originate disentanglement of the interphase region, and therefore fluidization, was observed.

Summary

- QENS and NSE provide information on the nanoscopic dynamics in polymer nanocomposites
- These microscopic insights can be related to macroscopic behavior, providing an explanation for the rheological properties
- An accurate knowledge of the structure, the combined use of several methods, and the exploitation of isotopic substitution techniques are key elements of the research.