

IT24102253

Gunasekara K.Y.A

```
setwd("C://Users//yeshi//Desktop//PS")
```

```
##Question 01
#Part 1
#Binomial Distribution
#Here, random variable x has binomial distribution with n=44 and p=0.92

#Part 2
#It asks to find P(x=40). Following command gives the density.
#In other words, probability of getting an exact value can be calculated using "dbinom" command.
dbinom(40,44,0.92)
```

```
> setwd("C://Users//yeshi//Desktop//PS")
> ##Question 01
> #Part 1
> #Binomial Distribution
> #Here, random variable x has binomial distribution with n=44 and p=0.92
>
> #Part 2
> #It asks to find P(x=40). Following command gives the density.
> #In other words, probability of getting an exact value can be calculated using "dbinom" command.
> dbinom(40,44,0.92)
[1] 0.1979776
```

```
#Part 3
#It asks to find P(X <= 35). Following command gives the cumulative
#probability ( <= ), if ""lower.tail" argument equals to "TRUE".
pbinom(35, 44, 0.92, lower.tail = TRUE)
```

```
> #Part 3
> #It asks to find P(X <= 35). Following command gives the cumulative
> #probability ( <= ), if ""lower.tail" argument equals to "TRUE".
> pbinom(35, 44, 0.92, lower.tail = TRUE)
[1] 0.007252274
```

```
#Part 4
#It asks to find  $P(X \geq 38)$ . This can find using "pbinom" command as follows.
#You need to rearrange the probability statement as follows.
# $P(X \geq 38) = 1 - P(X < 38) = 1 - P(X \leq 37)$ 
#Then command will be as follows.
1- pbinom(37, 44, 0.92, lower.tail = TRUE)
#Or else following command can also used by keeping argument "lower.tail" as "FALSE".
#Here, when that argument is "FALSE", it means that  $P(X > 37)$  which is same as  $P(X \geq 38)$ .
pbinom(37, 44, 0.92, lower.tail = FALSE)
```

```
> #Part 4
> #It asks to find  $P(X \geq 38)$ . This can find using "pbinom" command as follows.
> #You need to rearrange the probability statement as follows.
> # $P(X \geq 38) = 1 - P(X < 38) = 1 - P(X \leq 37)$ 
> #Then command will be as follows.
> 1- pbinom(37, 44, 0.92, lower.tail = TRUE)
[1] 0.9412233
> #Or else following command can also used by keeping argument "lower.tail" as "FALSE".
> #Here, when that argument is "FALSE", it means that  $P(X > 37)$  which is same as  $P(X \geq 38)$ .
> pbinom(37, 44, 0.92, lower.tail = FALSE)
[1] 0.9412233
```

```
#Part 5
#It asks to find  $P(40 \leq X \leq 42)$ . This can find using "pbinom" command as follows.
#You need to rearrange the probability statement as follows.
# $P(40 \leq X \leq 42) = P(X \leq 42) - P(X \leq 39)$ 
#Then command will be as follows.
pbinom(42, 44, 0.92, lower.tail = TRUE) - pbinom(39, 44, 0.92, lower.tail = TRUE)
```

```
> #Part 5
> #It asks to find  $P(40 \leq X \leq 42)$ . This can find using "pbinom" command as follows.
> #You need to rearrange the probability statement as follows.
> # $P(40 \leq X \leq 42) = P(X \leq 42) - P(X \leq 39)$ 
> #Then command will be as follows.
> pbinom(42, 44, 0.92, lower.tail = TRUE) - pbinom(39, 44, 0.92, lower.tail = TRUE)
[1] 0.6025556
```

```
##Question 02
#Part 1
#Number of babies born in a hospital on a given day

#Part 2
#Poisson distribution
#Here, random variable X has poisson distribution with  $\lambda = 5$ 

#Part 3
#It asks to find  $P(X = 6)$ . Following command gives the density.
#In other words, probability of getting an exact value can be calculated using "dpois" command.
dpois(6, 5)
```

```

> ##Question 02
> #Part 1
> #Number of babies born in a hospital on a given day
>
> #Part 2
> #Poisson distribution
> #Here, random variable X has poisson distribution with lambda=5
>
> #Part 3
> #It asks to find P(X=6). Following command gives the density.
> #In other words, probability of getting an exact value can be calculated using "dpois" command.
> dpois(6,5)
[1] 0.1462228

```

```

#Part 4
#It asks to find P(X>6). This can find using "ppois" command as follows.
#If you keep "lower.tail" argument as "TRUE", that means P(X <= 6).
#Since we need P(X>6), keep the "lower.tail" argument as "FALSE".
ppois(6, 5, lower.tail = FALSE)

```

```

> #Part 4
> #It asks to find P(X>6). This can find using "ppois" command as follows.
> #If you keep "lower.tail" argument as "TRUE", that means P(X <= 6).
> #Since we need P(X>6), keep the "lower.tail" argument as "FALSE".
> ppois(6, 5, lower.tail = FALSE)
[1] 0.2378165

```

```

##Question 01
#Part 1
#Binomial Distribution
#Here, random variable X has binomial distribution with n=50 and p=0.85
#X ~ Binomial(n = 50, p = 0.85)

#Part 2
#It asks to find P(X >= 47). This can be calculated using "pbinom" command as follows.
#You need to rearrange the probability statement as follows.
#P(X >= 47) = 1 - P(X <= 46)
#Then command will be as follows:
1 - pbinom(46, 50, 0.85, lower.tail = TRUE)

```

```
> ##Question 01
> #Part 1
> #Binomial Distribution
> #Here, random variable X has binomial distribution with n=50 and p=0.85
> #X ~ Binomial(n = 50, p = 0.85)
>
> #Part 2
> #It asks to find  $P(X \geq 47)$ . This can be calculated using "pbinom" command as follows.
> #You need to rearrange the probability statement as follows.
> # $P(X \geq 47) = 1 - P(X \leq 46)$ 
> #Then command will be as follows:
> 1 - pbinom(46, 50, 0.85, lower.tail = TRUE)
[1] 0.04604658
```

```
#Or else, following command can also be used by keeping argument "lower.tail" as "FALSE".
#Here, when that argument is "FALSE", it means that  $P(X > 46)$ , which is same as  $P(X \geq 47)$ .
pbinom(46, 50, 0.85, lower.tail = FALSE)
```

```
> #Or else, following command can also be used by keeping argument "lower.tail" as "FALSE".
> #Here, when that argument is "FALSE", it means that  $P(X > 46)$ , which is same as  $P(X \geq 47)$ .
> pbinom(46, 50, 0.85, lower.tail = FALSE)
[1] 0.04604658
```

```
##Question 02
#Part 1
#Random variable X is the number of customer calls received in one hour.

#Part 2
#Poisson distribution
#Here, random variable X has poisson distribution with lambda = 12
#X ~ Poisson(lambda = 12)

#Part 3
#It asks to find  $P(X = 15)$ . Following command gives the density.
#In other words, probability of getting an exact value can be calculated using "dpois" command.
dpois(15, 12)
```

```
> ##Question 02
> #Part 1
> #Random variable X is the number of customer calls received in one hour.
>
>
> #Part 2
> #Poisson distribution
> #Here, random variable X has poisson distribution with lambda = 12
> #X ~ Poisson(lambda = 12)
>
>
> #Part 3
> #It asks to find  $P(X = 15)$ . Following command gives the density.
> #In other words, probability of getting an exact value can be calculated using "dpois" command.
> dpois(15, 12)
[1] 0.07239112
```