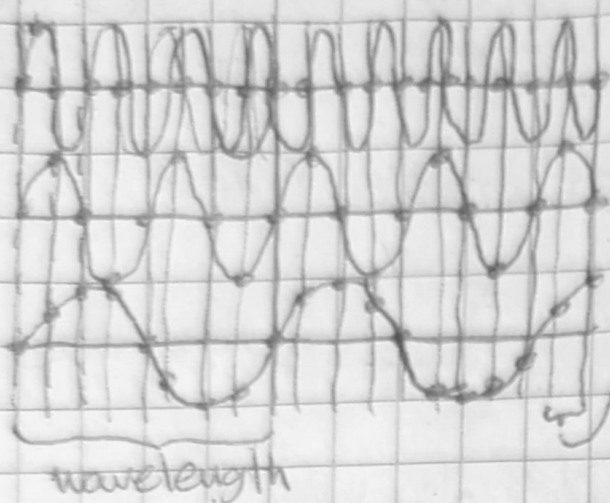


22 - Signal processing

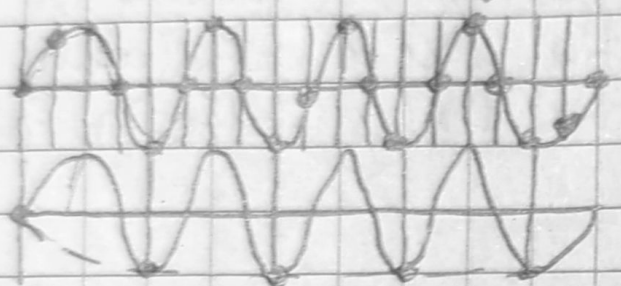
Audio signal



As the frequency increases, we get more screwed up samples curved at the same sampling resolution.

sampling resolution

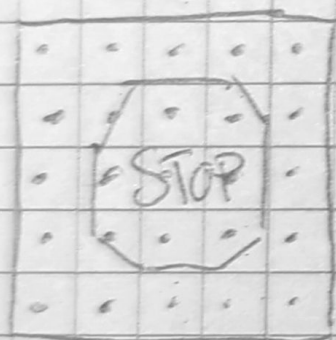
Aliasing



sample

Aliasing is the problem of a wrongly sampled curve when the sample resolution is too low.

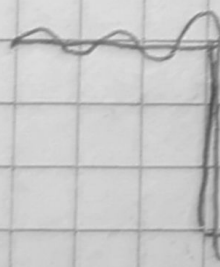
Raster images



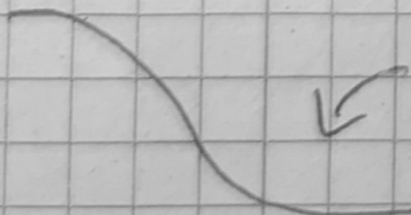
"A pixel is not a little square"

When talking about high frequencies in raster images, we talk about moving from, for example, a light color to a dark color between two pixels.

← This creates a sharp "discrete" curve ~~with high amplitude~~ with high amplitude(?).



↙ The reason for this is that we're adding many curves of ~~make~~ higher and higher frequencies.



↙ Having a smooth edge creates a blurry image with lower frequencies

So when talking aliasing in rendering, high frequencies creates "sharper" images, and low frequencies blurry ones.

Image Filters

Box filter takes adjacent pixels, all with weight 1, and takes the average. We can have 3×3 , 5×5 etc. Gaussian filter has different weights, higher towards the middle.

3x3 box filter



5x5 box filter



5x5 gaussian filter



↑ weight value

Convolution

$a * b = c$, $a = \text{input}$
 $* = \text{convolution}$
 $b = \text{filter}$
 $c = \text{output}$

like multiplication

Commutative: $f * g = g * f$

Associative: $(f * g) * h = f * (g * h)$

Distributive: $f * (g + h) = (f * g) + (f * h)$

Box filter and Gaussian filter are called convolution filters. There are also tent, edge and sharpening filters. More probably.

w_0	w_1	w_2
w_3	w_4	w_5
w_6	w_7	w_8

\Rightarrow \boxed{z} convoluted color

Here we take $w_0c_0 + w_1c_1 + w_2c_2 + \dots + w_8c_8 = \text{convoluted color}$.

We can actually choose the weights as we want, for example based on some function.

Denoising filters, as talked about previous lecture, is a form of convolution filter.