

# Lean Software Development

## Existing Software Measures

### Lectures 5 and 6

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# Initial Classification for Metrics

- Size Oriented Metrics
- Function Oriented Metrics
- Object-Oriented Metrics
- Chidamber and Kemerer (CK) Suite

# Typical Size-Oriented Metrics

- Errors per KLOC (thousand lines of code)
- Defects per KLOC
- \$ per LOC
- Page of documentation per KLOC
- Errors / person-month
- LOC per person-month
- \$ / page of documentation

# Typical Function-Oriented Metrics

- Errors per FP (thousand lines of code)
- Defects per FP
- \$ per FP
- Pages of documentation per FP
- FP per person-month

## Size Oriented Metrics

- Need for a standard (a normalization)
  - For instance we use the count of the “;”
- Once a standard is set they can be computed automatically (Objective metrics)
- *They MUST not be used to evaluate people productivity (easy to alter!!!)*
- When used properly, they work!!

## Example (with our definition)

```
void f() {  
    while (!done){  
        count++; //1  
        if(count > 10){  
            fixed_count = fixed_count + count; //2  
            done = 1; //3  
        } else if(count > 5){  
            fixed_count --; //4  
        } else {  
            fixed_count = count * 4; //5  
        }  
    } // while  
}
```

*LOC* = 5!

## Example (with another definition)

```
void f() { //1
    while (!done){ //2
        count++; //3
        if(count > 10){
            fixed_count = fixed_count + count; //4
            done = 1; //5
        } else if(count > 5){ //6
            fixed_count --; //7
        } else { //8
            fixed_count = count * 4; //9
        } //10
    } //11
} // 12
```

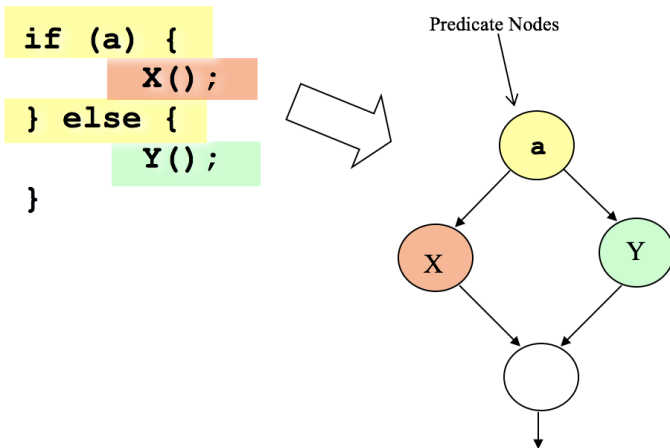
*LOC* = 12!



# The quest for productivity measures

- In how many ways I can write a sequence of 10 `sqrt()`s???
- Usually productivity is defined “Output/Input”
- But what is the Output in SW? What is the Input?
- LOC/effort is evaluating the volume throughput, taking into account the input volume!

# Flow Graph



from Pressman pg 459

# Introducing Cyclomatic Complexity

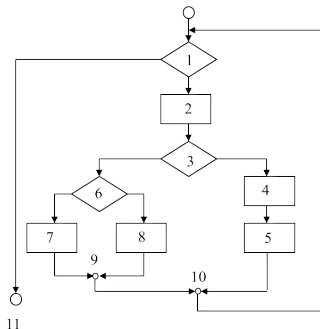
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```
void f() {  
    while (!done){  
        count++;  
        if(count > 10){  
            fixed_count = fixed_count + count;  
            done = 1;  
        } else if(count >5){  
            fixed_count --;  
        } else {  
            fixed_count = count * 4;  
        }  
    } // while  
}
```

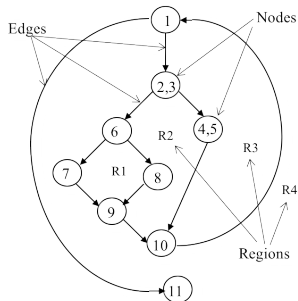
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# Cyclomatic Complexity

## Flow Graph Notation



*Flow Chart*



*Flow Graph*

*Flow Chart*

*Flow Graph*

## Cyclomatic Complexity (Def)

$V(G) = \# \text{Regions in the Graph}$

$V(G) = \# \text{Independent Paths in the Graph}$

$V(G) = E - N + 2$ , *where*

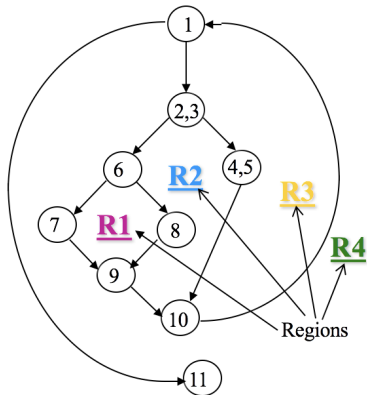
$E$  = number of edges and

$N$  = number of nodes

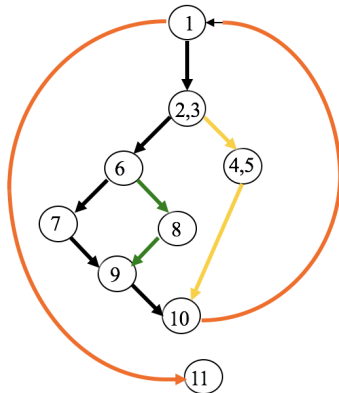
$V(G) = P + 1$ , *where*

$P$  = number of predicated nodes (i.e., if, case, while, for, ...)

# Computing CC (definitions)

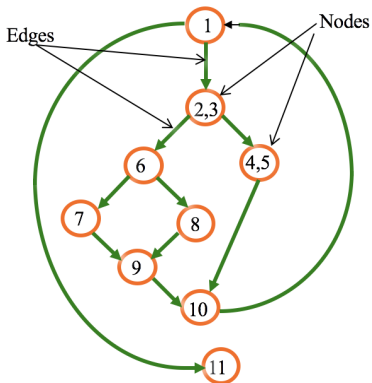


4 regions!!!

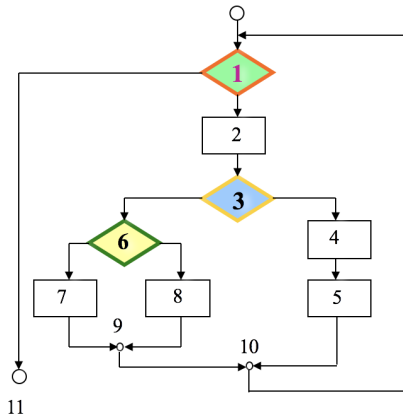


4 independent paths!!!

# Computing CC (formula)



11 Edges, 9 Nodes ...  
 $11 - 9 + 2 = 4 !!!$



$3 + 1 = 4!!$

## Fan In and Fan Out

- The Fan In of a module is the amount of information that “enters” the module
- The Fan Out of a module is the amount of information that “exits” a module
- We assume all the pieces of information with the same size
- Fan In and Fan Out can be computed for functions, modules, objects, and also non-code components



# Computing Fan In and Fan Out

Usually:

- Parameters passed by values count toward Fan In
- External variables used before being modified count toward Fan In
- External variables modified in the block count toward Fan Out
- Return values count toward Fan Out
- Parameters passed by reference ... depend on their use...

# Simple Example of Fan In / Fan Out

```
#define<stdio.h>
```

```
#define<math.h>
```

```
int globalInVar = 9;
```

```
int globalOutVar;
```

```
float Simple(float x, float y){ 2
```

```
    int a;
```

```
    float z;
```

```
    z = sqrt( x + y +
              globalInVar); 1
```

```
    globalOutVar = int(z+2); 1
```

```
    return z; 1
```

```
}
```

fan-in

fan-out

3

2

# Simple Example of Fan In / Fan Out

---

```
#define<stdio.h>
#define<math.h>

int globalInVar = 9;
int globalOutVar;

float Simple(float x, float y){
    int a;
    float z;
    z = sqrt( x + y +
              globalInVar);
    globalOutVar = int(z+2);
    return z;
}
```

---

# Proposed Exercises

#define<stdio.h>		
#define<math.h>	<b><u>fan-in</u></b>	<b><u>fan-out</u></b>
int globalVarA = 0;		
int globalVarB = 3;		
float global VarC = 7.0;		
float chechValue( float x, float y){	<b>2</b>	
int a;		
float z;		
z = sqrt( x + y + globalVarC );	<b>1</b>	
globalVarA ++;	<b>1</b>	<b>1</b>
a = globalVarB;	<b>1</b>	
globalVarC = z + (float)globalVarA;		<b>1</b>
return z;		<b>1</b>
}		
Total	<b>5</b>	<b>3</b>

# Proposed Exercises

Please refer to the handout

## Primitive Measures

$n_1$ – number of distinct operators

$n_2$ – number of distinct operands

$N_1$ – total number of operator occurrences

$N_2$ – total number of operand occurrences

Types:

$$n = n_1 + n_2$$

Tokens / Length:

$$N = N_1 + N_2$$

Volume:

$$V = N \log_2(n)$$

Volume Ratio:

$$L = (2/n_1) \times (n_2/N_2)$$

Program Level:

$$PL = \frac{1}{(n_1/2) \times (N_2/n_2)}$$

Software Science Effort:

$$E = V/PL$$

Time for testing:

$$T = E/18 \text{ in seconds.}$$

# Halstead's Metrics (example)

```
#define<stdio.h>
```

```
#define<math.h>
```

```
int globalVarA = 0;
```

```
int globalVarB = 3;
```

```
float global VarC = 7.0;
```

```
float chechValue( float x, float y){
```

```
    int a;
```

```
    float z;
```

```
    z = sqrt( x + y + globalVarC );
```

```
    globalVarA ++;
```

```
    a = globalVarB;
```

```
    globalVarC = z + (float)globalVarA;
```

```
    return z;
```

```
}
```

Operators:	Count:
()	3
{}	1
=	6
+	5
int	3
float	6
sqrt	1
chechValue	1
return	1
$n_1 = 9$	$N_1 = 27$

$N = 44; n = 16; V = 176; PL = 0.09; E = 1923.42' = 32'$

# Halstead's Metrics (example cont.)

```
#define<stdio.h>
#define<math.h>

int globalVarA = 0;
int globalVarB = 3;
float global VarC = 7.0;

float chechValue( float x, float y){
    int a;
    float z;
    z = sqrt( x + y + globalVarC );
    globalVarA ++;
    a = globalVarB;
    globalVarC = z + (float)globalVarA;
    return z;
}
```

Operands:	Count:
globalVarA	3
globalVarB	2
globalVarC	3
x	2
y	2
a	2
z	3
$n_2 = 7$	$N_2 = 17$

$N = 44; n = 16; V = 176; PL = 0.09; E = 1923.42 = 32'$



# Function Oriented Metrics

# Function Points

- Function Points are a measure of *how big* is the program, independently from the actual physical size of it
- It is a weighted count of several features of the program
- Dislikers claim FP make no sense wrt the representational theory of measurement
- There are firms and institutions taking them very seriously

---

## Analyze information

### domain of the

Establish count for input domain and

### application

system interfaces

### and develop counts



---

## Weight each count by

Assign level of complexity or weight

## assessing complexity

to each count



---

## Assess influence of

Grade significance of external factors,  $F_i$

# Analyzing the Information Domain

## Measurement

### parameter

(number of)

count

### Weighting Factor

simple

average

complex

inputs	<input type="checkbox"/>	x	3	4	6	=	<input type="checkbox"/>
user outputs	<input type="checkbox"/>	x	4	5	7	=	<input type="checkbox"/>
user inquiries	<input type="checkbox"/>	x	3	4	6	=	<input type="checkbox"/>
files	<input type="checkbox"/>	x	7	10	15	=	<input type="checkbox"/>
ext. interfaces	<input type="checkbox"/>	x	5	7	10	=	<input type="checkbox"/>

*Assuming all inputs with the same weight, all output with the same weight, ...*

## Complete Formula for the Unadjusted Function Points:

$$\sum_{Inputs} W_i + \sum_{Outputs} W_o + \sum_{Inquiry} W_{in} + \sum_{IntFiles} W_{if} + \sum_{ExtInt} W_{ei}$$

# Taking Complexity into Account

Factors are rated on a scale of 0 (not important) to 5 (very important):

data communications	on-line update
distributed functions	complex processing
heavily used configuration	installation ease
translation rate	operation ease
on-line data entry	multiple sites
end user efficiency	facilitate change

**Formula:**

$$CM = \sum_{ComplexityMultiplier} F_{ComplexityMultiplier}$$

# Complexity

## Measurement

### parameter

(number of)

count

### Weighting Factor

simple

average

complex

inputs	<input type="checkbox"/>	x	3	4	6	=	<input type="checkbox"/>
user outputs	<input type="checkbox"/>	x	4	5	7	=	<input type="checkbox"/>
user inquiries	<input type="checkbox"/>	x	3	4	6	=	<input type="checkbox"/>
files	<input type="checkbox"/>	x	7	10	15	=	<input type="checkbox"/>
ext. interfaces	<input type="checkbox"/>	x	5	7	10	=	<input type="checkbox"/>

## Unadjusted Function Points:

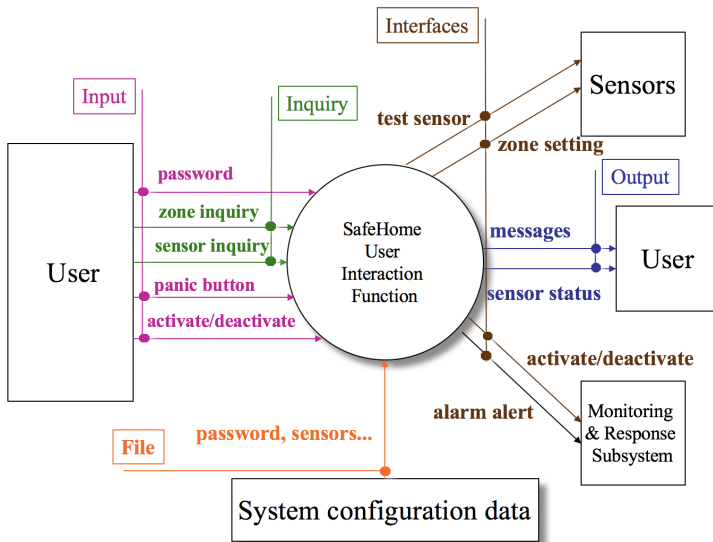
*count total* = ☐

*complexity mpl.* = ☐

*function points* = ☐

$$FP = UFP \times (0.65 + 0.01 \times CM)$$

# Safe Home Example



# Safe Home Example

**Measurement  
parameter**

*(number of)*

	<b>count</b>		<b>Weighting Factor</b>				
			<b>simple</b>	<b>average</b>	<b>complex</b>		
inputs	<div>3</div>	x	3	4	6	=	<div>9</div>
user outputs	<div>2</div>	x	4	5	7	=	<div>8</div>
user inquiries	<div>2</div>	x	3	4	6	=	<div>6</div>
files	<div>1</div>	x	7	10	15	=	<div>7</div>
ext. interfaces	<div>4</div>	x	5	7	10	=	<div>20</div>
<b>count total</b>							<div><b>50</b></div>

Using  $FP = \text{count total} \times (0.65 + 0.01 \times \sum F_i)$

where  $\sum F_i = 46$ , we get

$$FP = 50 \times (0.65 + 0.01 \times 46)$$

$$FP = 56$$



# New stuff on function points

- Feature points
  - To deal also with engineering and real time applications
  - Not much used, however ...
- Software Backfiring
  - to link function points to LOC on the average, since there are (poor) techniques to estimate the duration of a software project, given the predicted lines of code (COCOMO2, Putnam model)

# Quality Metrics

## Product Quality - ISO 9126

- A means to specify the features of a software product and to verify them
- ISO 9126 identifies 6 characteristics and 21 sub-characteristics
- Each characteristic is defined by a ***disjoint subset*** of sub-characteristics that are then used to its evaluation

# ISO 9126 Characteristics

- Functionality
- Reliability
- Usability
- Efficiency
- Maintainability
- Portability

## Other Kinds of Metrics

There are MANY other kinds of metrics:

- Metrics for requirements
- Metrics for analysis
- Metrics for design
- Metrics for testing
- Object oriented metrics
- ...

# The CK Metrics suite

- The CK metrics suite is a set of metrics for object oriented systems
- It tries to capture different kind of properties of OO
- It attempts to compromise between providing a careful description and a the principle of parsimony

## Metrics in the CK suite

- Weighted Methods per Class (WMC)
- Depth of Inheritance Tree (DIT)
- Number of Children (NoC)
- Coupling between Objects (CBO)
- Response for a Class (RFC)
- Lack of COhesion in Methods (LCOM)



Let  $C$  be a class with methods  $M_1, M_2, \dots, M_n$   
with complexity  $c_1, c_2, \dots, c_n$

$$WMC(C) = \sum c_i$$

If all methods are considered to be of complexity one:

$$WMC(C) = NoM(C)$$

- The Depth of the Inheritance Tree of a class is the longest path in the inheritance hierarchy from the class to its most remote ancestor
- In case of multiple inheritance, DIT is the largest number among the different most remote ancestors

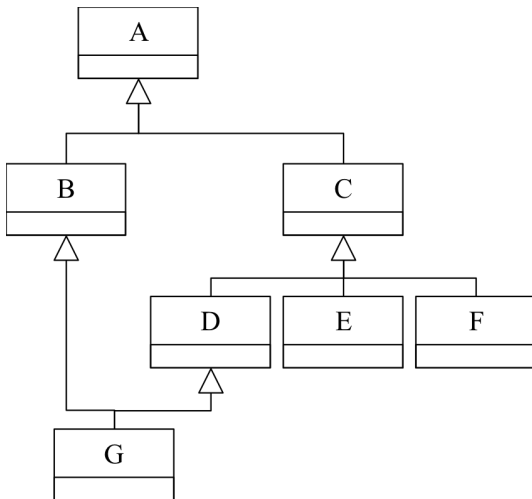
- The Number of Children of a class is the number of immediate subclasses of that class

- Coupling between objects of a class  $C$  is the number of other classes to which  $C$  is related through association, aggregation, or composition

- Response For a Class is the number of methods (of that class or of other classes) that can be invoked from within the class in response to a call to a method of the class

- Let  $C$  be a class with methods  $M_1, M_2, \dots, M_n$  using each using set of attributes  $UA_1, UA_2, \dots, UA_n$
- Consider the sets of Non Cohesive Methods and of Cohesive Methods of  $C$ :
  - $NCM(C) = \{ \langle M_i, M_j \rangle : UM_i \cap UM_j = \emptyset, i < j \}$
  - $C(C) = \{ \langle M_i, M_j \rangle : UM_i \cap UM_j \neq \emptyset, i < j \}$
- $LCOM(C) = | NCM(C) | - | C(C) |$

## Example (1/4)



## Example (2/4)

---

```
class A {  
public: A(){}  
    void aMethod(){}  
    void aMethod(int i){}  
    void anotherMethod();  
    ~A(){}  
private: int attr;  
};  
  
class B : public A{ public: void f(){} };  
  
class C : public A{ public: int aValue; };  
  
class D : public C{ public: int g(){} };  

```

---



## Example (3/4)

---

```
class E {  
private: int a, b, c, d, e, x, y, z;  
public:  
    void M1() { a = b = c = d = e; }  
    void M2() { a = b = e; }  
    void M3() { x = y = z; }  
};  
  
class F : public C {};  
  
class G : public B, public D {};  
  
void A::anotherMethod() {  
    B b; C c; D d; b.f();  
    attr = c.someValue + d.g();  
}
```

---

## Example (4/4)

---


$$\text{WMC}(A) = |\{A(), \text{aMethod}(), \text{aMethod}(\text{int}), \text{anotherMethod}(), \sim A()\}| = 5$$

$$\text{DIT}(G) = \max\{|\{B, A\}|, |\{D, C, A\}|, |\{E, C, A\}|, |\{F, C, A\}| \} = 3$$

$$\text{NOC}(C) = |\{D, E, F\}| = 3$$

$$\text{CBO}(A) = |\{B, C, D\}| = 3$$

$$\begin{aligned} \text{RFC}(A) = & |\{A(), \text{aMethod}(), \text{aMethod}(\text{int}), \text{anotherMethod}(), \sim A()\}| + \\ & |\{B::f(), D::g()\}| = 7 \end{aligned}$$

$$\text{LCOM}(E) = |\{ \langle M1, M3 \rangle, \langle M2, M3 \rangle \}| - |\{ \langle M1, M2 \rangle \}| = 2 - 1 = 1$$


---