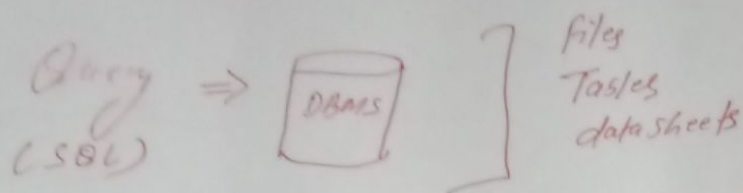


Query Processing & Optimization



Select, from, where.

(DDL)

1st From
2nd Where
3rd Select

Query Processing is the Activity performed in extracting from the data base. In Query Processing, it takes various steps for fetching the data from the database.

Ex Student-Info

ID	Name	Sex
1	A	S
2	B	G
3	C	F
4	D	F

* Fetch the details of 1st Sem Students.

High level language \rightarrow Select *
from student-info.
where Sem = 1

Low level language

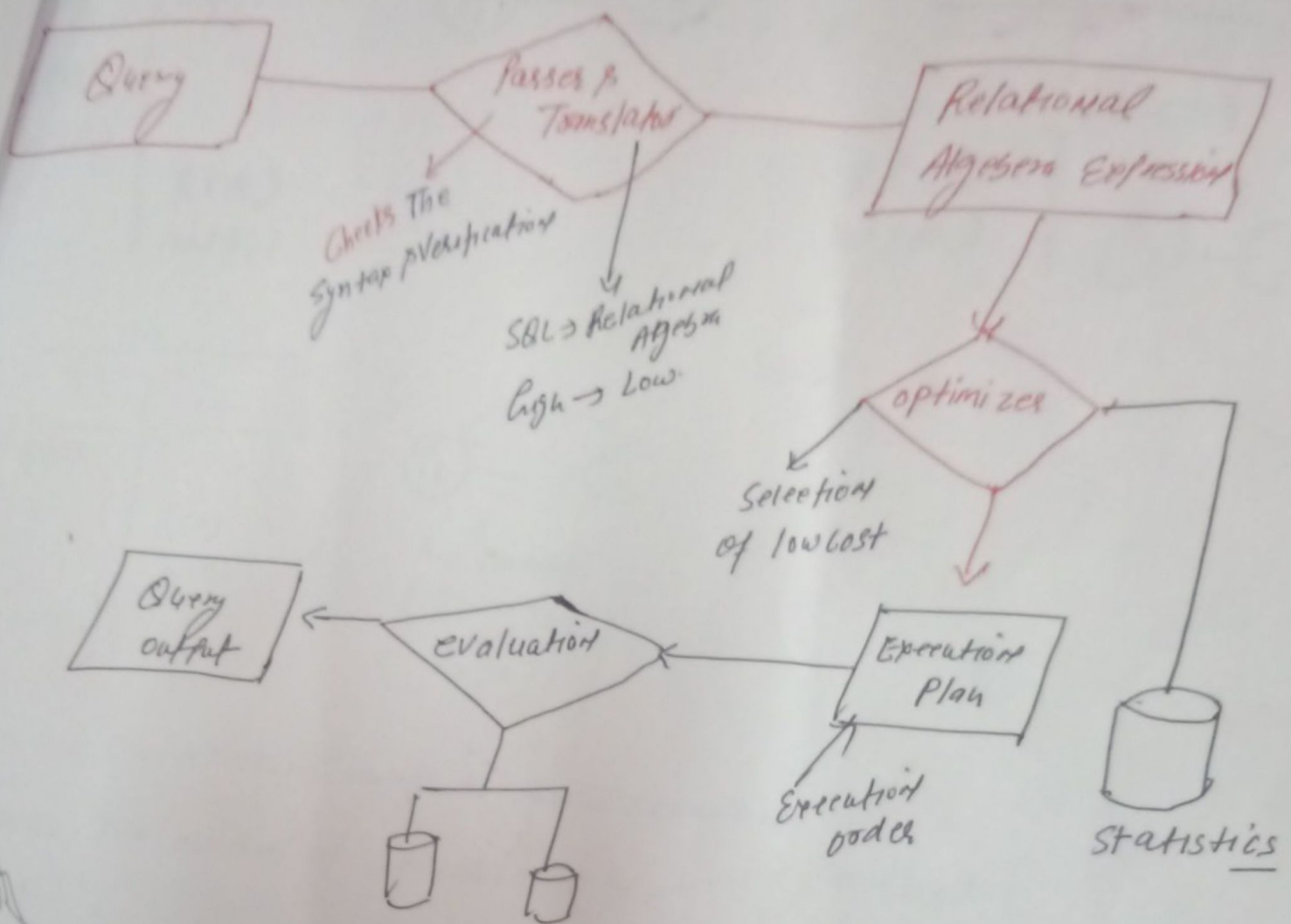
* Relational Algebra.

σ - Selection

$\pi_{ID, Name, Sex} (\sigma_{Sem=1} (Student-Info))$

π - Projection

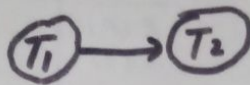
Query Processing :



Introduction to Serializability:

Ex 1

S	
T ₁	T ₂
R(A)	
W(A)	
	R(A)
	W(A)

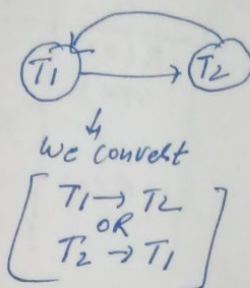


S	
T ₁	T ₂
	R(A)
	W(A)
R(A)	
W(A)	

Diagram below table:

Ex 2

S ₁	
T ₁	T ₂
R(A)	
	R(A)
W(A)	W(A)



Can we convert this schedule to serial schedule.

We have two methods of serializability

- Conflict
- View

S

T ₁	T ₂	T ₃
	R(A)	
		R(A)
		W(A)
	W(A)	
R(B)		
W(B)		
	W(B)	

Serializations:

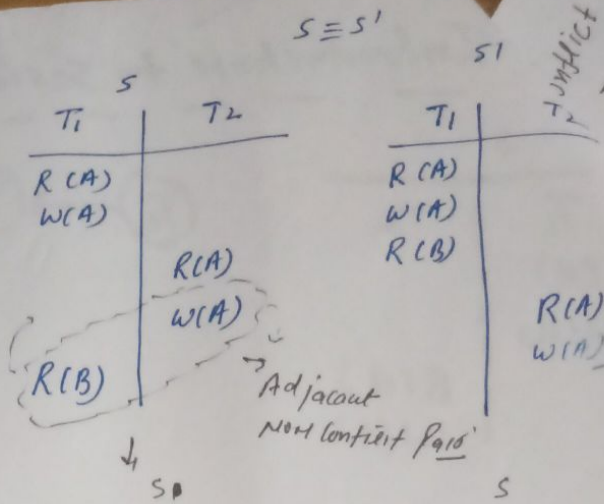
- T₁ → T₂ → T₃
- T₁ → T₃ → T₂
- T₂ → T₃ → T₁
- T₂ → T₁ → T₃
- T₃ → T₁ → T₂
- T₃ → T₂ → T₁

Conflict Equivalent

R(A) S R(A) 3 Non Conflict Pairs

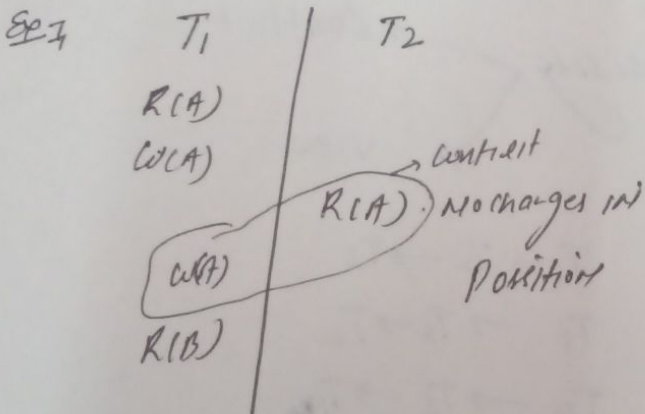
R(A)	W(A)	} Conflict Pairs
W(A)	R(A)	
W(A)	W(A)	

R(B)	R(A)	} Non Conflict
W(B)	R(A)	
R(B)	W(A)	
W(A)	W(B)	



Now $S \equiv S'$

Conflict equivalent
↓
Serializes/c

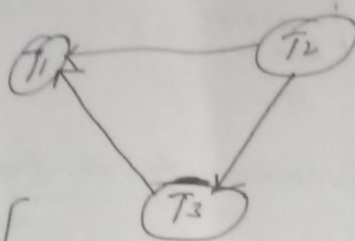


Conflict Serializability

Q. Whether a schedule is conflict serializable or not?

T ₁	T ₂	T ₃
R(x)		R(y), R(x)
	R(y), R(z)	
	W(z)	W(y)
R(z) W(x) W(z)		

Check conflict pairs in other transactions and draw edges
Precedence graph



Loop/Cycle

Now here NO loop and
NO cycle

Now this schedule Conflict serializable
↓
Serializable
↓
Consistent

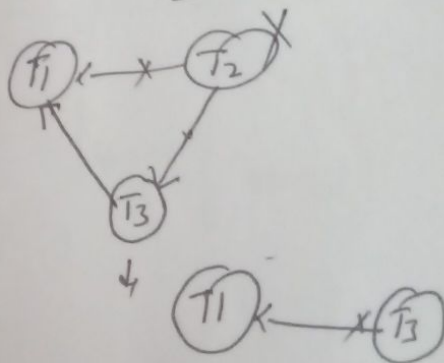
Conflict pair
 $\left\{ \begin{array}{l} R \rightarrow W \\ W \rightarrow R \\ W \rightarrow W \end{array} \right\}$

Now possibility

- $T_1 \rightarrow T_2 \rightarrow T_3$
- $T_1 \rightarrow T_3 \rightarrow T_2$
- $T_2 \rightarrow T_3 \rightarrow T_1$
- $T_2 \rightarrow T_1 \rightarrow T_3$
- $T_3 \rightarrow T_2 \rightarrow T_1$
- $T_3 \rightarrow T_1 \rightarrow T_2$

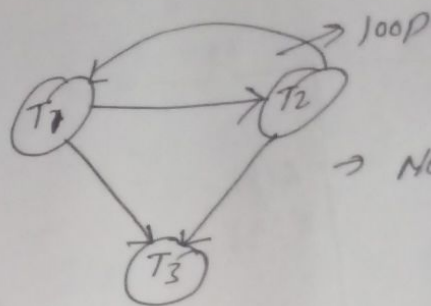
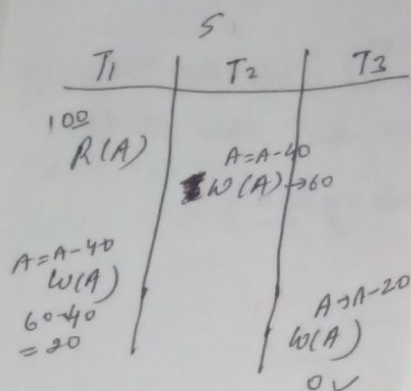
$T_2 \rightarrow T_3 \rightarrow T_1$

Now check Indegree = 0
↓
T₂



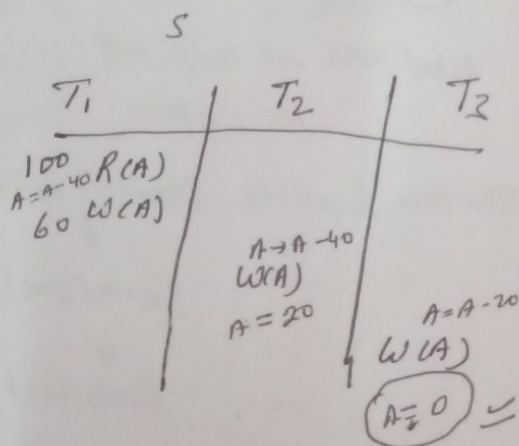
Check whether schedule is Conflict
Serializable or not?

plz View serializ...



→ Non Conflict
serializable

NO View Serializability is used



Example View Serializability

S	
T ₁	T ₂
R(a)	
W(a)	R(a)
	W(a)
R(b)	
W(b)	R(b)
	W(b)

⑥

S'	
T ₁	T ₂
R(a)	
W(a)	
R(b)	
W(b)	R(a)
	W(b)
	R(b)
	W(b)

1) Initial Read Both side
Same translation

S R₁ S'
T₁ ← a → T₁
T₁ ← b → T₁

2) Final write

S W₂ S'
T₂ ← a → T₂
T₂ ← b → T₂

3) Intermediate Read Same

Q

S		
T ₁	T ₂	T ₃
R(a)		
	W(a)	
W(a)		W(a)

S'		
T ₁	T ₂	T ₃
R(a)		
W(a)		
	W(a)	
		W(a)

1) Initial Read(a) → T₁

2) Final write T₃

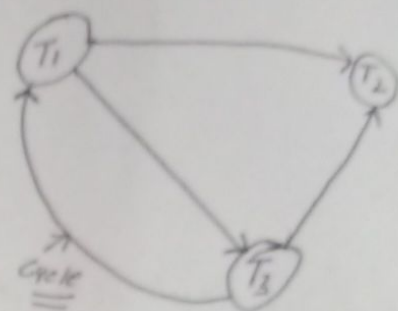
3) Intermediate Reads NO Available

Example.

Conflict Serializability \Rightarrow

Ex

T_1	T_2	T_3
$R(x)$		$R(x)$ $w(z)$
	$R(y)$	
$R(y)$	$w(y)$	$w(x)$
	$w(z)$	
$w(x)$		



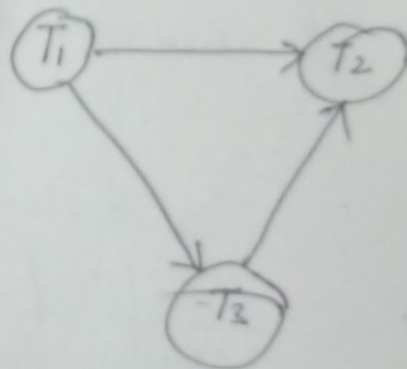
It is not Conflict Serializable.

Recoverable Schedule
↓
Irrecoverable

Ex 2

Q

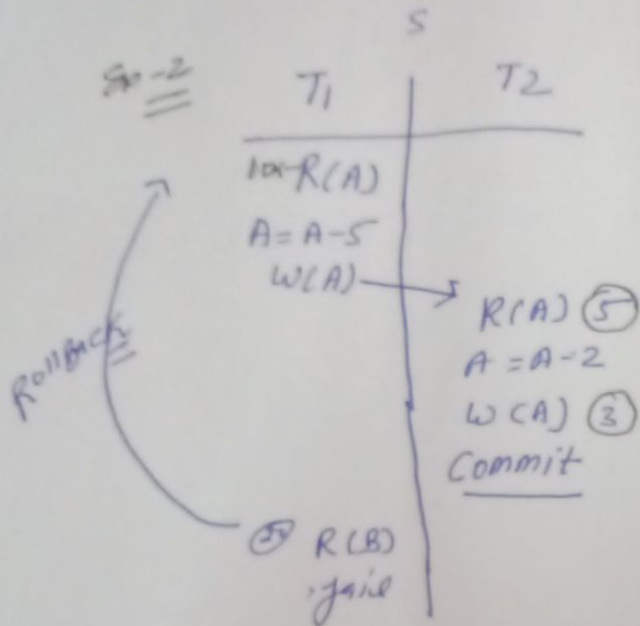
T_1	T_2	T_3
$R(x)$		
	$R(y)$	$R(y)$
	$w(y)$	
$w(x)$		$w(x)$
	$R(x)$ $w(x)$	



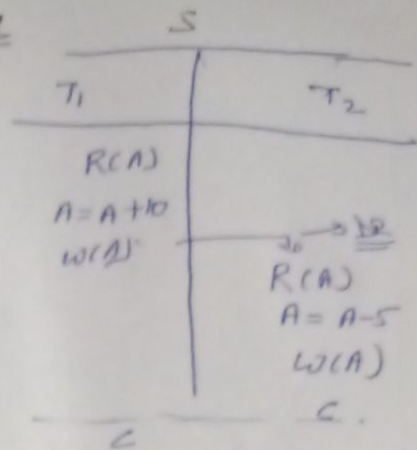
$T_1 \rightarrow T_3 \rightarrow T_2$

ImocoVerse

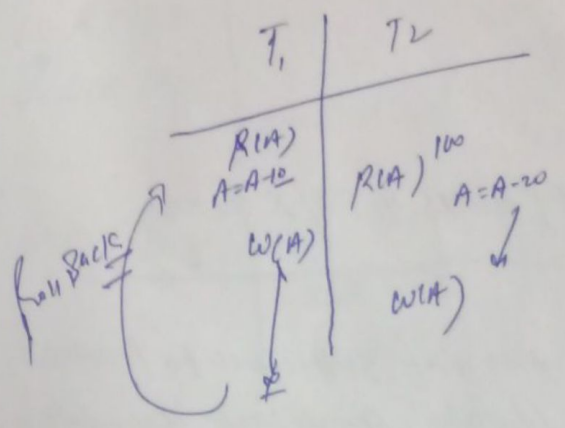
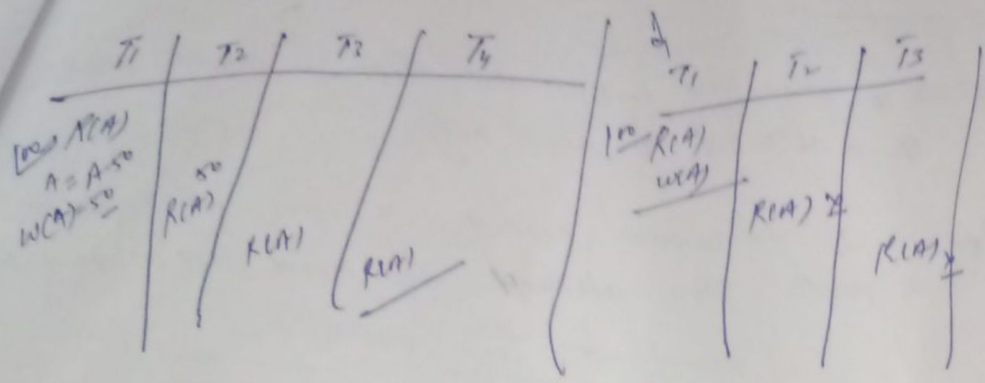
Sp-2



Ex-1



Cascading Schedule 4.3 Cascading Schedule



Concurrency Control Protocol

Shared Exclusive locking

Shared lock (S) → If transaction locked data item in shared mode then allowed to read only.

Exclusive lock (X) → If transaction locked data item in exclusive mode then allowed to read and write both.

shared →	T_1	Exclusive T_2
	S(A)	S X(A)
	R(A)	R(A)
	W(A)	W(A)
	U(A)	U(A)

Problems in S/X locking

1) May not sufficient to produce only serializable schedule.

2) May not free from irrecoverability

3) May not free from deadlock

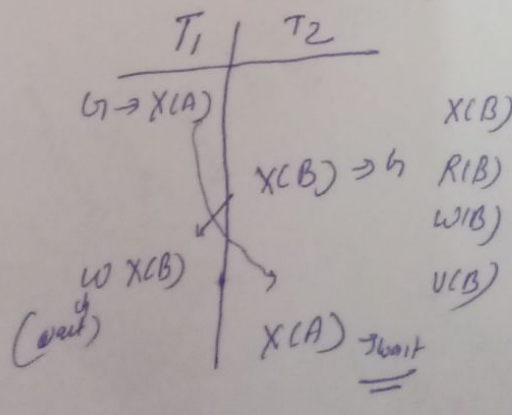
4) May not free from starvation

Request

	S	X
S	Yes	No
X	No	No

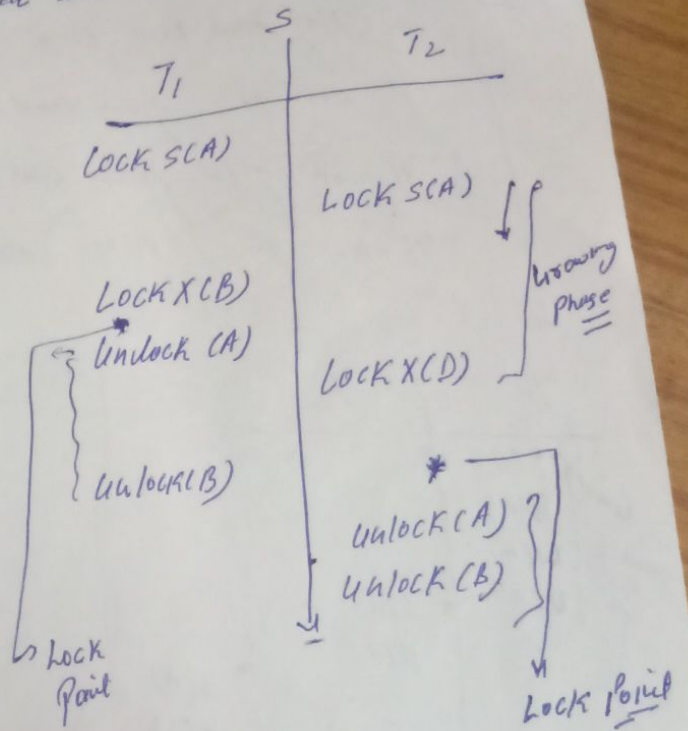
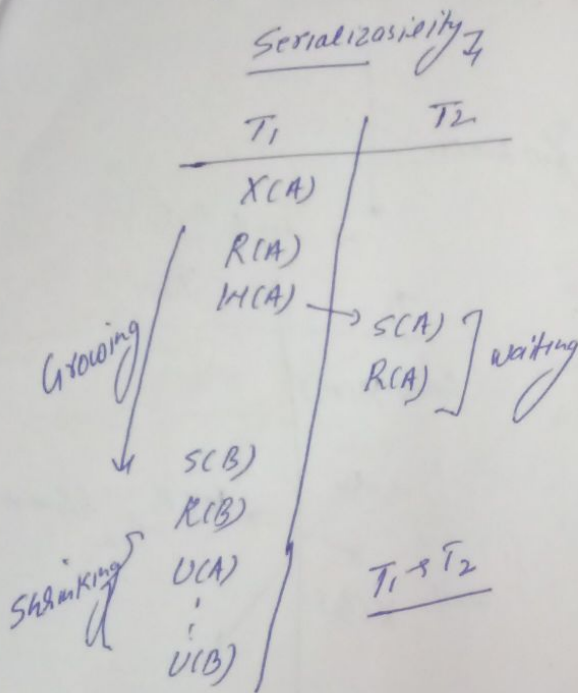
T_1	T_2
X(A)	
R(A)	
W(A)	
U(A)	

$\left[\begin{array}{l} T_1 \rightarrow T_2 \\ \text{or} \\ T_2 \rightarrow T_1 \end{array} \right]$



2-Phase Locking (2PL)

- Growing phase: locks are acquired and no locks are released
- Shrinking Phase: locks are released and no locks are acquired



$T_1 \rightarrow T_2$

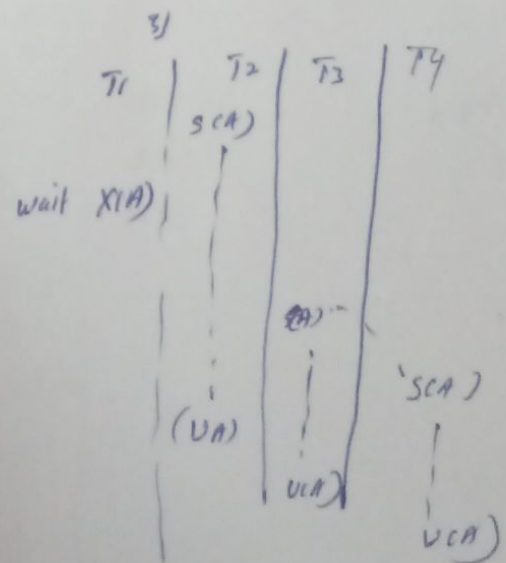
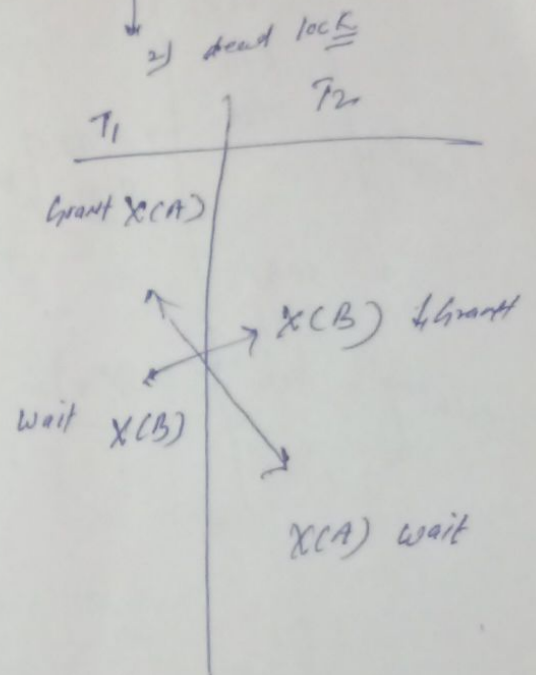
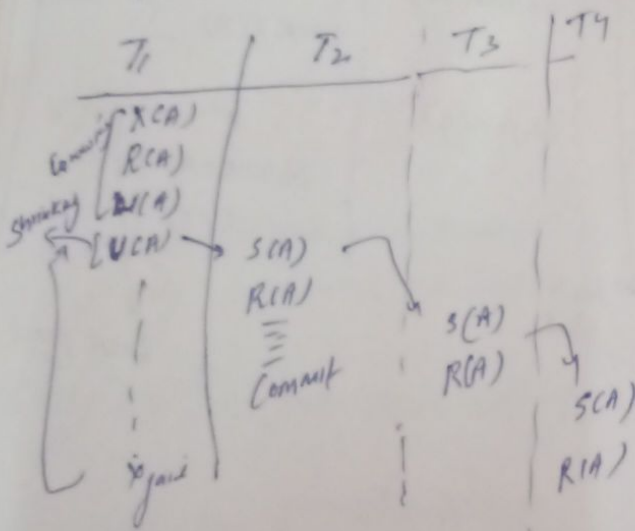
Advantages

2PL (2Phase locking)

Advantages: Always ensure serializability

Drawbacks:

- 1) May not free from irreversibility
- 2) Not free from dead locks
- 3) Not free from starvation
- 4) Not free from cascading roll backs.



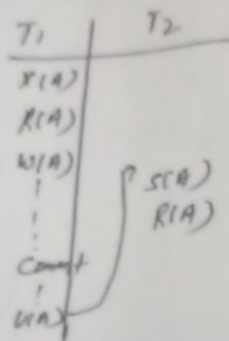
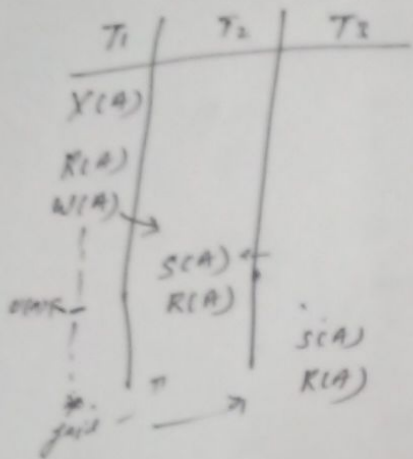
at 2PL it should be exclusive

without 2PL:

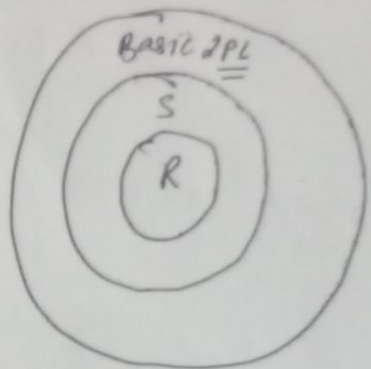
strict 2PL is 91 should satisfy the basic 2PL and all
 exclusive locks should hold until Commit/Abort.

Regulated 2PL:

It should satisfy the basic 2PL and all shared
 exclusive locks should ^{hold} ~~maintain~~ until Commit/Abort.



Now its lockless
 strict recoverable/c



Time Stamp Ordering Protocol :-

- Unique value assign to every transaction
- Tells the order (when they enter into system)
- Read- T_s (RTS) = Last (latest) transaction which performed read successfully
- Write- T_s (WTS) = Last (latest) transaction which performed write successfully

10:00	10:10	10:15	$T_s(T_i)$
T_1	T_2	T_3	
100	200	300	
Order	younger	youngest	

10	20	30
T_1	T_2	T_3
R(A)	R(A)	R(A)

$$RTS = \underline{\underline{30}}$$

10	20	30
T_1	T_2	T_3
W(A)		W(A)
	W(A)	

$$WTS = \underline{\underline{20}}$$

Rules

1) Transaction T_i issues a Read(A) operation

a) if $WTS(A) > Ts(T_i)$, Rollback T_i

b) otherwise execute R(A) operation

$$\text{set } RTS(A) = \text{Max} \{ RTS(A), Ts(T_i) \}$$

2) Transaction T_i issues Write(A) operation

a) if $RTS(A) > Ts(T_i)$ then Rollback T_i

b) if $WTS(A) > Ts(T_i)$ then Rollback T_i

c) otherwise execute Write(A) operation

$$\text{set } WTS(A) = Ts(T_i)$$

Notes which Transaction come first, complete first

Case 1

100 T_1	200 T_2 (Young)
R(A)	W(A)

2

T_1	T_2
W(A)	R(A)

✓ (ac)

3

T_1	T_2
W(A)	W(A)

1)

100 T_1	200 T_2
	R(A) → 10
200 W(A)	
⋮	
Rollback	

Not Allowed

100 T_1	200 T_2
	W(A) → ∞
200 → R(A)	
	Roll Back

Not Allowed

100 T_1	200 T_2
	W(A)
W(A)	
⋮	

Numerical Problem

oldest T_1 100	200 T_2	
R(A)		R(B)
	W(C)	
	R(C)	

Numerical Problem

Ex

Oldest T_1 100	200 T_2	Youngest T_3 300
R(A)		
	R(B)	
W(C)		R(B)
R(C)	W(B) / Rollback	W(A)

Rules

- Transaction T_i issues a read (R) operation
 - If $WTS(A) > TS(T_i)$, Roll Back T_i
 - Otherwise R(A) operation
Set $RTS(A) = \max\{RTS(A), TS(T_i)\}$
- Transaction T_i issues write (W) operation
 - If $RTS(A) > TS(T_i)$ then Roll Back T_i
 - If $WTS(A) > TS(T_i)$ then Roll Back T_i
 - Otherwise execute write (W) operation
Set $WTS(A) = TS(T_i)$

	A	B	C
RTS	100 0	200 0	0 100
WTS	0 300	0	0 100

Log Based Recovery (Deferred Database)

$A=100$
 $B=200$
DB

$A=200$
 $B=400$

(I) T_1
R(A)
 $A = A + 100$
W(A) 200
R(B)
 $B = B + 200$
W(B) 400
Commit

$\langle T_1, \text{start} \rangle$
 $\langle T_1, A, 200 \rangle$
 $\langle T_1, B, 400 \rangle$
 $\langle T_1, \text{commit} \rangle$

Redo

$\langle T_1, \text{start} \rangle$
 $\langle T_2, A, 200 \rangle$
 $\langle T_1, B, 400 \rangle$
 $\langle T_1, \text{commit} \rangle$
 $\langle T_2, \text{start} \rangle$
 $\langle T_2, C, 500 \rangle$

Immed

$A=100$
 $B=200$
DB

(II) T_1
R(A)
 $A = A + 100$
W(A)
R(B)
 $B = B + 200$
W(B)
+ fail

$\langle T_1, \text{start} \rangle$
 $\langle T_1, A, 200 \rangle$
 $\langle T_1, B, 400 \rangle$
 ~~$\langle T_1, \text{commit} \rangle$~~
Rollback
No undo/Redo

$A=100$
 $B=200$

Immediate Database modification (Log Based Recovery)

Case-1
 $A = 1000$
 $B = 2000$
 DB

T₁
 R(A)
 $A = A + 100$
 W(A) 200
 R(B)
 $B = B + 200$
 W(B) 400
 Commit

log
 $\langle T_1, start \rangle$
 $\langle T_1, A, 100, 200 \rangle$
 $\langle T_1, B, 200, 400 \rangle$
 $\langle T_1, commit \rangle$

Redo

$\langle T_1, start \rangle$
 $\langle T_1, A, 1000, 200 \rangle$
 $\langle T_1, B, 500, 600 \rangle$
 $\langle T_1, commit \rangle$
 $\langle T_2, start \rangle$
 $\langle T_2, C, 700, 800 \rangle$
Undo

Case-2

T₁
 R(A)
 $A = A + 100$
 W(A)
 R(B)
 $B = B + 200$
 W(B)
 (fail)

log
 $\langle T_1, start \rangle$
 $\langle T_1, A, 100, 200 \rangle$
 $\langle T_1, B, 200, 400 \rangle$
Undo Redo