

⇒ If we are able to convert that parallel schedule in any of the 6 forms of serial schedule, then we can say that it is a serializable.

⇒ Why we get 6 forms! -

bcz

we have 3 values (T_1, T_2 & T_3).

so,

3! = 6 ways:

Q1. Conflict Equivalent Schedules! →

R(A)

R(A)

} Non-Conflict pair.

R(A)

W(A)

W(A)

R(A)

W(A)

W(A)

} Conflict pairs

R(B)

R(A)

W(B)

R(A)

R(B)

W(A)

W(A)

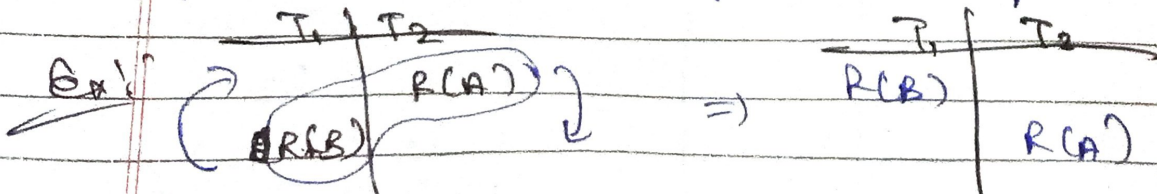
W(B)

} Non-Conflict pair.

non-
A & B
2 diff.
op, re.

Q2. How to Convert : →

If we have adjacent non-conflict pair, then swap their posⁿ.



Q: To check Conflict Equivalent: →

$S \equiv S'$ → check

T_1	T_2
R(A)	
W(A)	
	R(A)
	W(A)
R(B)	

T_1	T_2
R(A)	
W(A)	
R(B)	
	R(A)
	W(A)

Sol: So, In S, we have adjacent non-conflict pair, so swap them.

T_1	T_2
R(A)	
W(A)	
	R(A)
	W(A)
R(B)	

T_1	T_2
R(A)	
W(A)	
R(B)	
	R(A)
	W(A)

Again.

T_1	T_2
R(A)	
W(A)	
R(B)	
	R(A)
	W(A)

= S'

Hence,

$S \equiv S'$

Now, Serial Schedule.

Hence,

S & S' are Conflict Equivalent Schedule.

Ex 1

T_1	T_2
R(A)	
W(A)	
W(A)	R(A)
R(B)	

↓
2 adjacent pairs, But

they are conflict pairs. ∴, no change in positions.

Note: $S \xrightarrow[\text{conflict equivalent}]{CE} S' \rightarrow \text{Serializable}$ i.e., (Serial Schedule)

(1-81) videos end here