

# How to resolve these noise

The mainly used technique to minimize these noise is to use:

➤ Kalman Filtering technique (KF)

Sometime Complementary filters(C.F) are also used

## Kalman filtering (KF)

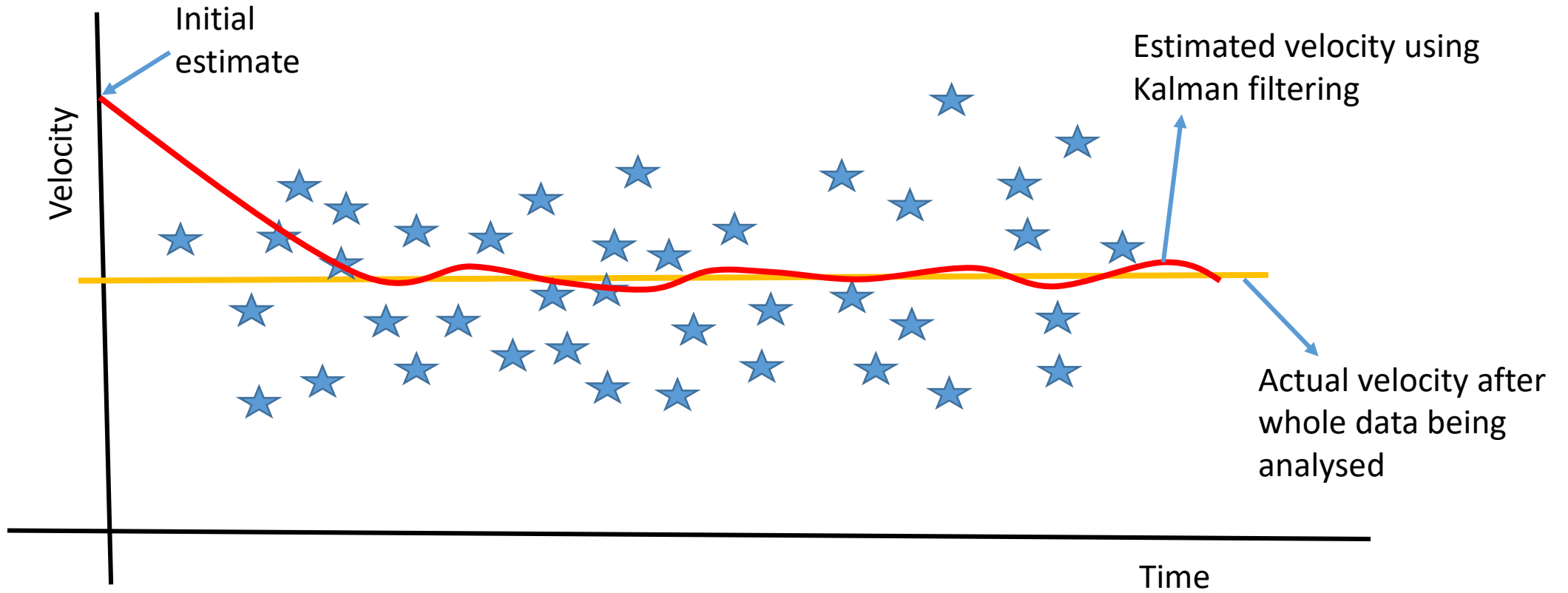
- Is a optimal estimation algorithm
- A kalman filter is a more sophisticated smoothing algorithm
- Minimizing noise from measurement by sensor is the purpose of Kalman filter.

## Cont...

- It is an **iterative mathematical process** that uses a set of equations and consecutive **data inputs to quickly estimate** the true value(MPV), position, velocity etc. of the object being measured.
- It is an tools to estimate the **predicted value**

# Cont...

- Basic understanding for Kalman filtering



Cont...

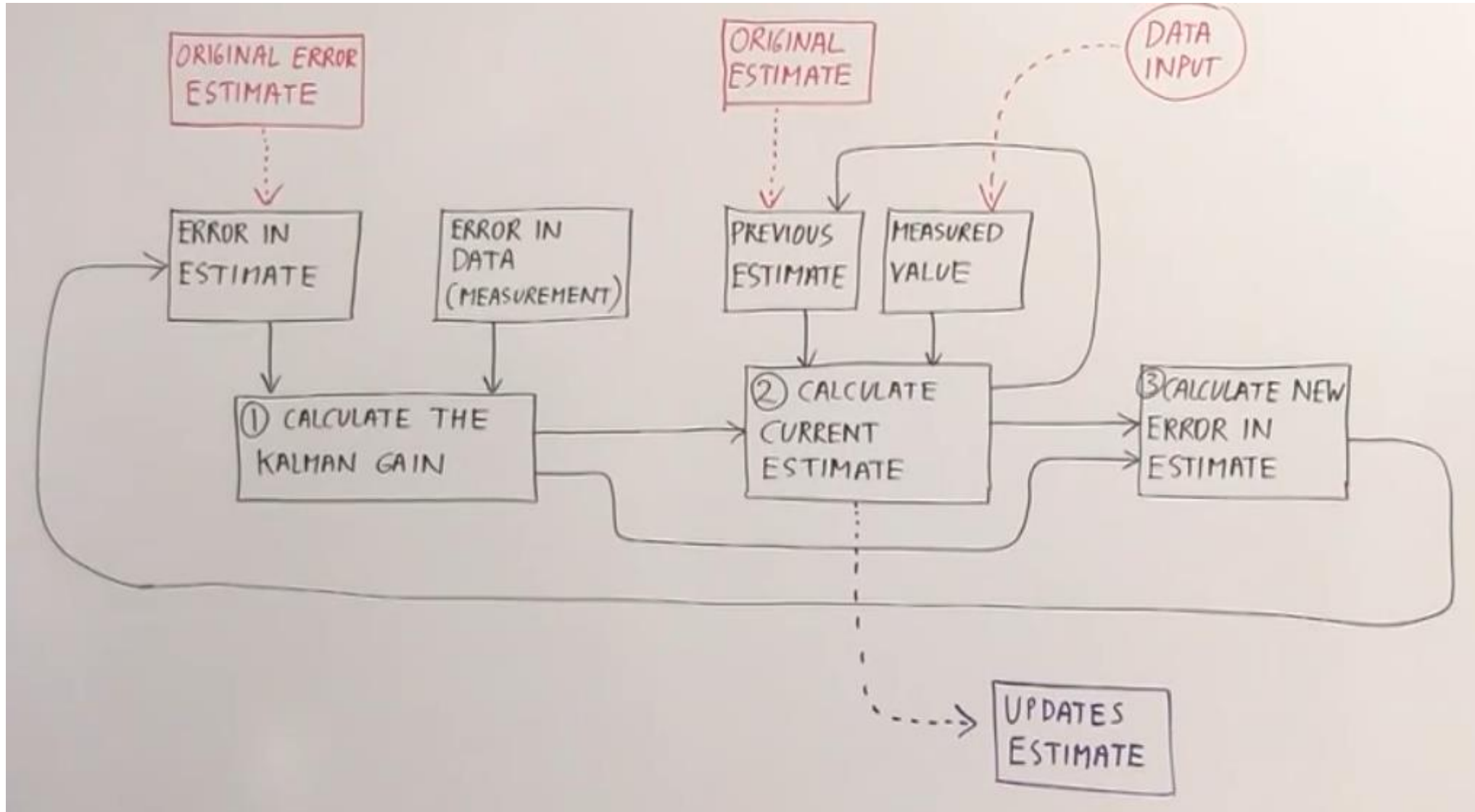


Fig : Kalman Filtering Model

## Cont...

- In Conducting **Kalman filtering** there are **3 main calculation** that needs to be done

1<sup>st</sup> = Calculate the Kalman gain

:::These calculations are iterative so that the estimate narrows down into actual correct value

2<sup>nd</sup> = Calculate current estimate

::::Each time it update the current estimate

3<sup>rd</sup> = Finally recalculate the new error in the estimate

So what do we need in order to calculate the Kalman Gain????

## Cont...

- We need 2 things
  - ✓ we need to know the **error in the estimate** (here once we have original error and put into our system we never go back to original error estimate)
  - ✓ Second we need **error in the measured** (input) data
- Both of these are **feed** into our calculation
- Gain puts a **relative importance** in
  - Error in the estimate
  - Error in the measured data
    - i. if error in estimate = smaller =  $K.F$  puts more importance in measured data
    - ii. If error in the data = smaller =  $K.F$  puts more importance in estimate

## Cont...

- **Secondly** the calculation of current estimate is done
- For this it require Kalman Gain, and also depends on previous estimate, and measured value
- And the gain will decide how much weight to put onto the measured value and pervious estimate
- **Finally** once we have calculated the current estimate than system calculates the error in the estimate, so it can be used in the next iteration

# Kalman Gain

- Actually it is used to determine how much of the new measurement to use to update the new estimate

Let,

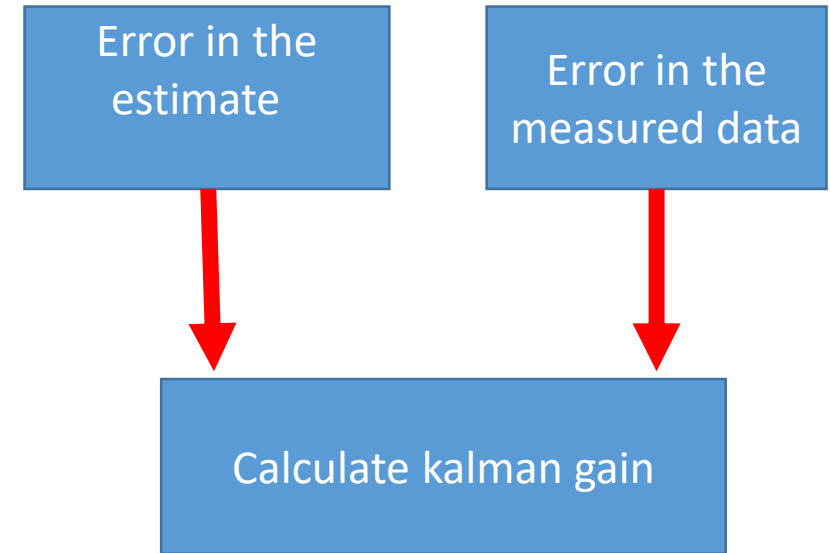
Kalman Gain = KG

Error in the estimate =  $E_{est}$

Error in the measurement =  $E_{mes}$

$$:: KG = \frac{E_{est}}{E_{est} + E_{mea}}$$

Note (  $0 \leq KG \leq 1$  )





# Cont...

- Now,

Current Estimate =  $EST_t$

Previous Estimate =  $EST_{t-1}$

New measurement = MES

$$\therefore EST_t = EST_{t-1} + K.G[MES - EST_{t-1}]$$

Remember

If K.G = higher  $\rightarrow$  error in measurement

( $E_{mea}$ )  $\rightarrow$  small

i.e our measurement is accurate

✓ More relative weightage on  $E_{est}$

IF K.G = Small  $\rightarrow$  error in estimate ( $E_{est}$ )  $\rightarrow$  small

i.e our estimate is more accurate

✓ More importance(weight) on measurement

