

CE6902 Computer Vision

**Image Recognition**

# Contents and Learning Objectives

1. Introduction
2. Bag of Features
3. Support Vector Machines
4. Image Recognition
5. Applications

# 1. Introduction

- Computer vision → machine perception → a machine can see and understand
- Image classification and recognition
  - Image recognition: what is object in the image?
  - It can be at **categorization** level or **instance** level



# 1. Introduction





# 1 Introduction – Challenges

## 1. View point variation



## 3. Occlusion



## 2. Illumination



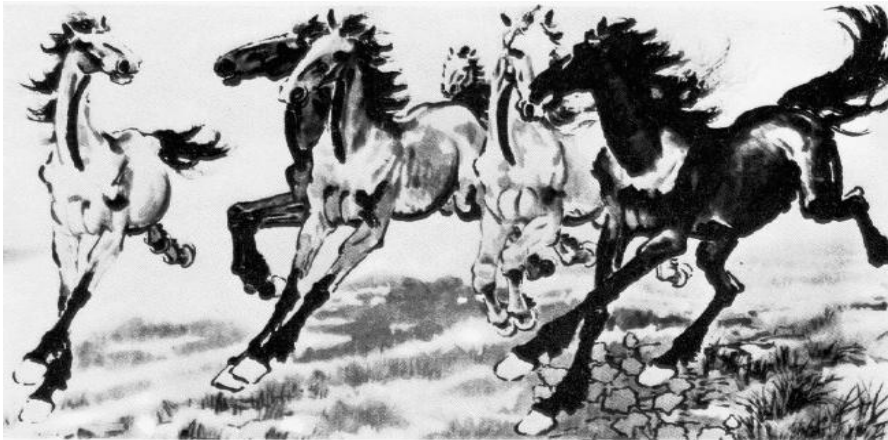
# 1 Introduction – Challenges

## 4. Scales

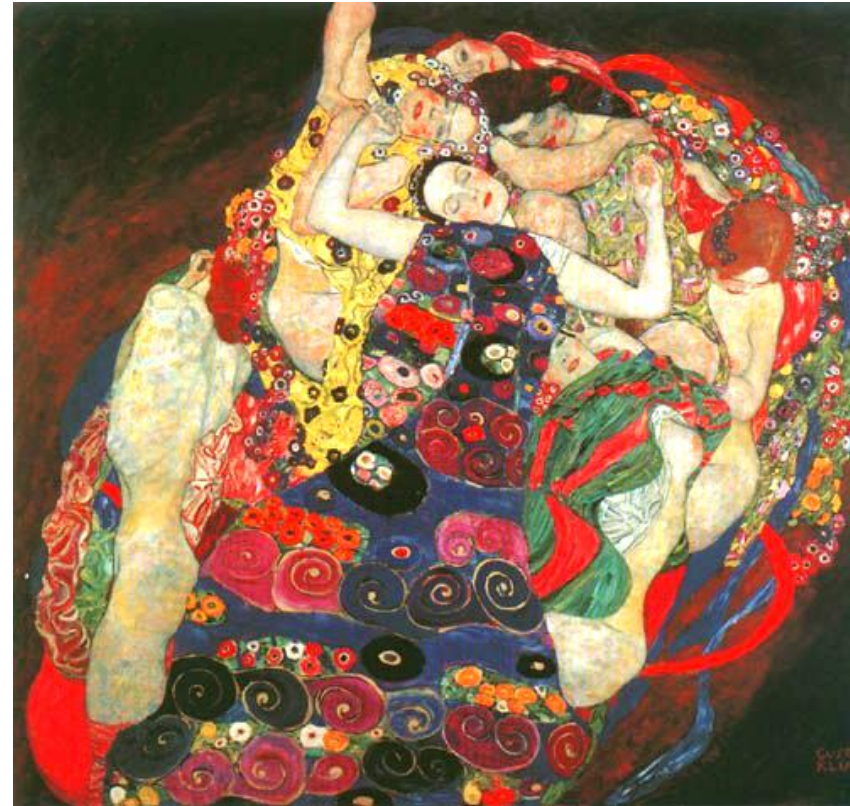
and small things  
from Apple.  
(Actual size)



## 5. Deformation



## 6. Background clutters

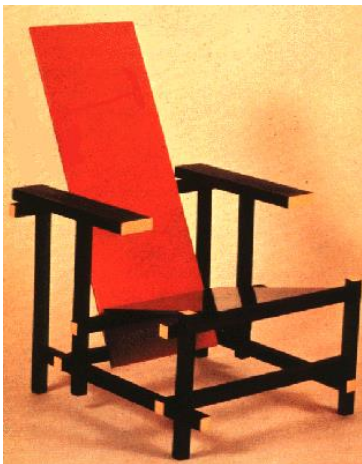


- Xu Beihong, 1943
- Klimt, 1913



# 1 Introduction – Challenges

## 7. Intra-class variations



# 4.1 A Gap on Features

Given **feature vectors**, we do classification. But what kind of feature vectors and how to organize and use them?



office



kitchen



living room



bedroom



store



industrial



tall building\*



inside city\*



street\*



highway\*



coast\*



open country\*



mountain\*



forest\*



suburb



## 2 Bag of Features

The concept of bag of features comes from **bag of words**.

### Data collection:

- **D1:** *It was the best of times,*
- **D2:** *it was the worst of times,*
- **D3:** *it was the age of wisdom,*
- **D4:** *it was the age of foolishness*

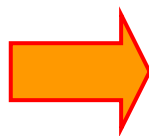
### Design Vocabulary:

- **10** unique words here (ignoring case and punctuation) are: 'it', 'was', 'the', 'best', 'of', 'times', 'worst', 'age', 'wisdom', 'foolishness'.

### Create Document Vectors:

- **D1:** *It was the best of times:* [1 1 1 1 1 1 0 0 0 0]
- **D2:** *It was the worst of times:* [1 1 1 0 1 1 1 0 0 0]
- **D:** *The best of the worst:* [0 0 2 1 1 0 1 0 0 0]

## 2 Bag of Features



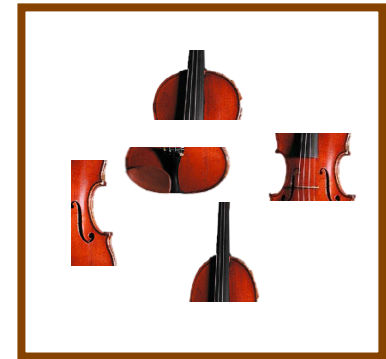
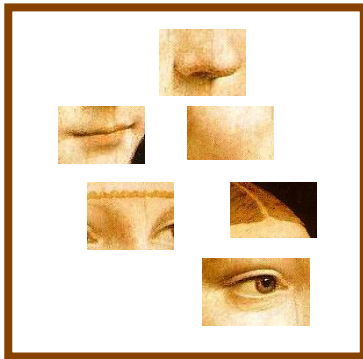
Works pretty well for image-level classification



class	bag of features	bag of features	Parts-and-shape model
	Zhang et al. (2005)	Willamowski et al. (2004)	Fergus et al. (2003)
airplanes	<b>98.8</b>	97.1	90.2
cars (rear)	98.3	<b>98.6</b>	90.3
cars (side)	<b>95.0</b>	87.3	88.5
faces	<b>100</b>	99.3	96.4
motorbikes	<b>98.5</b>	98.0	92.5
spotted cats	<b>97.0</b>	—	90.0

# 2 Bag of Features

## 1. Extract features



## 2. Learn “visual vocabulary”

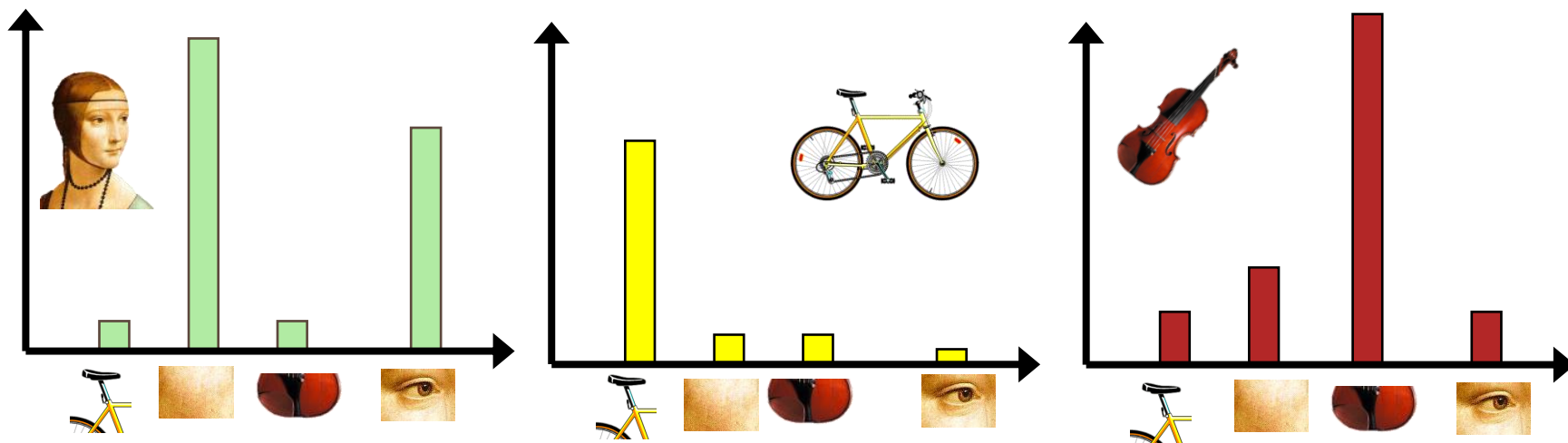




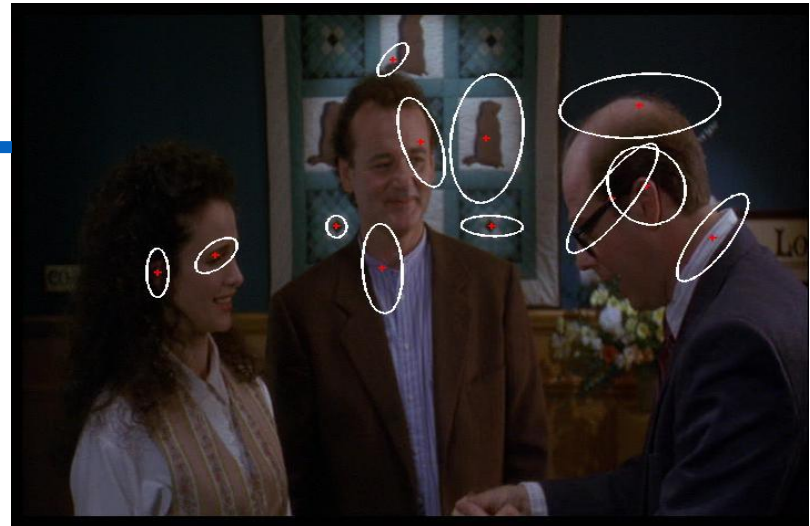
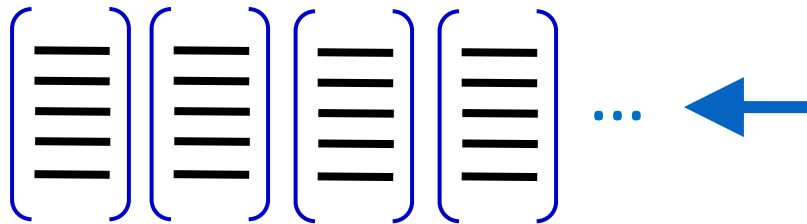
## 2 Bag of Features

3. Quantize features using visual vocabulary

4. Represent images by frequencies of “visual words”

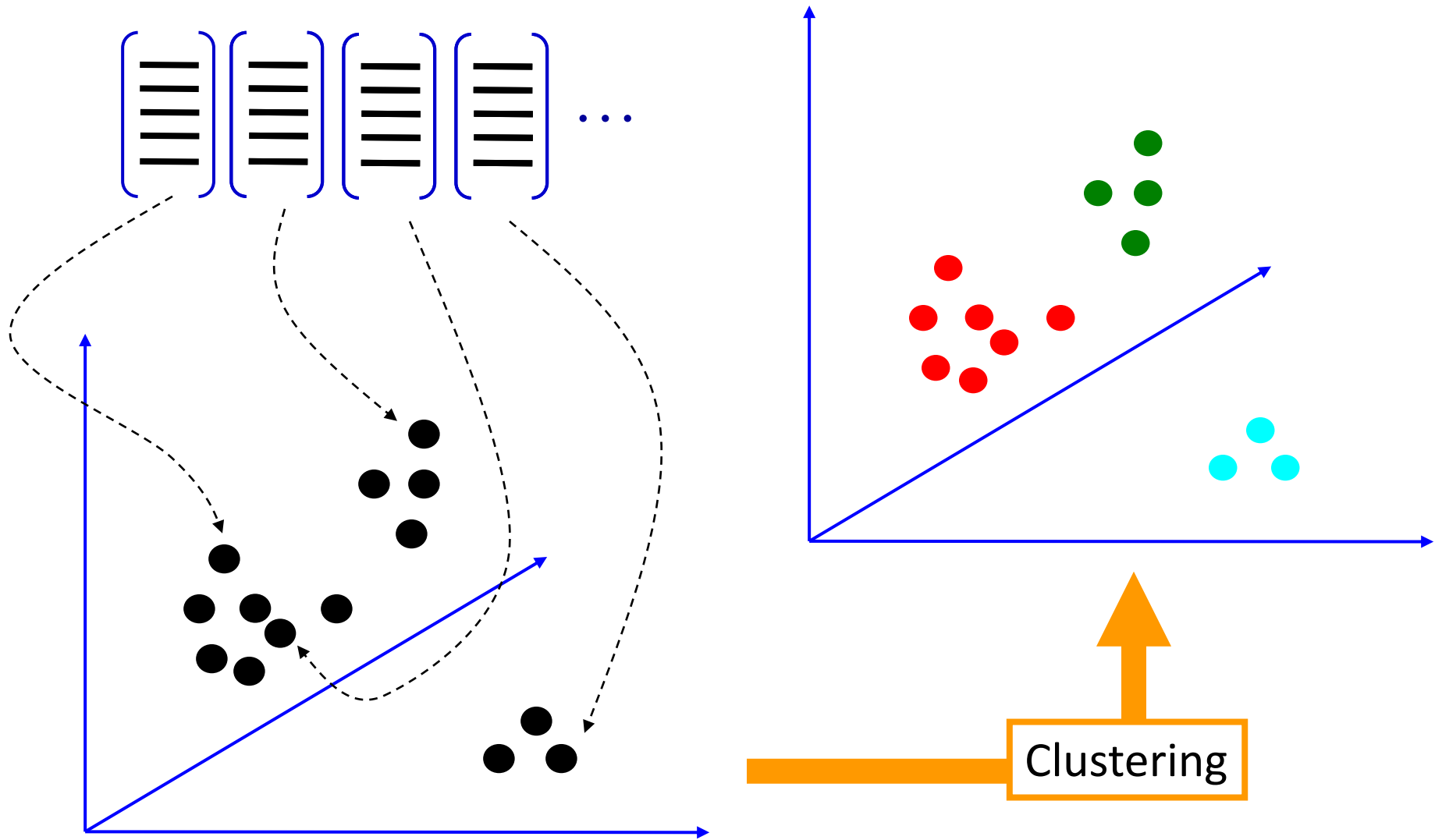


## 2 BoF – Extract Features (Step 1)



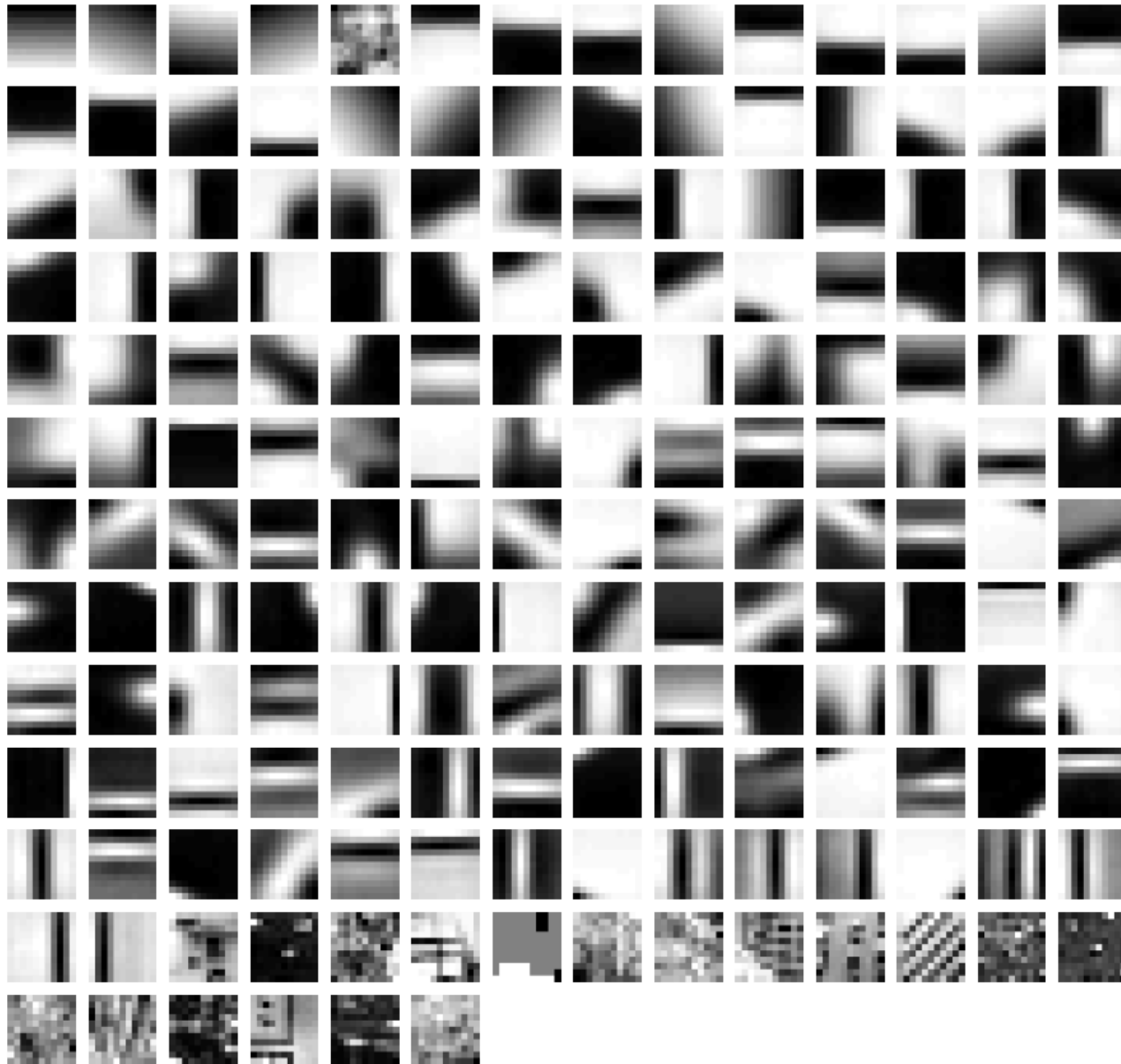
- Feature detection is of big interest for long time.
- There are many feature detectors.
- As shared, **SIFT** has been widely adopted. The online code is available so you can run it before you know it.

## 2 BoF – Learn Visual Dictionary (Step 2)

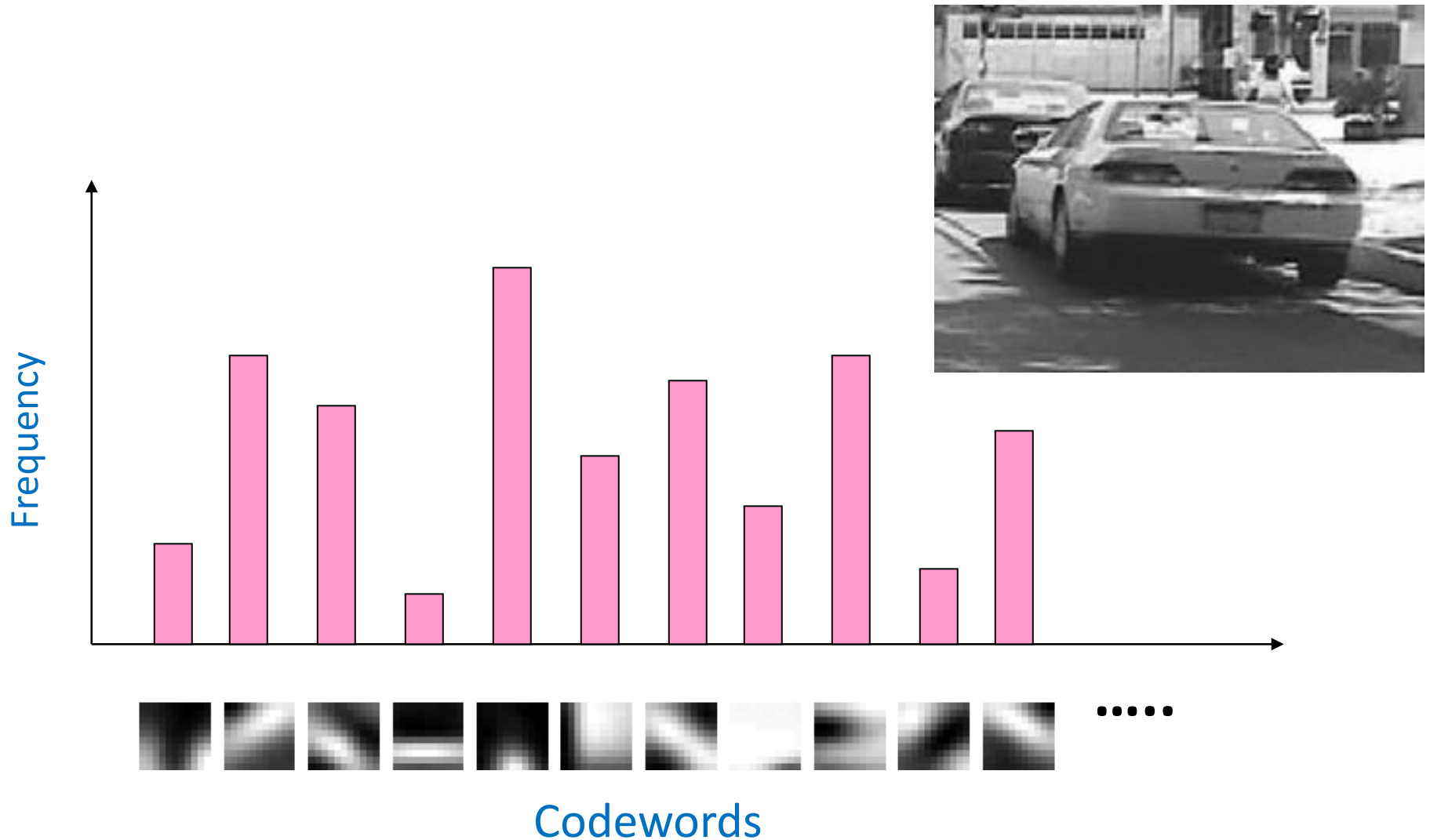




## 2 BoF – Learn Visual Dictionary (Step 2)



## 2 BoF – Quantization and Representation (3 – 4)

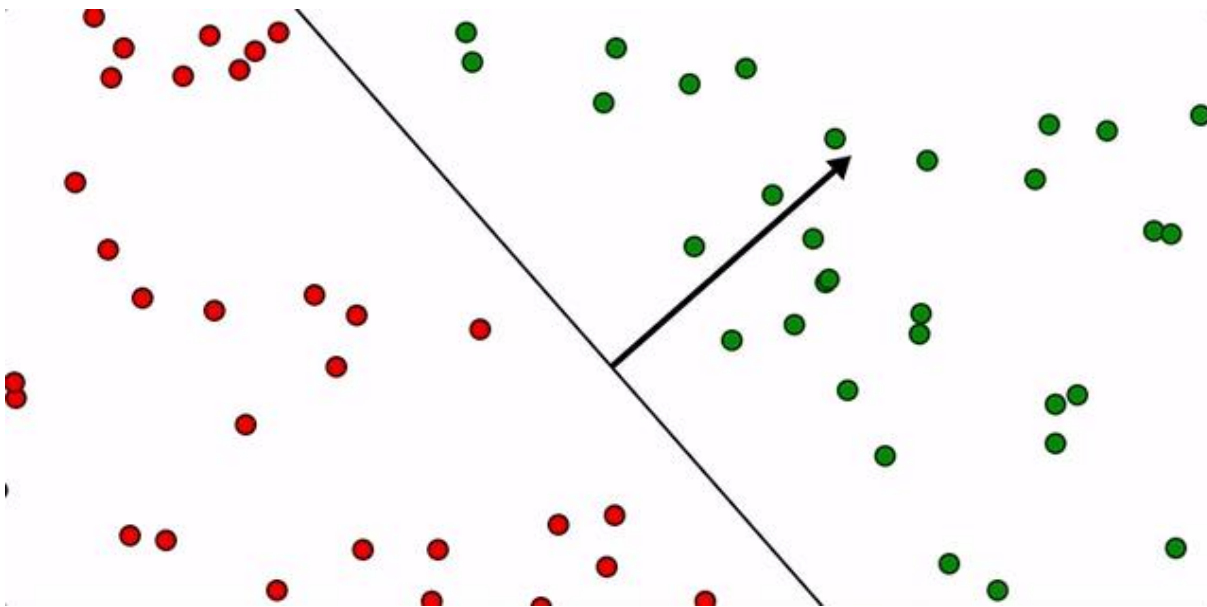


### 3. Support Vector Machines

Given a **linearly separable** dataset  $\{(\mathbf{x}_1, y_1), (\mathbf{x}_2, y_2), \dots, (\mathbf{x}_N, y_N)\}$ ,  $\mathbf{x} \in \mathbb{R}^D$ ,  $y \in \{-1, +1\}$ , finding a separating **hyperplane** that satisfies:

$$\begin{cases} \mathbf{w}^T \mathbf{x}_i + b \geq 1 & \text{for } y_i = +1 \\ \mathbf{w}^T \mathbf{x}_i + b \leq -1 & \text{for } y_i = -1 \end{cases} \Rightarrow y_i(\mathbf{w}^T \mathbf{x}_i + b) \geq 1, \quad \forall i$$

There are an infinitely number of hyperplanes

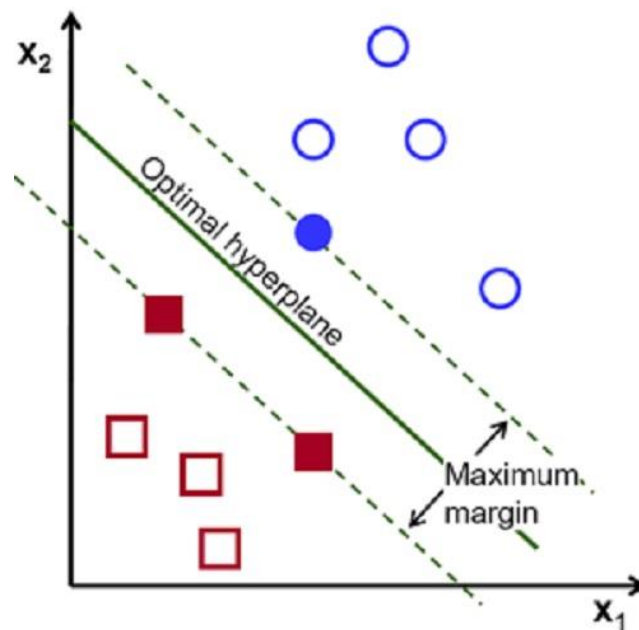
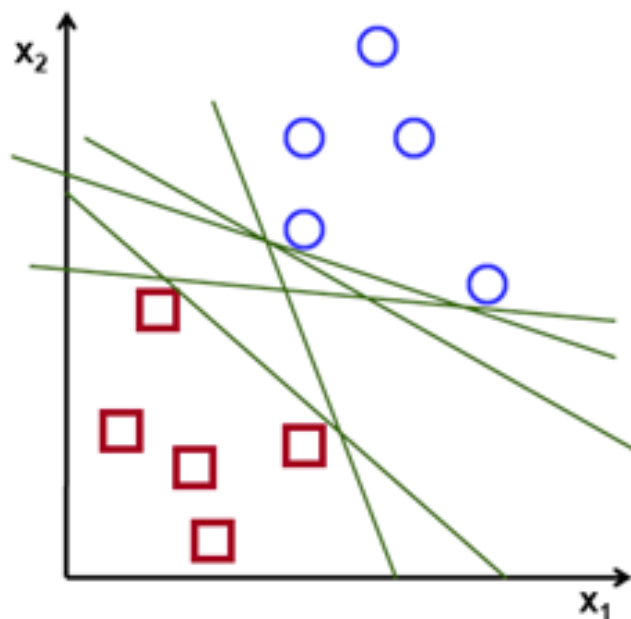




# 3. Support Vector Machines

Given a linearly separable dataset  $\{(\mathbf{x}_1, y_1), (\mathbf{x}_2, y_2), \dots, (\mathbf{x}_N, y_N)\}$ ,  $\mathbf{x} \in \mathbb{R}^D$ ,  $y \in \{-1, +1\}$ , finding a separating hyperplane

- A hyperplane too close to the training examples will be sensitive to noise and less likely to **generalize** well for data **unseen** data during the training.
- The optimal separating hyperplane will be the one with the **largest margin**



# 3. Support Vector Machines

## The hyperplane equation

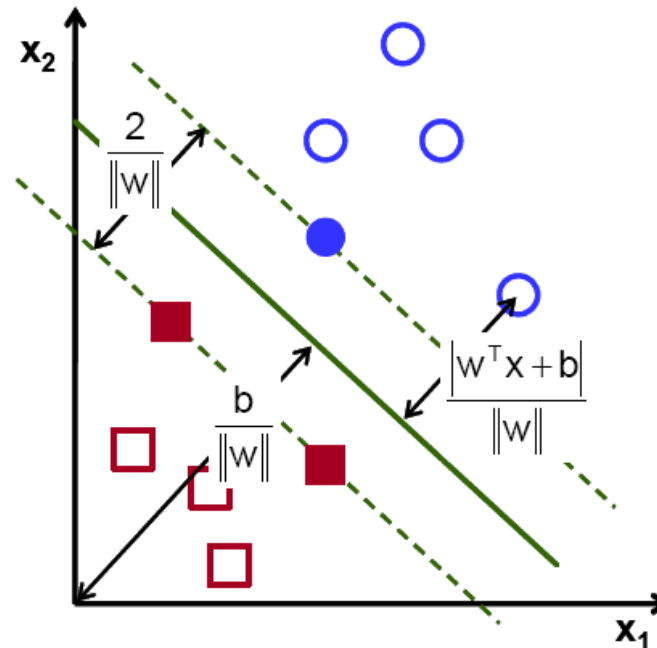
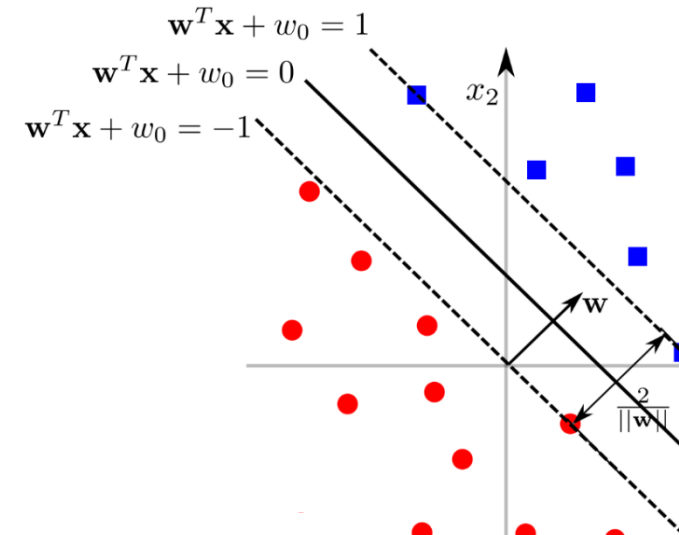
$$\mathbf{w}^T \mathbf{x} + b = 0$$

## The canonical hyperplane

$$|\mathbf{w}^T \mathbf{x}_i + b| = 1$$

## The margin

$$m = \frac{2}{\|\mathbf{w}\|}$$



### 3. Support Vector Machines

The mathematical problem

$$\begin{aligned} &\text{minimize} && J(\mathbf{w}) = \frac{1}{2} \|\mathbf{w}\|^2 \\ &\text{subject to} && y_i (\mathbf{w}^T \mathbf{x}_i + b) \geq 1 \quad \forall i \end{aligned}$$

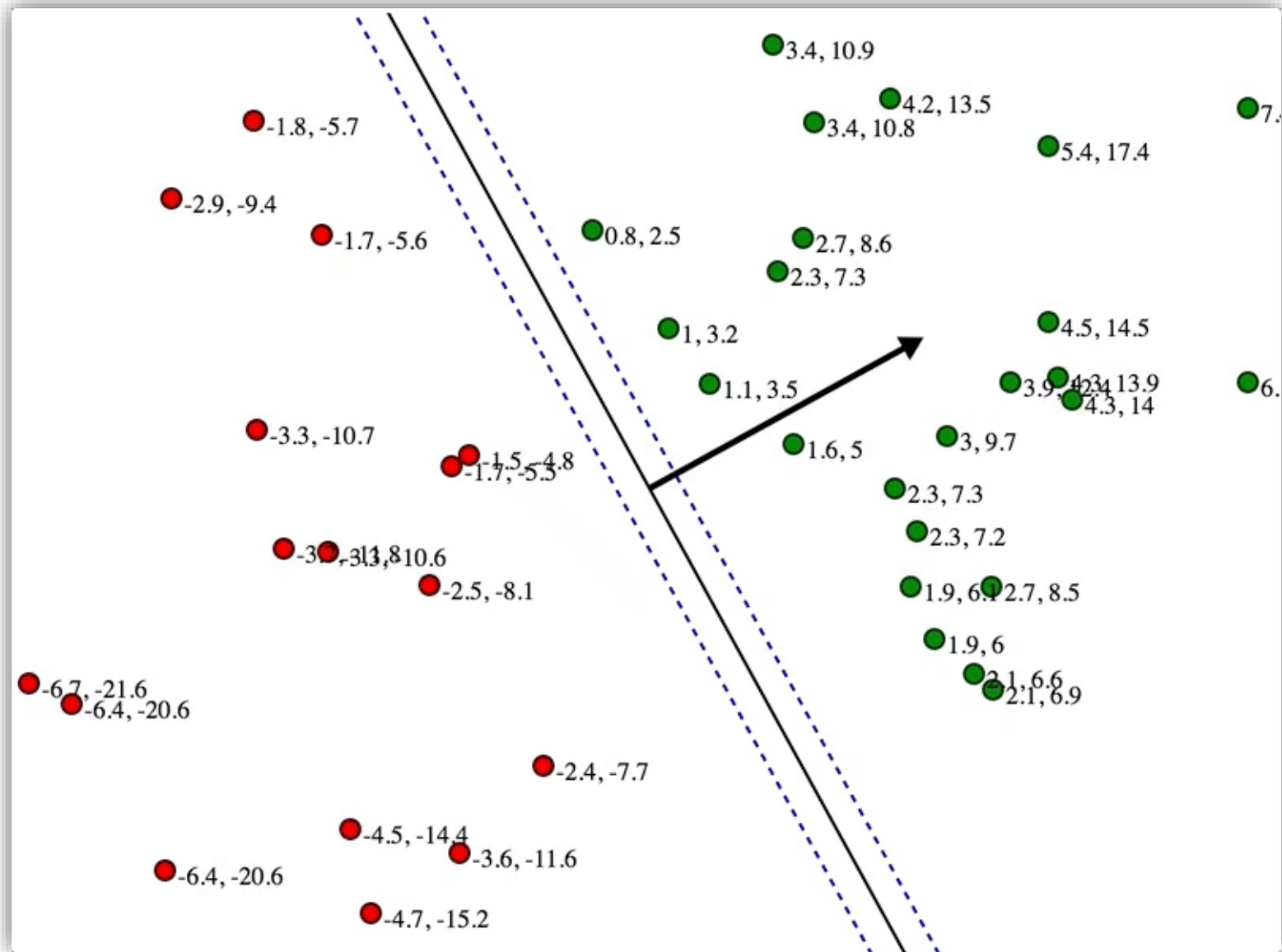
$J(\mathbf{w})$  is a **quadratic function**, which means that there exists a single global minimum and no local minima

This converts to the **Lagrangian primal problem**

$$\text{minimize} \quad L_p(\mathbf{w}, b, \boldsymbol{\alpha}) = \frac{1}{2} \|\mathbf{w}\|^2 - \sum_{i=1}^N \alpha_i \left[ y_i (\mathbf{w}^T \mathbf{x}_i + b) - 1 \right]$$



### 3. Support Vector Machines



## 4. Image Classification – Methods

- For each image in the training set, a number of **SIFT** feature points can be detected and the corresponding **SIFT descriptors** can be determined.
- A **dictionary** can be constructed by clustering the SIFT descriptors that are extracted from all training images.
- Each training image can then be quantitated into a **feature vector** that records the feature-point frequency and its dimension is the same as the dictionary size.
- A **SVM classifier** can then be trained based on the determined feature vectors and their labels.
- Each image in the test set can be converted into a feature vector similarly and classified by the trained SVM classifier.

# 4. Image Classification – Datasets

## The CalTech101 dataset

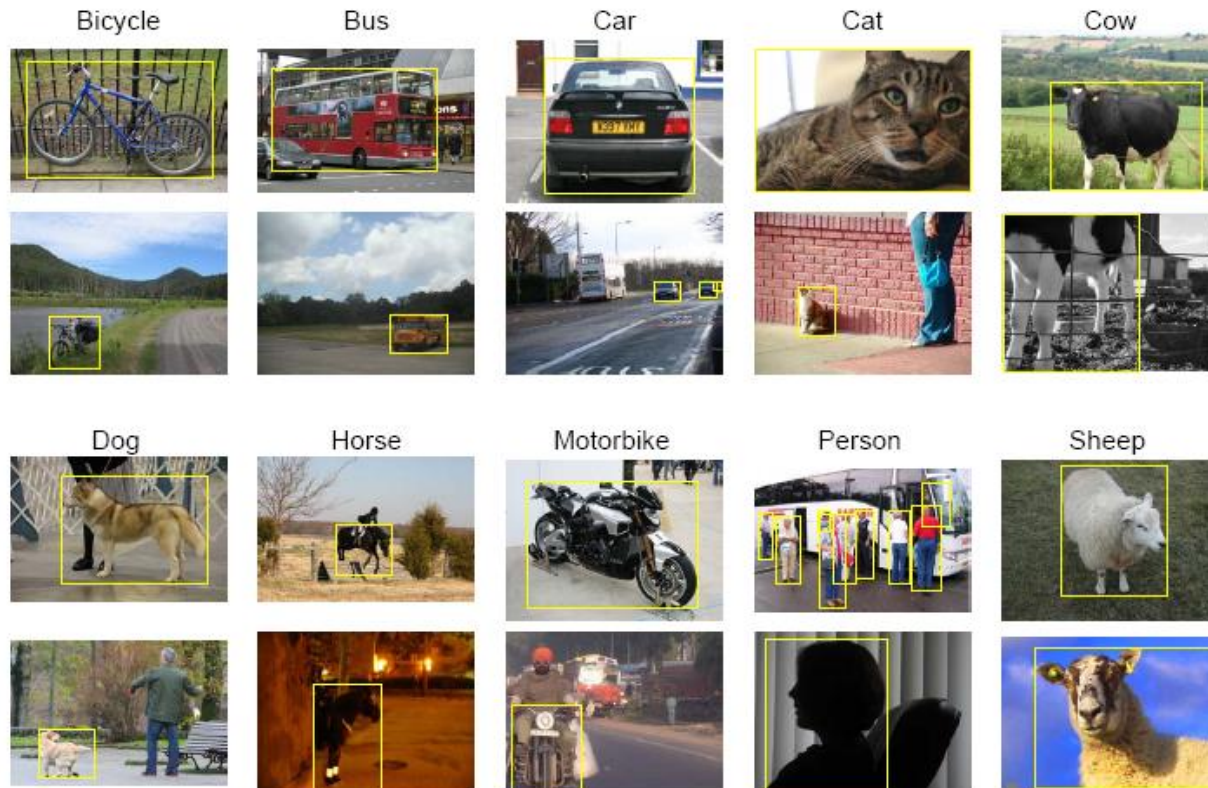
- 101 object categories with 40 to 800 images per category.
- [www.vision.caltech.edu/Image\\_Datasets/Caltech101/Caltech101.html](http://www.vision.caltech.edu/Image_Datasets/Caltech101/Caltech101.html)
- CalTech256 dataset



# 4. Image Classification – Datasets

## PASCAL 2006 Dataset

- **Ten** object classes: bicycle, bus, car, cat, cow, dog, horse, motorbike, person, and sheep
- <http://host.robots.ox.ac.uk/pascal/VOC/voc2006/index.html>



## 4. Image Classification – Datasets

- ImageNet dataset:



- <http://www.image-net.org/>
- Total number of non-empty synsets: 21,841
- Total number of images: 14,197,122

- SUN dataset:



- <http://groups.csail.mit.edu/vision/SUN/>
- Total number of scene categories: 908
- Total number of images: 131,067
- Total number of object categories: 4,479
- Number of segmented objects: 313,884



## 4. Image Classification – Evaluations

Image classification can be evaluated by using **precision**, **recall**, and **F-score**.

Suppose the **cutoff threshold** is chosen to be 0.8. In other words, any instance with **posterior probability** greater than 0.8 is classified as positive.

Instance	$P(+ A)$	True Class
1	0.95	+
2	0.93	+
3	0.87	-
4	0.85	-
5	0.85	-
6	0.85	+
7	0.76	-
8	0.53	+
9	0.43	-
10	0.25	+

## 4. Image Classification – Evaluations

ACTUAL CLASS	PREDICTED CLASS		
		Class= Yes	Class= No
	Class= Yes	(TP) 3	(FN) 2
	Class= No	(FP) 3	(TN) 2

Instance	$P(+ A)$	True Class
1	0.95	+
2	0.93	+
3	0.87	-
4	0.85	-
5	0.85	-
6	0.85	+
7	0.76	-
8	0.53	+
9	0.43	-
10	0.25	+

## 4. Image Classification – Evaluations

	PREDICTED CLASS		
ACTUAL CLASS		Class= Yes	Class= No
	Class= Yes	(TP) 3	(FN) 2
	Class= No	(FP) 3	(TN) 2

$$P = TP/(TP+FP) = 3/(3+3) = 1/2$$

$$R = TP/(TP+FN) = 3/(3+2) = 3/5$$

$$F\text{-measure} = 2pr/(p+r) = 6/11$$

## 4. Image Classification – Evaluations

Given 10K fruit pictures including 50 apple pictures, a **retrieval** system searches for apple pictures, the search returns:

1. 500 pictures: 50 apple pictures (**TP**) and 450 non-apple pictures (**FP**):

$$R = TP/(TP+FN) = 50/50 = 100\%; \quad (FN = 0)$$

$$P = TP/(TP+FP) = 50/500 = 10\% \quad (FP = 450)$$

$$F = 2*100\%*10\%/(100\%+10\%) = 2/11$$

2. 5 pictures: all are apple pictures:

$$R = TP/(TP+FN) = 5/50 = 10\%; \quad (FN = 45)$$

$$P = TP/(TP+FP) = 5/5 = 100\% \quad (FP = 0)$$

$$F = 2*10\%*100\%/(10\%+100\%) = 20/110 = 2/11$$

3. 100 pictures: 40 apple pictures and 60 non-apple pictures:

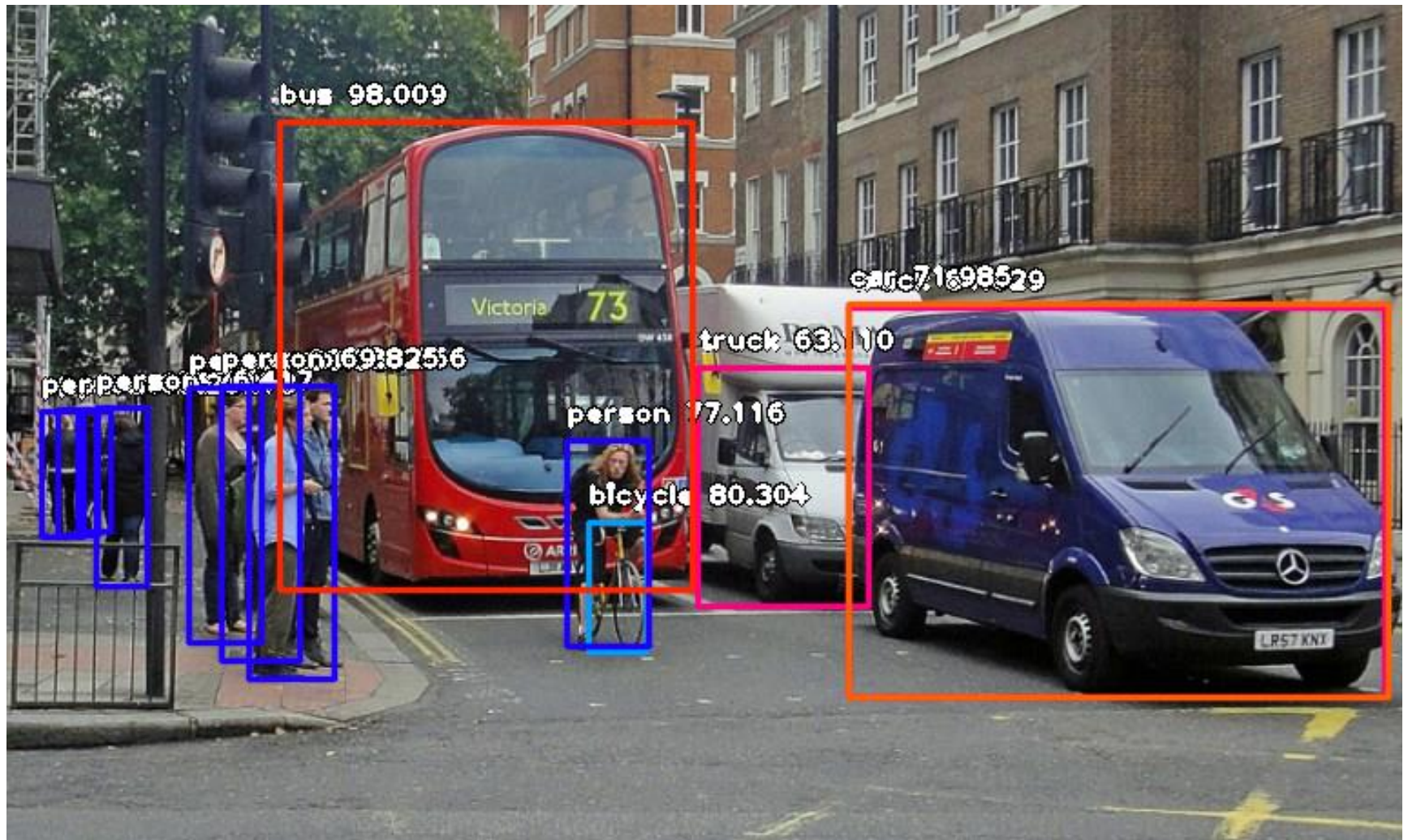
$$R = 40/50 = 80\%; \quad (FN = 10)$$

$$P = 40/100 = 40\% \quad (FP = 60)$$

$$F = 2*80\%*40\%/(80\%+40\%) = 64/120 = 8/15$$

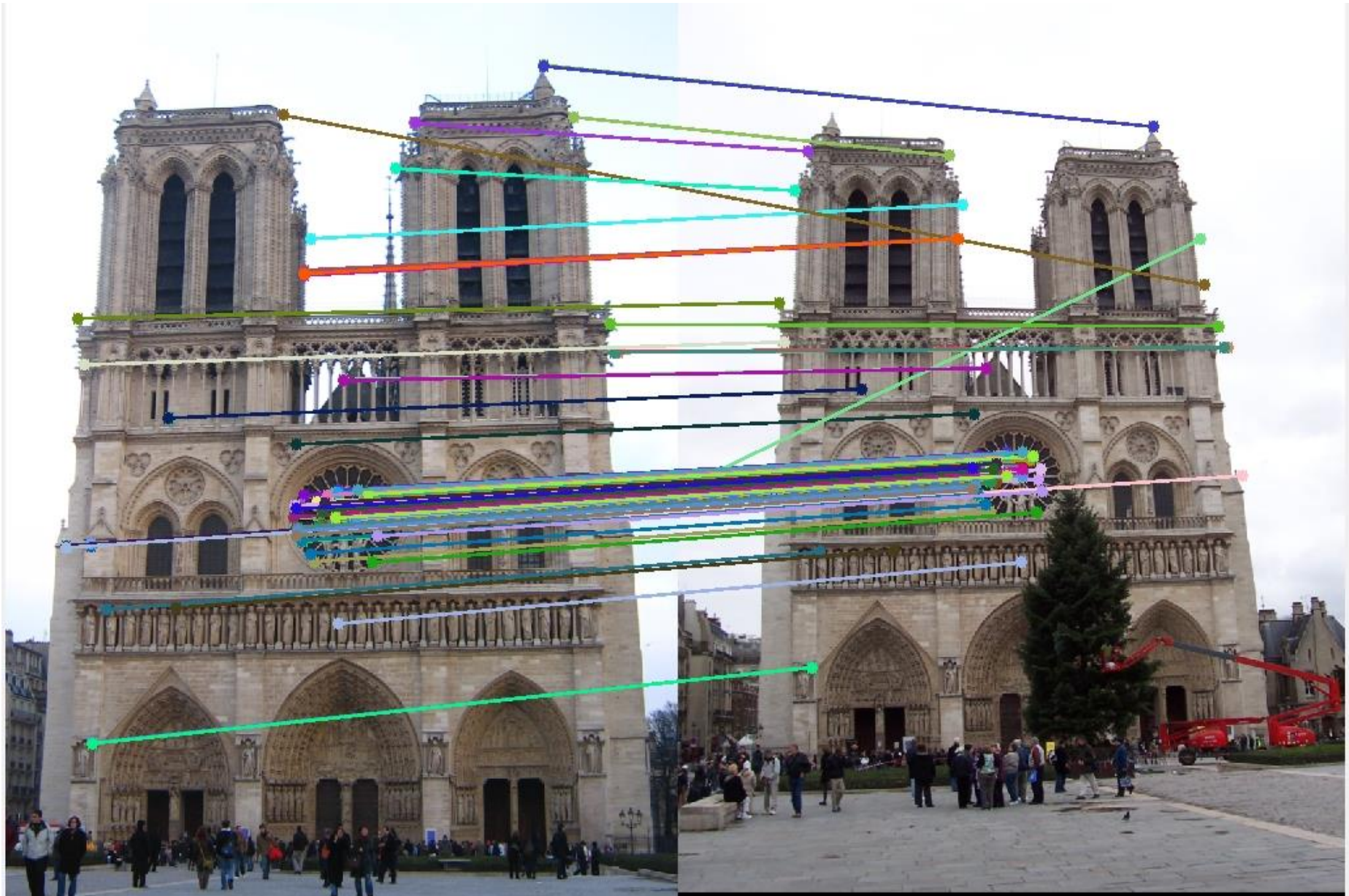
# 5. Applications

## Object detection and object recognition





## 5. Applications





# 5. Applications

Productivity and efficiency issue

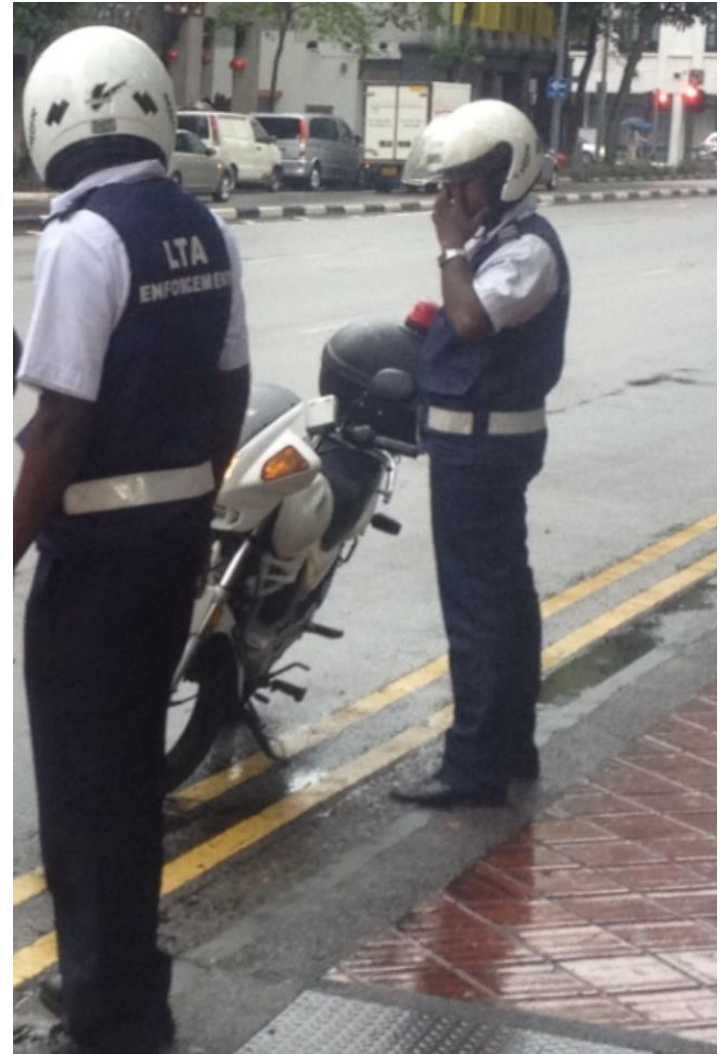


Safety issues



## 5. Applications

### Implementation issue





# 5. Applications

Recording and  
manpower issues



# 5. Applications

We developed a mobile vision system that detects and recognize illegal parking by just driving a enforcement vehicle around.





# Summary

1. Basics about features
2. Feature detection
3. Feature description
4. Feature matching
5. Applications