Analysis of a single dose-response curve Continuous data

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Example 1

Dose-response data were obtained from an experiment assessing the inhibitory effect of secalonic acid on plant. The response values (in the variable named rootl) are root lengths in cm, and the dose values (dose) are in mM.

```
library(drc)
library(devtools)
install_github("DoseResponse/drcData")
library(drcData)
secalonic
## dose rootl
```

```
## dose root1
## 1 0.000 5.5
## 2 0.010 5.7
## 3 0.019 5.4
## 4 0.038 4.6
## 5 0.075 3.3
## 6 0.150 0.7
```

Fitting the model

We can use the model fitting function $\mathtt{drm}()$, which is the pivotal function in the package drc for fitting dose-response models: the response ((rootl)) on the left hand side of the tilde (\sim) and the dose variable (dose) to the right of the tilde:

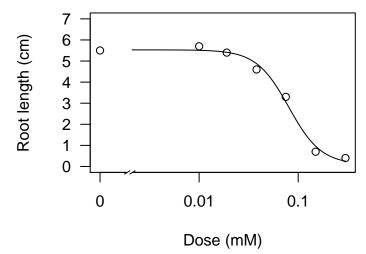
Analysis of a single dose-response curve Cor

Fitted dose-response curves (1)

A plot of the observed response (rootl versus dose) and the corresponding fitted dose-response curve is obtained using the plot method:

```
plot(secalonic.LL.4,
    bp = 1e-3, broken = TRUE,
    ylim = c(0, 7),
    xlab = "Dose (mM)",
    ylab = "Root length (cm)")
```

Fitted dose-response curves (2)



Summary of the model fit

A summary of the fit is obtained using the summary method when applied to the model fit secalonic.LL.4:

```
summary(secalonic.LL.4)
##
## Model fitted: Log-logistic (ED50 as parameter) (4 parms)
##
## Parameter estimates:
##
##
                 Estimate Std. Error t-value p-value
## b:(Intercept) 2.6542086 0.6962333 3.8122 0.0317398 *
## c:(Intercept) 0.0917852 0.3747246 0.2449 0.8223012
## d:(Intercept) 5.5297495 0.2010300 27.5071 0.0001055 ***
## e:(Intercept) 0.0803547 0.0078829 10.1935 0.0020121 **
##
  Signif. codes: 0 '*** 0.001 '** 0.01 '* 0.05 '.' 0.1 ' ' 1
##
## Residual standard error:
##
   0.2957497 (3 degrees of freedom)
##
```

Estimating ED values

It is possible to estimate any ED value and also the corresponding standard error from the model fit without having to re-parametrise and re-fit the model each time a new ED value has to be estimated

For instance, ED10 and ED20 based on the above model fit are easily obtained using the following line:

```
##
## Estimated effective doses
##
## Estimate Std. Error
## e:1:10 0.0351149 0.0078689
## e:1:20 0.0476628 0.0074229
```

ED(secalonic.LL.4, c(10, 20))

Example 2

The effect of the natural compound ferulic acid as a potential herbicide on growth of perennial ryegrass was investigated in a dose-response experiment

The dose-response data is found in the dataset ryegrass where the variable conc is the concentration of ferulic acid (mM) and rootl is the resulting root length (cm)

7 concentrations, 6 replicates for concentration 0 and 3 replicates for all non-zero concentrations

```
summary(ryegrass)
```

```
##
       root.1
                         conc
##
   Min.
           :0.2200
                    Min.
                           : 0.000
    1st Qu.:0.8491
                   1st Qu.: 0.705
##
   Median :5.0778
                    Median : 2.815
##
##
   Mean :4.3272
                   Mean : 7.384
   3rd Qu.:7.4262
                    3rd Qu.: 9.375
##
    Max.
          :8.3556
                    Max.
                           :30.000
##
```

Fitting the model

Fitting a four-parameter log-logistic model to data:

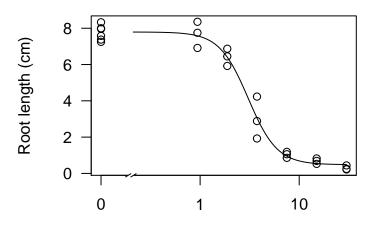
Fitted dose-response curve (1)

Showing the fitted dose-response curve together with the data:

```
plot(ryegrass.LL.4,
    broken = TRUE,
    type = "all",
    xlab = "Concentration (mM)",
    ylab = "Root length (cm)")
```

Fitted dose-response curve (2)

Showing the fitted dose-response curve together with the data:



Obtaining estimates with naive standard errors

The usual output:

```
coef(summary(ryegrass.LL.4))
## Estimate Std. Error t-value p-value
```

```
## b:(Intercept) 2.9822191     0.4650623     6.412515 2.960347e-06
## c:(Intercept) 0.4814132     0.2121924     2.268758 3.450565e-02
## d:(Intercept) 7.7929583     0.1885672 41.327218 3.821922e-21
## e:(Intercept) 3.0579550     0.1857313 16.464401 4.267922e-13
```

Obtaining estimates with robust standard errors

Standard errors that are robust against model misspecification are also available:

```
library(lmtest)
library(sandwich)
coeftest(ryegrass.LL.4, vcov = sandwich)
##
## t test of coefficients:
##
##
               Estimate Std. Error t value Pr(>|t|)
## b:(Intercept)
               2.98222 0.47438 6.2865 3.882e-06 ***
## c:(Intercept)
               ## d:(Intercept) 7.79296 0.15311 50.8976 < 2.2e-16 ***
## e:(Intercept) 3.05795 0.26741 11.4355 3.170e-10 ***
                0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
## Signif. codes:
```

Estimated standard errors change somewhat as compared to the model-based ones (some decrease and some increase!)