

Figure 1: Which pretraining data to use? Ideally, large experiments with fixed models over random seeds would be used to compare options (left). In practice, cheaper, smaller scale experiments are used (center). DATADOS is a method to validate lower-cost predictions to make pretraining data decisions (right). This plot shows the relationship between compute used to predict a ranking of datasets and how accurately that ranking reflects performance (quantified here by OLMES) at the target (1B) scale of models pretrained from scratch on those datasets. Each point represents the average decision accuracy of 3 prediction attempts over different random seeds using a given method and model size up to some compute budget and shading shows standard deviation.

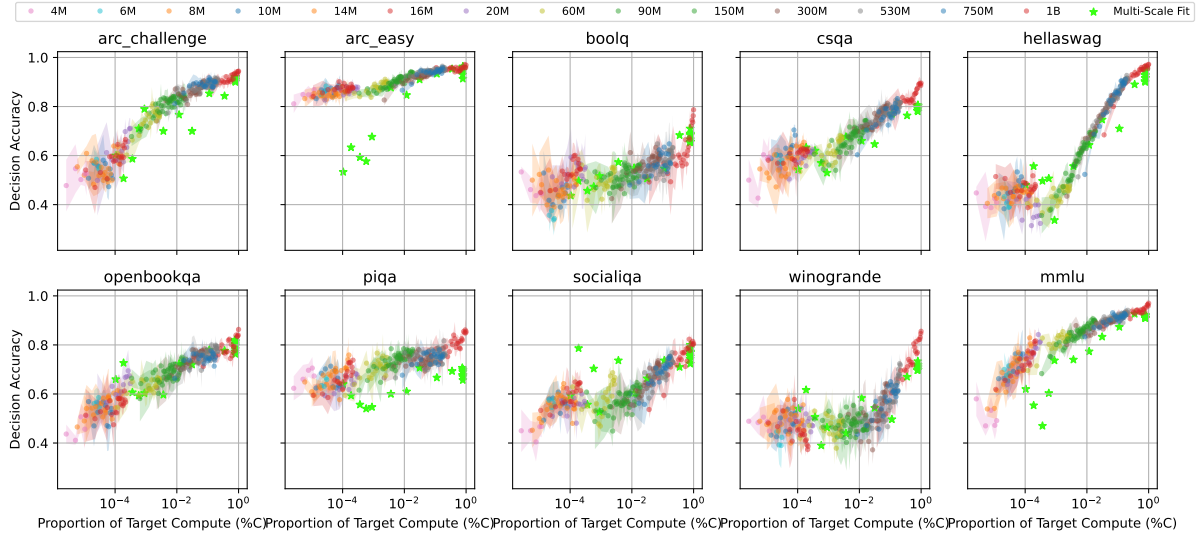


Figure 2: Accuracy in pairwise decisions on best data when evaluating on the 10 OLMES tasks with `primary_metric` (shown aggregated in Figure 1). Specific tasks have very distinct ranges of sensitivity, with some like `arc_easy` being predictable at small scales and others like `HellaSwag` requiring substantially more compute to predict.

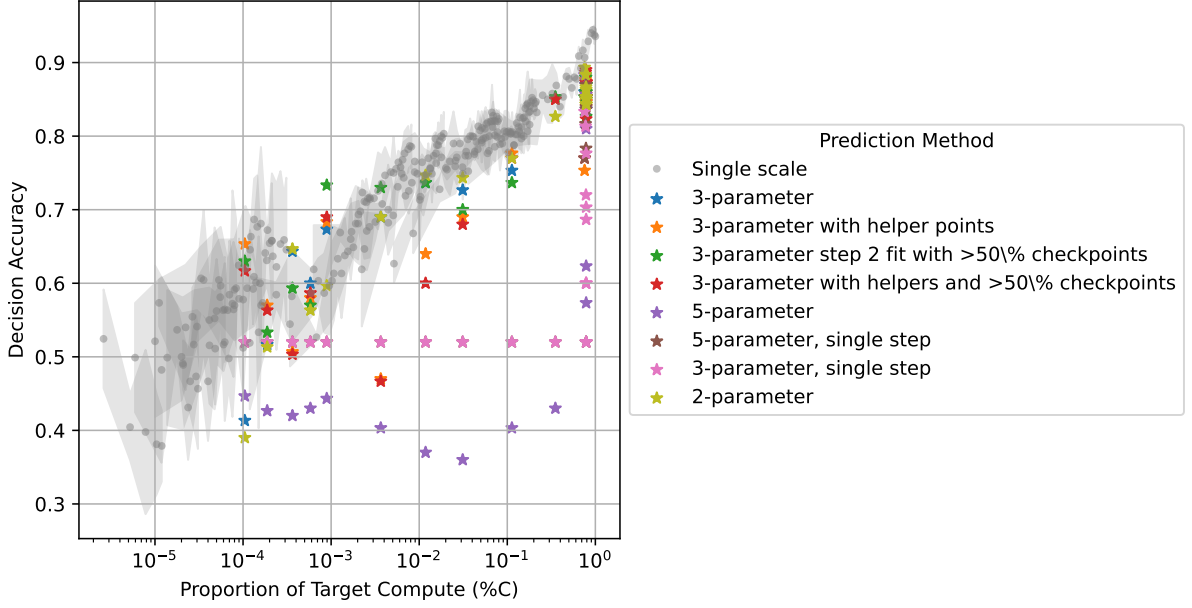


Figure 3: Decision accuracy over 8 baseline scaling law variants. At best, these approaches reach only the same compute to decision accuracy frontier as ranking single scale experiments. DATADOS can be used to iterate on future scaling law prediction methods.

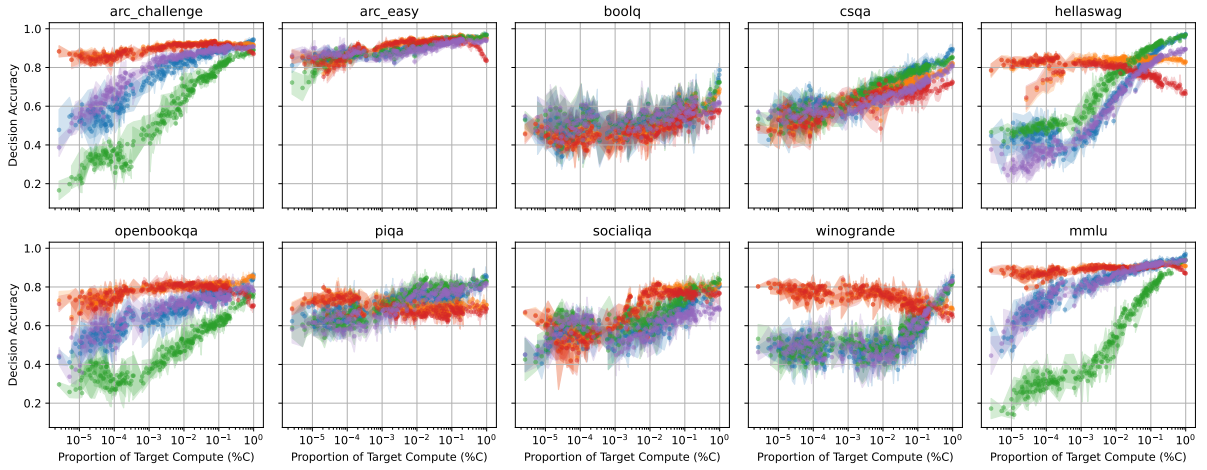


Figure 4: Per-task decision accuracy using character normalized proxy metrics for `primary_metric` targets. 5 tasks benefit at smaller scales from using raw likelihood of answers (`correct_prob` and `total_prob`), as opposed to discrete `primary_metric` or continuous metrics that penalize probability on incorrect answers (`norm_correct_prob`, `margin`).

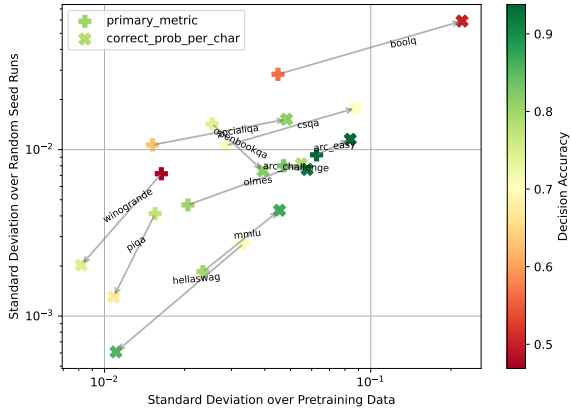


Figure 5: Why do some tasks get better or worse decision accuracy? Tasks like MMLU succeed by having low run-to-run variance and some highly predictive tasks like arc\_easy widely spread the performance assigned to different pretraining data.

size task	Discrete		Continuous	
	4M	60M	4M	60M
gsm8k	0.39	0.53	0.45	0.52
minerva	0.36	0.56	0.52	0.53
mbpp	0.41	0.56	<b>0.84</b>	<b>0.86</b>
humaneval	0.38	0.52	<b>0.81</b>	<b>0.75</b>

Figure 6: Code tasks such as humaneval and MBPP go from trivial decision accuracy to largely predictable when using continuous correct\_prob\_per\_char instead of Discrete primary\_metric. Meanwhile common math tasks remain near trivial decision accuracy regardless of metric. Bolded values more than 10% above random