## **Our 2's Complement Worksheet**

I suggest doing the assignment in the following order:

- 1. Get \_\_add\_\_() working using the algorithm below (also in the ppt). Test your method using the hw1 description. It has a table of the int equivalents to Binary2C numbers for -8 to 7, so you construct Binary2C objects, add them, and know what the answer should be.
- 2. Get \_\_neg\_\_() working by flipping digits, then adding 01.
- 3. Get \_\_int\_\_() working. You might want to break it into two cases.

When a method specifies returning a new Binary2C object, make sure you do not alter the num\_list of the original object.

Some practice:

Add the following pairs of 2's complement binary numbers using the following algorithm:

- a) Numbers to be added are called addends. If one addend is shorter than the other, prepend its leftmost digit until they are the same length. E.g. make 0101 + 1 into 0101 + 1111. Then do addition digit-by-digit, as you would for decimal.
- b) If your result has more digits than your addends, ignore the leftmost digit.
- c) If both numbers were positive and your answer begins with 1, prepend a 0. If both numbers were negative and your answer begins with 0, prepend a 1.

Give the negated Binary2C number by flipping digits and then adding 01 using the algorithm above (show work):

8. 
$$1101 = 0010 + 01 = 010 + 001 = 011$$

10. 0100101

11. 1000

12. 1

13. 1111 (not starting out as our 2's comp, but informative)

14. 0

Give the signed decimal equivalent (hint – use the results from above):

15. 
$$1101 = -011 = -((2^2 * 0) + (2^1 * 1) + (2^0 * 1)) = -3$$

Give the unsigned hexadecimal equivalent (don't have to show work):

20.1101 == 0xD

21.1111

22.1010