

Modified Secant Method:

uses one point to find the root, and the derivative is found by using another point some small distance, δ , away.

Pseudocode:

Input: function 'f', init guess 'x', 'delta', error tol 'etol', max no. of iteration 'maxit'

output: root x, no. of iteration nit

start

while the actual no. of iteration is still < maxit

 xold = x

 recalculate the new x where $x_{\text{new}} = x - \frac{\delta x f(x)}{f(x + \delta x) - f(x)}$

 if the actual error tolerance $|x - x_{\text{old}}| \leq \text{etol}$, end while loop

end

```
function [x, nit] = modsec(f,x,delta,etol,maxit)
% This function finds the root of a function using
% The Midified Secant Method
% INPUT:
% f = function to find root to
% x = initial guess
% delta = perturbation fraction
% etol = error tolerance
% maxit = maximum number of iterations
%
% OUTPUT:
% root = approximation of the root of f
nit = 0;
while nit < maxit
    xold = x;
    x = x - delta*x*f(x) / (f(x+delta*x)-f(x));
    nit = nit + 1;
    if abs(x - xold) < etol, break, end
end
end
```

```
>> [root, nit] = modsec(@(x) x ^ 3 - 3 * x + 1, 0.9, 0.001, 0.00005, 100)
root = 1.5321
nit = 7
```