

Deriving-via

BALDUR BLÖNDAL,
ANDRES LÖH, Well-Typed LLP
RYAN SCOTT, Indiana University

We present a new Haskell language extension that miraculously solves all problems in generic programming that ever existed.

ACM Reference Format:

Baldur Blöndal, Andres LöH, and Ryan Scott. 2017. Deriving-via. 1, 1 (November 2017), 3 pages. <https://doi.org/10.1145/nnnnnnn.nnnnnnn>

"These types we write down they're not just names for data representations in memory, they're tags that queue in mathematical structures that we exploit."¹

1 INTRODUCTION

It is common folklore that `Monoids` can be lifted over `Applicatives`,

```
instance (Applicative f, Monoid a) => Monoid (f a) where
  mempty :: f a
  mempty = pure mempty
  mappend :: f a -> f a -> f a
  mappend = liftA2 mappend
```

Conor McBride calls this "routine programming" using `Monoid` and `Applicative` as building blocks.²

But this instance is undesirable for multiple reasons (TODO: more reasons, rewrite)

- It overlaps with every `Monoid` instance over an applied type.
- "Structure of the `f` is often considered more significant than that of `x`."³
- It may not be the desired `Monoid`: Some constructors have an 'inherent monoidal structure', most notably the *free monoid* (lists: `[a]`) where we prioritize the list structure and not that of the elements.

Lists are in fact an instance of a wholly separate way of defining `Monoids` based on `Alternative`

```
instance Alternative f => Monoid (f a) where
  mempty :: f a
  mempty = empty
```

¹Taken from unknown position: <https://www.youtube.com/watch?v=3U3lV5VPmOU>

²<http://strictlypositive.org/Idiom.pdf>

³Much of this is stolen from Conor: <https://personal.cis.strath.ac.uk/conor.mcbride/so-pigworker.pdf>

Authors' addresses: Baldur Blöndal; Andres LöH, Well-Typed LLP; Ryan Scott, Indiana University.

Permission to make digital or hard copies of part or all of this work for personal or classroom use is granted by ACM, provided that the copies are not made for general distribution, for advertising or promotional purposes, for creating new collective works, or for resale. Copyrights for third-party components of this work must be honored. For all other uses, contact the owner/author(s).

© 2017 Copyright held by the owner/author(s).

XXXX-XXXX/2017/11-ART

<https://doi.org/10.1145/nnnnnnn.nnnnnnn>

```

50 mappend :: f a -> f a -> f a
51 mappend = (<|>)

```

52 So what are our options.

53 An unfortunate solution is to duplicate code

```

54
55 instance Monoid a => Monoid (IO a) where
56   mempty  = pure mempty
57   mappend = liftA2 mappend
58
59 instance (Monoid a, Monoid b) => Monoid (a, b) where
60   mempty  = pure mempty
61   mappend = liftA2 mappend
62
63 instance Monoid b => Monoid (a -> b) where
64   mempty  = pure mempty
65   mappend = liftA2 mappend

```

66 but this quickly becomes unviable as `Num`, `Floating` and `Fractional` which amount to
 67 around 50 methods lifted in the exact same way. Conal Elliott introduces a preprocessor⁴ to
 68 derive these classes by textual substitution and he is by no means alone.⁵

69 Haskellers already have a way of giving a difference instance to the same representation:
 70 **newtypes**.⁶ For example `Wrap1 ((->) a) b` has the same memory representation as `a ->`
 71 `b`

```

72 newtype Wrap a = Wrap a
73 newtype Wrap1 f a = Wrap1 (f a)

```

74 Now, without overloading, we can define a `Monoid` instance over `Applicative` and `Alternative`:
 75 there is no canonical

```

76
77 newtype App f a = App (f a) deriving newtype (Functor, Applicative)
78 newtype Alt f a = Alt (f a) deriving newtype (Functor, Applicative, Alternative)
79 instance (Applicative f, Monoid a) => Monoid (App f a) where
80   mempty  = pure mempty
81   mappend = liftA2 mappend
82
83 instance Alternative f => Monoid (Alt f a) where
84   mempty  = empty
85   mappend = (<|>)

```

86 What this extension allows is to derive instances that exist for types of the same represen-
 87 tation, so we can derive (TODO: should be rewritten)

```

88 deriving Monoid via (Alt []    a) instance Monoid [a]
89 deriving Monoid via (Alt IO    a) instance Monoid a  => Monoid (IO a)
90 deriving Monoid via (Alt (a, ) b) instance (Monoid a, Monoid b) => Monoid (a, b)
91 deriving Monoid via (Alt (a ->) b) instance Monoid b => Monoid (a -> b)
92
93

```

94 ⁴<https://hackage.haskell.org/package/applicative-numbers>

95 ⁵Some notes: <https://gist.github.com/Icelandjack/e1ddefb0d5a79617a81ee98c49fbbdc4#a-lot-of-things-we-can-find-with-define>

96 ⁶`Sum` and `Product` must be the best known example of this.

2 EXAMPLES

3 FORMALISM

4 ADVANCED USES

- **Avoiding orphan instances** Before we had a `Monoid (IO a)` instance, we could not write⁷

```
newtype Plugin = Plugin (IO (String -> IO ()))
deriving Monoid
```

deriving via enables us to override and insert arbitrary instances adding the following line

```
via (App IO (String -> App IO ()))
```

- **Asymptotic improvement** For representable functors the definitions of `m *> _ = m` and `_ < * m = m` are $O(1)$.⁸ This codifies knowledge (on a “library, not lore” principle) where the code can be documented and linked to.

4.1 Generalized GeneralizedNewtypeDeriving

4.2 DeriveAnyClass

5 LIMITATIONS, CONCLUSIONS AND FUTURE WORK

6 RELATED WORK

⁷<http://www.haskellforall.com/2014/07/equational-reasoning-at-scale.html>

⁸Edward Kmett: https://ghc.haskell.org/trac/ghc/ticket/10892?cversion=0&cnum_hist=4#comment:4