$$V_1 \neq V_2 \longrightarrow \lambda V_1 + \lambda V_2 = 0 \longrightarrow x - x = 0$$

$$F(v_1) = F(v_2) \neq 0$$

$$F(\lambda y_7) + F(\lambda y_2) = F(0)$$

$$\lambda_1 F(v_1) + \lambda_2 F(v_2) = 0$$

$$O \cdot F(v_1) + O \cdot F(v_2) = O$$



A =
$$\begin{bmatrix} a_{11} & a_{1h} \\ \vdots & \vdots \\ a_{n1} & \cdots & a_{n} \end{bmatrix}$$

$$A = \begin{bmatrix} Q_{11} & Q_{12} & Q_{13} \\ \vdots & \vdots & \vdots \\ Q_{21} & Q_{22} & Q_{23} \\ \vdots & \vdots & \vdots \\ Q_{31} & Q_{32} & Q_{33} \end{bmatrix}$$

$$= \begin{bmatrix} X_{1} & Q_{12} & Q_{22} & Q_{23} \\ Q_{31} & Q_{32} & Q_{33} \\ \vdots & \vdots & \vdots & \vdots \\ Q_{31} & Q_{32} & Q_{33} \end{bmatrix}$$

$$= \begin{bmatrix} X_{1} & Q_{11} & Y_{12} & Q_{12} & Y_{13} & Q_{13} \\ Y_{1} & Q_{11} & Y_{12} & Q_{12} & Y_{13} & Q_{23} \\ Y_{1} & Q_{21} & Y_{21} & Q_{22} & Y_{31} & Q_{23} \\ Y_{1} & Q_{21} & Y_{21} & Q_{22} & Y_{31} & Q_{23} \\ Y_{1} & Q_{21} & Y_{21} & Q_{22} & Y_{31} & Q_{23} \\ Y_{1} & Q_{21} & Y_{21} & Q_{22} & Y_{31} & Q_{23} \\ Y_{2} & Q_{21} & Q_{22} & Q_{23} & Q_{23} \\ Y_{3} & Q_{31} & Q_{32} & Q_{33} & Q_{33} \\ Y_{1} & Q_{21} & Y_{21} & Q_{22} & Y_{31} & Q_{23} \\ Y_{2} & Q_{31} & Y_{31} & Q_{32} & Y_{31} & Q_{33} \\ Y_{3} & Q_{31} & Y_{31} & Q_{32} & Y_{31} & Q_{33} \\ Y_{3} & Q_{31} & Y_{31} & Q_{32} & Y_{31} & Q_{33} \\ Y_{3} & Q_{31} & Y_{31} & Q_{32} & Q_{33} \\ Y_{3} & Q_{31} & Y_{31} & Q_{32} & Q_{33} \\ Y_{3} & Q_{31} & Y_{31} & Q_{32} & Q_{33} \\ Y_{3} & Q_{31} & Q_{32} & Q_{33} \\ Y_{3} & Q_{32} & Q_{33} & Q_{33} \\ Y_{3} & Q_{31} & Q_{32} & Q_{33} \\ Y_{3} & Q_{31} & Q_{32} & Q_{33} \\ Y_{3} & Q_{31} & Q_{32} & Q_{33} \\ Y_{3} & Q_{32} & Q_{33} & Q_{33} \\ Y_{3} & Q_{31} & Q_{32} & Q_{33} \\ Y_{3} & Q_{32} & Q_{33} & Q_{33} \\ Y_{3} & Q_{31} & Q_{32} & Q_{33} \\ Y_{3} & Q_{31} & Q_{32} & Q_{33} \\ Y_{3} & Q_{32} & Q_{33} & Q_{33} \\ Y_{3} & Q_{31} & Q_{32} & Q_{33} \\ Y_{3} & Q_{32} & Q_{33} & Q_{33} \\ Y_{3} & Q_{32} & Q_{33} & Q_{33} \\ Y_{3} & Q_{32}$$

$$F_{(x)} = A \times = \begin{bmatrix} \alpha_{11} & \alpha_{12} \\ \alpha_{21} & \alpha_{22} \end{bmatrix} \begin{pmatrix} y_1 \\ y_2 \end{pmatrix} = \begin{bmatrix} y_1 & \alpha_{11} + y_2 & \alpha_{12} \\ y_1 & \alpha_{21} + y_2 & \alpha_{22} \end{bmatrix}$$

$$G_{(x)} = B \times = \begin{bmatrix} b_{11} & b_{12} \\ b_{21} & b_{22} \end{bmatrix} \begin{pmatrix} y_1 \\ y_2 \end{pmatrix} = \begin{bmatrix} y_1 & b_{11} + y_2 & b_{12} \\ y_1 & b_{21} + y_2 & b_{22} \end{bmatrix}$$

$$F_{(x)} + G_{(x)} = \begin{bmatrix} y_{1} & \alpha_{11} + y_{2} & \alpha_{12} \\ y_{1} & \alpha_{21} + y_{2} & \alpha_{22} \end{bmatrix} + \begin{bmatrix} y_{1} & b_{11} + y_{2} & b_{12} \\ y_{1} & b_{21} + y_{2} & b_{22} \end{bmatrix}$$

$$= \begin{bmatrix} y_{1} & \alpha_{11} + y_{2} & \alpha_{12} \\ y_{1} & \alpha_{21} + y_{2} & \alpha_{22} \end{bmatrix} + \begin{bmatrix} y_{1} & b_{11} + y_{2} & b_{12} \\ y_{1} & b_{21} + y_{2} & b_{22} \end{bmatrix}$$

$$7) \left\{ \begin{array}{c} 1 + 0 + 1 \\ 0 + 2 - 1 \end{array} \right\}$$

$$F(v+x) + G(x) = F(v) + F(x) + G(x)$$

$$= \begin{cases} a_{11} + a_{12} + b_{11} + c_{12} \\ \vdots \end{cases}$$

$$\lambda F(x) \cdot G(x) = \begin{cases}
\lambda +_1 \alpha_{11} + \lambda \times_2 \alpha_{12} \\
\lambda \times_1 \alpha_{21} + \lambda \times_2 \alpha_{22}
\end{cases} \cdot \begin{cases}
\gamma_1 b_{11} + \gamma_1 b_{22} \\
\gamma_1 b_{21} + \gamma_2 b_{22}
\end{cases}$$

$$= \begin{cases}
(+_1 \alpha_{11} + x_2 \alpha_{12}) \cdot (y_1 b_{21} + y_2 b_{22}) \\
(x_1 \alpha_{21} + x_2 \alpha_{22}) \cdot (y_1 b_{21} + y_2 b_{22})
\end{cases}$$

$$\begin{bmatrix}
1 & 1 & 0 & 1 & 0 & 0 \\
0 & 0 & 1 & 0 & 0 & 0
\end{bmatrix}
\begin{pmatrix}
1 & 1 & 0 & 0 & 0 \\
0 & 0 & 1 & 0 & 0
\end{pmatrix}
\begin{pmatrix}
1 & 0 & 0 & 1 & 0 & 0 \\
0 & 1 & 0 & 0 & 1
\end{pmatrix}$$

$$\begin{bmatrix}
1 & 0 & 0 & 1 & 1 & 1 \\
0 & 0 & 1 & 0 & 1
\end{bmatrix}
\begin{pmatrix}
1 & 0 & 0 & 1 & 1 & -1 \\
0 & 0 & 1 & 0 & 0
\end{pmatrix}$$

$$\begin{bmatrix}
1 & 0 & 0 & 1 & 1 & -1 \\
0 & 0 & 0 & 1 & 0
\end{pmatrix}$$

$$\begin{bmatrix}
1 & 1 & -1 \\
0 & 1 & 0 \\
0 & 1 & 0
\end{pmatrix}$$