

P1 A. $\square \rightarrow [C]$

$\mid \rightarrow [D] \rightarrow [D,G] \rightarrow [D,G,H]$
 $\mid \quad \quad \mid \rightarrow [D,H]$
 $\mid \rightarrow [E] \rightarrow [E,F] \rightarrow [E,F,H]$
 $\mid \quad \quad \mid \rightarrow [E,G] \rightarrow [E,G,H]$
 $\mid \quad \quad \mid \rightarrow [E,H]$
 $\mid \rightarrow [F] \rightarrow [F,G] \rightarrow [F,G,H]$
 $\mid \quad \quad \mid \rightarrow [F,H]$
 $\mid \rightarrow [G] \rightarrow [G,H]$
 $\mid \rightarrow [H]$

B. $\square \rightarrow [C]$

$\mid \rightarrow [D] \rightarrow [D,G] \rightarrow [D,G,H]$

C. $\square \rightarrow [C]$

$\mid \rightarrow [D] \rightarrow [D,G]$
 $\mid \quad \quad \mid \rightarrow [D,H]$
 $\mid \rightarrow [E] \rightarrow [E,F]$
 $\mid \rightarrow [F]$
 $\mid \rightarrow [G]$
 $\mid \rightarrow [H]$

P2 A. Yes, it is a tree, as there's only one way to get to any vertex from the source.

B. This tree has at most depth of N, as we make decisions for each of N objects.

C. The branching factor is N, as N objects to choose from.

D. Not known in advance, because it depends on the constraint cost.

P3 A. State:

A set of k different vertices, where k is in $[0, K]$, in alphabetic order that are not directly connected to any other vertices in the set

Successor:

Adding a new vertex to the current set and the added vertex is not connected to any vertex already in the set

Start State:

An empty set with no vertices

Goal State:

A set with K vertices and with no two vertices in the set directly connected by an edge.

B. Depth of Goal States:

The depth of the goal states is known in advance to be K, as specified in the question to find K vertices without any edge connecting each other

Search Algorithm:

Due to the certainty in the depth of goal states, DFS would be suitable since we don't need to iteratively test the depth of the goal states for the result.