## 1.2 Graphs of Motion

**Accelerating**: The rate of change in velocity or the change in velocity per unit time.

Acceleration=
$$\frac{Change \ in \ velocity}{Time}$$

$$a = \frac{\Delta V \ (m/s)}{t \ (s)}$$

$$a = \frac{V - U \ (m/s)}{t \ (s)}$$

V is the final velocity U is the initial velocity

t is the time

Acceleration is measured in m/s<sup>2</sup>

Acceleration if the distance is given:

a is acceleration (m/s2)

s is distance (m)

V is the final velocity (m/s)

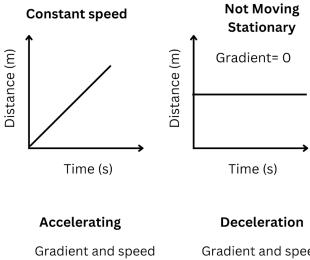
U is the initial velocity (m/s)

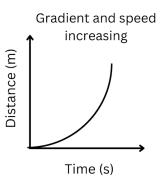
Note: If an object starts from stationary, then its initial velocity U should be 0m/s.

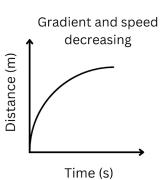
## **Distance-Time Graph**

The **gradient** of the line at any point tells you the speed the object is traveling.

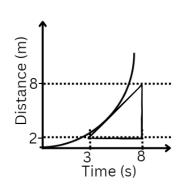
Gradient= 
$$\frac{\Delta Distance}{\Delta Time}$$







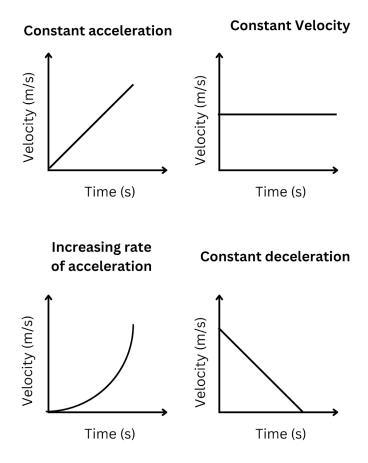
For example:



Gradient= 
$$\frac{\Delta Distance}{\Delta Time}$$
 =  $\frac{8-2}{8-3}$  =  $\frac{6}{5}$  = 1.2 m/s

The speed of this journey is 1.2m/s

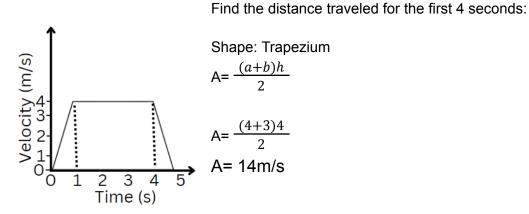
**Velocity-Time Graphs** 



To find the distance traveled:

Use the area of the shape formed in a particular time given.

## For example:



**Terminal velocity**: is a point reached whereby the velocity reaches a constant rate. When an object falls in a uniform gravitational field, the air resistance opposing its motion increases as its speed rises, reducing its acceleration. Eventually, air resistance acting upwards

equals the weight of the object acting downwards. The resultant force on the object is zero since the gravitational force balances frictional force. The object falls at terminal velocity.