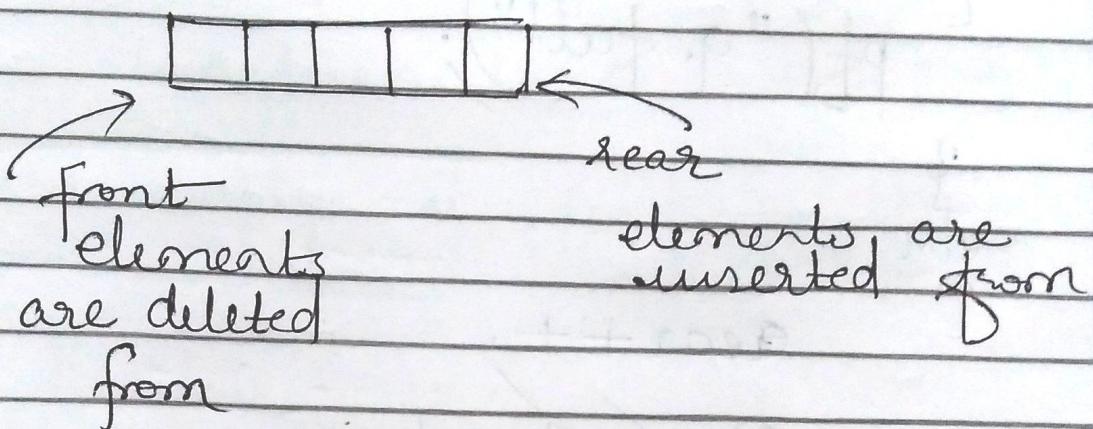


## Queue

Works on First In First Out (FIFO) principle.

There are two ends



Insertion of element → enqueue

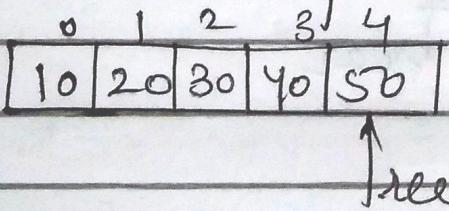
Deletion of element → dequeue

Initially  $\text{front} = \text{rear} = -1$   
enqueue(10);

element

$\text{rear} = \text{rear} + 1$   
 $a[\text{rear}] = x$

While enqueue you have to ensure  
that queue is not full.



enqueue(60)  $\Rightarrow$  if( $\text{rear} == \text{SIZE}-1$ )  
  {  
    q.full  
  }

```
void enqueue(ele)
```

```
{ if(rear == SIZE - 1)
```

```
{ p1("q. full");
```

```
?  
else  
{
```

```
rear++;
```

```
a[rear] = ele;
```

```
if(front == -1) // if this is  
front = 0. first insertion
```

```
}
```

```
{
```

Deletion from front end. precondition

10	20	30	T
----	----	----	---

front  
1 0 1 24 rear

queue should  
not be empty

```
ele = a[front].
```

```
front = front + 1;
```

```
return ele.
```

```
dequeue() → 10
```

```
dequeue() → 20
```

```
dequeue() → 30
```

```
ele = arr[front].  
if (front == rear)  
    front = rear = -1;  
else  
    front = front + 1;
```

return ele

queue empty if (front == -1)  
return false.

datatype dequeue()

of ele.

{

if (front == -1)

{

q.empty  
return -1;

}

else

{

ele = arr[front].

if (front == rear)

front = rear = -1.

else

front = front + 1;

return ele.

}

//queue using array.

typedef struct

{  
    int a[SIZE];  
    int rear, front;  
}

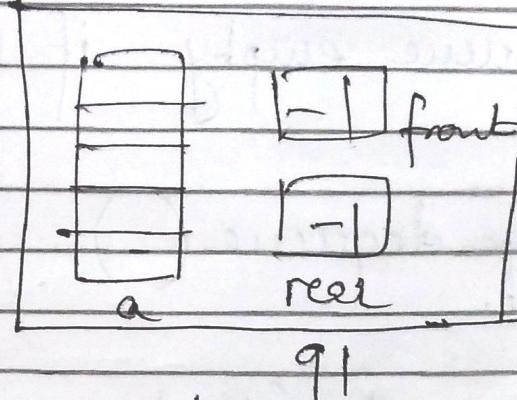
int main()

{  
    Queue q1;

    q1.front = q1.rear = -1;

    enqueue(&q1, ele);

    ele = dequeue(&q1);  
    //you can process ele



void enqueue(Queue \*p, int x)

{  
    if(p->rear == SIZE-1)

    {  
        else

            p->rear = p->rear + 1;

            p->a[p->rear] = x;

        if(p->front == -1)

            p->front = 0;

Disadvantage of linear queue

→ Consider the case

10	20	30	40	50
----	----	----	----	----

↑ front

↑ rear

↓ rear

Now delete 10 & 20, so

1	1	30	40	50
---	---	----	----	----

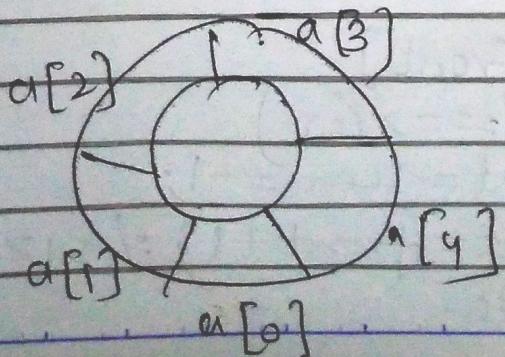
↑ front

If you want to insert more elements it will check whether  $\text{rear} == \text{SIZE} - 1$ , which is true in this case, & it will say 'Q is full', even though we have empty space. (empty positions in the beginning)

In order to remove this disadvantage, we can modify dequeue function, i.e. such a way that after deletion, rest of the elements of the queue are shifted by one position to left. But again, this is inefficient since, for one deletion, there are several shifting operations.

Second option: Circular queue

↓ In this queue, the first position & last position of array are assumed to be logically connected to each other i.e. first element  $a[0]$  follows last element  $a[n-1]$



The queue would be reported full when all the slots in array are occupied.

In circular queue, if you want to increment 'i' in circular fashion, the expression is  
 $i = (i+1) \% n$  where n is size of array

eg  $i=3$   
 $(3+1) \% 5 = 4.$

increment  $i \rightarrow (4+1) \% 5 = 0,$

void enqueue (ele)

{

if  $((rear+1) \% \text{SIZE} == \text{front})$   
{ q. full

else

{ rear = (rear+1) \% \text{SIZE};  
a[rear] = ele;

if  $(\text{front} == -1)$   
front = 0;

}

datatype dequeue ()

of ele

{ if  $(\text{front} == -1)$   
{ q. empty

else

{ ele = a[front].

if  $(\text{front} == \text{rear})$

else front = rear = -1;

front =  $(\text{front} + 1) \% \text{SIZE},$

return ele;

3

3