SYNTAX ANALYSIS

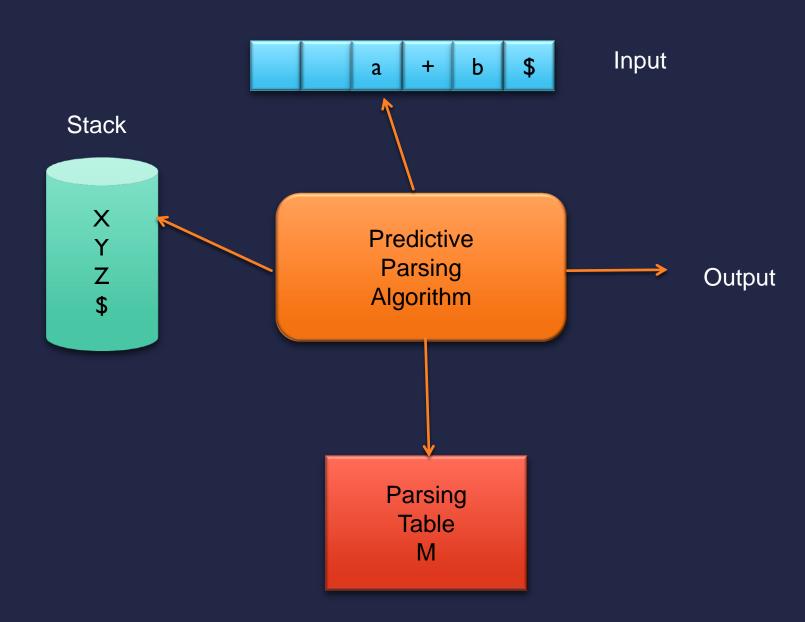
CONTENT

- LL (1) Parser
- Model of Non-Recursive Predictive Parser
- Construction of Predictive Parser Table
- Parsing a string

LL (1) GRAMMAR

- Used to construct Predictive Parser
- Predictive Parser Recursive Descent Parser with no need of Backtracking
- First 'L' scanning input from Left to Right
- Second 'L' Leftmost Derivation
- "1" One input symbol of Look ahead at each step to make parsing action decisions
- Left Recursive and Ambiguous grammar is NOT LL(1)

Model Of
Non-Recursive
Predictive Parser



Example:

$$\mathsf{E} \to \mathsf{TE'}$$

$$E' \to +TE' \mid \epsilon$$

$$\mathsf{T} \to \mathsf{FT'}$$

$$T' \to {}^*FT' \mid \epsilon$$

$$\mathsf{F} \to (\mathsf{E}) \mid \mathsf{id}$$

	id	+	*	()	\$
Е						
E'						
Т						
T'						
F						

Construction Of Predictive Parsing Table

Input: Grammar G

Output: Parsing Table M

Table M has Non-Terminals as row and Terminals as columns

For Each Production A \rightarrow α of grammar do step 1 and 2

Step 1: For each terminal 'a' in FIRST (α)

Add A \rightarrow α to M [A , a]

Step 2:

Case 1:

If ε is in FIRST (α) then

for each terminal b in FOLLOW (A)

Add $A \rightarrow \alpha$ to M [A , b]

Case 2:

If ε is in FIRST (α) and \$ is in FOLLOW (A) then

for each terminal b in FOLLOW (A)

Add A \rightarrow α to M [A , b]

Step 3: Make each undefined entry of M be an error

Example:

$$\mathsf{E}\to\mathsf{TE'}$$

$$E' \to +TE' \mid \epsilon$$

$$\mathsf{T}\to\mathsf{FT'}$$

$$T' \to *FT' \mid \epsilon$$

$$\mathsf{F} \to (\mathsf{E}) \mid \mathsf{id}$$

	id	+	*	()	\$
E	$E \rightarrow TE'$			$E \rightarrow TE'$		
E'		$E' \rightarrow +TE'$			$E' \to \epsilon$	$E' \to \epsilon$
Т	$T\toFT'$			$T \to FT'$		
T'		$T' \to \epsilon$	$T' \rightarrow *FT'$		$T' \to \epsilon$	$T' \to \epsilon$
F	$F \to id$			$F \to (E)$		

Consider Production $F \rightarrow id$

Add $F \rightarrow id$ to M [F, id]

Construction Of Predictive Parsing Table

- For every LL grammar each parsing table entry uniquely identifies a production or signals an error
- For some grammars however M may have some entries that are multiply defined
- Such grammars are not LL(1) Grammar

```
Let a be the first symbol of w
Let X be the top of the Stack symbol
while ( X != $)
   if (X == a)
      pop the stack and let 'a' be the next symbol of w
   else if ( X is a terminal )
                                                // X != a and X is terminal
      Error ()
   else if ( M [ X , a ] is an error entry )
      Error ()
   else if ( M [ X , a ] = Y1 Y2 ... Yk )
      Output the production X \rightarrow Y1 Y2 ... Yk
      Pop the stack
      Push Yk Yk-1 ... Y1 onto the stack with Y1 on top
  Let X be the top stack symbol
```

	id	+	*	()	\$
E	$E \rightarrow TE'$			$E \rightarrow TE'$		
E'		$E' \rightarrow +TE'$			$E' \to \epsilon$	$E' \to \epsilon$
Т	$T \to FT'$			$T \to FT'$		
T'		$T' \to \epsilon$	$T' \rightarrow *FT'$		$T' \to \epsilon$	$T' \to \epsilon$
F	$F \to id$			$F \to (E)$		

Matched	Stack	Input	Action
	E \$	id + id * id \$	
	TE'\$	id + id * id \$	Output $E \rightarrow TE'$
	FT'E'\$	id + id * id \$	Output $T \rightarrow FT'$
	idT'E' \$	id + id * id \$	Output $F \rightarrow id$
id	T'E' \$	+ id * id \$	match id
id	E' \$	+ id * id \$	Output $T' \to \epsilon$
id	+TE' \$	+ id * id \$	Output E' → +TE'

	id	+	*	()	\$
E	$E \rightarrow TE'$			$E \rightarrow TE'$		
E'		$E' \rightarrow +TE'$			$E' \to \epsilon$	$E' \to \epsilon$
Т	$T \rightarrow FT'$			$T \rightarrow FT'$		
T'		$T' \to \epsilon$	$T' \rightarrow *FT'$		$T' \to \epsilon$	$T' \to \epsilon$
F	$F \to id$			$F \to (E)$		

Matched	Stack	Input	Action
id +	TE' \$	id * id \$	match +
id +	FT'E'\$	id * id \$	Output $T \rightarrow FT'$
id +	idT'E' \$	id * id \$	Output $F \rightarrow id$
id + id	T'E' \$	* id \$	match id
id + id	*FT'E' \$	* id \$	Output T'→ *FT'
id + id *	FT'E' \$	id \$	match *
id + id *	idT'E' \$	id \$	Output $F \rightarrow id$

	id	+	*	()	\$
E	$E \rightarrow TE'$			$E \rightarrow TE'$		
E'		E' → +TE'			$E' \to \epsilon$	$E' \to \epsilon$
Т	$T \rightarrow FT'$			$T \to FT'$		
T'		$T' \to \epsilon$	$T' \rightarrow *FT'$		$T' \to \epsilon$	$T' \to \epsilon$
F	$F \rightarrow id$			$F \to (E)$		

Matched	Stack	Input	Action
id + id * id	T'E' \$	\$	match id
id + id * id	E' \$	\$	Output $T' \to \epsilon$
id + id * id	\$	\$	Output $E' \to \epsilon$