



<u>Course</u> > <u>Unit 6:</u> ... > <u>Lec. 12:</u>... > 11. Exe...

11. Exercise: Covariance properties

Exercises due Mar 25, 2020 05:29 IST Completed

Exercise: Covariance properties

3/3 points (graded)

a) Is it true that $\mathsf{Cov}\left(X,Y\right) = \mathsf{Cov}\left(Y,X\right)$?



b) Find the value of a in the relation $\mathsf{Cov}\left(2X,-3Y+2\right)=a{\cdot}\mathsf{Cov}\left(X,Y\right)$.

c) Suppose that X, Y, and Z are independent, with a common variance of 5. Then,

$$\mathsf{Cov}\left(2X+Y,3X-4Z
ight)= \boxed{$$
 30

Submit

You have used 2 of 3 attempts

Discussion

Hide Discussion

Topic: Unit 6: Further topics on random variables:Lec. 12: Sums of independent r.v.'s; Covariance and correlation / 11. Exercise: Covariance properties

Show all posts

by recent activity >

Staff-Request

~

Dear Professor, At this moment, I have encountered a server error. I send an email to the edX (echni

? <u>Clarification [staff]</u>	2
undertanding expectation of a product E[XY] In some of these formulas, you sometimes have the expectation of a product. Let's say E[X] -	= 2 and E
? solution to part (c) w/o zero means assumption I am confused how the solution to part (c) still works out if the variances are specified but no	4 new_ othing is
? <u>covariance</u> <u>is convariance(x,y) same as covariance (y,x) for non independent X and Y</u>	2
<u>c part</u> <u>Hi! Could somebody help. What does it mean "common variance"? I can't figure out how i sh</u>	ould use
1	+

© All Rights Reserved

