



<u>Course</u> > <u>Unit 5:</u> ... > <u>Lec. 9:</u> ... > 17. Exe...

17. Exercise: From joint PDFs to the marginals

Exercises due Mar 13, 2020 05:29 IST Completed

Exercise: From joint PDFs to the marginals

5/5 points (graded)

For each one of the following formulas, identify those that are always true. All integrals are meant to be from $-\infty$ to ∞ .

$$f_{X,Z}\left(a,b
ight)=\int f_{X,Y,Z}\left(a',b,c
ight)\,da'$$

No 🗸

✓ Answer: No

$$f_{X,Z}\left(a,c
ight)=\int f_{X,Y,Z}\left(a,b,c
ight)\,db$$

Yes

✓ Answer: Yes

$$f_{X,Z}\left(a,b
ight) = \int f_{X,Y,Z}\left(a,b,c
ight) \, dc$$

No 🕶

✓ Answer: No

$$f_{Y}\left(a
ight)=\int\int\int f_{U,V,X,Y}\left(a,b,c,s
ight)\,db\,dc\,ds$$

No 🕶

✓ Answer: No

$$f_{Y}\left(a
ight)=\int\int\int f_{U,V,X,Y}\left(s,c,b,a
ight)\,db\,dc\,ds$$

Yes

✓ Answer: Yes



Solution:

In each case, we need to "integrate out" the arguments associated with random variables that do not appear on the left-hand side. Thus, the correct formulas are:

$$f_{X,Z}\left(a,c
ight)=\int f_{X,Y,Z}\left(a,b,c
ight)\,db$$

and

$$f_{Y}\left(a
ight)=\int\int\int f_{U,V,X,Y}\left(s,c,b,a
ight)\,db\,dc\,ds.$$

Submit

You have used 1 of 1 attempt

1 Answers are displayed within the problem

Discussion

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Topic: Unit 5: Continuous random variables:Lec. 9: Conditioning on an event; Multiple r.v.'s / 17. Exercise: From joint PDFs to the marginals

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<u>Tricky!</u> The differen	ce between questions 4 and 5 is tricky! Reminds me of one of those "spot the difference" car	1
`	about explanation d the rationale of wanting to "integrate out" the term(s) that we are not trying to find the mar	11
-	e difference between the last two equations? of integration does not matter, the last two equations seem identical to me. Am I missing so	3
? Triple Integ	gration le integration question fy(a)= db dc ds Does the order of integration matter? how do we k	3
■ Meaning a ⁿ	<u>'?</u>	1

? Question on notation	
I have a question regarding notation. In integral $\int f(X,Y(i,j))di$ is it assumed that first variable in function f , i	
? <u>da,db,dc notations</u>	2

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