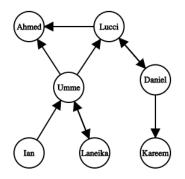
Reminder

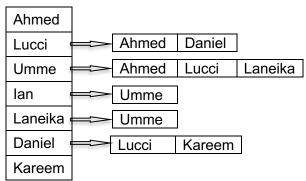
- > The **in-degree** of a vertex is the number of edges leading to that vertex.
- ➤ The **out-degree** of a vertex is the number of edges leading away from that vertex.

EXAMPLE:



Ahmed
In-degree = 2
Out-degree = 0
Umme
In-degree = 2
Out-degree = 3
Daniel
In-degree = 1
Out-degree = 2

Adjacency-list representation:

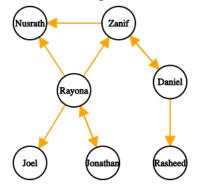


Adjacency-matrix representation:

	Ahmed	Lucci	Umme	lan	Laneika	Daniel	Kareem
Ahmed	0	0	0	0	0	0	0
Lucci	1	0	0	0	0	1	0
Umme	1	1	0	0	1	0	0
lan	0	0	1	0	0	0	0
Laneika	0	0	1		0	0	0
Daniel	0	1	0	0	0	0	1
Kareem	0	0	0	0	0	0	0

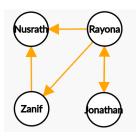
Exercises

1) Give the in-degree and out-degree of each node in the following graph:



	In-degree	Out-degree
Nusrath		
Rayona		
Joel		
Jonathan		
Zanif		
Daniel		
Rasheed		

2) Give the adjacency-list and adjacency-matrix representations for the following graph:



- 3) Given the *adjacency-list* representation of a *directed graph*:
 - a. how would you compute the <u>out-degree</u> of a vertex *v*? (explain the process or algorithm) How long would that take (big-O notation)?
 - b. how would you compute the <u>out-degree</u> of ALL vertices? (explain the process or algorithm) How long would that take (big-O notation)?
 - c. How would you compute the <u>in-degree</u> of a vertex *v*? (explain the process or algorithm) How long would that take (big-O notation)?
 - d. How would you compute the <u>in-degree</u> of ALL vertices? (explain the process or algorithm) How long would that take (big-O notation)?
- 4) Repeat 3 for the adjacency matrix of a directed graph