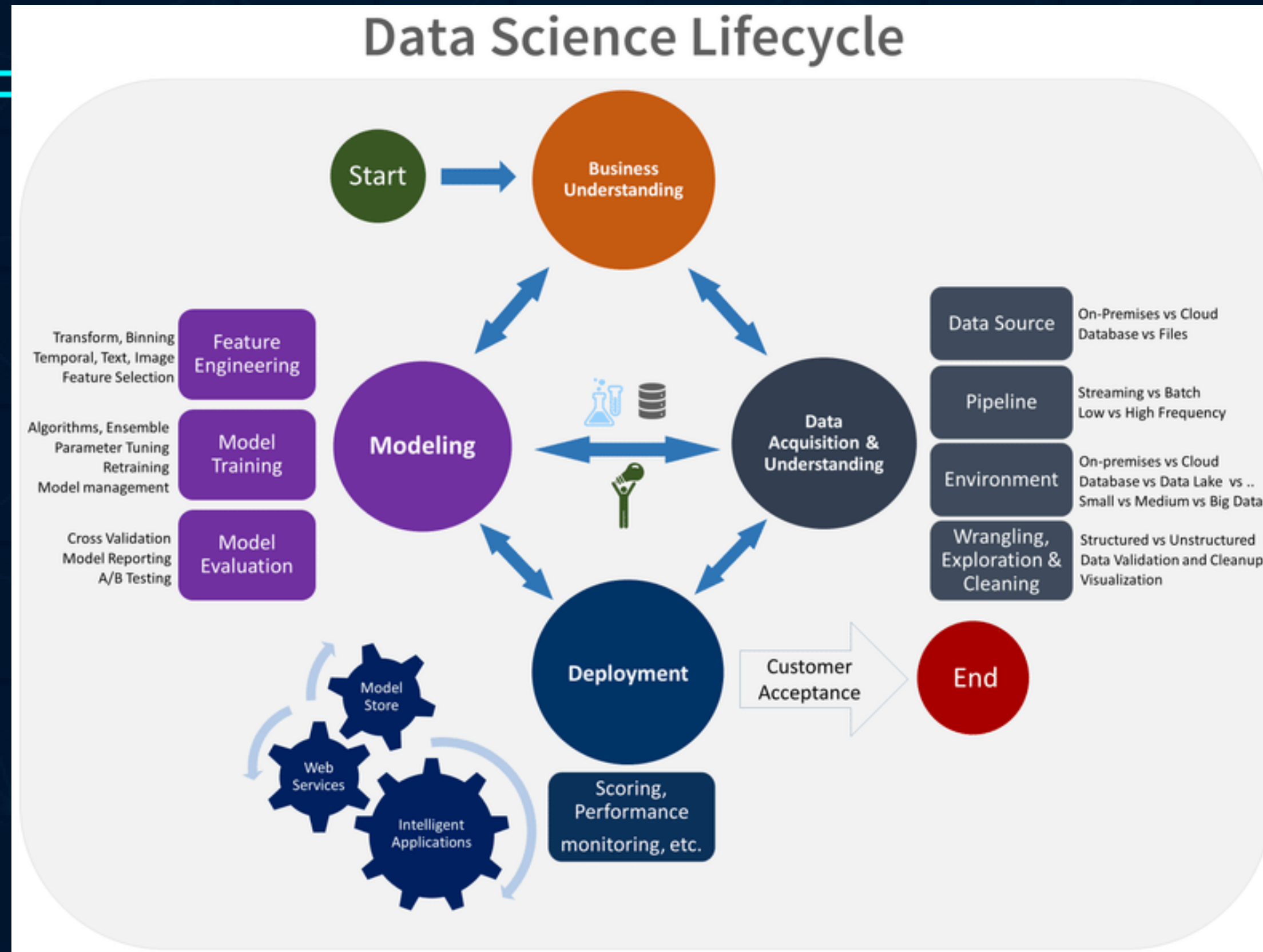


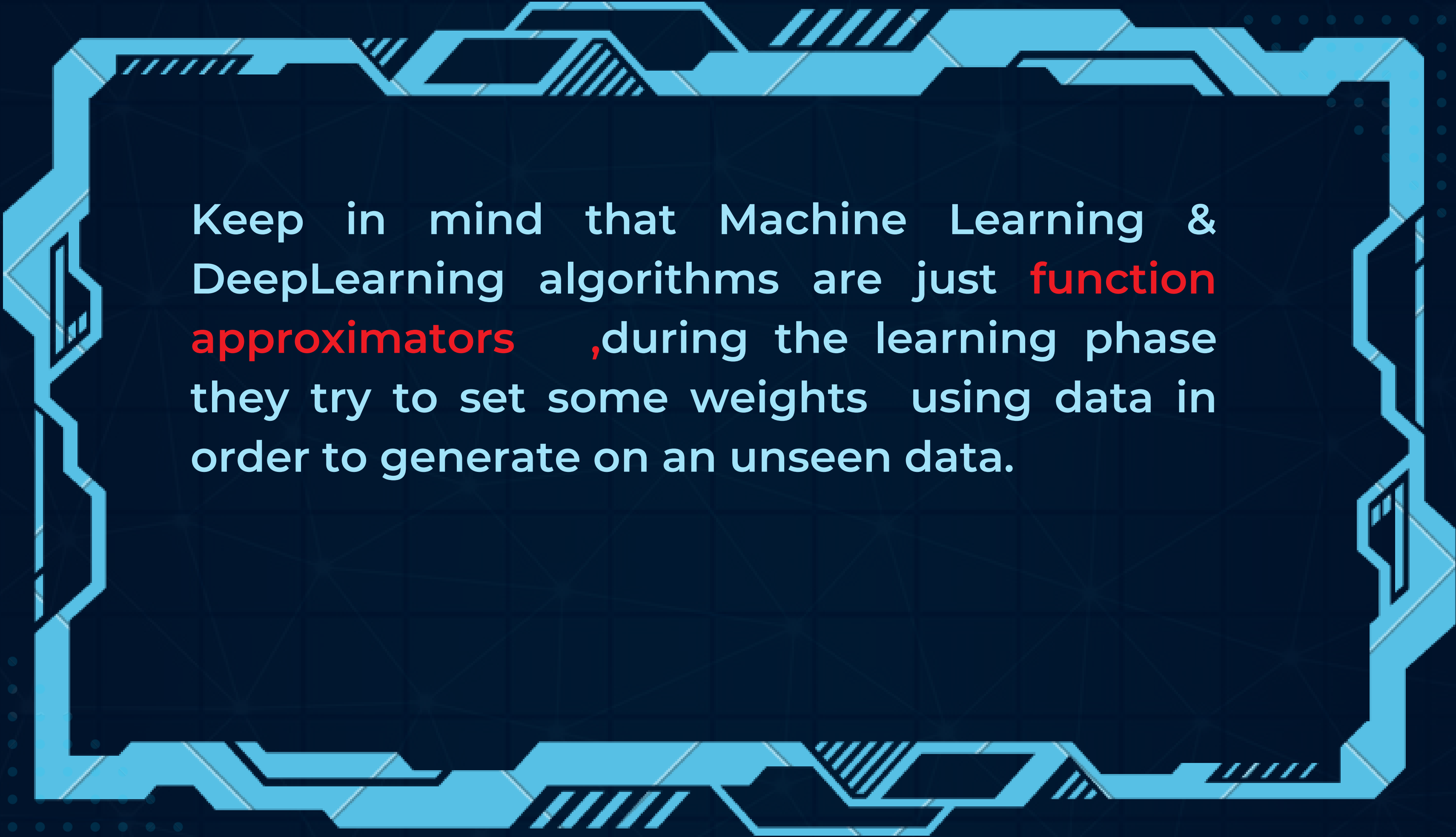
MODELLING

PREPARED BY:
IHEB CHAABANE



RECAP





Keep in mind that Machine Learning & DeepLearning algorithms are just **function approximators** ,during the learning phase they try to set some weights using data in order to generate on an unseen data.

LINEAR REGRESSION :

Linear regression is a supervised algorithm that learns to model a dependent variable, y , as a function of some independent variables (aka "features"), x_i , by finding a line (or surface) that best "fits" the data. In general, we assume y to be some number and each x_i can be basically anything. For example: predicting the price of a house using the number of rooms in that house (y : price, x_1 : number of rooms) or predicting weight from height and age (y : weight, x_1 : height, x_2 : age).



In general, the equation for linear regression is :

$$y = \beta_0 + \beta_1 x_1 + \beta_2 x_2 + \dots + \beta_p x_p + \epsilon$$

the thing we're trying to
predict

features

β_i : the coefficients (aka "**weights**") of our regression model. These are the foundations of our model. They are what our model "**learns**" during optimization.

Fitting a linear regression model is all about **finding the set of coefficients that best model y** as a function of our features. We may never know the true parameters for our model, but we can estimate them (more on this later). Once we've estimated these coefficients, β_i , we predict future values, y_{hat} , as:

$$\hat{y} = \hat{\beta}_0 + \hat{\beta}_1 x_1 + \hat{\beta}_2 x_2 + \dots + \hat{\beta}_p x_p$$

BUT HOW CAN WE BEST ESTIMATE THESE
COEFFICIENTS?

LEARNING THE COEFFICIENTS :

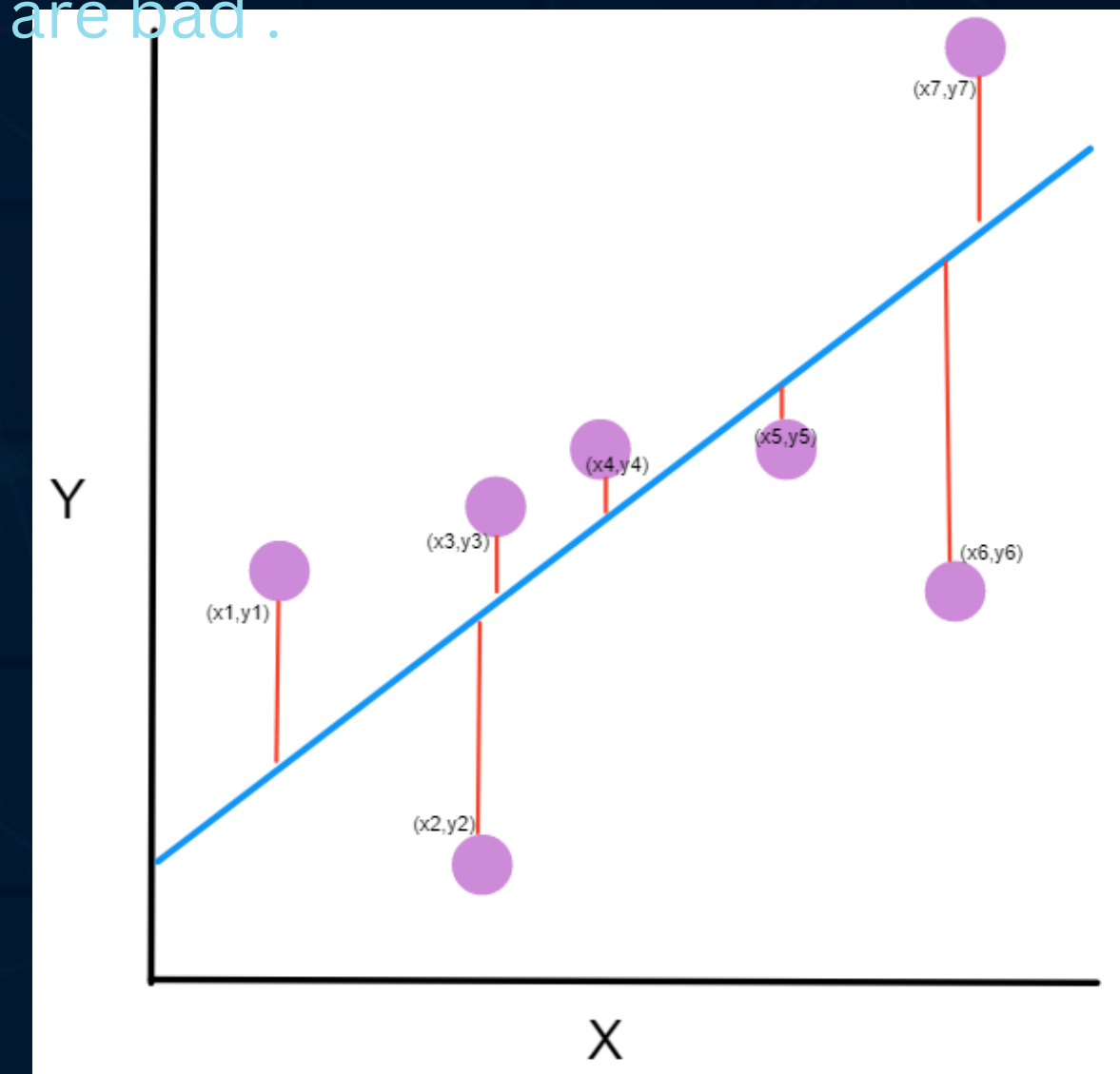
An Iterative Solution : Gradient descent an iterative optimization algorithm that estimates some set of coefficients to yield the minimum of a convex function.

First we need to define an objective function : a **loss function** in our case to minimize in such a way that it increases when the predictions are bad .

MSE: Mean Squared Error :

$$MSE = \frac{1}{n} \sum_{i=1}^n (y_i - \hat{y}_i)^2$$

MSE quantifies how close a predicted value is to the true value.



Or our model take the form

$$\hat{y} = \hat{\beta}_0 + \hat{\beta}_1 x_1 + \hat{\beta}_2 x_2 + \dots + \hat{\beta}_p x_p$$

and then our error function is :

$$MSE = \frac{1}{n} \sum_1^n (y_i - (\hat{\beta}_0 + \hat{\beta}_1 x_1 + \hat{\beta}_2 x_2 + \dots + \hat{\beta}_p x_p))^2$$

gradient descent : repeat until convergence :

$$\beta_i = \beta_i - \alpha \frac{\delta}{\delta \beta_i} MSE$$

learning rate



DIVE DEEPER :

There's a ton of different things we didn't cover. Some of those topics left unmentioned are:

- regularization methods
- selection techniques
- common regression transformations...

we recommend diving deep into the aforementioned topics.

LET'S PRACTICE

Fitting a linear regression model in practice is quite simple :
all we need is the powerfull library sklearn library.

```
from sklearn.linear_model import LinearRegression
from sklearn.model_selection import train_test_split
from sklearn.metrics import r2_score
from sklearn.metrics import mean_squared_error as mse
```

```
#splitting data into train and validation
X_train,X_valid,y_train,y_valid=train_test_split(X,y,test_size=0.2)
```

```
estimator=LinearRegression()
estimator.fit(X_train,y_train)
y_hat=estimator.predict(X_valid)
print(f'MSE ={mse(y_hat,y_valid)}')
print(f'R2 score ={r2_score(y_hat,y_valid)}')
```

**NOW IT'S YOUR TIME TO
TRY!**