

$_ _ (_) _$
 $\underbrace{aa} b$ done.
 $\begin{matrix} \boxed{aaa} \\ abb \\ bbb \end{matrix}$
 $x \downarrow$
 \rightarrow prefix scan.
 maintain $f(x) =$

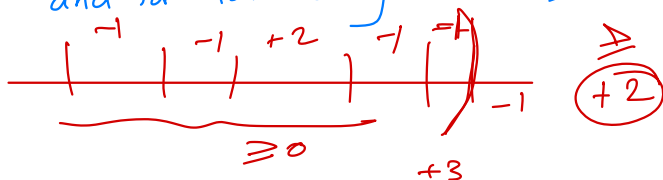
$$2\#b(x) - \#a(x)$$

$$f(0) = 0 \quad \begin{matrix} b & a \\ f(1) = +2 & -1 \end{matrix}$$

$f(x)$ says (is condition satisfied for prefix)

$\begin{matrix} (b) \\ (ab) \\ aab \end{matrix}$

$f(x)$ each step is $+2$ or -1 .
 and for total string $f(L) \geq 0$.



if last $+2$, done.

$\underbrace{+1}_{\geq 0} \quad \begin{matrix} b \\ +2 \\ b \end{matrix} \quad \begin{matrix} a \\ -1 \end{matrix}$

done.

$\underbrace{+2}_{\geq 0} \quad -1 \dots -1 \quad -1 \quad -1$
 have to get a b somewhere

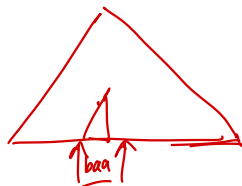
\geq
 $\boxed{+2}$

$b) a \dots a \underline{aa}$

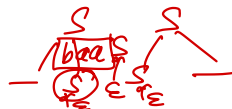
$\dots \boxed{baa} \dots aa$

remove this, w/ condition still satisfied \leftarrow produce remaining string.

consider leftmost production of word



only non-terminal is S .



Hence, proved.

Production: $S \rightarrow bS \mid Sb$
two a, b
one a, one b

ANF.

only leading S is issue.

PDA. 

encounter a \leftarrow add (-) symbol (or) remove (+) symbol

b \leftarrow add two (+) , or remove two (-)
(or remove (-) , add (+))