Лекц 7: Local Operation

Газарзүйн тэнхим, Шинжлэх ухааны сургууль, Монгол Улсын Их Сургууль

2.3 Local Operation

- 2.3.1 Concepts
- 2.3.2 Smoothing
- 2.3.3 Edge detecting
- 2.3.4 Sharpening

- Image Processing Algorithms
 - ✓ Point operation
 - ✓ Local operation
 - ✓ Total operation
 - ✓ Algebraic operation
 - ✓ Geometric operation

Local Operation

- ✓ Gray-level value of an output pixel is calculated not only by the gray-level value of the relevant input pixel but also the gray-level values of neighborhood pixels.
- Point Operation (for comparing)
 - ✓ Gray-level value of an output pixel is calculated only by the gray-level value of the relevant input pixel.

• Filters

- ✓ In digital signal processing, local operation relates to filters.
- ✓ Filters are optimal for doing a specific job by reducing the amplitude of some frequency components of a digital signal.
 - Low-pass filtering
 - High-pass filtering
 - Band-pass filtering

• Filtering of digital signals

- > Low-pass
 - To reduce the amplitude of high-frequency component of a digital image.
 - To reduce visible effects of noise and rigid edges of objects in an image.
- High-pass
 - To reduce the amplitude of low-frequency component of a digital image.

- How to do local operation
 - A small matrix of coefficients will be used to multiply neighborhood gray-level values.
 - Names of the coefficient matrix
 - Kernel
 - Operator

- How to do local operation
 - > Kernel
- To do filtering
- Operator
 - To do edge detection
- Template
 - To do template matching
- Different kernels give different filtering effects (low-pass, high-pass, etc.), so coefficients in a kernel can be designed depending on the desired filtering result.

- Purposes of local operation
 - Smoothing
 - To blur or smooth images.
 - Low-pass.
 - > Edge detection
 - To extract edges and textures.
 - High-pass.
 - Sharpening
 - To outline (enhance) edges and textures.

2.3.2 Smoothing

- Purposes of smoothing
 - > To blur digital images.
 - To eliminate unknown noises in images.
 - To diminish spurious effects that may be present in a digital image as a result of a poor sampling system of transmission channel.

2.3.2 Smoothing

- Smoothing implementation
 - Smoothing techniques are in both the spatial (local operation) and frequency (total operation) domains where spatial domain is the natural form of an image.
 - Smoothing aims to suppress noise or other small fluctuations in the image where it is equivalent to suppressing high frequencies in the frequency domain.

2.3.2 Smoothing

- Common Algorithms of Smoothing
 - Average filter
 - > Median filter

• 3x3 Average Filter

$$O(X,Y) = \frac{1}{9}(I(X-1,Y-1)+I(X,Y-1)+I(X+1,Y+1) + (I(X-1,Y)+I(X,Y)+I(X+1,Y) + I(X-1,Y+1)+I(X,Y+1)+I(X+1,Y+1))$$

- Kernel

Suppose a16 × 16 image.

- Use 3 × 3 average filter.
- The kernel is

• Result as right

- Suppose a 16 × 16 image.
- With some noises.

- Use 3 × 3 average filter.
- The kernel is

• Result as right

- 5 × 5 Average Filter
 - Kernel

```
      [1/25 1/25 1/25 1/25 1/25]
      [1 1 1 1 1 1]

      [1/25 1/25 1/25 1/25 1/25]
      [1 1 1 1 1 1]

      [1/25 1/25 1/25 1/25 1/25]
      [1 1 1 1 1 1]

      [1/25 1/25 1/25 1/25 1/25]
      [1 1 1 1 1 1]

      [1/25 1/25 1/25 1/25]
      [1 1 1 1 1]
```

Median Filter

- Use median value of neighborhood pixels but not average value of average filter.
- Purpose
 - ✓ To eliminate noises but do not blur the image.

Median Filter

- Suppose a 16 × 16 image.
- With some noises.

Median Filter

- Use 3 × 3 median filter.
- Result as right.

- Edge detection might be the first step of image segmentation and image understanding.
- Concepts
 - Image segmentation
 - Image understanding

- An edge is a sharp discontinuity in gray-level profile. It is specified by its magnitude and its direction.
- Edge
 - Magnitude
 - Direction

• Edge detection is a difference operation in local neighborhood of current pixel.

- Mathematics
 - Continuous function
 - Calculate differential to find edge
 - Discrete function (digital signal or image)
 - Calculate difference to find edge

• Definition of differential for digital image

$$\Delta_X I(X,Y) \equiv I(X,Y) - I(X-1,Y)$$

$$\Delta_Y I(X,Y) \equiv I(X,Y) - I(X,Y-1)$$

• or

$$\Delta_X I(X,Y) \equiv I(X+1,Y) - I(X-1,Y)$$

$$\Delta_Y I(X,Y) \equiv I(X,Y+1) - I(X,Y-1)$$

Differential kernels

• Prewitt operator

```
  \begin{bmatrix}
    1 & 0 & -1 \\
    1 & 0 & -1 \\
    1 & 0 & -1
  \end{bmatrix}
  \begin{bmatrix}
    1 & 1 & 1 \\
    0 & 0 & 0 \\
    -1 & -1 & -1
  \end{bmatrix}
```

Sobel operator

```
\begin{bmatrix}
1 & 0 & -1 \\
2 & 0 & -2 \\
1 & 0 & -1
\end{bmatrix}

\begin{bmatrix}
1 & 2 & 1 \\
0 & 0 & 0 \\
-1 & -2 & -1
\end{bmatrix}
```

Laplacian operator

2.3.4 Sharpening

• To draw outline of objects in an image.

- Principle
 - ➤ Source image + edge detecting result.
 - > Kernel example

2.3.4 Sharpening

Embossing