MUAMMOLI MASALA VA TOPSHIRIQLAR:

- 1. Quyidagi bul funksiyalari uchun qiymatlar jadvalini tuzing:
 - 1) $f(x,y,z)=((x\rightarrow z)y')\rightarrow x';$
 - 2) $f(x,y,z)=((x \lor y') \rightarrow z)((x|y) \leftrightarrow z');$
 - 3) $f(x,y,z)=x'\rightarrow (x\leftrightarrow (y+(xz)));$
 - 4) $f(x,y,z)=((((x/y)\downarrow z)|y)\downarrow z);$
 - 5) $f(x,y,z)=((x\rightarrow (y\lor z))(yz)')\rightarrow x$.

Yechim: 5) $f(x,y,z) = ((x \rightarrow (y \lor z))((yz)') \rightarrow x$ bul funksiyasi uchun qiymatlar jadvalini tuzamiz: $a) x \rightarrow (y \lor z), b) (x \rightarrow (y \lor z))(yz)'$ deb belgilaymiz.

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X	У	Z	$y \lor z$	а	уz	(yz)'	b	f
0	0	0	0	1	0	1	1	1
0	0	1	1	1	0	1	1	1
0	1	0	1	1	0	1	1	1
0	1	1	1	1	1	0	0	0
1	0	0	0	0	0	1	0	0
1	0	1	1	1	0	1	1	0
1	1	0	1	1	0	1	1	0
1	1	1	1	1	1	0	0	0

- 2. Tegishli qiymatlar jadvalini tuzib, bul funksiyalarining teng yoki teng emasligini tekshiring:
- 1) $f(x,y,z)=((x \lor y) \lor z) \rightarrow ((x \lor y)(x \lor z)), \quad g(x,y,z)=x \lor (y \leftrightarrow z);$
- 2) $f(x,y,z)=(x'\vee y)(y\vee z)$, $g(x,y,z)=(x\vee y\vee z)(x'\vee y\vee z)(x'\vee y\vee z')$;
- 3) $f(x,y,z)=(x\rightarrow y)\rightarrow z)$, $g(x,y,z)=x\rightarrow (y\rightarrow z)$;
- 4) $f(x,y)=((x+y)\rightarrow(x\vee y))((x'\rightarrow y)\rightarrow(x+y)), \quad g(x,y)=x/y;$
- 5) $f(x,y,z)=(x+y)' \lor (x+z)'$, g(x,y,z)=xyz+x'y'z.

Yechim: 5) f va g funksiyalarining qiymatlar jadvalini tuzamiz:

$$f(x,y,z)=(x+y)'\vee(x+z)'$$

x y z	x+y ((x+y)' $x+z$	(x+z)	f(x,y,z)
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0	0	0	0	1	0	1	1
0	0	1	0	1	1	0	1
0	1	0	1	0	0	1	1
0	1	1	1	0	1	0	0
1	0	0	1	0	1	0	0
1	0	1	1	0	0	1	1
1	1	0	0	1	1	0	1
1	1	1	0	1	0	1	1

g(x,y,z)=xyz+x'y'z'

X	y	\overline{z}	xy	xyz	<i>x</i> '	<i>y</i> '	z'	<i>x'y'</i>	x 'y 'z '	g(x,y,z)
0	0	0	0	0	1	1	1	1	1	1
0	0	1	0	0	1	1	0	0	0	0
0	1	0	0	0	1	0	1	0	0	0
0	1	1	0	0	1	0	0	0	0	0
1	0	0	0	0	0	1	1	0	0	0
1	0	1	0	0	0	1	0	0	0	0
1	1	0	1	0	0	0	1	0	0	0
1	1	1	1	1	0	0	0	0	0	1

$$f(0,0,1) \neq g(0,0,1)$$
, $f(0,1,0) \neq g(0,1,0)$, $f(1,0,1) \neq g(1,0,1)$, $f(1,1,0) \neq g(1,1,0)$. Demak, $f(x,y,z) \neq g(x,y,z)$.

- **3.** Amallarni kon'yunksiya (.) va inkor (') amallari yordamida ifodalang:
 - 1) diz'yunksiya (\vee); 2) implikasiya (\rightarrow);
- - 3) ekvivalentlik (↔);4) Jegalkin yigʻndisi (+);
 - 5) Sheffer shtrixi (|);
- 6) Pirs strelrasi (↓);