AIGS1003 - Machine Learning Assignment 1

Loyalist College of applied arts and technology Submitted by: Ilan Goldfarb Submitted to: Professor Babatunde Giwa, PhD

Question 1

Bayes' theorem:

$$P(Y|X) = \frac{P(X|Y)P(Y)}{P(X)}$$

In our case:

1. The Naive Bayes' assumption is that every variable is conditionally independent:

$$P(sunny|"a\ cone\ of\ ice\ cream")\ =\ \frac{P("a\ cone\ of\ ice\ cream"|sunny)P(sunny)}{P("a\ cone\ of\ ice\ cream")}$$

$$P\Big(sunny|"a\ cone\ of\ ice\ cream"\Big) = P(a|sunny)P(cone|sunny\Big)P(of|sunny\Big)P(ice|sunny\Big)P(cream|sunny\Big)P(sunny)P(sun$$

2. The same goes for our second case:

$$P\Big(\textit{rainy} | \texttt{"a cop of coffee"} \Big) = \frac{P\Big(\texttt{"a cop of hot coffee"} | \textit{rainy} \Big) P\big(\textit{rainy} \Big)}{P\Big(\texttt{"a cop of hot coffee"} \Big)}$$

$$P\Big(rainy|"a\ cop\ of\ coffee"\Big) = P\Big(a|rainy\Big)P\Big(cop|rainy\Big)P\Big(of|rainy\Big)P\Big(hot|rainy\Big)P\Big(coffee|rainy\Big)P\Big(rainy\Big)P\Big(rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(hot|rainy\Big)P\Big(ho$$

The probability of both events occurring under the Naive Bayes assumptions is equal. This is because the probability of occurrence of each data point in the data set is equal, and thus the result of our equation is equal.

Sources:

1. I spoke with Mr. Rohit Lovers from AIGS 1003 Machine Learning class, Loyalist College, we tried to understand the python program together. (2023, Oct 7).

References:

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Wikipedia. (2023, October 6) Bayes' theorem. In Wikipedia. https://en.wikipedia.org/wiki/Bayes%27_theorem