

**LAPORAN PRAKTIKUM
METODE NUMERIK**

Responsi 1: Galat, SPL, Pers. Non Linier



DISUSUN OLEH

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**PROGRAM STUDI INFORMATIKA
FAKULTAS MIPA
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- Kasus 1

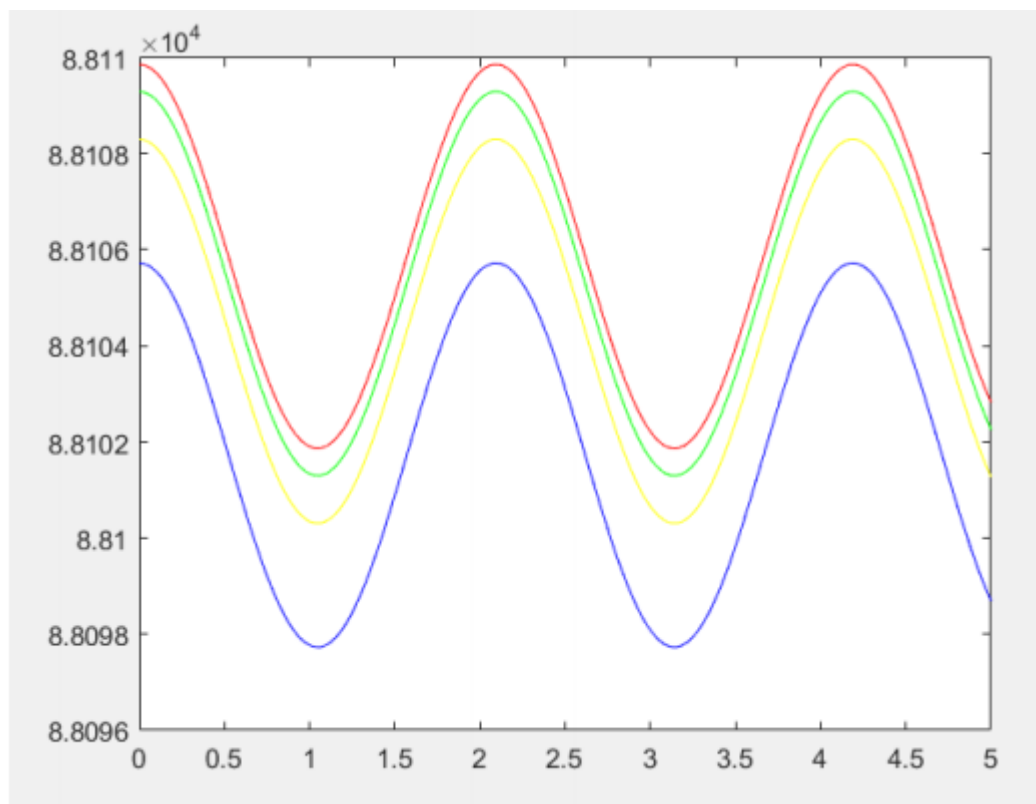
a. Source Code

```
D:\UNS\Materi Kuliah\Sem 3\Metode Numerik\Praktikum\Responsi\Responsi1_M051053_Kalya Azalia Deann\kasus1.m

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1 % Kalya Azalia Deann (M0519053);
2
3 function f = factorial(m)
4     f = 1;
5     for i = m:-1:1
6         f = f*i;
7     end
8
9 function e = exponent(x,n)
10    e = 1;
11    for i = 1:n
12        e = e + (x^i/factorial(i));
13    end
14
15 function c = cosine(x,n)
16    c = 1;
17    for i = 1:n
18        c = c + ((-1).^i) * (x.^(2*i))/factorial(2*i);
19    end
20
21    x = 0:0.01:5;
22    f = 4*(cos(3*x)+exp(10));
23    y = 4*(cosine(3*x,24)+exponent(10,24));
24    z = 4*(cosine(3*x,25)+exponent(10,25));
25    w = 4*(cosine(3*x,26)+exponent(10,26));
26    plot(x,f,'r',x,y,'b',x,z,'y',x,w,'g');
```

b. Output Program



- Kasus 2
 - a. Source Code

```

1 % Kalya Azalia Deann (M0519053);
2
3 function x = EliminasiGaussJordan(A,b)
4     n = size(A,1);
5
6     for i = 1:n-1
7         for h = i+1:n
8             m = A(h,i)/A(i,i);
9             A(h,:) = A(h,:) - m*A(i,:);
10            b(h,:) = b(h,:) - m*b(i,:);
11        end
12    end
13
14    for i = n:-1:2
15        for h = i-1:-1:1
16            m = A(h,i)/A(i,i);
17            A(h,:) = A(h,:) - m*A(i,:);
18            b(h,:) = b(h,:) - m*b(i,:);
19        end
20    end
21
22    for i = 1:n
23        x(i,:) = b(i,:)/A(i,i);
24    end

```

- b. Output Program

```

>> A = [1,0.5,0.025,0; 0.8,0.05,3.5,1; 0.2,2.5,0.5,1.5; 0,0.3,0.7,1.2]

A =

    1.000000000000000    0.500000000000000    0.025000000000000         0
    0.800000000000000    0.050000000000000    3.500000000000000    1.000000000000000
    0.200000000000000    2.500000000000000    0.500000000000000    1.500000000000000
         0    0.300000000000000    0.700000000000000    1.200000000000000

>> b = [18000; 49000; 46500; 17600]

b =

    18000
    49000
    46500
    17600

>> EliminasiGaussJordan(A,b)

ans =

    1.0e+04 *

    1.172442463748836
    1.208194758547294
    0.938406279100705
    0.617214314221099

```

- Kasus 3

a. Source Code

```

1 % Kalya Azalia Deann (M0519053);
2
3 function m = RegulaFalsi(f,a,b,n,J)
4     format long
5     fa = f(a);
6     fb = f(b);
7
8     if (fa*fb > 0.0)
9         error('Tidak ada akar')
10    end
11
12    for i = 1:n
13        m = (fb*a - fa*b)/(fb - fa);
14        fprintf('%3.0f %10.6f %10.6f', i,a,b);
15        fprintf('%10.6f %10.6f %10.6f %12.3e\n', m,fa,fb,abs(y));
16
17        if (abs(y) <= J)
18            break;
19        end
20
21        if (fa*y < 0)
22            b = m;
23        else
24            a = m;
25        end
26    end
  
```

b. Output Program

```

>> f = inline('h^3-30*h^2+600/pi')

f =

    Inline function:
    f(h) = h^3-30*h^2+600/pi

>> RegulasiFalsi(f,1,3,100,0.0001)

1   1.000000   3.000000   2.513887   161.985932  -52.014068   1.728e+01
2   2.513887   3.000000   2.881847   161.985932  -52.014068   3.423e+01
3   2.513887   2.881847   2.792412   161.985932  -52.014068   2.117e+01
4   2.513887   2.792412   2.724715   161.985932  -52.014068   1.151e+01
5   2.513887   2.724715   2.673472   161.985932  -52.014068   4.329e+00
6   2.513887   2.673472   2.634684   161.985932  -52.014068   1.028e+00
7   2.634684   2.673472   2.664044   161.985932  -52.014068   3.021e+00
8   2.634684   2.664044   2.656908   161.985932  -52.014068   2.033e+00
9   2.634684   2.656908   2.651506   161.985932  -52.014068   1.287e+00
10  2.634684   2.651506   2.647417   161.985932  -52.014068   7.234e-01
11  2.634684   2.647417   2.644322   161.985932  -52.014068   2.970e-01
12  2.634684   2.644322   2.641980   161.985932  -52.014068   2.540e-02
13  2.641980   2.644322   2.643753   161.985932  -52.014068   2.186e-01
14  2.641980   2.643753   2.643322   161.985932  -52.014068   1.593e-01
15  2.641980   2.643322   2.642996   161.985932  -52.014068   1.144e-01
16  2.641980   2.642996   2.642749   161.985932  -52.014068   8.043e-02
17  2.641980   2.642749   2.642562   161.985932  -52.014068   5.470e-02
18  2.641980   2.642562   2.642420   161.985932  -52.014068   3.523e-02
19  2.641980   2.642420   2.642313   161.985932  -52.014068   2.050e-02
20  2.641980   2.642313   2.642232   161.985932  -52.014068   9.341e-03
21  2.641980   2.642232   2.642171   161.985932  -52.014068   8.975e-04
22  2.641980   2.642171   2.642124   161.985932  -52.014068   5.494e-03
23  2.642124   2.642171   2.642160   161.985932  -52.014068   6.559e-04
24  2.642160   2.642171   2.642168   161.985932  -52.014068   5.199e-04
25  2.642160   2.642168   2.642166   161.985932  -52.014068   2.341e-04
26  2.642160   2.642166   2.642164   161.985932  -52.014068   1.781e-05

ans =

    2.642164430110411
  
```