P(p1, p2, ... pn), Q(q1, q2, ... qn) - nounagnement appit ... + an py = B a,9,+ ... +a,9,5 ≤ B  $\chi(x_1,...x_n) \in PQ \Rightarrow \chi_i = \lambda g_i + (1-\lambda)p_i$   $\alpha_1 p_1 + ... + \alpha_n p_n \leq \beta \quad \chi(1-\lambda)$   $\alpha_1 q_1 + ... + \alpha_n q_n \leq \beta \quad \chi\lambda$  $a_1(p_1(1-\lambda)+q_1\lambda)+...+a_n(p_n(1-\lambda)+q_n\lambda) \leq b(1-\lambda)+b\lambda$  $\alpha_1 \alpha_1 + \dots + \alpha_n \alpha_n \leq \beta - \beta \beta + \beta \beta = \beta = \lambda \lambda n \beta n \alpha \alpha \alpha \alpha \alpha \alpha \beta n \beta - \beta \beta$ Доказательство Теоремы 7 (раздел 1.7) 1) Tige 76 onthu. Torka - Buytpu muoroyz.  $\frac{\partial x}{\partial x} = \frac{\partial x}{\partial x} = \dots = \frac{\partial x}{\partial x} = 0$ Z=C121+ .. + Cn2n  $C_1 = C_2 = ... = C_n = 0 = > 2 = 0$  report bope rue 2) Cu-10, Onnu porta rencut ua paruse Tyco X\*(x\*, ..., x\*) - He be pulled => X\*EPQ  $\alpha_i = \beta_i + (1 - \lambda) p_i, P(p_1, p_n), Q(q_1, q_n)$  $2(X^*) = M$ , 2(P) < M, 2(Q) < M $M=2(x^*)=c_1x_1^*+...+c_nx_n^*=c_1(\lambda q_1+(1-\lambda)p_1)+...+$  $+ C_{n}(\eta q_{n} + (1-\eta)p_{n}) = \lambda(c_{1}q_{1} + ... + \lambda_{n}q_{n}) + (1-\eta)(c_{1}p_{1} + ... + c_{n}p_{n}) =$  $= \lambda 2(Q) + (1-\lambda) 2(P) < \lambda M + (1-\lambda) M = \lambda M + M - \lambda M = M$ =>M<M-mportboperue => X\*-bepunns Пример 2 (раздел 1.8)  $\angle =50x_1+40x_2 \rightarrow \max$  $2x_1 + 5x_2 \leq 20$  $8x_1 + 5x_2 \leq 40$ 5 oc, + 6 oc2 < 30  $(x_1, x_2 \ge 0)$ Решение 2.0+5.0 £20 bepur (1)  $2x_1 + 5x_2 = 20$  $\mathcal{X}_{j}$ 8.0+5.0 £40 Bepus 5.0+6.0 = 30 Bepus (2)  $8x_1 + 5x_2 = 40$  $\frac{x_1 \setminus 0 \setminus 5}{x_2 \mid 8 \mid 0}$ (3)  $5x_1 + 6x_2 = 30$  $\frac{x_1}{x_2} = \frac{0}{5}$ gradz=(50;40)  $\bar{N} = \frac{37002}{10} = (5,4)$ may:  $(2) \cap (3)$ 821+522=40 X5 1500, +600,=30 ×8 -2302 =-40  $x_2 = \frac{40}{23}$   $x_1 = \frac{40 - 5 \cdot \frac{40}{23}}{8} = \frac{520 - 200}{184} = \frac{720}{184} = \frac{90}{23}$  $2_{\text{max}} = 2(\frac{90}{23}, \frac{40}{23}) = 50 \frac{90}{13} + 40 \frac{40}{23} = \frac{6100}{23}$ Пример (раздел 1.9)  $Z = 43c_1 + 2x_2 + x_4 \rightarrow max$  $2x_{1} + x_{2} + x_{3} = 14$  $\mathfrak{X}_2 + \mathfrak{I}\mathfrak{C}_4 = 8$  $\chi_1 + \chi_2 - \chi_7 = 4$  $2x_1 - 3x_2 + x_6 = 6$ (30, 30, i = 1.6)Решение  $x_3 = 14 - 2x_1 - x_2 \ge 0$ 2 1 1 0 0 0 14  $x_4 = 8 - x_2 > 0$ 0x=104+4x,+x>0 2-3 0 0 0 1 2-3000116/  $x_6 = 6 - 2x_1 + 3x_2 = 0$  $2 = 4x_1 + 2x_2 + 8 - x_2 = 8 + 4x_1 + x_2 \rightarrow max$ 2x1+02=14  $x_2 \leq 8$ 1 x,+x,>4 2x, -3x, =6  $x_1, x_2 \geqslant 0$ (1) 2x, +x2=14 2.0+0=14 Bepus X1 0 7 X2 14 0 058 Bepus 0+0>4 re Bepro 2.0-3.0=6 bepro (2)  $I_2 = 8$ x 8 8 (S)  $(3) x_1 + x_2 = 4$  $\frac{x_1}{x_2} \frac{0}{4} \frac{4}{0}$ (4)  $2x_1 - 3x_2 = 6$  $\frac{x_1 | 0 | 3}{x_2 | -2 | 0}$ gradz= (4;1) max: (1) N(4) 12x,+ x2=14  $2x_1 - 3x_2 = 6$ 42=8  $x_2 = 2$   $x_1 = \frac{14 - x_2}{2} = \frac{14 - 2}{2} = 6$ Zmax=2(6;2)=8+4.6+2=34  $x_3 = 14 - 2 \cdot 6 - 2 = 0$ 24=8-2=6 25=-4+6+2=4  $x_6 = 6 - 2 \cdot 6 + 3 \cdot 2 = 0$  $2 \max = 2(6, 2, 0, 6, 4, 0) = 34$ Created with IDroo.com

Доказательство Теоремы 6 (раздел 1.7)