

# Hands-on tutorial: making (up) an AI training database

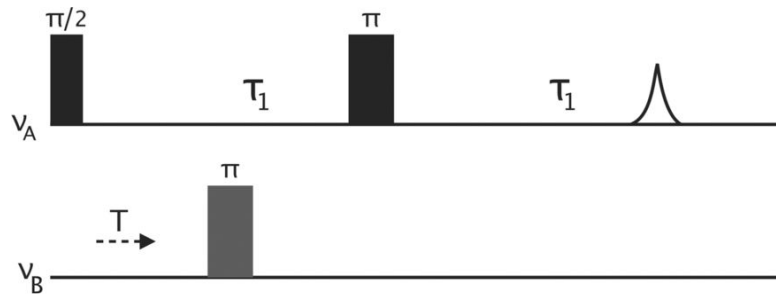
*NMR/EPR simulation tools are very accurate – just sprinkle some noise and instrumental artefacts*

Prof Ilya Kuprov, Weizmann Institute of Science, 2025

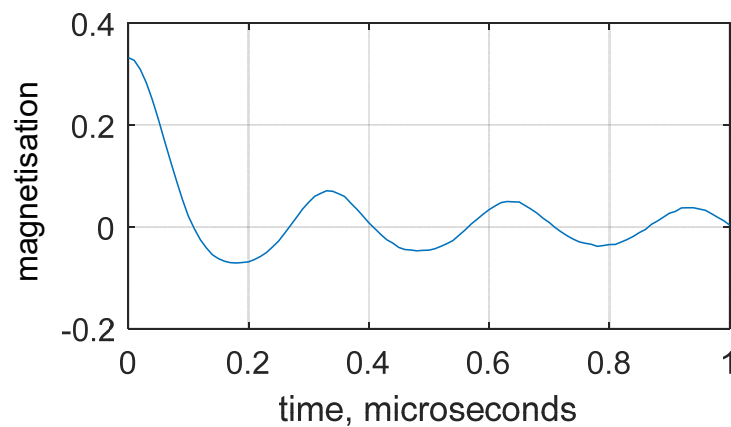
For all lecture notes and video records see <https://spindynamics.org>

# Double electron-electron resonance

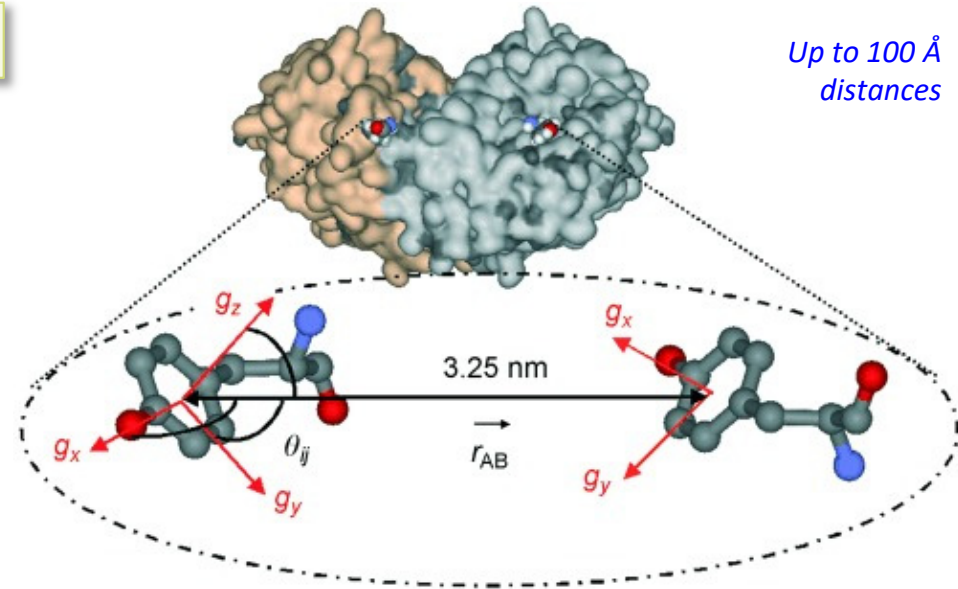
Echo modulation by dipolar coupling:



+ many technical refinements.

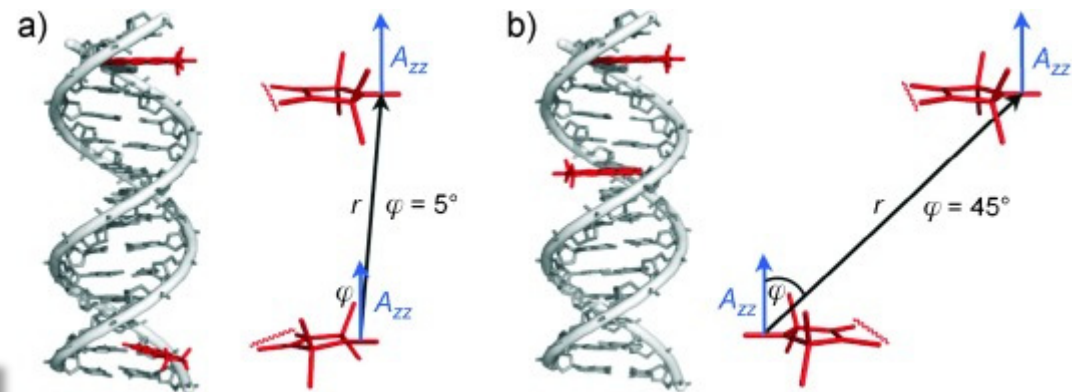


+ much statistics and DSP work.



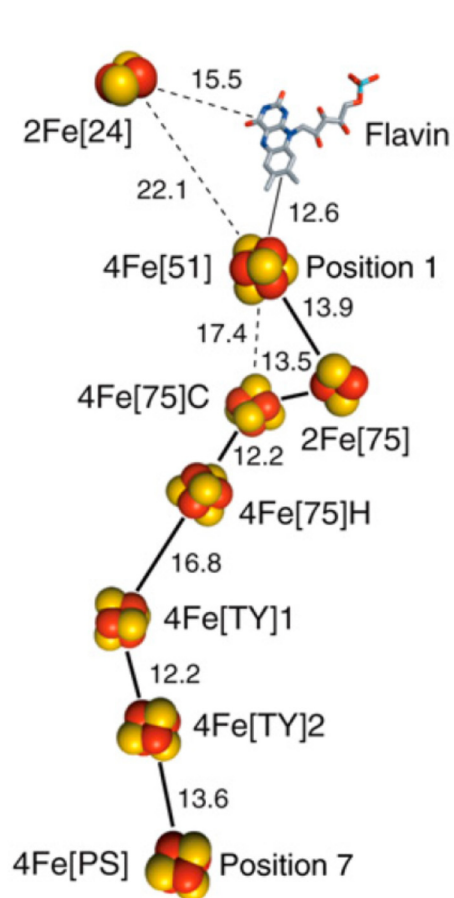
Up to 100 Å distances

V. Denysenkov, D. Biglino, W. Lubitz, T.F. Prisner, M. Bennati - 2008



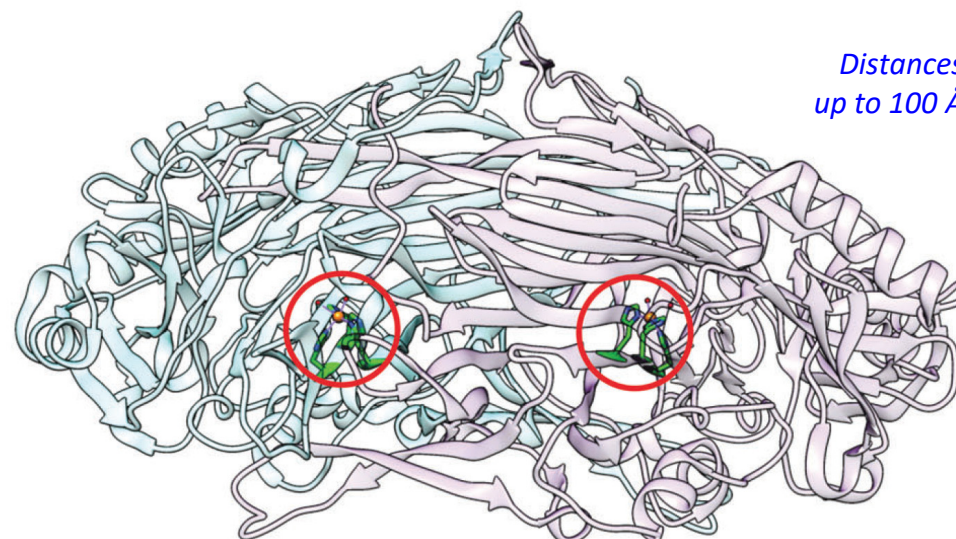
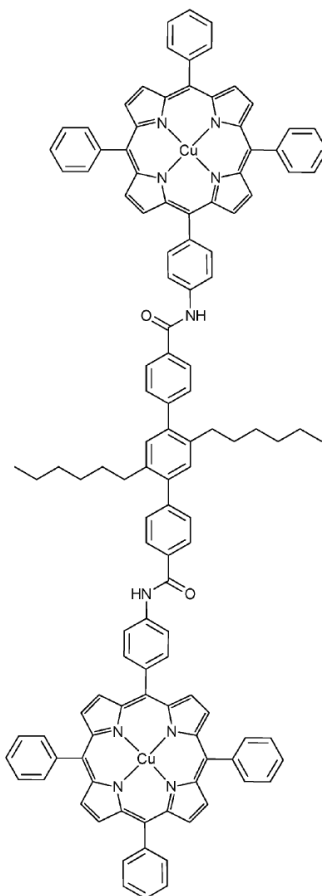
O. Schiemann, P. Cekan, D. Margraf, T.F. Prisner, S.Th. Sigurdsson - 2009

# Double electron-electron resonance

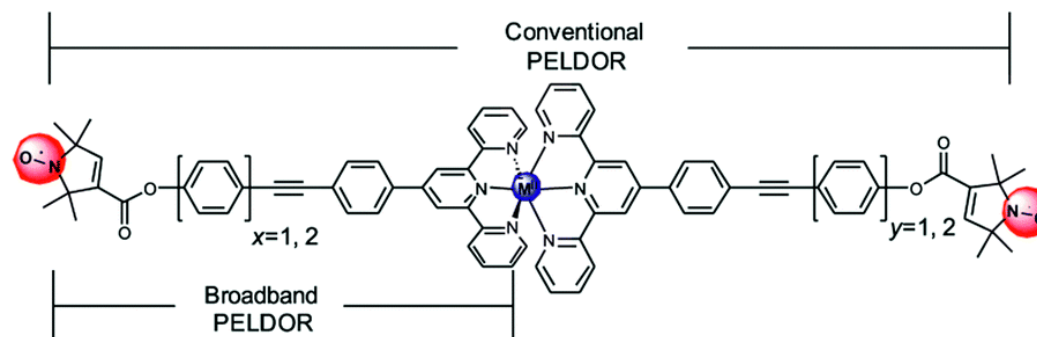


M.M. Roessler, M.S. King, A.J. Robinson, F.A. Armstrong, J. Harmer, J. Hirst – 2009

J.E. Lovett, A.M. Bowen, C.R. Timmel, M.W. Jones, J.R. Dilworth, D. Caprotti, S.G. Bell, L.L. Wong, J. Harmer - 2009



A.M. Bowen, M.W. Jones, J.E. Lovett, T.G. Gaule, M.J. McPherson, J.R. Dilworth, C.R. Timmel, J.R. Harmer - 2016



A. Giannoulis, K. Ackermann, P.E. Spindler, C. Higgins, D.B. Cordes, A.M.Z. Slawin, T.F. Prisner, B.E. Bode - 2018

# Double electron-electron resonance

For two spin  $\frac{1}{2}$  particles at a specific distance, in the  $\Delta\omega \gg D$  limit:

$$\gamma(r, t) = \sqrt{\frac{\pi}{6Dt}} \left( \cos[Dt] \underset{\substack{\text{Fresnel function}}}{\text{FrC}} \left[ \sqrt{\frac{6Dt}{\pi}} \right] + \sin[Dt] \underset{\substack{\text{dipole coupling (depends on distance)}}}{\text{FrS}} \left[ \sqrt{\frac{6Dt}{\pi}} \right] \right)$$

Add a distance distribution:

$$\int p(r) \gamma(r, t) dr$$

*distance density*

Add imperfect pulses:

$$(1 - \mu) + \mu \int [\dots] dr$$

*modulation depth*

Add finite concentration:

$$[\dots] \exp[(-kt)^{N/3}]$$

*background decay*      *magic number*

With ensemble effects, concentration effects, and instrumental noise:

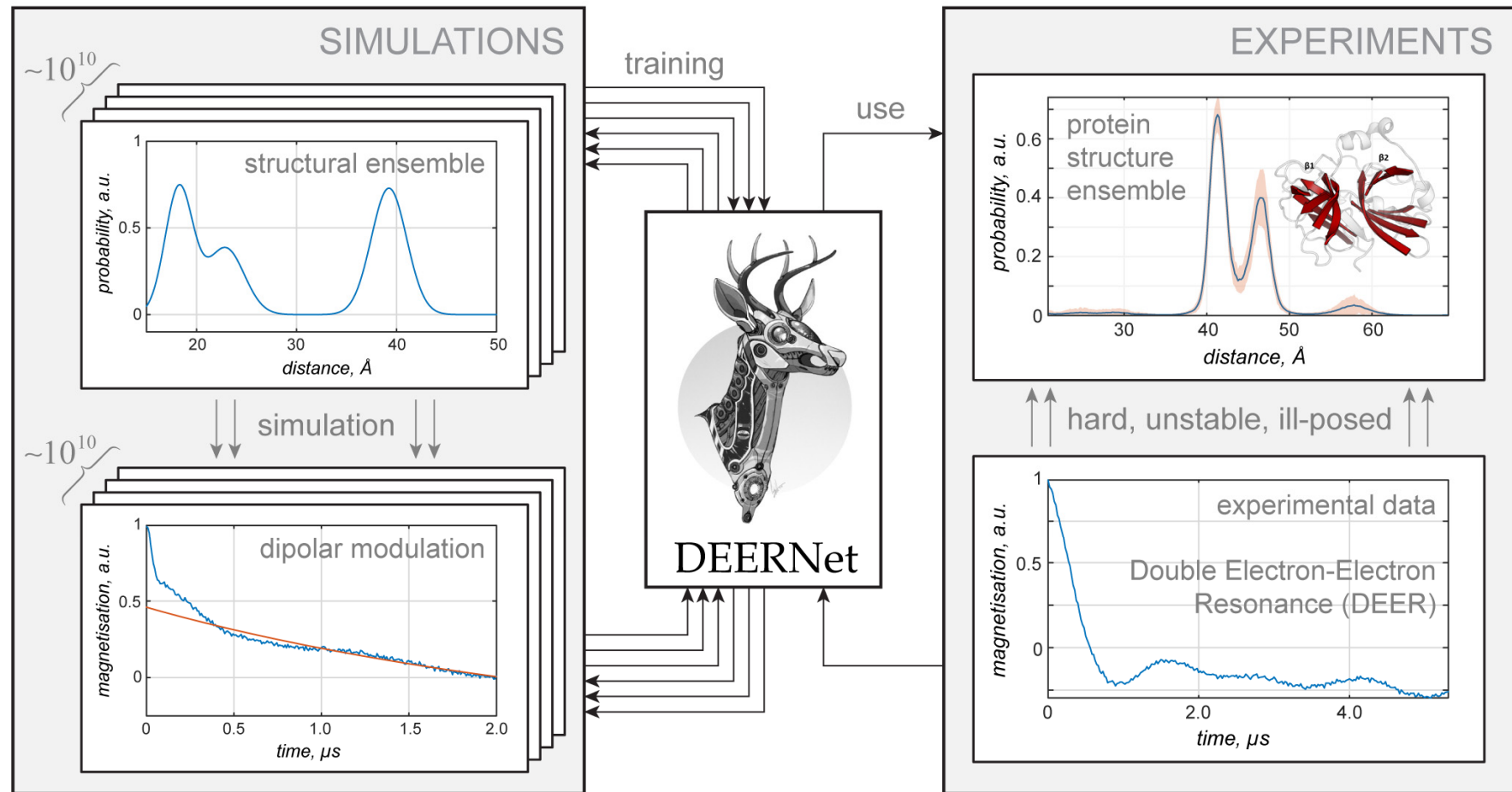
$$\left[ (1 - \mu) + \mu \int \underset{\substack{\text{distance distribution}}}{p(r)} \gamma(r, t) dr \right] \exp[(-kt)^{N/3}] + n(t) = \underset{\substack{\text{being measured}}}{s(t)}$$

*modulation depth*      *distance distribution*      *kernel*      *overall decay*      *effective dimension*      *noise*

Fredholm integral equation of the second kind

# Training set generation

Not enough DEER data in the world. Try to train a neural net on simulations?



“Hmm... this creates effectively an infinite training dataset!” – Jake Keeley