

# Analysis strategy

**Anders Kaestner :: Laboratory for Neutron Scattering and Imaging**



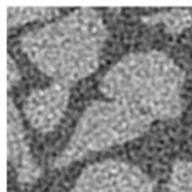
**1 Introduction****2 Workflow****3 How good is my processing?**

# Introduction

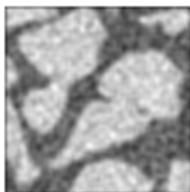
The past lectures we have learnt how to

- Acquire
- Process
- Extract information

Aquisition



Enhancement



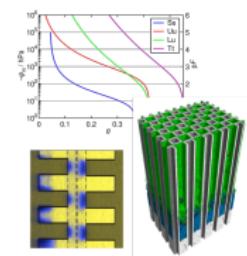
Segmentation



Post processing



Evaluation



A number of questions are of high importance

- How can I plan my experiment to make the analysis easier?
- Is my original question too widely defined?
- How can I transfer the original question into the vocabulary of image analysis?
- How much a priori information about the sample do I have?



## Data size

### Filtering

- Spatial data
- Gray levels
- Large data

### Segmentation

- Spatial data
- Few levels
- Large data
- Reduction 2-10

### Measurements

- Item data
- Positions, shape
- Small data
- Reduction 10-1000

### Statistics

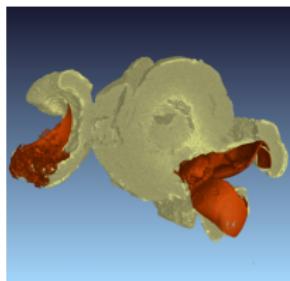
- class descriptions
- Tiny data
- Reduction  $10^6$  and more.

Level of abstraction

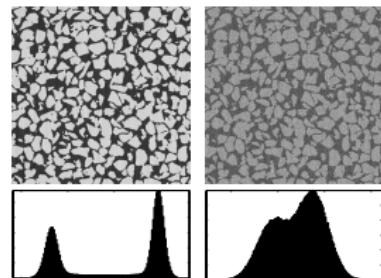
# Workflow

Getting a new data set, it is a good idea to explore it first . . .

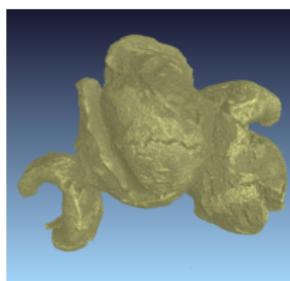
### Cutting



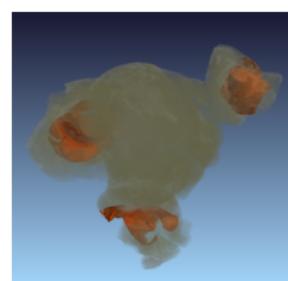
### Histograms



### Iso-surface



### Rendering



The feasibility of the analysis depends on

## Resolution

Is the resolution sufficient to detect relevant features or phenomena?

- Known feature size → select resolution for required level of detail.
- Unknown feature size → make a test acquisition.

## Contrast

Can features be separated by intensity?

- Difference in attenuation
- Number of gray levels

## Noise

The SNR can be improved by

- Change resolution
- Increase acquisition time

are these changes possible?

Assuming the instrument can acquire the data...

### Data size

- Does all data fit in primary memory?
- How to store
- How to transfer

### Computing

- With 3D and 4D data it is important to find algorithms with complexity  $< O(N^2)$ .
- What hardware will solve the task?

- Select processing tools
  - Filters
  - Segmentation
  - Measurements
- Implement
- Evaluate performance
- Process the experiment data
- Evaluate statistics
- Presentation of data

## Criteria

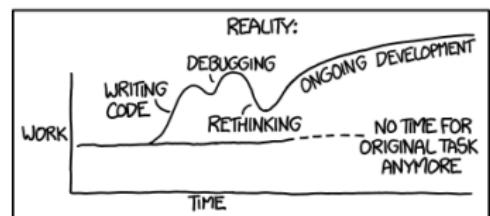
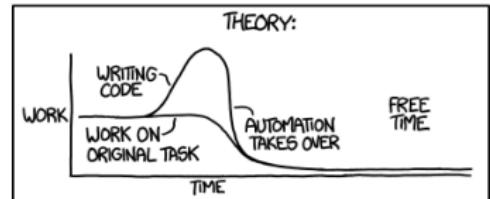
- How many similar samples?
- How complex is the sample?
- Is human interpretation needed?
- What is the end product?
- Are there methods/tools available?

## The choice

There is no golden recipe.

- Interactive tools
- Scripting using existing toolboxes
- Development of new algorithms

"I SPEND A LOT OF TIME ON THIS TASK.  
I SHOULD WRITE A PROGRAM AUTOMATING IT!"



xkcd.com

# Verifying performance

## "Data massage"

Processing manipulates the data...

... avoid too strong modifications otherwise  
you may invent new image features!!!



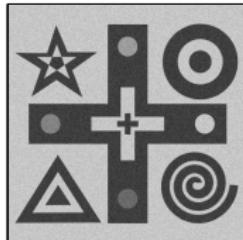
Watch that man, he'll make mugs of us all!

## Verify the validity your method

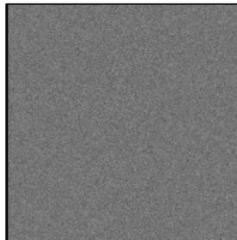
- Visual inspection
- Difference images
- Use degraded phantom images in a "smoke test"

Compute pixel-wise difference between image  $f$  and  $g$

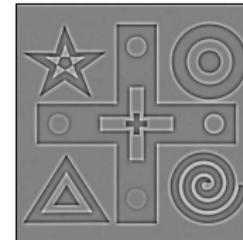
Noisy image



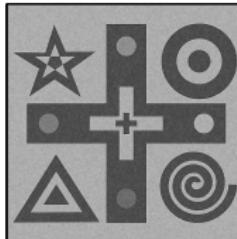
Ideal filter



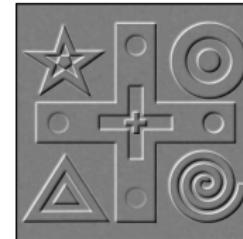
Over smoothing



Intensity scaling



Geometric shift



Difference images provide first diagnose about your processing performance

## Aim of the evaluation

To identify the operating range of a proposed analysis method

- Noise sensitivity
- Feature sizes/characteristics
- Break-down point

## How to make the evaluation

- 1 Build a set of phantoms representing variations in the features.
- 2 Add noise.
- 3 Process noisy phantom data.
- 4 Repeat 2–3 for different noise levels and contrasts.
- 5 Repeat 2–4 for different processing parameters N times for better stats.
- 6 Plot results and identify the stable operating range.

An evaluation procedure need a metric to compare the performance

## Mean squared error

$$MSE(f, g) = \sum_{p \in \Omega} (f(p) - g(p))^2$$

## Structural similarity index

$$SSIM(f, g) = \frac{(2\mu_f \mu_g + C_1)(2\sigma_{fg} + C_2)}{(\mu_f^2 + \mu_g^2 + C_1)(\sigma_f^2 + \sigma_g^2 + C_2)}$$

$\mu_f, \mu_g$  Local mean of  $f$  and  $g$ .

$\sigma_{fg}$  Local correlation between  $f$  and  $g$ .

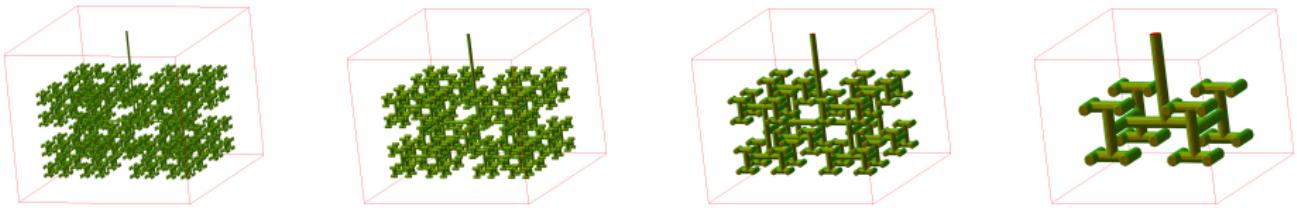
$\sigma_f, \sigma_g$  Local standard deviation of  $f$  and  $g$ .

$C_1, C_2$  Constants based on the image dynamics (small numbers).

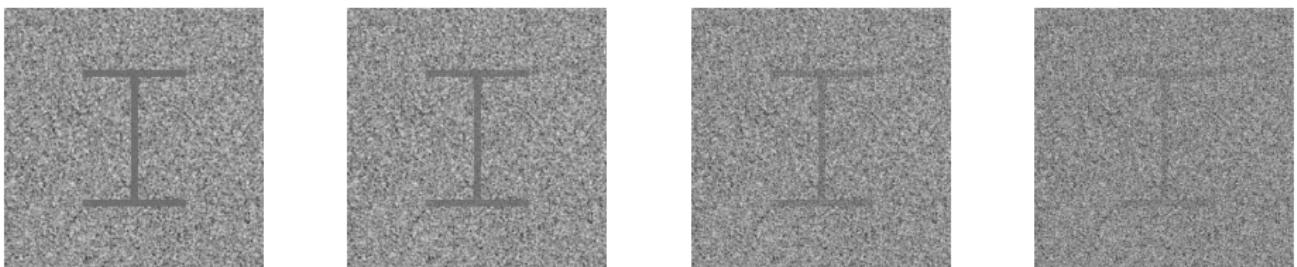
$$MSSIM(f, g) = E[SSIM(f, g)]$$

Wang and Bovik (2009)

## Phantoms



## Add noise

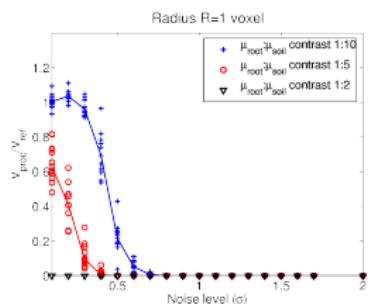


## Process

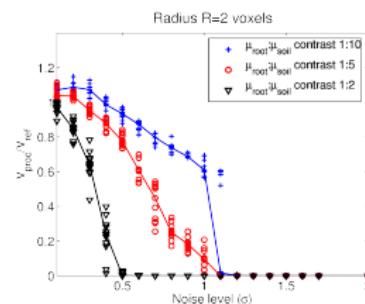
Run the analysis method with different parameters.

Metric: Ratio of voxels connected to the seed and voxels in reference structure.

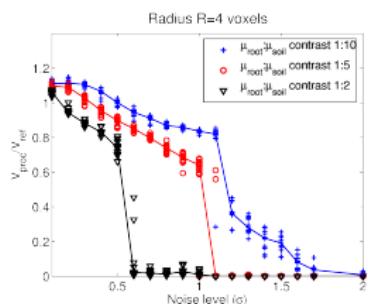
### Radius 1 voxel



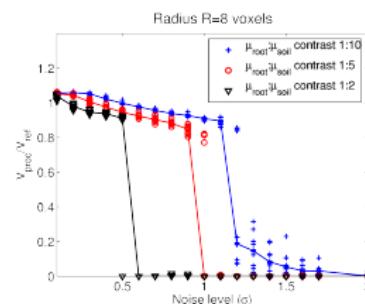
### Radius 2 voxels



### Radius 4 voxels



### Radius 8 voxels



- Think before acting...
- Get to learn your data
- Set up a process
- Verify operating range

## Your Questions

- Do you have any unclear details to clear up?
- Questions related to your projects?

- Kaestner, A., Schneebeli, M., and Graf, F. (2006). Visualizing three-dimensional root networks using computed tomography. *Geoderma*, 136(1–2):459–469.
- Wang, Z. and Bovik, A. (2009). Mean squared error: Love it or leave it? – a new look at signal fidelity measures. *IEEE Signal Processing Magazine*, January:89–117.