

# Relational Algebra, Relational Calculus ] SQL

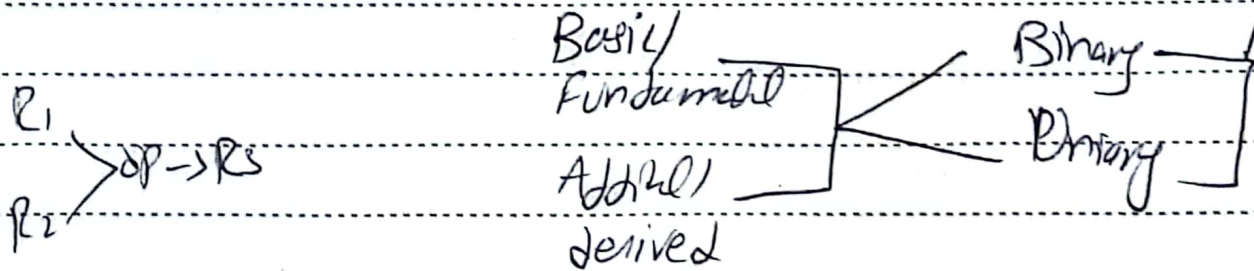
Relation  $\rightarrow$  Relation

Input

Output

(tempary table hold data asked by user,

Language for expressy relational database queries  $\rightarrow$  open



\* Relational algebra work once on whole table.

Perform recursively on relation.

It fetch data from entire table.

Basic

$\sigma$  selection  
 $\pi$  Projection  
 $\rho$  Rename

Unary  
 only on 1 table

Derived

Natural Join ( $\bowtie$ )  
 left, right, full ( $\ltimes$ )  
 Intersection ( $\cap$ )  
 Division ( $\div$ )  
 Assignment ( $\leftarrow$ )

Binary

$\cup$  Union  
 $-$  SET DIFFERENCE  
 $\times$  CARTESIAN PRODUCT

Binary



# SELECTION & JOIN

work / row  
etc.

$\sigma_{name = 'D'} (Student)$

$\sigma_{column \text{ condition}} (table\_name)$

Date:

select  
↓  
not like SQL  
query,

$\sigma_{age > 17} (\sigma_{address = 'Delhi'} (Student))$  replace where

$\sigma_{subject = 'DB' \wedge price = 450 \wedge year > 2010} (Books)$

## Projection $\pi$

$\pi_{column} (table)$  work

$\pi_{rollno, name} (Student)$

duplicate row  
eliminate

$\pi_{column} (Table)$

It will delete duplicate  
in column

Duply rollno & name of student whose age is  $> 17$

$\pi_{rollno, name} (\sigma_{age > 17} (Student))$

result always starts from  
left side.

← Project always left side

## SET Operator

Union

Set Intersection

Set Difference

Fundamental  
operator

Derived  
operator

Fundamental  
operator

SET Operator → on two input, two relation must

→ be compatible. [ same no. of attributes  
column are of same type

→ Duplicate tuple eliminated.

LIST



Notation  
In SQL

$R \cup S$   
(SELECT \* FROM R  
UNION  
SELECT \* FROM S);

Union commulative

$$A \cup B = B \cup A$$

Remove Duplicate;

$\pi_{name}(STUDENT \cup \pi_{name}(EMPLOYEES))$

(n)

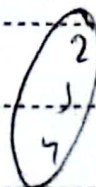
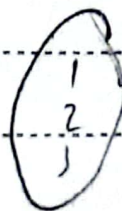
$R \cap S$  (SQL) (SELECT \* FROM R  
INTERSECT  
SELECT \* FROM S);

Find name of authy who have written a  
book & articles both.

$\pi_{authy}(BOOKS) \cap \pi_{authy}(ARTICLES)$

SET Diffut (Pres in R not in S)

$R - S$





(SELECT \* FROM R)  
EXCEPT  
(SELECT \* FROM S)

STUDENT		(STUDENT - Employee)	
		Employee	
1	A	2	B
2	B	8	G
3	C	9	H
4	D		

non commutative  $A - B \neq B - A$

$R - (R - S) = R \cap S$   
Intersection can be derived from SET Difference.

Find the names of author who have written books but not articles

$\pi_{\text{author}}(\text{Books}) - \pi_{\text{author}}(\text{Articles})$

~~Q name~~ \*  $\pi_{\text{name}}(\text{age} > 25(\text{User}))$

\*  $\pi_{\text{id}} * (\text{id} > 2 \vee \text{age} < 20)(\text{User})$

$X R_1 \times R_2$  (Selected \* FROM  $R_1, R_2$ )

\* Cartesian product  $\rightarrow$  followed by select operation

\* JOIN operator & its types

Join

Join

cartesian + select

cartesian prod  
ck derive  $\subset$

$$A \bowtie B = \sigma_c(A \times B)$$

Inner join  $\rightarrow$  tuple matchy condn

Outer join  $\rightarrow$  condn match + other also

Inner Join

1) Theta / Conditional Join

$$A \bowtie_{\theta} B \quad <, >, >=, \neq$$

2) Equi Join

type of theta join

use = equality

3) Natural Join

$$A \bowtie B$$

not compare

Based on common  
attrib



Outer Join

- 1) Left Outer Join
- 2) Right Outer Join
- 3) Full Outer Join



Theta / Conditional Join

$$A \bowtie_{\theta} B = \sigma_{\theta}(A \times B)$$

$\theta \rightarrow \text{condition}$

$>, =, <, \neq$

eg:  $S1 \bowtie_{S1.sid < R1.sid} R1$

$$\sigma_{S1.sid < R1.sid} (S1 \times R1)$$

Equi Join

$$A \bowtie A1 \bowtie A2 \bowtie B \bowtie B1 \bowtie B2 \dots A_{an} = B_{an} B$$

$S1 \bowtie_{S1.sid = R1.sid} R1$

Natural Join

at least 1 common column  
common name & domain/type

$A \bowtie B$

$\exists \text{ same } \cup$

Implicity

length C  $\cup$   $\cup$   
same type  
like eq. join

$\rightarrow$  show join of all common

↑ By default inner join

Date: \_\_\_\_\_

Natural join = Cartesian + Selection + Projection  
product

$r(A B C D) \quad s(B D E)$

$r \bowtie s = (A B C D E)$

Outer join

Left outer join covers ~~all~~ HOD

Example

Right outer join -

$R_1 \bowtie R_2$

Full outer join  $R_1 \bowtie R_2$



Rename operator

$\rho_x(E)$  is use to rename operator

$R \times R$   
e.g. cambodia

$R \times \rho_s(R)$

In SQL AS

\* Generalize Projection:

Projection Arithmetic operation

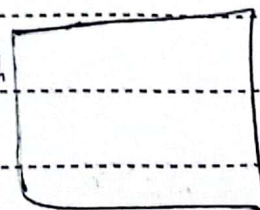
$\pi_{F_1, F_2, \dots, F_n}(E)$   
arithmetic operator

$\pi_{A, B}(r)$   
 $\pi_{2C-B}(r)$

\* Aggregate function

avg, min, count, sum

ignore null value  
count not null  
→ centre value  
→ group



group by clause

$\underbrace{G_1, G_2, \dots, G_n}_{\text{group by clause}} \left[ \underbrace{F_1(A_1), F_2(A_2), \dots, F_n(A_n)}_{\text{aggregate function}} \right] (E)$   
column name  
table



Date: \_\_\_\_\_

$\rho_{sum}(c)(v)$

group by  
branch  
name — branchname  $\rho_{sum}(balance, account)$   
↓  
rename

branchname  $\rho_{sum}(balance)$  as sumname (account)  
↓  
we first rename as  
in it.

insert  
↙

1)  $\rho_{name} (\sigma_{address=last} (Student))$

2)  $\rho_{name} (\sigma_{teacherid=DRS} (Teacher))$

3)  $\rho_{name} (Teacher \bowtie Student)$   
(Teacher  $\bowtie$  Student)  
( $\sigma_{name=Original} (Teacher \bowtie Student)$ )

4)  $T \bowtie T \cup S = 11$  Student (ex. 1)

Delete

5)  $S \leftarrow S - (\sigma_{address=2nd}) (S)$

# (Assignment operator)

Date: \_\_\_\_\_

conveniently  
to express

$$\begin{aligned} t_1 &\leftarrow \text{~~~~~} \\ t_2 &\leftarrow \text{~~~~~} \\ R &\leftarrow t_1 - t_2 \end{aligned}$$

$$\begin{aligned} \text{temp1} &\leftarrow \bar{L}_x(A) \\ \text{temp2} &\leftarrow \bar{L}_x((\text{temp1} \times B) - R) \\ \text{Result} &\leftarrow \text{temp1} - \text{temp2} \end{aligned}$$

$$1) \bar{L}_{\text{body}} (\sigma_{\text{src} \neq \text{dest}} \wedge \text{cat}(\text{bus}))$$

$$2) \bar{L}_{\text{person}} \text{cont}(\text{body} \boxtimes \text{pass})$$

$$\bar{L}_{\text{person}} (\text{cont}(\text{body} \boxtimes \text{pass}))$$

$$3) \bar{L}_{\text{body}} (\sigma_{\text{bus} \neq \text{person}} \wedge \text{Am Time} < 2015/12/21) \text{ body}$$

$$4) \bar{L}_{\text{person}} (\text{pass} \boxtimes \text{body})$$

$$2) \bar{L}_{\text{man}} (\text{person} \boxtimes \text{body})$$

$$\bar{L}_{\text{person}} (\sigma_{\text{bid} = \text{note}} (\text{person} \boxtimes \text{body}))$$

$$2) \bar{L}_{\text{person}} (\text{pass} \boxtimes \text{body})$$