QOCO: A QoE-Oriented Computation Offloading Algorithm based on Deep Reinforcement Learning for Mobile Edge Computing

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October 3, 2023

Overview

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Background

Enhancing mobile device (MD) networks for a smarter world

Mobile Edge Computing (MEC)

- Proximity to Computational Resources
- Computation Task Dispatch for MDs
- Reduced Task Processing Delay
- Extended MD Battery Life
- Enhanced Quality of Experience (QoE)

Challenges in Computation Offloading

- Dynamic Network Conditions
- Heterogeneous Device Capabilities
- Latency vs. Energy Trade-offs
- QoE Prioritization

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Contribution

Research Focus: Computation Task Offloading Problem in MEC

- Task Processing Deadlines
- Energy Constraints

Key Contributions:

- Formulated the computation task offloading problem as a finite and discret Markov Decision Process (MDP) to maximize the expected long term QoE for each MDs.
- Proposed the QoE-oriented computation offloading (QOCO) algorithm based on Deep Reinforcement Learning (DRL) to empower each MD to make offloading decisions independently.
- Conducting comprehensive experiments to evaluate the performance of QOCO compared with several benchmark methods.

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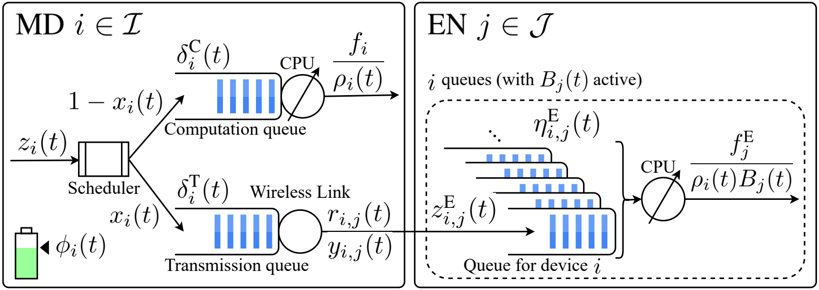
System Model

We consider

- the set of MD $\mathcal{I} = \{1, 2, ..., I\}$
- the set of EN $\mathcal{J} = \{1, 2, ..., J\}$
- set of time slots $\mathcal{T} = \{1, 2, \ldots, T\}$
- each MD $i \in \mathcal{I}$ are connected to each EN $j \in \mathcal{J}$ with it's wireless interface.
- each time slot consider as a diuration of time.

System Model



$z_i(t)$	arrived task in MD	$\delta_i^C(t)$	Compution Queue in MD
$z_i^E(t)$	arrived offloaded task in EN	$\delta_i^C(t)$	Compution Queue in MD
$x_i(t)$	Offloading Decision	$\delta_i^C(t)$	Transmition Queue in MD
$y_{i,j}(t)$	Offloading Target	$\eta_{i,j}^E(t)$	MD Compution Queue in EN
f_i	Computation capacity of MD	$B_j(t)$	Active Queue in EN
f_j^E	Computation capacity of EN	$\phi_i(t)$	MD battery level
$r_{i,j}(t)$	Transmission capacity of MD	$\rho_i(t)$	Required CPU cycles of task

Communication Model

- $\delta_i^T(t)$: MD i Transmission Queue Waiting Time

$$\delta_i^T(t) = \left[\max_{t' \in \{0,1,\ldots,t-1\}} l_i^T(t') - t + 1 \right]^+ \tag{1}$$

- $l_i^T(t)$: Task Transmited/Dropped Time Slot

$$l_i^T(t) = \min \left\{ t + \delta_i^T(t) + \lceil D_i^T(t) \rceil - 1, t + \Delta_i(t) - 1 \right\} \tag{2}$$

- $D_i^T(t)$: Task Transmission Time

$$D_i^T(t) = \sum_{\mathcal{J}} y_{i,j}(t) \frac{\lambda_i(t)}{r_{i,j}(t)\tau} \tag{3}$$

- $E_i^T(t)$: Task Transmission Energy Consumption

$$E_i^T(t) = D_i^T(t) p_i^T(t) \tau \tag{4}$$

Computation Model

Local Execution:

- $\delta_i^C(t)$: MD i Computation Queue Waiting Time

$$\delta_i^C(t) = \left[\max_{t' \in \{0,1,\ldots,t-1\}} l_i^C(t') - t + 1 \right]^+ \tag{5}$$

- $l_i^C(t)$: Task Executed/Dropped Time Slot

$$l_i^C(t) = \min \left\{ t + \delta_i^C(t) + \lceil D_i^C(t) \rceil - 1, t + \Delta_i(t) - 1 \right\} \tag{6}$$

- $D_i^C(t)$: Task Execution Time

$$D_i^C(t) = \frac{\lambda_i(t)}{f_i \tau / \rho_i(t)} \tag{7}$$

- $E_i^L(t)$: Task Execution Energy Consumption

$$E_i^L(t) = D_i^C(t) p_i^C \tau \tag{8}$$

Computation Model

Edge Execution:

- $\eta^E_{i,j}(t)$: MD i Queue Backlog at EN j

$$\eta^E_{i,j}(t) = \left[\eta^E_{i,j}(t-1) + \lambda^E_{i,j}(t) - \frac{f^E_j}{\rho_i(t)B_j(t)} - \omega_{i,j}(t)\right]^+ \quad (9)$$

- $\hat{l}^E_{i,j}(t)$: Task Execution Start Time Slot at EN j

$$\hat{l}^E_{i,j}(t) = \max\{t, \max_{t' \in \{0,1,\ldots,t-1\}} l^E_{i,j}(t') + 1\} \quad (10)$$

$$\sum_{t'=\hat{l}^E_{i,j}(t)}^{l^E_{i,j}(t)} \frac{f^E_j}{\rho_i(t)B_j(t')} \geq \lambda^E_{i,j}(t) > \sum_{t'=\hat{l}^E_{i,j}(t)}^{l^E_{i,j}(t)-1} \frac{f^E_j}{\rho_i(t)B_j(t')} \quad (11)$$

Computation Model

Edge Execution:

- $D_{i,j}^{E}(t)$: Task Execution Time at EN j

$$D_{i,j}^{E}(t) = \frac{\lambda_{i,j}^{E}(t)\rho_i(t)}{f_j^{E}\tau/B_j(t)} \tag{12}$$

- $E_{i,j}^{E}(t)$: Task Execution Energy Consumption at EN j

$$E_{i,j}^{E}(t) = \frac{D_{i,j}^{E}(t)p_j^{E}\tau}{B_j(t)} \tag{13}$$

- $E_i^{I}(t)$: MD i Standby Energy Consumption

$$E_i^{I}(t) = D_{i,j}^{E}(t)p_i^{I}\tau \tag{14}$$

-

$$E_i^{\mathsf{O}}(t) = E_i^{\mathsf{T}}(t) + \sum_{\mathcal{J}} E_{i,j}^{\mathsf{E}}(t) + E_i^{\mathsf{I}}(t). \tag{15}$$

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Markov Decision Process

State Space:

$$\boldsymbol{s}_i(t) = \left(\lambda_i(t), \delta_i^C(t), \delta_i^T(t), \boldsymbol{\eta}_i^E(t-1)^{\circ}, \phi_i(t)^{\times}, \mathcal{H}(t)^{\diamond}\right) \tag{16}$$

$^{\diamond}\mathcal{H}(t)$: Edge Load History Matrix

$^{\times}\phi_i(t)$: MD Battery Level

$$\left[\mathcal{S} = \Lambda \times T^2 \times \mathcal{U} \times 3 \times I^{T^{\mathrm{s}} \times J}\right]$$

Action Space:

$$\boldsymbol{a}_i(t) = (x_i(t), \boldsymbol{y}_i(t)^{*}) \tag{17}$$

$^{*}\boldsymbol{y}_i(t) = (y_{i,j}(t), j \in \mathcal{J})$

Markov Decision Process

QoE Function:

[Delay]

$$\mathcal{D}_i(\boldsymbol{s}_i(t), \boldsymbol{a}_i(t)) = (1 - x_i(t))\Big(l_i^{\mathsf{C}}(t) - t + 1\Big) + \\ x_i(t)\left(\sum_{\mathcal{J}} \sum_{t'=t}^{T} \mathbb{1}\big(z_{i,j}^{\mathsf{E}}(t') = z_i(t)\big) l_{i,j}^{\mathsf{E}}(t') - t + 1\right) \tag{18}$$

[Energy]

$$\mathcal{E}_i(\boldsymbol{s}_i(t), \boldsymbol{a}_i(t)) = (1 - x_i(t)) E_i^{\mathsf{L}}(t) + \\ x_i(t)\left(\sum_{\mathcal{J}} \sum_{t'=t}^{T} \mathbb{1}\big(z_{i,j}^{\mathsf{E}}(t') = z_i(t)\big) E_i^{\mathsf{O}}(t)\right) \tag{19}$$

Markov Decision Process

[Cost]

$$\mathcal{C}_i(\boldsymbol{s}_i(t), \boldsymbol{a}_i(t)) =$$

$$\phi_i(t)\, \mathcal{D}_i(\boldsymbol{s}_i(t), \boldsymbol{a}_i(t)) + (1 - \phi_i(t))\, \mathcal{E}_i(\boldsymbol{s}_i(t), \boldsymbol{a}_i(t)) \tag{20}$$

[QoE]

$$\boldsymbol{q}_i(\boldsymbol{s}_i(t), \boldsymbol{a}_i(t)) =$$

$$\begin{cases} \mathcal{R}^* - \mathcal{C}_i(\boldsymbol{s}_i(t), \boldsymbol{a}_i(t)) & \text{if task } z_i(t) \text{ processed,} \\ -\,\mathcal{E}_i(\boldsymbol{s}_i(t), \boldsymbol{a}_i(t)) & \text{if task } z_i(t) \text{ dropped,} \end{cases} \tag{21}$$

$^*\mathcal{R}$: A Constant Reward for Completed Task

QoE Optimization Problem

$$^{\circ}\pi_i^* = \text{arg } \max_{\pi_i} \mathbb{E}\left[\sum_{t\in\mathcal{T}} {}^{*}\gamma^{t-1}\boldsymbol{q}_i(\boldsymbol{s}_i(t),\boldsymbol{a}_i(t)\Big|\pi_i\right] \qquad (22)$$

$^{\circ}\pi_i^*$: Optimal Policy

$\Rightarrow$ maximizes the long-term QoE

$^{*}\gamma$: Discount Factor

$\Rightarrow$ balance between instant QoE and long-term QoE

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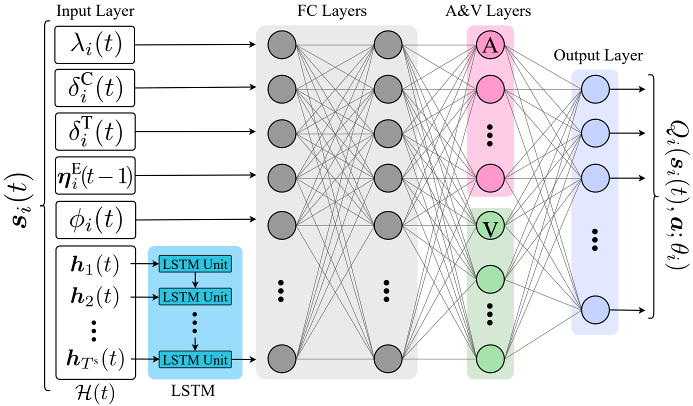
DQN-based solution



- LSTM: ENs Load Level Prediction
- FC: State-Action Q-Value Mapping
- A&V: Dueling-DQN Approach for Q-Value Estimation

QOCO Algorithm

Offloading Decision Algorithm at MD

- Offloading Decision Algorithm at MD
- Training Process Algorithm at EN

QOCO Algorithm

Training Process Algorithm at EN

- Offloading Decision Algorithm at MD
- Training Process Algorithm at EN

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