
```

clear;
close all;

%constants taken from http://psas.pdx.edu/rollcontrol/
Izz = 0.08594;      %m2*kg
kd = .002;          %damping coefficient
kt = .9141;         %Nm/rad  torsion rod spring constant exper. determined
lf = .0762;         %m distance from fin to z axis

%State Space equation
%assuming partial-state feedback (angular vel.)
%model equation from http://psas.pdx.edu/rollcontrol/
a = [-kd/Izz 0; 1 0];
b = [lf/Izz; 0];
c = [0 1];
d = 0;

sys_ss = ss(a,b,c,d,'statename',{ 'Angular Accel','Angular Vel'});

%Check it out
figure
pzmap(sys_ss)
title('Pole and Zero map of State Space Model')

figure
step(sys_ss)
title('Initial Step Response of State Space Equation')

%convert State Space to Laplace Transfer Function
[num den] = ss2tf(a,b,c,d);

%create root locus plot
figure
rlocus(num,den)
title('Continuous Initial Root locus')

%Create proportional controller

s = tf('s');

Gp = tf(num,den)           %Gp is the system process

kp = .000153;             %proportional gain chosen from rl graph

Gc = kp;                  %Gc is the Controller process

cltf = feedback(Gc*Gp,1);  %closed loop response

figure

```

```

step(cltf)
title('Continuous system with kp')

%Now add a derivitive gain to speed things up

figure
rlocus(Gc*Gp)
title('Continuous system kp Root Locus')

kd = 100; %derivitave gain

Gc = kp+kd*s %new controller process

cltf = feedback(Gc*Gp,1) %new closed loop response

figure
step(cltf)
title('Continuous system PD controller Step Response')

figure
impulse(cltf)
title('Continuous system PD controller Impulse Response')

%{
No Integrator required
Sys is arleady type 2,
steady state error goes to zero
if integrator is added the sys blows up
%}

%now model as discrete time and hope we can get close to the continuous

Ts = .01; %sample time of 10 ms chosen.
%Not sure what the actual sensors can do

z = tf('z',Ts);

sysd = c2d(Gp,Ts,'zoh') %convert continous to discrete

figure
rlocus(sysd)
title('Initial Discrete System Root locus')

kp = .000153; %new proportional gain chosen from rl graph

Gc = kp; %new controller process

cltf = feedback(Gc*sysd,1) %new closed loop response

figure

```

```

step(cltf)
title('Discrete system P controller Step Response')

%Now add a derivitive gain to speed things up

figure
rlocus(Gc*sysd)
title('Discrete system kp Root Locus')

kd = 1000; %new derivative gain chosen from rl graph
           %acceptable values are 100-9000
           %they depened on the systems capabilities
           %larger value = faster rise time

Gc = kp+kd*((z-1)/z) %new controller process

cltf = feedback(Gc*sysd,1) %new closed loop response

figure
step(cltf)
title('Discrete system PD controller Step Response')

figure
impulse(cltf)
title('Discrete system PD controller Impulse Response')

final_gp = d2c(sysd,'tustin')
final_gc = d2c(Gc,'tustin')

```

$G_p =$

$$\frac{0.8867}{s^2 + 0.02327 s}$$

Continuous-time transfer function.

$G_c =$

$$100 s + 0.000153$$

Continuous-time transfer function.

$cltf =$

$$\frac{88.67 s + 0.0001357}{s^2 + 88.69 s + 0.0001357}$$

Continuous-time transfer function.

sysd =

$$\frac{4.433e-05 z + 4.433e-05}{z^2 - 2 z + 0.9998}$$

Sample time: 0.01 seconds

Discrete-time transfer function.

cltf =

$$\frac{6.782e-09 z + 6.782e-09}{z^2 - 2 z + 0.9998}$$

Sample time: 0.01 seconds

Discrete-time transfer function.

Gc =

$$\frac{1000 z - 1000}{z}$$

Sample time: 0.01 seconds

Discrete-time transfer function.

cltf =

$$\frac{0.04433 z^2 - 3.432e-06 z - 0.04433}{z^3 - 1.955 z^2 + z - 0.04433}$$

Sample time: 0.01 seconds

Discrete-time transfer function.

final_gp =

$$\frac{-8.598e-10 s^2 - 0.004433 s + 0.8867}{s^2 + 0.02327 s + 9.947e-14}$$

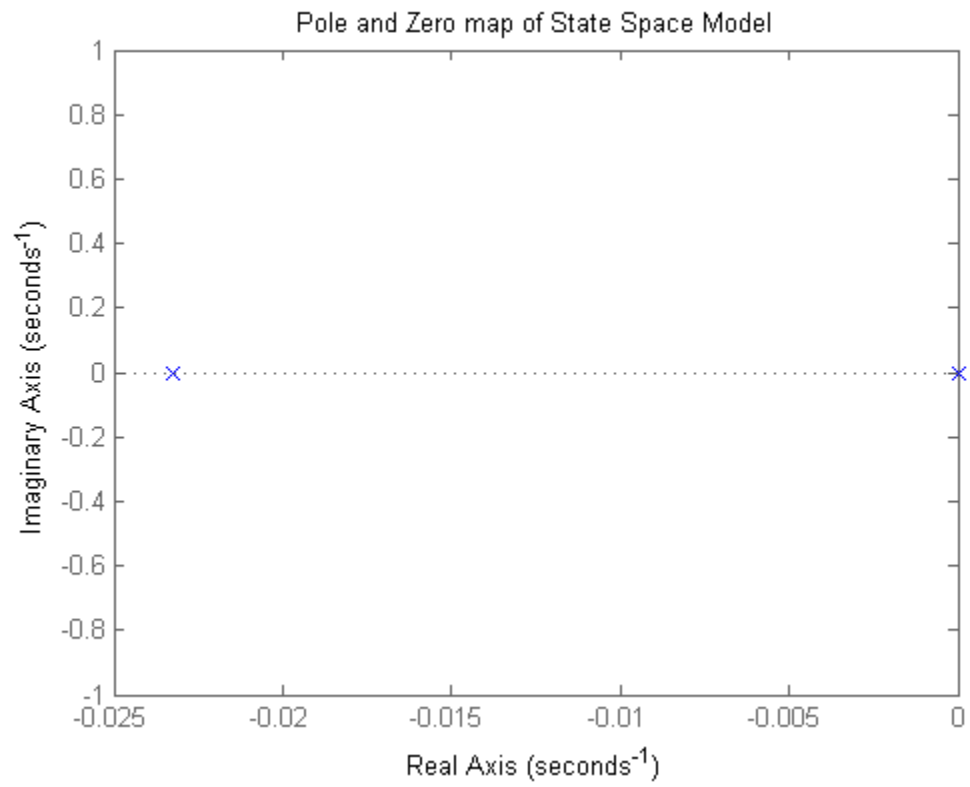
Continuous-time transfer function.

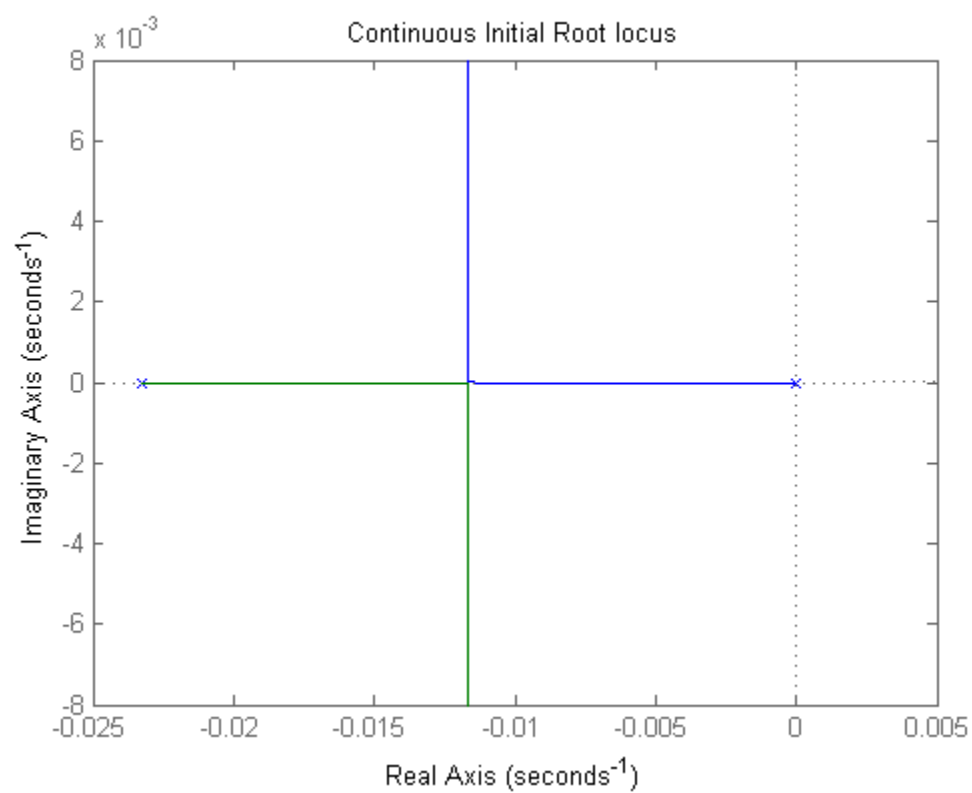
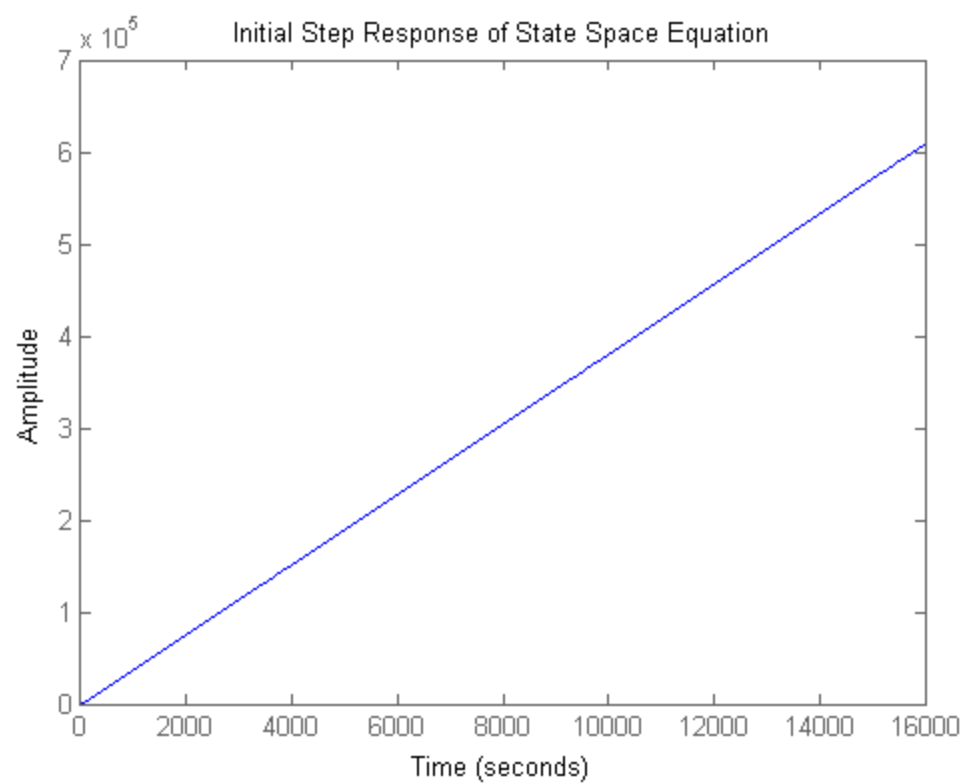
final_gc =

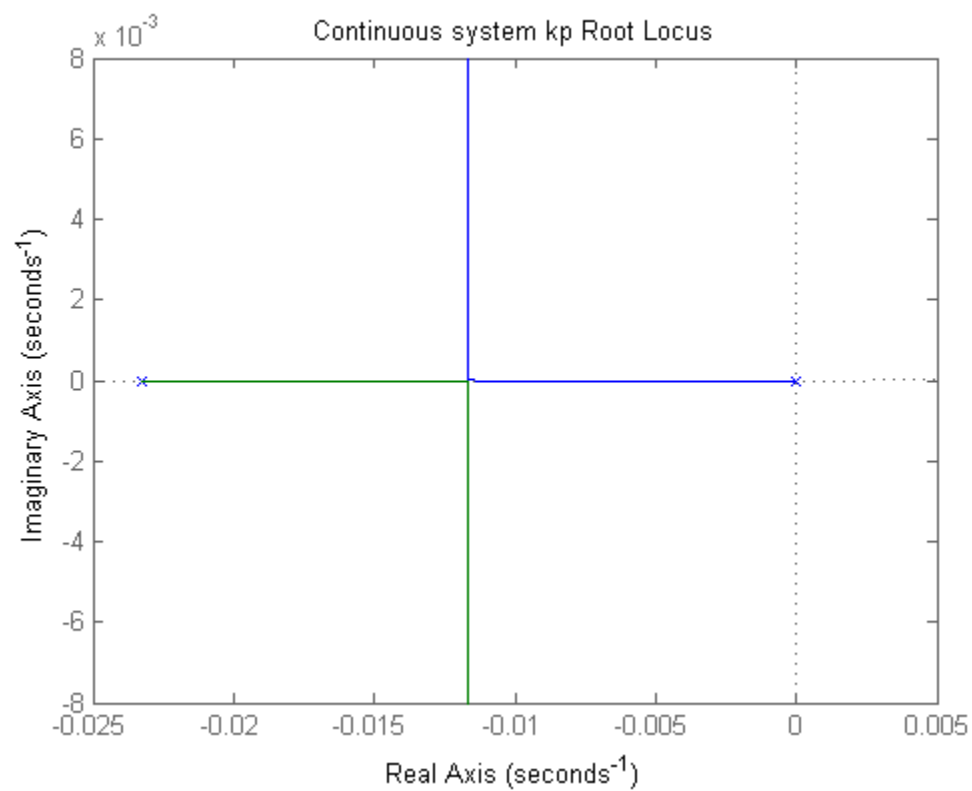
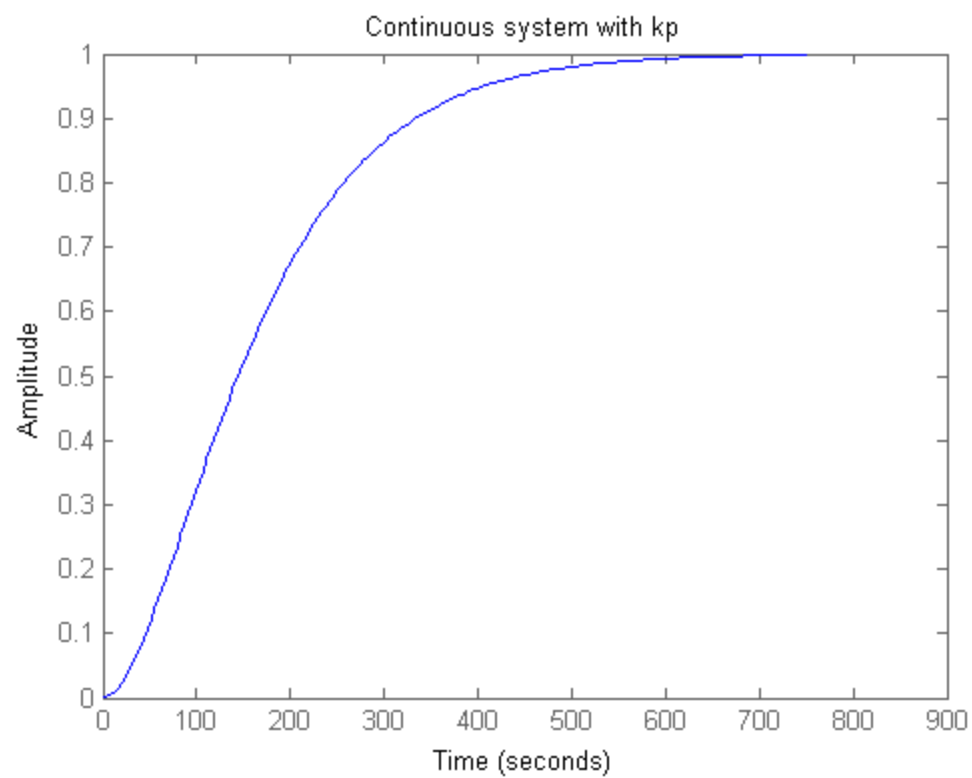
$$2000 s + 0.0306$$

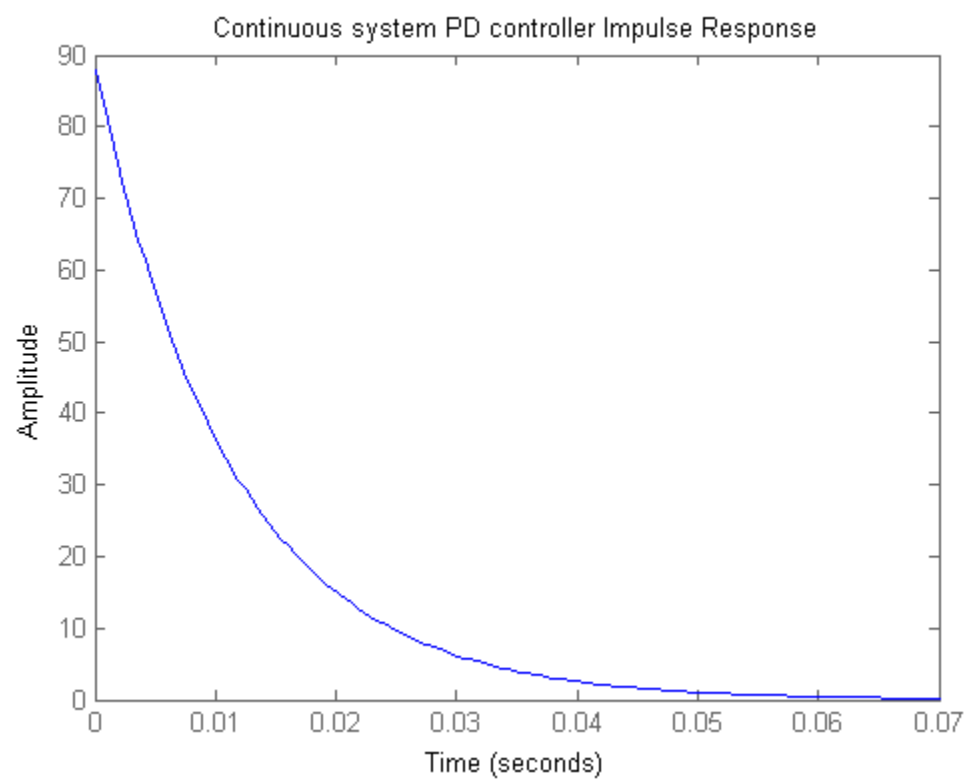
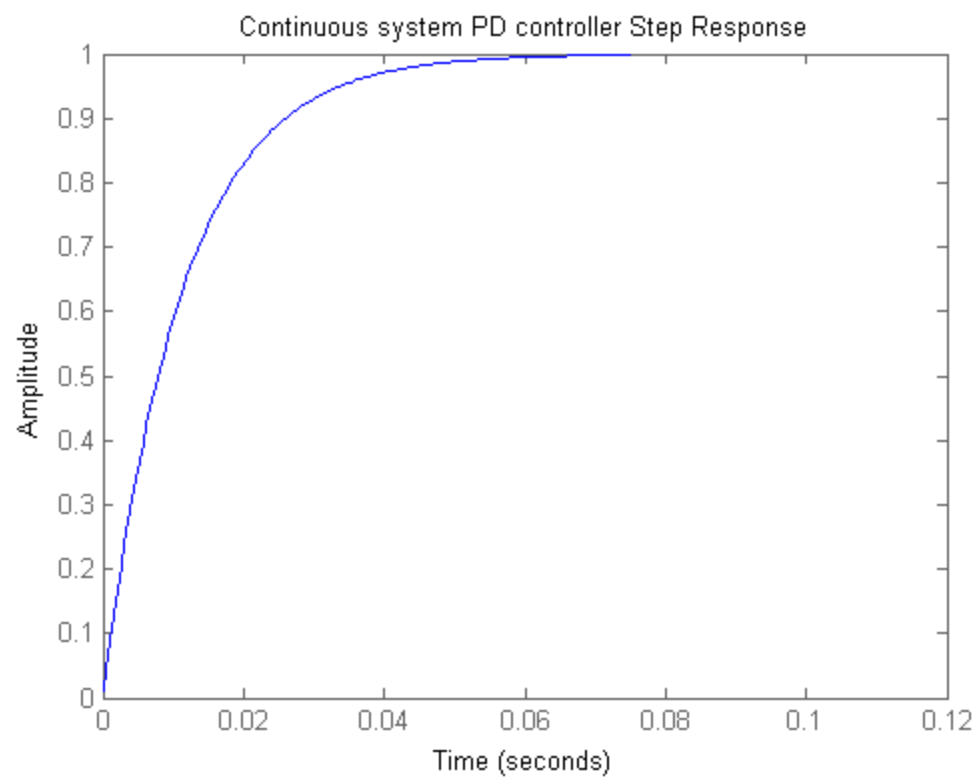
$$\frac{\text{-----}}{s + 200}$$

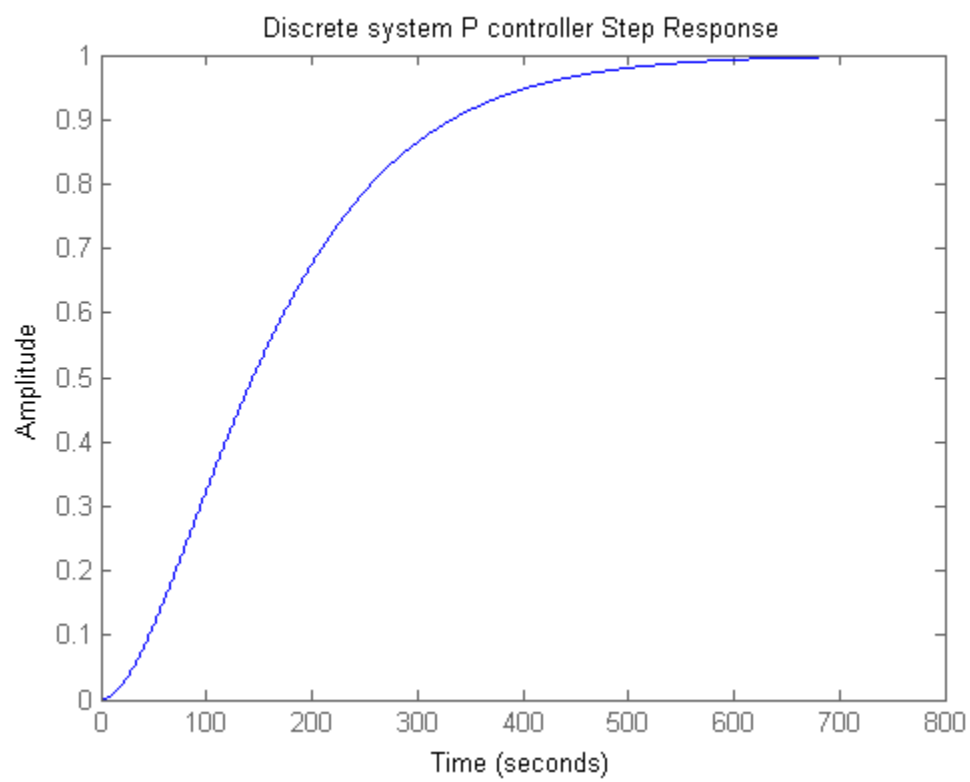
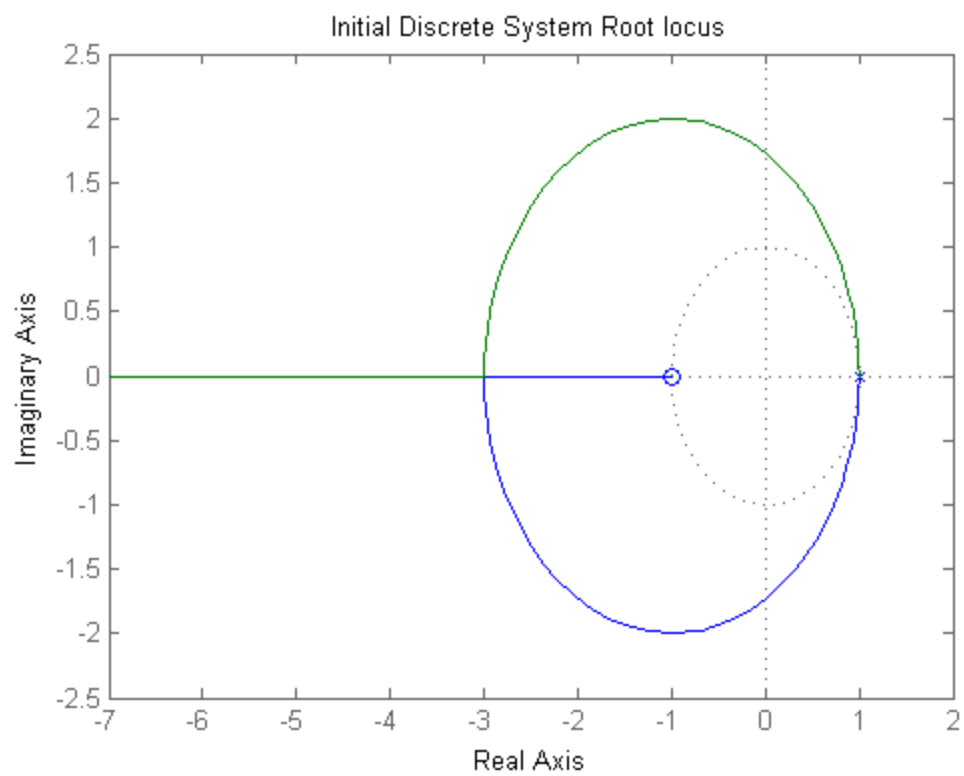
Continuous-time transfer function.

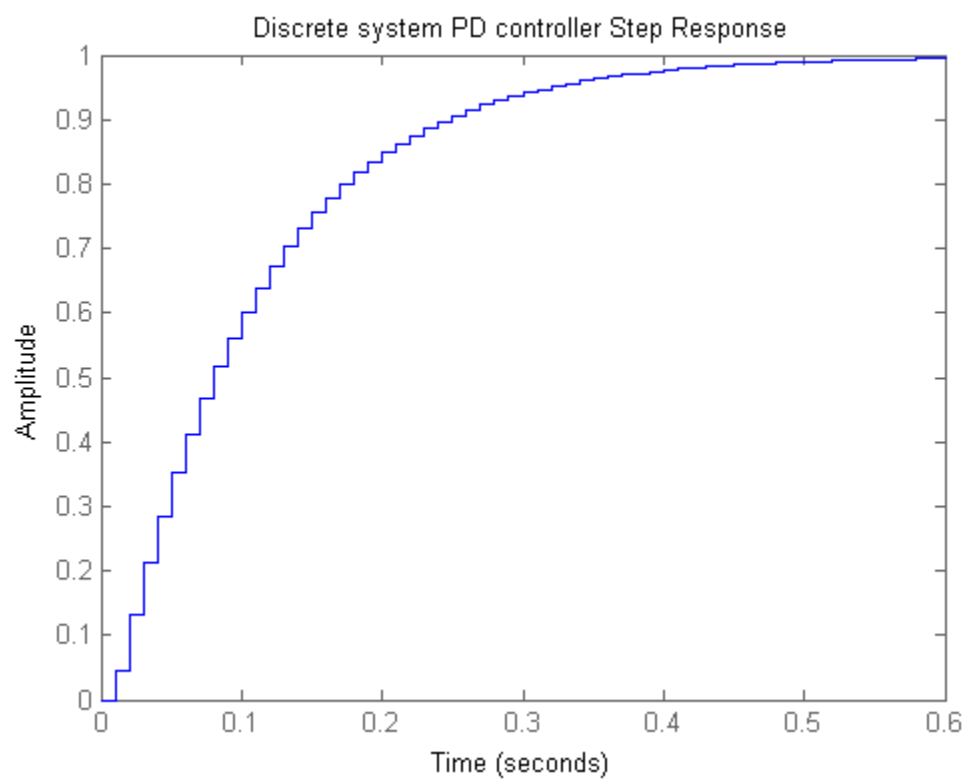
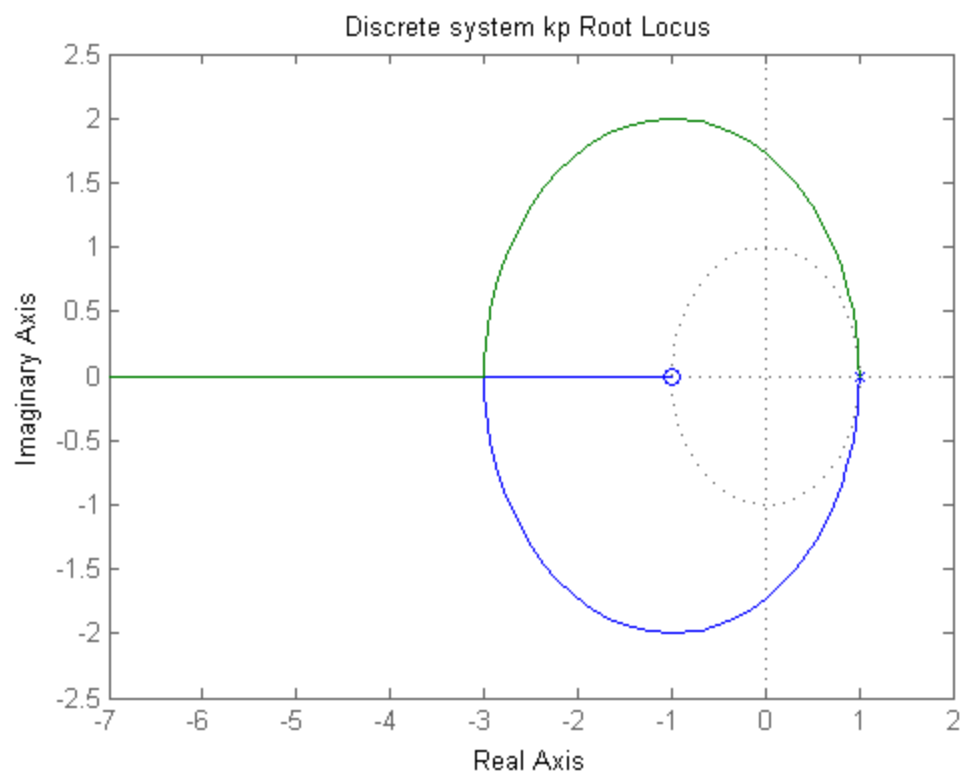


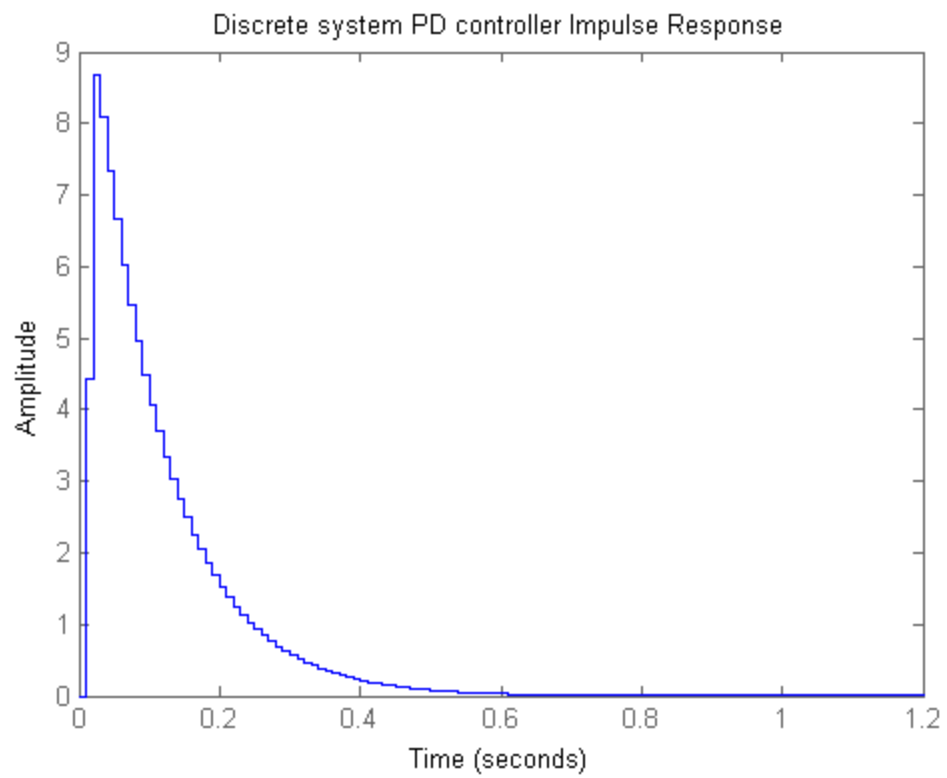












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