

# Infosys Preparation Questions

## Question No 1

You are given two arrays arr1 of size n and arr2 of size 4\*n.

Your task is to divide arr2 into n groups, with 4 elements in each group, and assign each group to one element in arr1.

Each element in arr1 represents a base time.

When you assign a group to a base time, each of the 4 elements in that group is added to the base time to produce 4 finish times.

The finish time for that group is the maximum of these 4 times.

Your goal is to find an assignment that minimizes the finish time across all groups.

### Function Description

The function **minTime** takes the following inputs:

- int arr1[n]: an array of integers
- int arr2[4\*n]: an array of integers

The function should return an integer:

**the minimum possible finish time for all groups.**

```
n = 2
arr1 = [8, 10]
arr2 = [2, 2, 3, 1, 8, 7, 4, 5]
```

### One optimal solution is:

Assign elements **[2, 3, 7, 8]** from arr2 to the first base time **8** in arr1.

1. Finish times:  $8+2, 8+3, 8+7, 8+8 = 10, 11, 15, 16$
2. Maximum finish time = **16**

Assign elements **[2, 1, 4, 5]** from arr2 to the second base time **10** in arr1.

- Finish times:  $10+2, 10+1, 10+4, 10+5 = 12, 11, 14, 15$
- Maximum finish time = **15**

The **maximum finish time among all groups is 16**, which is the **minimum possible** finish time for any assignment.

## Solution

```
source/100ppp.cpp: ...
1
2 #include <bits/stdc++.h>
3 using namespace std;
4
5 bool canAssign(vector<int>& arr1, vector<int>& arr2, int T) {
6     int j = 0; // pointer in arr2
7     int n = arr1.size();
8
9     for (int i = 0; i < n; i++) {
10         int limit = T - arr1[i];
11         int count = 0;
12
13         while (j < arr2.size() && arr2[j] <= limit && count < 4) {
14             j++;
15             count++;
16         }
17
18         if (count < 4) return false;
19     }
20     return true;
21 }
22
23 int minTime(vector<int>& arr1, vector<int>& arr2) {
24     sort(arr1.begin(), arr1.end());
25     sort(arr2.begin(), arr2.end());
26
27     int low = arr1[0] + arr2[0];
28     int high = arr1.back() + arr2.back();
29     int ans = high;
30
31     while (low <= high) {
32         int mid = low + (high - low) / 2;
33         if (canAssign(arr1, arr2, mid)) {
34             ans = mid;
35             high = mid - 1;
36         } else {
37             low = mid + 1;
38         }
39     }
40     return ans;
41 }
42
43 int main() {
44     vector<int> arr1 = {8, 10};
45     vector<int> arr2 = {2, 2, 3, 1, 8, 7, 4, 5};
46
47     cout << minTime(arr1, arr2);
48     return 0;
49 }
```

## Question No 2

You are working with a **Git-based version control system**.

Each commit in a repository has a **unique integer ID** representing its timestamp, and the list of commit IDs is given in **ascending order**. The commit history is **complete and consistent**.

You are auditing this history and want to test **how many consecutive commits can be temporarily hidden** (for example, by a UI filter) such that the remaining visible commits still allow someone to **deduce exactly which commits were hidden**.

You are allowed to hide a **contiguous block of consecutive commits**.

Implement a function to **maximize the number of commits hidden**, while ensuring that the surrounding visible commits **clearly define the hidden range**.

The function **getMaxConsecutiveHidden** takes the following input:

- int commits[n]: an array of **unique integers in ascending order**

The function should return an **integer**, representing the **maximum number of consecutive commits** that can be hidden.

**commits = [1, 3, 4, 5, 6, 9]**

After hiding the maximum number of consecutive commits, the array becomes: [1, 3, ..., 6, 9] It is clear that the missing commits are 4 and 5. Hence, the optimal answer is: 2

```
#include <bits/stdc++.h>
using namespace std;

int getMaxConsecutiveHidden(vector<int>& commits) {
    int n = commits.size();
    int ans = 0;

    for (int i = 1; i < n; i++) {
        int gap = commits[i] - commits[i - 1] - 1;
        ans = max(ans, gap);
    }

    return ans;
}

int main() {
    vector<int> commits = {1, 3, 4, 5, 6, 9};
    cout << getMaxConsecutiveHidden(commits);
    return 0;
}
```

### Question 3

Consider a string of length **N** which consists of only '**1**' and '**0**'. You are also given a **2D array A** consisting of **Q queries**.

Each query is of the form **[L, R, X]**, and you have to perform these queries on the string.

The **score of the string** is calculated as follows for each query:

- The value **X** is added to the score **if the substring [L, R] of the string contains at least one '1'**.

Find the **maximum possible score** of the string.

- A substring is a **contiguous part** of the string.
- Initially, the **score of the string is 0**.

#### Input Format

- The first line contains an integer **N**, denoting the length of the string.
- The next line contains an integer **Q**, denoting the number of rows in **A**.
- The next **Q** lines each contain three integers **L, R, X**, representing a query

```

1 #include <bits/stdc++.h>
2 using namespace std;
3
4 struct Query {
5     int L, R, X;
6 };
7
8 struct Fenwick {
9     int n;
10    vector<int> bit;
11    Fenwick(int n) : n(n), bit(n + 1, 0) {}
12    void update(int i, int v) {
13        for (; i <= n; i += i & -i)
14            bit[i] += v;
15    }
16    int query(int i) {
17        int s = 0;
18        for (; i > 0; i -= i & -i)
19            s += bit[i];
20        return s;
21    }
22    int rangeQuery(int l, int r) {
23        return query(r) - query(l - 1);
24    }
25};
26
27 int main() {
28     int N;
29     cin >> N;
30     int Q;
31     cin >> Q;
32     vector<Query> queries(Q);
33     for (int i = 0; i < Q; i++) {
34         cin >> queries[i].L >> queries[i].R >> queries[i].X;
35     }
36     sort(queries.begin(), queries.end(),
37          [] (const Query& a, const Query& b) {
38              return a.X > b.X;
39          });
40     Fenwick fenwick(N);
41     long long score = 0;
42     for (auto &q : queries) {
43         if (fenwick.rangeQuery(q.L, q.R) > 0) {
44             score += q.X;
45         } else {
46             fenwick.update(q.R, 1);
47             score += q.X;
48         }
49     }
50
51     cout << score << endl;
52     return 0;
53 }
54

```

## Question 4

# Problem Statement: Maximum of Subarray Minimums

### Description

Implement a function that takes an array of integers and a subarray size  $k$ . Your goal is to find the **minimum** value for every contiguous subarray of size  $k$ , and then return the **maximum** among all those minimums.

### Input Format

- int  $n$ : The number of elements in the array.
- int  $\text{arr}[n]$ : An array of  $n$  integers.
- int  $k$ : The size of the sliding window (subarray length).

### Output Format

Return a single integer representing the maximum value among all subarray minimums.

### Example

#### Input:

$n = 5$   $\text{arr} = [1, 2, 3, 4, 5]$   $k = 2$

#### Step-by-Step Execution:

Subarrays of size 2:  $[1, 2], [2, 3], [3, 4], [4, 5]$

Minimums of each:  $\min(1,2)=1, \min(2,3)=2, \min(3,4)=3, \min(4,5)=4$

Minimums set:  $\{1, 2, 3, 4\}$

Maximum of these minimums: **4**

### Constraints

$$1 \leq n \leq 10^6$$

$$1 \leq k \leq n$$

$$1 \leq \text{arr}[i] \leq 10^9$$

```
1 #include <iostream>
2 #include <vector>
3 #include <deque>
4 #include <algorithm>
5
6 using namespace std;
7 int findMaxOfMins(int n, const vector<int>& arr, int k) {
8     deque<int> dq;
9     int maxOfMins = -2147483648;
10
11    for (int i = 0; i < n; i++) {
12        if (!dq.empty() && dq.front() == i - k) {
13            dq.pop_front();
14        }
15        while (!dq.empty() && arr[dq.back()] >= arr[i]) {
16            dq.pop_back();
17        }
18
19        dq.push_back(i);
20        if (i >= k - 1) {
21            maxOfMins = max(maxOfMins, arr[dq.front()]);
22        }
23    }
24    return maxOfMins;
25 }
26
27 int main() {
28     ios_base::sync_with_stdio(false);
29     cin.tie(NULL);
30
31     int n, k;
32     if (!(cin >> n >> k)) return 0;
33
34     vector<int> arr(n);
35     for (int i = 0; i < n; i++) {
36         cin >> arr[i];
37     }
38     cout << findMaxOfMins(n, arr, k) << endl;
39
40     return 0;
41 }
```

## Question 5

### Problem Description

You are given an integer array arr of size n. You need to sort the array using a specific algorithm that follows these rules:

Find the lexicographically smallest pair of indices (i, j) such that  
 $0 \leq i < j \leq n - 1, arr[i] > arr[j]$

A pair of indices  $(i_1, j_1)$  is lexicographically smaller than  $(i_2, j_2)$  if  $i_1 < i_2$ , or if  $i_1 = i_2$  and  $j_1 < j_2$ .

If no such pair exists (the array is sorted), the algorithm stops.

Otherwise, swap  $arr[i]$  and  $arr[j]$  and repeat from step 1.

Return the total number of swaps performed by the algorithm until it terminates.

Example 1:

Input:  $n = 4, arr = [5, 1, 4, 2]$

Output: 4

### Explanation:

1. The smallest pair (i, j) is (0, 1) because  $arr[0]=5 > arr[1]=1$  . After swap: [1, 5, 4, 2]
2. The smallest pair (i, j) is (1, 2) because  $arr[1]=5 > arr[2]=4$  . After swap: [1, 4, 5, 2]
3. The smallest pair (i, j) is (1, 3) because  $arr[1]=4 > arr[3]=2$  . After swap: [1, 2, 5, 4]
4. The smallest pair (i, j) is (2, 3) because  $arr[2]=5 > arr[3]=4$  . After swap: [1, 2, 4, 5]

Sorted. Total swaps = 4.

Example 2:

Input:  $n = 3, arr = [1, 2, 3]$

Output: 0

Explanation: The array is already sorted, so no swaps are needed

Constraints:

$$1 \leq n \leq 10^5, 1 \leq arr[i] \leq 10^9$$

```

#include <bits/stdc++.h>
using namespace std;

long long mergeAndCount(vector<int>& arr, vector<int>& temp, int left, int right);
long long merge(vector<int>& arr, vector<int>& temp, int left, int mid, int right);

long long howManySwaps(vector<int>& arr) {
    int n = arr.size();
    vector<int> temp(n);
    return mergeAndCount(arr, temp, 0, n - 1);
}

long long mergeAndCount(vector<int>& arr, vector<int>& temp, int left, int right) {
    long long count = 0;
    if (left < right) {
        int mid = left + (right - left) / 2;
        count += mergeAndCount(arr, temp, left, mid);
        count += mergeAndCount(arr, temp, mid + 1, right);
        count += merge(arr, temp, left, mid, right);
    }
    return count;
}

long long merge(vector<int>& arr, vector<int>& temp, int left, int mid, int right) {
    int i = left;           // Left subarray index
    int j = mid + 1;        // Right subarray index
    int k = left;           // Temp array index
    long long invCount = 0;

    while (i <= mid && j <= right) {
        if (arr[i] <= arr[j]) {
            temp[k++] = arr[i++];
        } else {
            temp[k++] = arr[j++];
            invCount += (mid - i + 1); // Count inversions
        }
    }

    while (i <= mid)
        temp[k++] = arr[i++];

    while (j <= right)
        temp[k++] = arr[j++];

    for (int idx = left; idx <= right; idx++)
        arr[idx] = temp[idx];
}

int main() {
    vector<int> arr = {5, 1, 4, 2};
    cout << howManySwaps(arr); // Output: 4
    return 0;
}

```

## Question 6

### Minimum Cost to Reach at Least Target Weight

You are given an integer  $n$ , an integer array  $\text{cost}$  of length  $n$ , and an integer  $\text{minWeight}$ .

The  $i$ -th item has:

- $\text{weight} = 2^i$
- $\text{cost} = \text{cost}[i]$

You may purchase **any number of each item**. Return the **minimum total cost** such that the **sum of the weights of the purchased items is at least minWeight**.

#### Example 1

##### Input

$n = 5$     $\text{cost} = [2, 5, 7, 11, 25]$     $\text{minWeight} = 26$

##### Output

37

##### Explanation

Buy 3 items of weight 8 and 2 items of weight 1

Total weight =  $24 + 2 = 26$

Total cost =  $33 + 4 = 37$

##### Constraints

$1 \leq n \leq 60$

$1 \leq \text{cost}[i] \leq 10^9$

$1 \leq \text{minWeight} \leq 10^{18}$

```
1 // Solution
2 class Solution {
3 public:
4     long long minimumCost(int n, vector<long long>& cost, long long minWeight) {
5         // Normalize costs
6         for (int i = 1; i < n; i++) {
7             cost[i] = min(cost[i], 2 * cost[i - 1]);
8         }
9
10        long long ans = INT_MAX;
11        long long currentCost = 0;
12        long long remaining = minWeight;
13
14        // Greedy from largest to smallest
15        for (int i = n - 1; i >= 0; i--) {
16            long long weight = 1LL << i;
17            long long take = remaining / weight;
18
19            currentCost += take * cost[i];
20            remaining -= take * weight;
21
22            // option to overshoot
23            ans = min(ans, currentCost + (remaining > 0 ? cost[i] : 0));
24        }
25
26        return ans;
27    };
}
```