

#flo #inclass

1 | Linear maps!

when we hear linear, we should think: addition and scalar multiplication!

if it's in a box you should know it! -jana

homogeneity: works nicely under SCAMUL - what does nicely mean? - addition and mapping is commutative?
- can add, then send through map, which = send through map then add

- MULTI first then map = map then MULTI

this is called: **homomorphism**

title: homomorphism

structure-preserving map between two algebraic structures of the same type. -wiki

1.0.1 | examples!

KBxChapter3AReading#examples of linear maps

- how F^n to F^m works
 - inp: nx1 mat
 - oup: mx1 mat
 - which means: the org thing needs to be mxn mat
 - $3 \times 1 \rightarrow 2 \times 1$

$$\begin{bmatrix} 2 & -1 & 3 \\ 7 & 5 & -6 \end{bmatrix} \cdot \begin{bmatrix} x \\ y \\ z \end{bmatrix} = \begin{bmatrix} 2x - y + 3z \\ 7x + 5y - 6z \end{bmatrix} \text{ \$uhh..}$$

- backwards shift!
 - $[0 \ 1 \ 0 \ 0 \ 0]$
 - $[0 \ 0 \ 1 \ 0 \ 0]$
 - this just drops the first element, and is essentially a repeat of above example of mapping to a lower dimension
 - #question wait how do u actually define this operation? just create an example with arbitrary elems?

if you know where the basis goes, then you know where everything else goes! @3b1b talked about this
KBxChapter3AReading#linear maps and basis of domain

1.0.2 | algebraic operations

this is how we combine maps!

- how we are used to adding functions

we get.. addition and SCAMUL which makes:

$[[\text{file:KBxL}(V,W).\text{org}][\text{KBxL}(V,W)]] \text{ a } [[\text{file:KBe20math530refVectorSpace}.\text{org}][\text{KBe20math530refVectorSpace}]]$

inp: $n \times 1$, oup: $m \times 1$ for KBxChapter3AReading#product of linear maps

if the domain of one matches the KBxCodomain of another