

#flo #inclass

1 | random vars!

denote using capital letters, because they are not normal variables! also can write the roman numeral bars above and below them

for each outcome in the sample space, a random var takes on a value. think, $P(Y=0) = 1/8$ where Y is the number of times a coin lands on heads when u flip it three times ie. it's a function from the sample space to the real numbers

also the concept of discrete random vars, which is when it takes separated vals

PMF -> probability mass function PDF -> probability density function, which is what you need for continuous random variables they are functions which assign probs to random events where $X=\text{some constant}$

if defined on the same sample space, you can do operations on them!

bernoulli random var, or an indicator random var. if you are trying to indicate something (like a coin landed heads) then use an indicator var, else it's generally called a bernoulli r. v.

we can say. "let x be distributed with this distribution on p " w/ $X \sim \text{Bern}(p)$

i.i.d -> two independent random vars with the same distribution random vars taking on values are events

these variables are also called succesfull if they take on 1 and failure if they take on 0

1.0.1 | binomial distribution

flip a coin 8 times, what's the prob that you get 6 heads? too big to list the sample space (2^8) $P(7 \text{ heads}) = P(\text{hhhhhhhht}) + P(\text{hhhhhhhth}) + \dots$ we can represent this as $8(\frac{1}{2})^7(\frac{1}{2})$ which are the 8 possibilities of the 7 heads and the one tails continuing this with the binomial distribution, we get $P(6 \text{ heads}) = \binom{8}{6}(\frac{1}{2})^6(\frac{1}{2})^2$

$P(X = k) = \binom{n}{k}p^k(1-p)^{(n-k)}$ which is the PMF for X , which is a binomial r. v.