1 | Voltage

1.1 | First, a geography thing.



Figure 1: Screen Shot 2020-09-02 at 8.37.26 PM.png

In a topological map, you could probably guess that the steepest path downwards/upwards is perpendicular to the lines.

The constant voltage lines works in a similar way.

1.2 | Then, a Energy Thing.

If we have an object in the air

Object

_{Air}

..ground..

What is that object's gravitation potential energy?

...

You will realize that I just asked a very dumb question. This is because that energy must be relative to

something. You must *raise* the object (giving us the Δh part of $gpe=mg\Delta h$ to gain gravitational potential energy.

1.3 | Electric Potential

Electrical Potential $\{\frac{V}{C}\}$ Voltage is a measure of how much electric potential energy (yes, it is an *energy* (in J, joules)), would change per Couloub of energy that is moved through.

Recall the energy example above. When you raise an object of 1kg from a place with elevation (Δh) 10m to 100m, you could represent the change in gravitation potential energy of that operation as $mg\Delta h_1 - mg\Delta h_0 = m(g\Delta h_1 - g\Delta h_0) = 1kg(9.8\frac{m}{s^2}100m - 9.8\frac{m}{s^2}10m)$. Where, $g\Delta h_1$ is a unit $\frac{m^2}{s^2} = \frac{J}{kg}$. Proving this last relationship is left as an excercise to the reader.

Funny way to write it, I know. But, we could take the equation $m(g\Delta h_1 - g\Delta h_0)$ and use it as a perfect analogy for using electric potential.

The amount of electric potential energy that would change by moving an object of charge 1C from a place with voltage (ΔV) 10V to 100V, is $Q_2(V_1-V_0)=1C(100V-10V)$, where Voltage, V, represent the energy potential — analogous to, drumroll please, $\frac{J}{kg}$, except this time its $\frac{J}{C}$.

[Where Q_2 is the the charge in Coulombs C of the test charge, and V_1 and V_0 are the electric potential values of the points the charge is being moved to and from]Electric Potential Energy $Q_2(V_1-V_0)$ Electric Potential, Volts $\{V=\frac{J}{C}\}$