

1 | source

source

1.1 | axler5.14

2 | $T|_U$ and T/U

def

Suppose $T \in \mathcal{L}(V)$ and U is a subspace of V invariant under T .

- The *restriction operator* $T|_U \in \mathcal{L}(U)$ is defined by

$$T|_U(u) = Tu$$

for $u \in U$.

- The *quotient operator* $T/U \in \mathcal{L}(V/U)$ is defined by

$$(T/U)(v + U) = Tv + U$$

for $v \in V$.

2.1 | motivation

By using these two operators, we can study a map T on a big space V by looking at what it does to vectors in U and not in U , with $T|_U$ and T/U respectively.

However, Axler gives an example of how this is not always enough info (see Axler5.15).

$$a << b/c$$