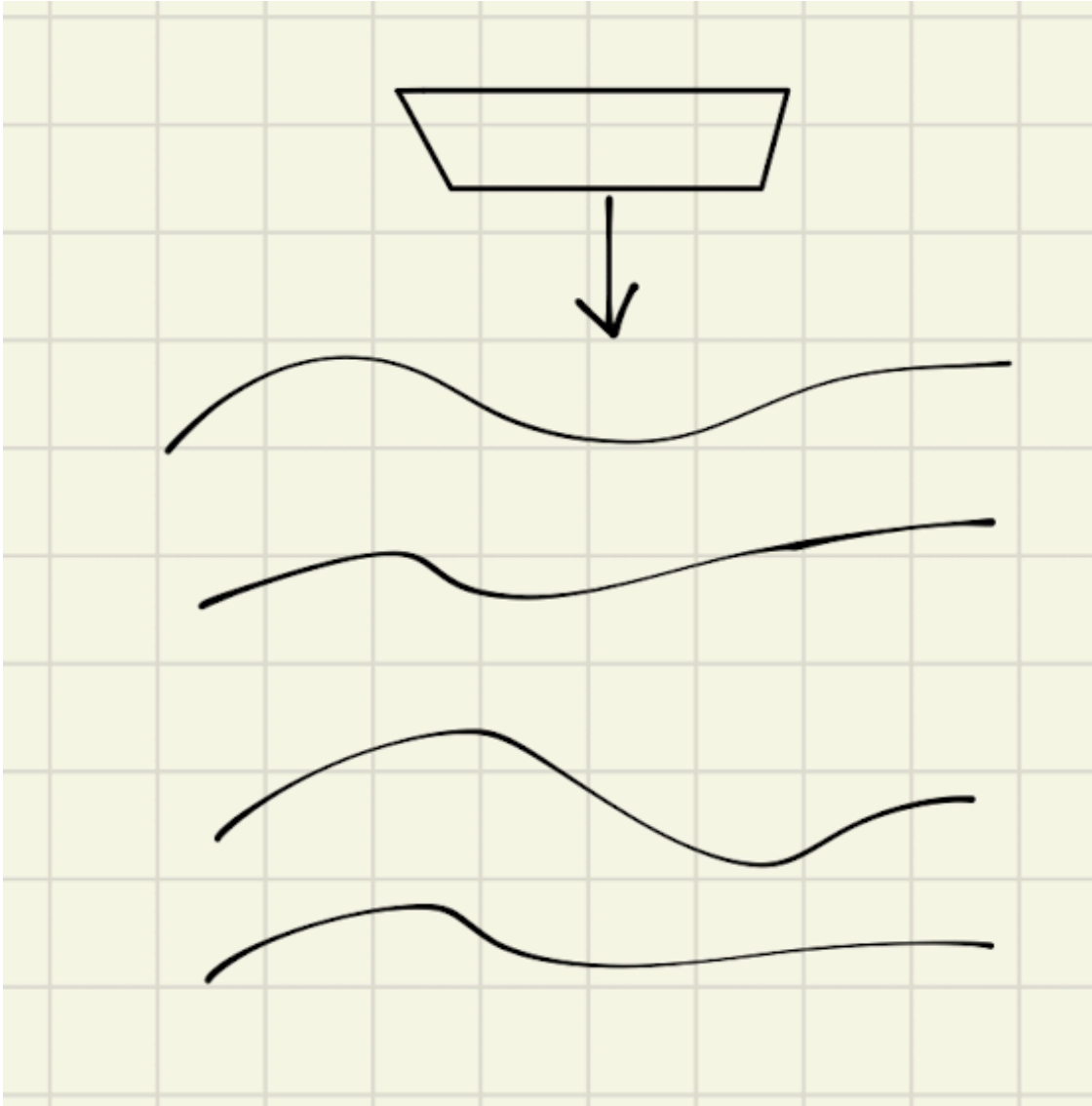


Nove



A thing pushes through a thing! How much influences does the air give it.

1 | Factors of Influence

- Cross-sectional/projected surface area
- Velocity — some kind of
- Shape of the object

When we talk about drag, we are talking a force.

2 | Drag Force

$$F_{drag} = \frac{1}{2}CA\rho v^2 \quad (1)$$

Where...

- C is the drag coefficient, describing the shape of the object
- A is the projected area being pushed through
- ρ is the mass density of the object
- v is the velocity of travel

By default, atmospheric pressure makes it so that there is equal amounts of pressure up and down.

3 | Analysis of the Curve

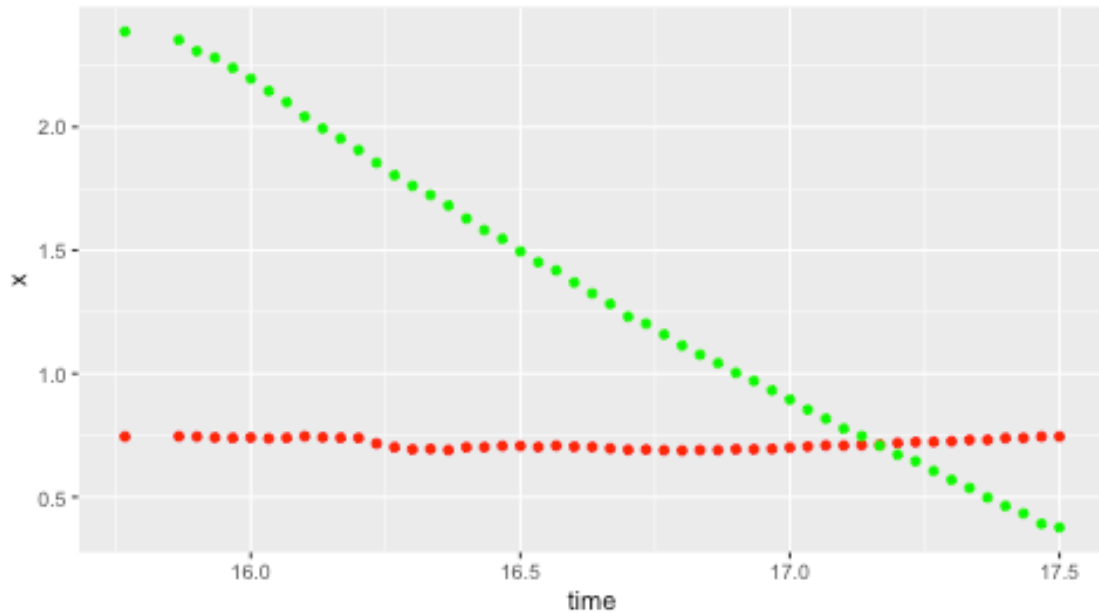
```
library(tidyverse)
```

```
falldata <- read.csv("./falldata.csv", stringsAsFactors = TRUE)
head(falldata)
```

```
15.7666666667 0.744754495697 2.38654750623 0.00118434586778 -0.472766141311
15.8666666667 0.7458223158 2.3527575824 -0.0125149651894 -0.631378632933
15.9 0.744549708279 2.30732403114 -0.0469877455697 -0.921693908128
15.9333106576 0.741112205206 2.28080406062 -0.0553661266199 -1.05377203968
15.9666666667 0.739400767505 2.23921758726 -0.0238090877977 -1.2517487939
16 0.740936673134 2.19571488879 -0.0157900706024 -1.37188339643
```

Let's plot the basic information first!

```
plot <- ggplot(falldata) + geom_point(aes(x=time, y=x), color="red") + geom_point(aes(x=time, y=y), color="blue")
plot
```



We could see that, after just about four points, the graph is pretty much linear. So we split the data into two pieces.

```
data_quadratic <- falldata[0:4,]
data_linear <- falldata[4:nrow(falldata)-1,]
```

Let's fit the line first by performing a linear regression.

```
regression = lm(time~y, data = data_linear)
regression
```

Call:

```
lm(formula = time ~ y, data = data_linear)
```

Coefficients:

```
(Intercept)          y
    17.7334      -0.8073
```

Furthermore, we also get a summary of how good this fit is.

```
summary(regression)
```

Call:

```
lm(formula = time ~ y, data = data_linear)
```

Residuals:

```
      Min       1Q   Median       3Q      Max
-0.039309 -0.023095 -0.007461  0.023235  0.049528
```

Coefficients:

```

      Estimate Std. Error t value Pr(>|t|)
(Intercept) 17.733354   0.009531  1860.5 <2e-16 ***
y           -0.807258   0.006709  -120.3 <2e-16 ***
---
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1

```

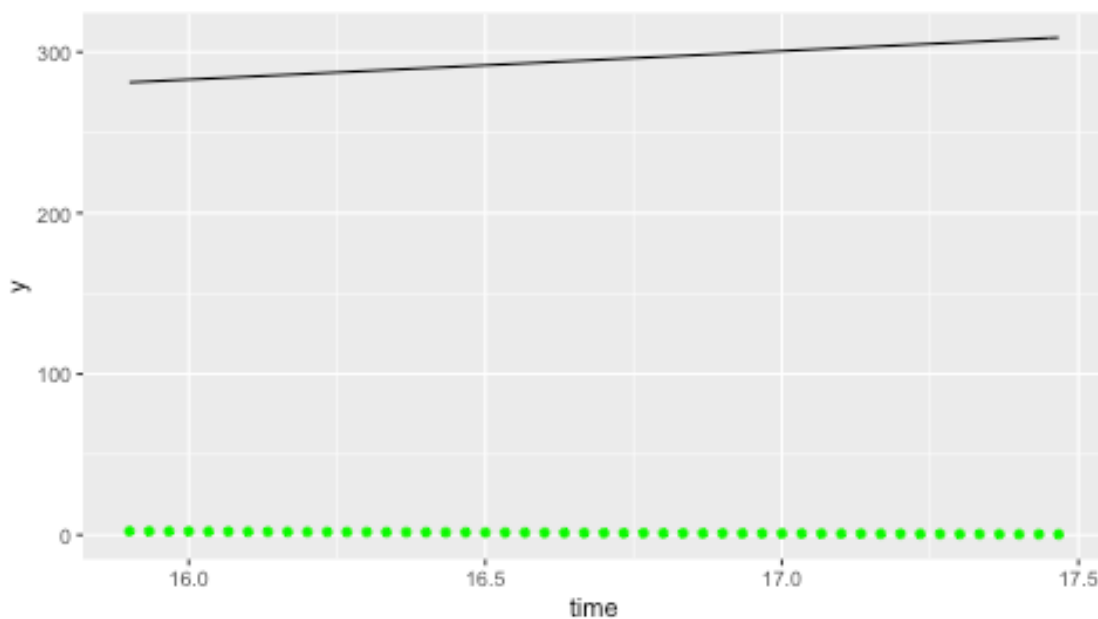
Residual standard error: 0.02655 on 46 degrees of freedom
Multiple R-squared: 0.9968, Adjusted R-squared: 0.9968
F-statistic: 1.448e+04 on 1 and 46 DF, p-value: < 2.2e-16

Lastly, we plot the information + overlaid:

```

plot <- ggplot(data_linear) + geom_point(aes(x=time, y=y), color="green") + geom_function(fun=(function
plot

```



Research World