

#flo #inclass #intersession

1 | Crypto (graphy)

oldest version: caesar cipher!

plain text: cryptography is fun encryption: pick a number S , and shift every number forward by S (w/ wrap)
cipher text: Hwduytlwfumd nx kzs

not hard to recover the org message! brute force message \rightarrow 25 options also, not likely to have multiple values of S that would output english

1.1 | the cast.

these are the terms we use to describe scenarios

protagonisnts **Alice** the one who sends messages **Bob** the intended recipient

antagonisnts **Eve** the eavsdropper (badum-tschr). this is the important view to consider!

1.2 | substitution cipher

the alphabet: abcdefghijklmnopqrstuvwxyz do "pairwise matching" #review legit just get them together
any extra struture constrains the search space, makes it easier to crack

1.3 | bad encryption

T PXVW X QNIOD CXNVWDEIK RWCEAKRNXRTEA EF QPTK UNEUEKTQTEA

T, X, EF

most common: E

t, a, o, d, and w. e, s, d, and t both: D, T

A ends two words \rightarrow t, a, o, d, w tea \rightarrow ing t, i e, n a, g

QED f \rightarrow o

tea \rightarrow ate: ta, et, ae

t \rightarrow i x \rightarrow a * giveaway: spaces. segmenting words \rightarrow easy to break! could use space as another letter to alphabet, but that is easy to crack. instead, let's just rm the space altogether!

practically unbreakable, unless you have a long cipher! then, we can use freqnecy of letters. ofc, we need a size that is big enough to be around representative of our ideal freqnecies.

1.4 | modular arithmetic

A and B are congruent mod n if their difference is a multiple of N

and with the mod func, we can do arithmetic!

- add, subtract, multiply,
- exponentiation but you cant just reduce it
 - Fermat's little theorem
 - * if A is an int, then A^P is congruent A mod P if $A \neq 0$, then $A^{P-1} \equiv 1 \pmod{p}$

title: totient

totient (plural totients) (mathematics) **The number of positive integers not greater than a specified

but we care about euler's totient theorem: if $\gcd(a, n) = 1$, then $a^{\phi(n)} \equiv 1 \pmod{n}$