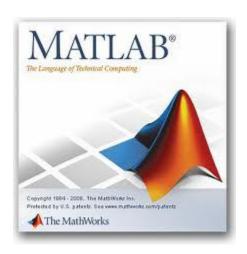
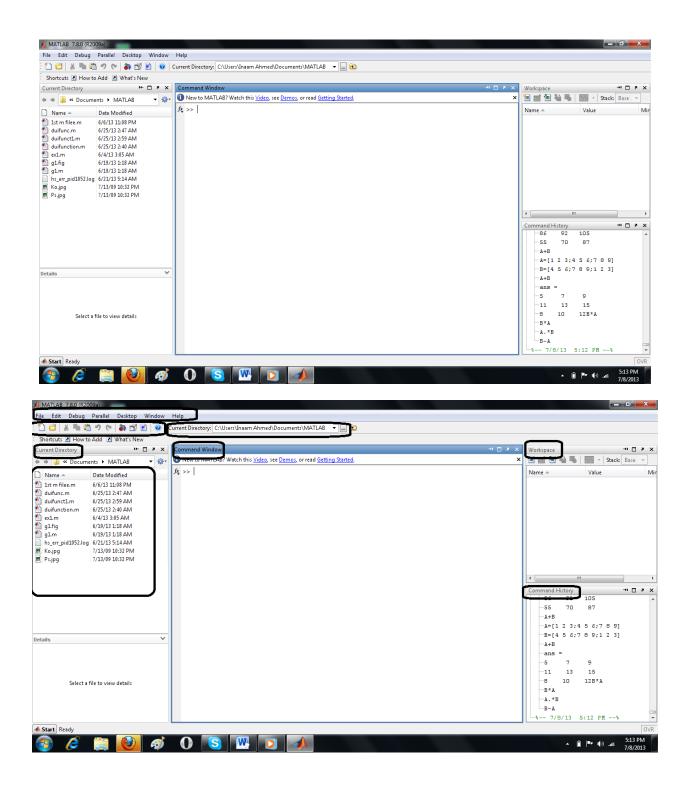
Signals and System



LAB work #01: Getting Started With MATLAB

Interface



MATLAB can be thought of a powerful graphic calculator in addition it is a programming Language

- ➤ MATLAB is interpreted language
- > Commands Executed Line by line

History of MATLAB: LAB work #02

```
>> a=[1 2 3];
       >> b=[4 5 6];
       >> who
       Your variables are:
       a b
       >> what
       M-files in the current directory C:\Users\Inaam Ahmed\Documents\MATLAB
duifunc
           duifunct1
                       duifunction ex1
                                              g1
                                        Naming variable Types
       Create a variable, Simply assign a value to name
>> inaam=4444
inaam =
    4444
>> home=2.71
home =
  2.7100
>> place='Lahore'
place =
```

Built in-variable Types

i and j can be used to indicate complex numbers

pi has the value 3.1415926

ans store the last unassigned value

Inf and *-inf* are positive and negate infinity

nan Represents 'Not a number'

$$>> x = 0 + i$$

x =

0 + 1.0000i

$$>> a=pi$$

a =

3.1416

>> c=nan

c =

NaN

LAB work #03

Hello World

>> 'hello wolrd'

ans =

hello wolrd

>> disp('hello world')

hello world

$$>> a=1.83$$
;

>> disp(sprintf('hello %g',a))

Scalars

>> a=10

a =

10

>> c=1.34*45-6*a

c =

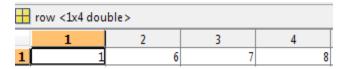
0.3000

Row Vectors

>> row=[1 6 7 8]

row =

1 6 7 8



Row Vectors

>> column=[4;5;6;7]

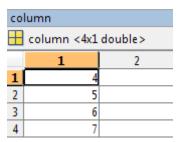
column =

4

5

6

7



Matrices

>> a=[1 2;4 5]

a =

1 2

4 5

>> a=[1 2 3;4 5 6]

a =

1 2 3

4 5 6

>> a=[1 2]

a =

1 2

Clear/clc

To remove the veriables from the enviconment

>> column=[4;5;6;7]

column =

4

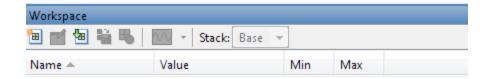
5

6

7

>> clear

>>



Basic scalar operations

>> 7+2 ans = 9 >> 0/0ans = NaN >> 1*0 ans = 0 >> 2^8 ans = 256 >> (2+i)*(4+j)ans = 7.0000 + 6.0000i**Built in Functions**

ans = 1.4142 >> log(2) ans = 0.6931 >> log10(0.53) ans =

>> sqrt(2)

```
-0.2757
>> cos(1.2)
ans =
  0.3624
>> atan(-.8)
ans =
 -0.6747
>> round(1.4)
ans =
   1
>> exp(2+5i)
ans =
 2.0960 - 7.0855i
>> angle(i)
ans =
  1.5708
>> abs(1+i)
ans =
  1.4142
                                                   Help
```

Get info on how to use a function.

>> help tan

TAN Tangent of argument in radians.

TAN(X) is the tangent of the elements of X.

See also atan, tand, atan2.

Overloaded methods:

codistributed/tan Reference page in Help browser doc tan LAB work #05 Size and Length a =1 2 3 1 25 6 >> size(a) ans = 2 3 >> length(a) ans = 3 **Transpose** b =45 6 2 3 23 67 >> transpose(b) ans = 45 3 6 23

2 67

Addition And Subtraction

a =

1 2 3

1 25 6

b =

45 6 2

3 23 67

>> a+b

ans =

46 8 5

4 48 73

>> a-b

ans =

-44 -4 1

-2 2 -61

Element wise function

```
>> t=[1 2 3];
>> f=exp(t)
f =
2.7183 7.3891 20.0855
```

Element wise operators

```
>> a.*b

ans =

45    12    6

3    575    402

>> a./b

ans =

0.0222    0.3333    1.5000

0.3333    1.0870    0.0896
```

Exercise Mul 4×4 Matrices

```
>> a=[1 2 3 4;5 6 7 8;9 10 11 12;45 23 87 21];
>> b=[1 5 3 4;5 100 7 8;9 10 45 12;63 23 87 21];
>> a*b
ans =
     290
             327
                      500
                               140
     602
             879
                      1068
                               320
     914
             1431
                                500
                      1636
    2266
             3878
                      6038
                                1849
```

Line Space (Automatic Initialization)

```
a = 0 2.5000 5.0000 7.5000 10.0000 >> b=0:2:10 b = 0 2 4 6 8 10
```

Vector Indexing

```
>> x=[12 13 14 5 8];

>> a=x(1:2)

a =

12 13

>> b=x(1:end-1)

b =

12 13 14 5
```

Metrix Indexing

```
b=[1 2;5 6];
A=rand(5)

A =

0.8147  0.0975  0.1576  0.1419  0.6557

0.9058  0.2785  0.9706  0.4218  0.0357

0.1270  0.5469  0.9572  0.9157  0.8491

0.9134  0.9575  0.4854  0.7922  0.9340

0.6324  0.9649  0.8003  0.9595  0.6787
```

```
A(1:3,1:2)
```

ans =

0.8147 0.0975

0.9058 0.2785

0.1270 0.5469

LAB work #08

Plotting Vector

>> x=linspace(0,4*pi,10)

 $\mathbf{x} =$

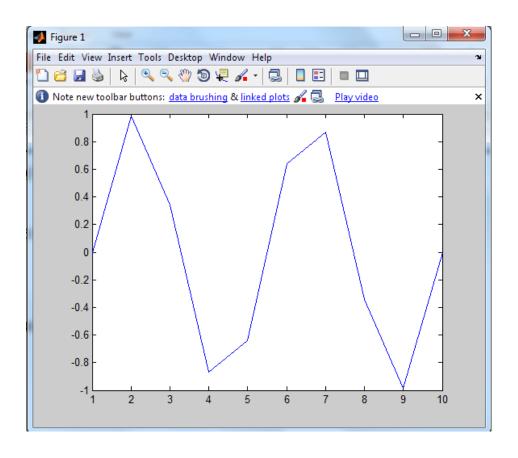
0 1.3963 2.7925 4.1888 5.5851 6.9813 8.3776 9.7738 11.1701 12.5664

>> y=sin(x)

y =

0 0.9848 0.3420 -0.8660 -0.6428 0.6428 0.8660 -0.3420 -0.9848 -0.0000

>> plot(y)



>> x=1:2:20

 $\mathbf{x} =$

1 3 5 7 9 11 13 15 17 19

$$>> y=acos(x)$$

y =

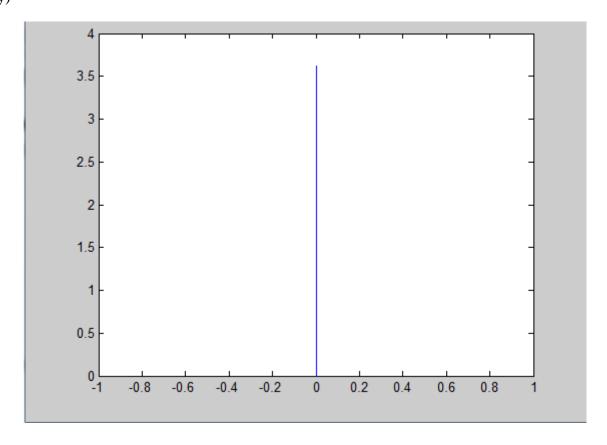
Columns 1 through 8

$$\begin{matrix} 0 & 0 + 1.7627i & 0 + 2.2924i & 0 + 2.6339i & 0 + 2.8873i & 0 + 3.0890i & 0 + 3.2566i \\ 0 + 3.4001i & \end{matrix}$$

Columns 9 through 10

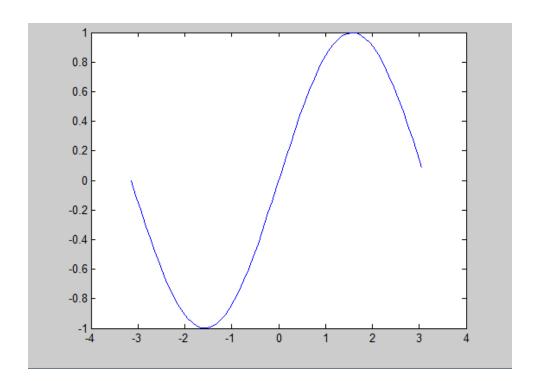
$$0 + 3.5255i$$
 $0 + 3.6369i$

>> plot(y)



LAB work #09

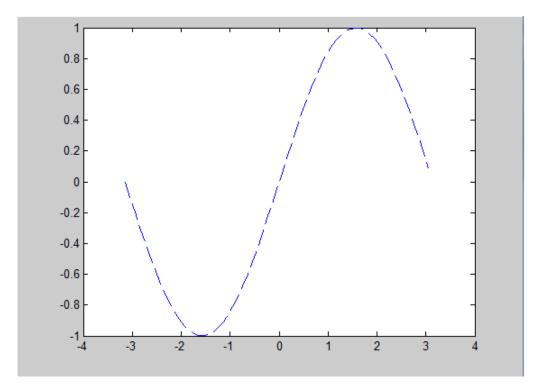
$$\gg$$
 y=sin(x);



>> x=-pi:.1:pi;

>> y=sin(x);

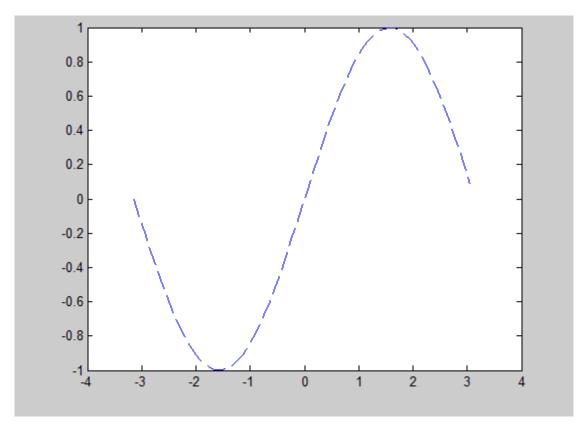
>> plot(x,y,'--')



>> x=-pi:.1:pi;

>> y=sin(x);

>> plot(x,y,'.')

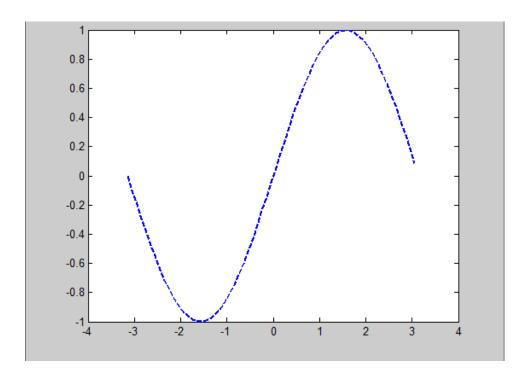


Line and Marker

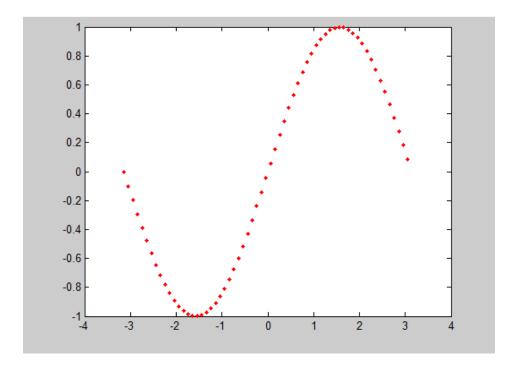
>> x=-pi:.1:pi;

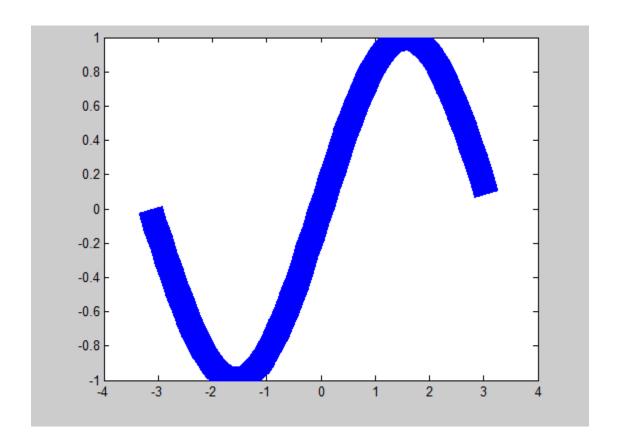
>> y=sin(x);

>> plot(x,y,'--','linewidth',2)



>> plot(x,y,'.','linewidth',2,'MarkerEdgeColor','r')



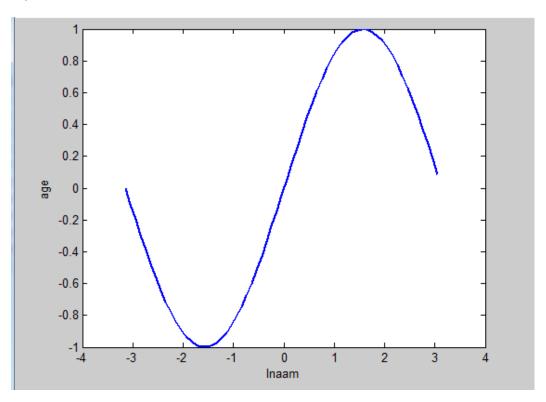


plot(x,y,'linewidth',20,'MarkerFaceColor','r')

>> plot(x,y,'-','linewidth',2)

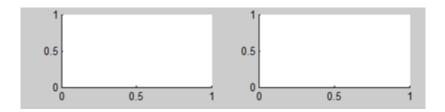
>> ylabel('age')

>> xlabel('Inaam')



>> subplot(3,2,1)

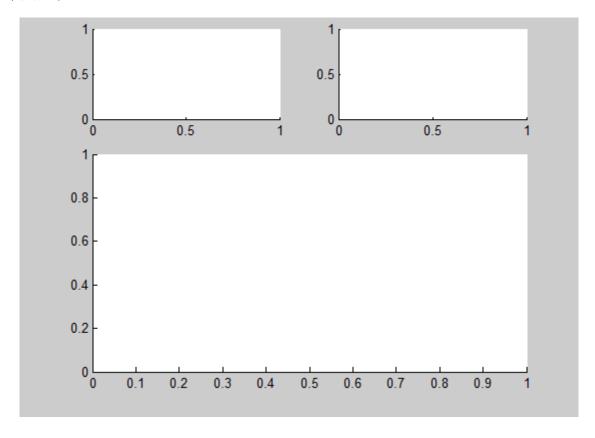
>> subplot(3,2,2)



>> subplot(3,2,1)

>> subplot(3,2,2)

>> subplot(3,2,4:6)



Create a vector

"A" of the even whole numbers between 31 and 75.

```
>> A=32:2:74;

>> disp(A)

Columns 1 through 15

32 34 36 38 40 42 44 46 48 50 52 54 56 58 60

Columns 16 through 22

62 64 66 68 70 72 74
```

"B" of the odd whole numbers between 75 and 131.

```
B=77:2:129

disp(B)

B =

Columns 1 through 15

77 79 81 83 85 87 89 91 93 95 97 99 101 103 105

Columns 16 through 27

107 109 111 113 115 117 119 121 123 125 127 129

Columns 16 through 27

107 109 111 113 115 117 119 121 123 125 127 129
```

"C" of the whole numbers between 1 and 100.

```
B=2:1:99
disp(B)
>> B=2:1:99
disp(B)

B =

Columns 1 through 14

2 3 4 5 6 7 8 9 10 11 12 13 14 15

Columns 15 through 28
```

16	17	1 Ω	10	20	21	22	23	2/1	25	26	27	28	20
			roug		∠1	<i>44</i>	<i>43</i>	∠ 1	<i>43</i>	20	21	20	۷)
				34	35	36	37	38	30	40	∆ 1	42	43
			nroug		33	50	J 1	50	3)	-1 ∪	71	⊤ ∠	1 3
					40	50	5 1	50	52	51	55	56	57
				48	49	30	31	32	33	<i>3</i> 4	33	30	31
			roug		<i>(</i> 2	C 4	<i></i>			60	60	70	71
				62	63	64	65	66	6/	68	69	/0	/1
			nroug			.	= ^	0.0	0.1	0.2	0.2	0.4	0.7
			75		77	78	79	80	81	82	83	84	85
			roug										
				90	91	92	93	94	95	96	97	98	99
Colu	Columns 1 through 14												
2	3	4	5	6 7	8	9	10	11	12	13	14	15	
Columns 15 through 28													
16	17	18	19	20	21	22	23	24	25	26	27	28	29
Columns 29 through 42													
30	31	32	33	34	35	36	37	38	39	40	41	42	43
Columns 43 through 56													
44	45	46	47	48	49	50	51	52	53	54	55	56	57
Columns 57 through 70													
58	59	60	61	62	63	64	65	66	67	68	69	70	71
Colu	Columns 71 through 84												
72	73	74	75	76	77	78	79	80	81	82	83	84	85
Colu	Columns 85 through 98												
86	87	88	89	90	91	92	93	94	95	96	97	98	99

Let x = [2 5 1 6]

Add 16 to each element

```
>> x=[2 5 1 6];
y=x+16;
disp(y);
18 21 17 22
```

Add 3 to just the odd-index elements

```
>> x=[2 5 1 6];

y(1)=x(1)+3;

y(2)=x(2);

y(3)=x(3)+3;

y(4)=x(4);

disp(y);

5 5 4 6
```

Compute the square root of each element

```
>> x=[2 5 1 6];
y=sqrt(x);
disp(y);
1.4142 2.2361 1.0000 2.4495
```

Compute the square of each element

```
>> x=[2 5 1 6];
y=(x).^2;
disp(y);
4 25 1 36
```

Let $x = [3\ 2\ 6\ 8]'$ and $y = [4\ 1\ 3\ 5]'$ (NB. x and y should be column vectors).

Add the sum of the elements in x to y

```
>> x = [3; 2; 6; 8];
y = [4; 1; 3; 5];
z=sum(x);
d=y+z;
disp(d);
23
20
22
24
```

Raise each element of x to the power specified by the corresponding element in y.

```
>> x = [3; 2; 6; 8];

y = [4; 1; 3; 5];

for n=1:4

z(n)=(x(n))^y(n);

end

disp(z);

81 2 216 32768
```

Divide each element of y by the corresponding element in x

```
>> x = [3; 2; 6; 8];

y = [4; 1; 3; 5];

for n=1:4

z(n)=y(n)./x(n);

end

disp(z);

1.3333 0.5000 0.5000 0.6250
```

Multiply each element in x by the corresponding element in y, calling the result "z".

```
>> x = [3; 2; 6; 8];

y = [4; 1; 3; 5];

for n=1:4

z(n)=x(n).*y(n);

end

disp(z);

12 2 18 40
```

Add up the elements in z and assign the result to a variable called "w".

```
for n=1:4
z(n)=x(n).*y(n);
end
w=sum(z);
```

```
disp(w);
72

Compute with a wood interpret the result
```

Compute x'*y - w and interpret the result.

```
>> x = [3; 2; 6; 8];

y = [4; 1; 3; 5];

for n=1:4

z(n)=x(n).*y(n);

end

w=sum(z);

for m=1:4

s(m)=z(m)-w;

end

disp (s);

-60 -70 -54 -32
```

LAB work #13

Evaluate the following MATLAB expressions by hand and use MATLAB to check the answers.

2/2*3

```
The answer will be ans =

3
Because 2 cancel 2 and then we get 3.
```

```
6-2/5+7^2-1
```

```
The answer will be ans = 53.6000
```

```
10/2 \setminus 5 - 3 + 2 * 4
```

```
The answer will be ans = 6
```

3^2/4

```
The answer will be ans = 2.2500
```

The answer will be ans = 81

2 + round (6/9 + 3 * 2)/2 - 3

The result of term (6/9 + 3 * 2) is 6.6667. We use a command "**round**" with it.

2 + floor (6/9 + 3 * 2)/2 - 3

"floor" command is used for rounding towards negative infinity. If we have a number 1.9, and we use floor command with it, the result will be 1. Similarly for 2.1, the result will be 2.

The result of term (6/9+3*2) is 6.6667. As we are use "floor" command, the result will be 6.

When we solve the whole term we get

ans =

2

2 + ceil (6 / 9 + 3 * 2) / 2 - 3

"ceil" command is used for rounding towards positive infinity. If we have a number 1.9, and we use ceil command with it, the result will be 2. Similarly for 2.1, the result will be 3.

The result of term (6/9 + 3 * 2) is 6.6667. As we are use "ceil" command, the result will be 7.

When we solve the whole term we get

ans =

2.5000

LAB work #14

Create a vector x with the elements...

- a. 2, 4, 6, 8...
- b. 10, 8, 6, 4, 2, 0, -2, -4
- c. 1, 1/2, 1/3, 1/4, 1/5...
- d. 0, 1/2, 2/3, 3/4, 4/5...

2, 4, 6, 8...

x=2:2:10000; disp(x);

10, 8, 6, 4, 2, 0, -2, -4

```
>> x=10:-2:-4;
disp(x);
10 8 6 4 2 0 -2 -4
```

1, 1/2, 1/3, 1/4, 1/5...

```
>> for n=1:100
  d=1/n;
  e=rats(d);
  disp(e);
end
    1
   1/2
   1/3
   1/4
   1/5
   1/6
   1/7
   1/8
   1/95
   1/96
   1/97
   1/98
   1/99
   1/100
```

0, 1/2, 2/3, 3/4, 4/5...

```
>> for n=1:100
d=n/(n+1);
e=rats(d);
disp(e);
```

en	end		
	1/2		
	2/3		
	3/4		
	4/5		
	94/95		
	95/96		
	96/97		
	97/98		
	98/99		
	99/100		
	100/101		

Create a vector x with the elements,

$$Xn = (-1)^{n+1}/(2n-1)$$

Add up the elements of the version of this vector that has 100 elements.

```
>> for n=1:100

X(n)= ((-1)^(n+1))/((2*n)-1);

%disp(X); %Uncomment this in order to display result at every value of n
end
Y=sum(X);
disp(Y);
0.7829
```

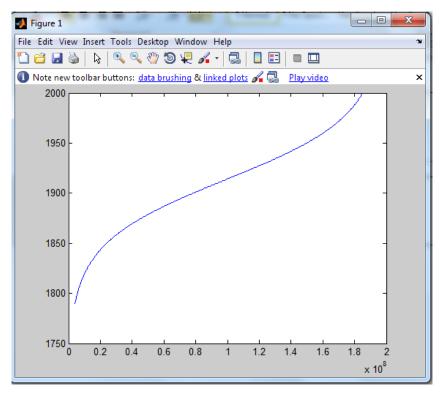
```
>> x=input('Perpendicular of Triangle =');
y=input('Base of Triangle =');
z=sqrt(x^2 + y^2);
fprintf('Hypotenues of triangle =');
disp(z);
Perpendicular of Triangle =3
Base of Triangle =4
Hypotenues of triangle = 5
>> a=input('Length of first side =');
b=input('Base of second side =');
t=input('Angle Between the Given Sides =');
fprintf('Length of third side');
c = sqrt(a^2 + b^2 - 2*a*b*cos(t));
disp(c);
Length of first side =3
```

```
Base of second side =7
```

Angle Between the Given Sides =3

Length of third side 9.9790

```
>> t=1790:0.5:2000;
p=197273000./(1 + exp(-0.0313*(t - 1913.25)));
plot(p,t);
```



```
>>> t=2020;

p=197273000./(1 + exp(-0.0313*(t - 1913.25)));

disp(p);

1.9053e+008

1.9053e+008

ans =

190530000
```

Write the following matrix in Matlab and perform the given function.

A=[12 15 16; 23 26 27; 31 40 41] B=[22 35 56; 63 66 78; 24 30 46]

>> A+B
ans =
5 7 9
11 13 15
8 10 12

```
B*A
ans =
66 81 96
102 126 150
>> A.*B
ans =
  4 10 18
 28 40 54
  7 16 27
>> B-A
ans =
  3
    3
       3
  3
    3
       3
 -6 -6 -6
```